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**THESIS**

**THE INFLUENCE OF WALL CONDUCTIVITY ON FILM  
CONDENSATION WITH INTEGRAL FIN TUBES**

by

Robert Lee Cobb

September, 1993

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**The Influence of Wall Conductivity on Film  
Condensation With Integral Fin Tubes**

by

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**Lieutenant Commander, United States Navy**  
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**Submitted in partial fulfillment  
of the requirements for the degree of**

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# **ABSTRACT**

Heat transfer performance of steam condensing on horizontal finned tubes made of copper, aluminum, copper nickel(90/10), and stainless steel(316) was studied using a condenser test rig at both vacuum and atmospheric conditions. Integral fin tubes included conventional rectangular shaped fins as well as rectangular fins having a radiussed root geometry (ie, a fillet radius equal to half the fin spacing). All finned tubes had inner and outer diameters of 12.70mm and 15.88mm respectively, and had a fin thickness of 1.0mm and a fin spacing of 1.5mm. The overall heat transfer coefficient ( $U_o$ ) was determined experimentally and the outside heat transfer coefficient ( $h_o$ ) was obtained utilizing a modified Wilson Plot procedure.

Results indicated that the performance of a finned tube was strongly dependent on the tube material and weakly dependent on fin geometry. Radiussing the fin root to remove condensate between fins in the unflooded portion (ie, top portion) of a finned tube reduced the heat transfer performance compared to a conventional rectangular shaped integral fin. Experimental data were compared to the models of Beatty and Katz as well as to a modified model of Rose.

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## NOMENCLATURE

$a$	constant defined by equation (4.27) used to determine enhancement
$a_f$	constant defined by equation (4.27) used to determine enhancement for a finned tube
$a_s$	constant defined by equation (4.27) used to determine enhancement for a smooth tube
$A_{ef}$	effective surface area as defined by equation (1.4), $m^2$
$A_{fs}$	surface area of fin flank as defined by equation (1.5), $m^2$
$A_{ft}$	surface area of fin tip as defined in equation (1.6), $m^2$
$A_i$	inside surface area of tube, $m^2$
$A_o$	outside surface area of smooth tube, $m^2$
$A_p$	fin profile area, $m^2$
$A_u$	unfinned surface area as defined in equation (1.7), $m^2$
$b$	interfin spacing between fins, $m$ or as a constant defined in equation (4.24)
$B_1$	constant equal to 2.96
$B_f$	constant equal to 0.143
$B_s$	constant equal to 0.143

$B_t$	constant equal to 0.143
$C_i$	leading coefficient used for inside heat transfer correlation
$c_p$	specific heat at a constant pressure, J/(kg*K)
$D_{eq}$	equivalent diameter as defined in equation (1.1), m
$D_i$	inside diameter of tube, m
$D_f$	fin outer diameter, m
$D_o$	tube outside diameter, m
$D_r$	finned tube root diameter, m
$F$	as defined in equation (2.4)
$f_f$	fraction of unblanked fin flank surface area defined in equation (2.17)
$f_s$	fraction of the unblanked interfin surface area as defined from [Ref. 8]
$f_t$	fraction of the unblanked interfin surface area as defined from [Ref. 6]
$g$	gravitational constant, 9.81 m/s <sup>2</sup>
$G_f$	constant as defined in equation (2.34)
$G_s$	constant as defined in equation (2.36)
$h$	heat transfer coefficient, W/(m <sup>2</sup> *K) or fin height, m (as specified)
$h_{BK}$	corrected Beatty and Katz heat transfer coefficient equation (4.33), W/(m <sup>2</sup> *K)
$h_{ef}$	effective heat transfer coefficient from Beatty and Katz, equation (1.1), W/(m <sup>2</sup> *K)
$h_{fg}$	specific enthalpy of vaporization, J/kg

$h_i$	inside heat transfer coefficient, $W/(m^2 \cdot K)$
$h_o$	outside heat transfer coefficient, $W/(m^2 \cdot K)$
$h_{of}$	outside heat transfer coefficient for a finned tube, $W/(m^2 \cdot K)$
$h_{os}$	outside heat transfer coefficient for a smooth tube, $W/(m^2 \cdot K)$
$h_v$	effective vertical fin height as defined in equations (2.18) and (2.19)
$k$	thermal conductivity, $W/(m \cdot K)$
$k_c$	thermal conductivity of fin material, $W/(m \cdot K)$
$k_{cw}$	thermal conductivity of cooling water, $W/(m \cdot K)$
$k_f$	thermal conductivity of condensate film, $W/(m \cdot K)$
$K_1$	constant as defined in equation (4.18)
$K_2$	constant as defined in equation (4.19)
$L$	active length of tube exposed to steam, where the condensation takes place, m
$\bar{L}$	fin flank length as defined in equation (1.3), m
$L_1$	inlet portion of tube length not exposed to steam, m
$L_2$	outlet portion of tube length not exposed to steam, m
$L_c$	corrected fin length as defined in equation (2.12), m
LMTD	log mean temperature difference, K
$m$	constant defined in equation (4.23)
$\dot{m}$	mass flow rate of the coolant, kg/s

$m_1$	as defined in equation (4.7a), $m^{-1}$
$m_2$	as defined in equation (4.7b), $m^{-1}$
$n_f$	number of fins per unit length of tube, $m^{-1}$
$Nu$	Nusselt number
$P_1$	fin perimeter of inlet portion of tube length, m
$P_2$	fin perimeter of outlet portion of tube length, m
$Pr$	Prandtl number
$q_f$	heat flux for fin flank, $W/m^2$
$Q_f$	heat transfer rate for finned tube, W
$q_{NUSS}$	heat flux for smooth tube based on Nusselt theory, $W/m^2$
$Q_{NUSS}$	heat transfer rate for smooth tube based on Nusselt theory, W
$q_s$	heat flux for interfin spacing, $W/m^2$
$Q_s$	heat transfer rate for smooth tube, W
$q_t$	heat flux for fin tip, $W/m^2$
$R_1$	radius of fin root, m
$R_2$	radius of fin tip, m
$R_{2c}$	correction for adiabatic fin tip ( $R_2 + t/2$ ), m
$R_a$	constant used in Bessel function as defined in equation (2.10)
$R_b$	constant used in Bessel function as defined in equation (2.11)
$Re$	Reynolds number
$Re_{2\phi}$	two phase Reynolds number
$R_i$	inside resistance, K/W

$R_o$	radius of fin tip, m, or outside resistance, K/W
$R_r$	radius of interfin root, m
$R_{TOTAL}$	total thermal resistance, K/W
$R_w$	wall thermal resistance, K/W
$s$	interfin spacing, m
$t$	thickness of fin, m
$\Delta t_{vf}$	temperature difference across the condensate film, K
$\Delta T$	temperature difference across the condensate film, K
$T_1$	temperature at tube inlet, K
$T_2$	temperature at tube outlet, K
$T_f$	condensate film temperature, K
$T_s$	constant as defined in equation (2.35), or saturated steam temperature, K
$T_{sat}$	saturated steam vapor temperature, K
$T_t$	constant as defined in equation (2.31)
$T_w$	outer tube wall temperature, K
$T_{wo}$	outside wall temperature of tube, K
$U_\infty$	vapor velocity, m/s
$U_o$	overall heat transfer coefficient, $W/(m^2 \cdot K)$
$X$	constant defined in equation (4.22)
$Y$	constant defined in equation (4.21)
$Z$	defined from equation (4.14), $W/(m^2 \cdot K)$

## Greek Symbols

$\alpha$	leading coefficient for the outside heat transfer coefficient used to determine enhancement
$\alpha_f$	leading coefficient for the outside heat transfer coefficient for a finned tube used to determine enhancement
$\alpha_s$	leading coefficient for the outside heat transfer coefficient for a smooth tube used to determine enhancement
$\beta$	half angle at fin tip, radians
$\delta$	thickness as defined in equation (2.13), m
$\eta$	fin efficiency
$\eta_1$	fin efficiency as defined in equation (4.6a)
$\eta_2$	fin efficiency as defined in equation (4.6b)
$\eta_f$	thermal efficiency of the fin material
$\epsilon$	constant defined in equation (4.17)
$\epsilon_{AA}$	active surface area enhancement ratio for a rectangular shaped finned tube as defined in equation (2.15)
$\epsilon_{TS}$	total surface area enhancement ratio for a rectangular shaped finned tube as defined in equation (2.14)
$\epsilon_{\Delta T}$	enhancement based on a smooth tube equation (2.20)
$\epsilon_{AR}$	active surface area enhancement ratio for a radiussed root finned tube as defined in equation (2.38)

$\epsilon_{TS}$	total surface area enhancement ratio for a radiussed root finned tube as defined in equation (2.37)
$\epsilon_{\Delta T}$	heat transfer enhancement ratio for a rectangular shaped finned tube based on Nusselt theory
$\epsilon_{\Delta T,F}$	heat transfer enhancement ratio for a radiussed root finned tube based on Nusselt theory
$\mu$	dynamic viscosity, kg/(m*s)
$\mu_f$	dynamic viscosity of the condensate film, kg/(m*s)
$\mu_w$	dynamic viscosity of the cooling water, kg/(m*s)
$\rho$	density, kg/m <sup>3</sup>
$\bar{\rho}$	density difference ( $\rho_f - \rho_v$ ), kg/m <sup>3</sup>
$\rho_f$	density of condensate film, kg/m <sup>3</sup>
$\rho_v$	density of the vapor, kg/m <sup>3</sup>
$\phi$	condensate flooding angle as defined in equation (1.8)
$\sigma$	surface tension of condensate, N/m
$\xi$	as defined in equation (2.8)
$\xi(\phi)$	as defined in equation (2.26)
$\Omega$	constant defined in equation (4.15)

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## **I. INTRODUCTION**

### **A. BACKGROUND**

With the end of the Cold War, the major interest in the U.S. today is to balance the budget. Part of this process is the reduction of Naval forces. Technology must be developed to meet future threats and costs must remain within the budget. The acquisition of a new system depends primarily on its total cost. Today the priorities of new major acquisitions are 1) cost, 2) performance, and 3) time to become fully operational. Reductions in size and weight have become increasingly important design considerations in the development of every component destined for use aboard United States Navy vessels. Gas turbine propulsion plants have significantly reduced the weight and space for main propulsion machinery aboard surface combatants. However, weight reductions in auxiliary heat exchangers and other large components such as main steam condensers aboard nuclear submarines have progressed more slowly. The use of heat transfer enhancement techniques for condenser tubing pursues this goal. Smaller, more efficient condensers would result in reductions in initial cost, space and weight requirements, and perhaps, operating cost. These heat transfer enhancement techniques can be utilized for other systems as well.

The performance of condenser tubes is determined primarily from the thermal resistances on the coolant side, across the tube wall, on the vapor side, and due to fouling. Each resistance can be reduced to minimize its effect, which in turn, enhances the overall heat transfer rate of the system. The major or dominant resistance in general is on the inside, which can be reduced by suitable internal enhancement techniques. The wall thermal resistance can be reduced by decreasing the wall thickness or changing the tube material.

Enhancement techniques are categorized into two major groups, active and passive. Passive techniques include internal helical ribbing, displaced promoters (the use of wire mesh or Heatex inserts), and finned surfaces. Active techniques are the use of devices that add energy to the system and not are part of this thesis. This thesis will focus on externally finned surface condenser tubing. Earlier studies with finned tubing showed little improvement for steam condensation due to the large amount of condensate retained between the fins and the underprediction of the heat transfer coefficient. Better understanding of the two phase heat transfer phenomena and improved models have renewed the interest of integral finned tubes for steam condensers.

## **B. CONDENSATION**

Since 1916, researchers have attempted to improve the simple model of Nusselt to predict the heat transfer

coefficient for condensation on horizontal tubes. Nusselt's theory was based on a plain tube, and neglected the effect of vapor shear. In 1948, Beatty and Katz [Ref. 1] developed an analytical model to predict the outside heat transfer coefficient for an integral finned tube. Their model accounted for the thermal conductivity (efficiency) of the tube material. Their basic equation is shown below:

$$h = 0.689 \left[ \frac{k_f^3 \rho_f^2 g h_{fg}}{\mu_f} \right]^{1/4} \left[ \frac{1}{\Delta t_{vf}} \right]^{1/4} \left[ \frac{1}{D_{eq}} \right]^{1/4} \quad (1.1)$$

The equivalent diameter,  $D_{eq}$ , can be calculated from [Ref. 2] as follows:

$$\left[ \frac{1}{D_{eq}} \right]^{1/4} = 1.30 \eta_f \frac{A_{fs}}{A_{ef}} \frac{1}{\bar{L}^{1/4}} + \eta_f \frac{A_u}{A_{ef}} \frac{1}{D_o^{1/4}} + \frac{A_u}{A_{ef}} \frac{1}{D_r^{1/4}} \quad (1.2)$$

where:

$$\bar{L} = \pi \frac{(D_o^2 - D_r^2)}{4 D_o} \quad (1.3)$$

$$A_{ef} = \eta_f A_{fs} + \eta_f A_{ft} + A_u \quad (1.4)$$

$$A_{fs} = \frac{2n_f \pi (D_o^2 - D_r^2)}{4} \quad (1.5)$$

$$A_{ft} = n_f \pi D_o t \quad (1.6)$$

$$A_u = n_f \pi D_r s \quad (1.7)$$

and  $\eta$  is the thermal efficiency of the fins. The Beatty and Katz model neglects the effects of surface tension of the condensate and the vapor shear. These forces thin the condensate film between the fins. Beatty and Katz tested horizontal integral spiral-finned tubes made from copper and nickel using a variety of fluids: propane, n-butane, n-pentane, methyl chloride, sulfur dioxide, and freon-22. These fluids have small surface tension effects. The predicted heat transfer coefficients were within +7.2% and -10.2% of the values determined from the overall heat transfer data.

Rudy and Webb [Ref. 3] developed an analytical model that predicts the amount of condensate retention on a horizontal integral finned tube. The model showed that a significant portion of the surface can be covered by retained condensate. Honda et al. [Ref. 4] recommended, for rectangular-shaped fins, the condensate flooding angle  $\phi$  be computed from the relationship,

$$\phi = \cos^{-1} \left[ \frac{4\sigma}{\rho g s D_f} - 1 \right] \quad (1.8)$$

The condensate flooding angle is measured from the top of the finned tube as shown in Figure 1.1. For rectangular finned tubes, retained condensate forms a wedge at the base of the fin root. This condensate film wedge increases in thickness from the top to the bottom of the tube. The condensate flooding angle is the point in which the condensate wedge covers the entire fin flanks and interfin spacing. The shaded area, in Figure 1.1, represents the retained condensate wedge. It is assumed that no heat transfer occurs in the shaded area. The unshaded areas, in Figure 1.1, are the uncovered fraction of the fin flanks and interfin spacing for heat transfer. For a fin spacing of 1.5mm, height of 1mm, and thickness of 1mm,  $\phi \approx 82.08^\circ$  for steam at  $100^\circ\text{C}$ . Yau, Cooper, and Rose [Ref. 5] also Wanniarachchi, Marto and Rose [Ref. 6] studied the effect of fin spacing and the resulting flooding angle for maximum vapor-side enhancement. They concluded that for a copper rectangular integral finned tube, the optimum fin spacing is  $\approx 1.5\text{mm}$  for a fin thickness of 1mm and height of 1mm. Masuda and Rose [Ref. 7] conducted a detailed study of the static configuration of the retained liquid using equation (1.8). The observed heat transfer enhancement was higher than expected and attributed it to the surface tension effects.

Masuda and Rose examined the enhancement ratio for the total surface area for a rectangular finned and a radiussed root finned tube. They also studied the active surface area enhancement using the condensate retention angle to determine the flooded and unflooded fraction of the fin surface area. The flooded area was also called the blanked area by retained liquid. Rose [Ref. 8] modified the Nusselt equation to account for the gravitational and surface tension forces for the condensate. The enhancement ratios are based on the same temperature differential using the blanked and unblanked fraction of the fin surfaces. However, they did not include the efficiency of the material.

Due to the complexity of the steam condensation problem for horizontal finned tubes, no one model has been developed that correlates the efficiency of the material along with other effects of the surface tension of the condensate, the gravity force of the condensate, steam vapor velocities, and the condensate flooding angle.

### **C. NAVAL POSTGRADUATE SCHOOL CONDENSATION RESEARCH**

This thesis continues the research that was begun under sponsorship of the National Science Foundation at the Naval Postgraduate School (NPS). The apparatus constructed by Krohn [Ref. 9], June 1982, was modified by Swensen [Ref. 10]. The basic operation of the system remained unchanged. Copper horizontal integral finned tubes of various fin geometries and

tube diameters have been extensively studied at NPS independently. Rectangular finned tubes were studied by Coumes [Ref. 11], Van Petten [Ref. 12], and Guttendorf [Ref. 13]. Mitrou [Ref. 14], in addition to copper, studied copper nickel and aluminum rectangular fins. Detailed studies are required comparing different rectangular and fillet radial fins of different materials. The additional studies will help determine the best material and fin geometry for a particular operating system.

#### **D. OBJECTIVES OF THIS THESIS**

The main objectives of this thesis are:

1. Obtain repeatable data for steam condensation on horizontal tubes having rectangular shaped radial fins made of copper, aluminum, copper nickel, and stainless steel, showing the effects on the thermal conductivity of the materials.
2. Compare the data for rectangular shaped finned tubes to radiussed root finned tubes to examine the influence of the radius on the enhancement for each material.
3. Compare the experimental data to the predicted values using existing theoretical models of Beatty and Katz [Ref. 1] and Rose [Ref. 8].

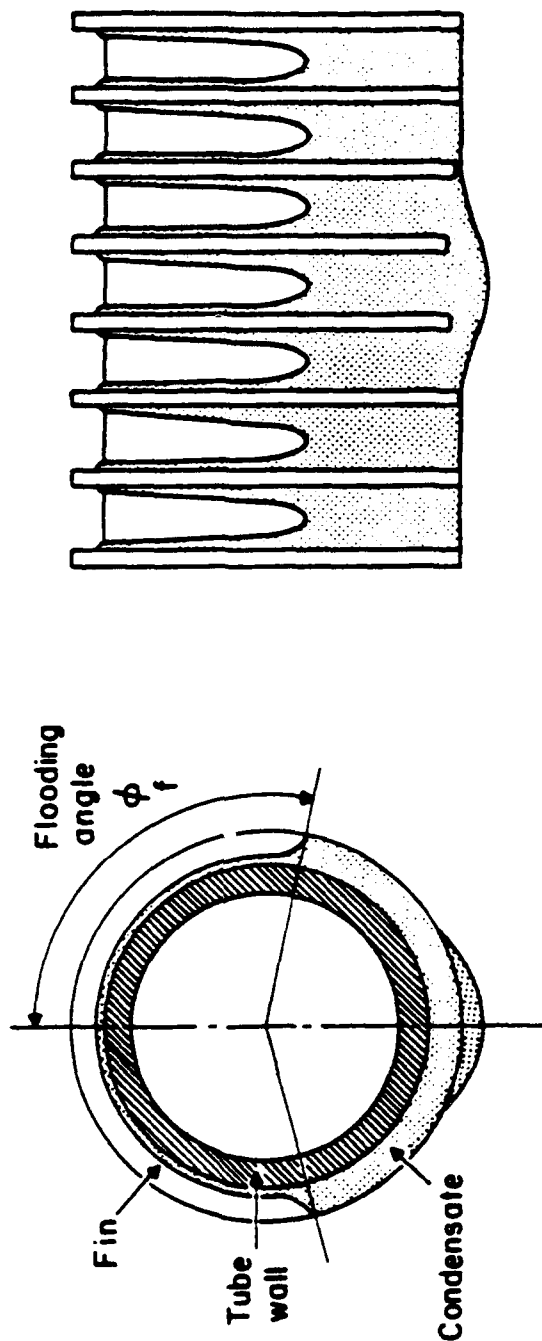


Figure 1.1

Schematic of Condensate Retention Angle on Finned Tubes and Condensate Wedge (illustrated by the gray sections)

## **II. LITERATURE SURVEY**

### **A. CONDENSATION**

Condensation has been intensely studied as a heat transfer mechanism. The developments in condenser tubing and compact electronic equipment continued the requirement for experimental and theoretical research in this field.

There are two fundamental modes of condensation, filmwise and dropwise. Dropwise condensation, as its name states, is the condensing of the vapor into discrete liquid droplets on the surface. As the droplets grow, they coalesce until they are large enough to be removed by gravity or vapor shear. Filmwise condensation creates a continuous liquid film over the entire surface area. The heat transfer rate for the tube is reduced due to the relatively thick condensate film thickness. Dropwise condensation can produce a heat transfer rate as much as an order of magnitude larger than that associated with filmwise condensation. Since the heat transfer rate is lower for the filmwise condensation, condenser design calculations are normally based on this more conservative mode of condensation [Ref. 15]. Complete filmwise condensation may be difficult to produce. The tube must be free of oils, greases and non-wetting chemical deposits.

## B. HEAT TRANSFER CORRELATIONS

The heat transfer coefficients for condensation on horizontal tubes are difficult to accurately predict. A suitable theoretical model must be developed and utilized.

### 1. Horizontal Smooth Tubes

Nusselt [Ref. 16] developed the foundation for the study of filmwise condensation on horizontal tubes in 1916. His correlation was developed for a quiescent vapor condensing on a single horizontal tube. He neglected shear forces and the thermal conductivity of the tube material. The shear forces of the liquid cause the condensate film to increase in thickness from the top of the tube to the bottom. Gravity force assists in draining the condensate around the sides of the tube circumference. The heat flux changes around the circumference of the tube with the maximum heat flux at the top of the tube where the film is the thinnest with no heat transfer at the tube bottom where the film is the thickest. Nusselt's equation for the average outside heat transfer coefficient around the tube is the following:

$$h_o = 0.728 \left[ \frac{k_f^3 g \rho_f (\rho_f - \rho_v)}{\mu_f D_o (T_{sat} - T_{wo})} \right]^{1/4} \quad (2.1)$$

where the fluid properties are evaluated at the film temperature, defined as:

$$T_f = \frac{1}{3} T_{sat} + \frac{2}{3} T_{wo} \quad (2.2)$$

Nusselt's theory has been extensively studied since 1916. Even with his simplifying assumptions, his work has been found to be generally valid [Ref. 17, 18]. His theory was also found to be accurate for cases which do not conform to his original assumptions, such as variable wall temperature [Ref. 19]. One of the major problems in applying Nusselt's theory in the design of condensers is the assumption of a quiescent vapor. While in theory the assumption of a stationary vapor can be justified, steam condensers operate under conditions where the vapor is travelling at some velocity.

With the vapor in motion, shear forces are developed which thin the condensate film and increase the outside heat transfer coefficient. Early theoretical work by Shekriladze and Gomelaury [Ref. 20] accounted for vapor shear forces. They assumed that the primary contribution to the surface shear stress was due to the change in momentum across the liquid-vapor interface. This resulted in the following equation to approximate the mean Nusselt number:

$$\frac{Nu}{Re_2^{1/2}} = 0.64 (1 + (1 + 1.69 F)^{1/2})^{1/2} \quad (2.3)$$

where:

$$F = \frac{g D_o \mu_f h_{fg}}{U_o^2 k_f (T_{sat} - T_{wo})} \quad (2.4)$$

and the two phase Reynolds number is given by:

$$Re_{2\phi} = \frac{\rho_f U_o D_o}{\mu_f} \quad (2.5)$$

Lee and Rose [Ref. 21] compared vapor shear models with experimental results and found that the Shekriladze-Gomelaury results were more conservative than other researchers due to their simplified approximation for the interfacial shear stress. Fujii et al. [Ref. 22], in a more recent study, performed an extensive development of the shear forces on the outside of a horizontal tube. From experimental data, they also developed a simple empirical formulation for the condensation of steam on a horizontal tube which includes vapor velocity effects:

$$\frac{Nu}{Re_{2\phi}^{1/2}} = 0.96 F^{1/5} \quad (2.6)$$

where  $F$  and  $Re_{2\phi}$  are defined in equations (2.4) and (2.5). For situations where the surface shear forces dominate, as for

steam, equation (2.6) more accurately predicts the vapor side heat transfer coefficient than equation (2.3).

As discussed previously, the primary modes of external tube enhancement covered in this study are rectangular fins and fillet radius fins. There are advantages and disadvantages for each depending on the environment or operating conditions in which the tube is to be used.

## 2. Rectangular-Shaped Finned Tubes

Fins can be attached to the surface of smooth tubes to increase the heat transfer between the surface and the vapor medium. The enhancement is due primarily to the increase in surface area. The fins also channel the flow of the condensate. As the condensate forms and travels to the root of the fin, it's film varies in thickness. The film at top of the fin is generally thinner than at the bottom. This thinning increases the heat transfer rate of the tube. Part of the increase in enhancement is therefore caused by the surface tension of the condensate and the vapor shear forces.

The fins used by Beatty and Katz [Ref. 1] were spiral. However, their theory applies for rectangular-shaped annular fins. The efficiency equation used by Beatty and Katz [Ref. 1] was not listed, but the efficiency for a rectangular-shaped annular fin can be used (equation (2.7)) from [Ref. 23]:

$$\eta_f = \frac{\sqrt{2}/\xi}{(1+r_{2c}/r_1)} \left[ \frac{I_1(R_a\xi)K_1(R_b\xi) - I_1(R_b\xi)K_1(R_a\xi)}{I_1(R_a\xi)K_0(R_b\xi) + I_0(R_b\xi)K_1(R_a\xi)} \right] \quad (2.7)$$

where:

$$\xi = L_c^{3/2} \sqrt{h / (k_c A_p)} \quad (2.8)$$

$$A_p = 2\delta L_c \quad (2.9)$$

$$R_s = \sqrt{2} / (1 - R_1 / R_{2c}) \quad (2.10)$$

$$R_b = (R_1 / R_{2c}) R_s \quad (2.11)$$

where  $L_c$  is the corrected length of the fin determined by:

$$L_c = L + t/2 \quad (2.12)$$

$$\delta = \frac{t}{2} \quad (2.13)$$

Equation (2.7) assumes an adiabatic fin tip (no heat transfer through the fin tip). Figure 2.1 is a sketch of an annular fin of rectangular profile used to defined the dimensions in the above equations. The efficiency of finned tubes not only depends on the tube material but also the fin tube geometry. Figure 2.2 illustrates the change in efficiency of a fin as the geometry and the thermal conductivity of the material changes. The higher the thermal conductivity of a material, the higher the efficiency of the material.

Gregorig [Ref. 24] discovered that fins generated a surface tension force which tended to thin the condensate at the tip and thicken it between the fins. Masuda and Rose [Ref. 6] examined condensate retention on horizontal finned tubes. They defined an enhancement ratio for the increase in surface area by dividing the total surface area of a rectangular-shaped fin by the area of a smooth tube of the root diameter:

$$e_{TS} = \frac{R_r b + (R_o^2 - R_r^2) + R_o t}{R_r (b + t)} \quad (2.14)$$

The first term in the numerator is the area for the interfin space, the middle term is the fin flank surface area, and the third term is the fin tip surface area. The condensate flooding angle equation (1.8) was used to determine the fraction of the fin flank and tip area blanked by the condensate film. They defined an "active area enhancement" for a rectangular-shaped finned tube by dividing the unblanked finned tube surface area by the surface area of a smooth tube of root diameter. It is given by equation (2.15):

$$e_{AA} = \frac{R_r b \phi (1 - f_t) + (R_o^2 - R_r^2) \phi (1 - f_f) + \pi R_o t}{\pi R_r (b + t)} \quad (2.15)$$

The first term in the numerator is the unblanked area of the

interfin space, the middle term is the unblanked area of the fin flanks, and the third is the fin tip area. The tip was assumed to be free of condensate. The fraction of the unblanked surface areas covered by condensate is given by:

For the interfin space,

$$f_t = \left( \frac{2\sigma}{\rho g R_f b} \right) \left( \frac{\tan(\phi/2)}{\phi} \right), \quad (2.16)$$

and for the fin flank,

$$f_f = \left( \frac{\sigma}{\rho g R_f h} \right) \left( \frac{\tan(\phi/2)}{\phi} \right) \quad (2.17)$$

Honda et al [Ref. 25] and Adamek and Webb [Ref. 26] have formulated models for film condensation on horizontal finned tubes, but they are difficult to use. Recently, Briggs, Wen, and Rose [Ref. 27] conducted a detailed review of the accuracy of various models to measure heat transfer for condensation on horizontal integral finned tubes. The simple model of Beatty and Katz [Ref. 1] does not account for surface tension effects. The Adamek and Webb model [Ref. 26] included an approximate surface tension effect and the result was an improved enhancement prediction. They concluded the best model to predict the heat transfer measurements is the Honda et al model [Ref. 25] which accounts for both the condensate

flooding and the enhancing effect of surface tension drainage from the fins. This is the most accurate model for predicting the heat transfer measurements for steam condensation on horizontal integral finned tubes. However, the model is very complex which limits its use. Rose [Ref. 8] proposed a "very simple model" to approximate the vapor side heat transfer coefficient for condensation on low integral finned tubes. His model included surface tension and condensate flooding, but neglected the resistance due to conduction in the fin material. Rose [Ref. 8] formulated a simpler semi-empirical equation for calculating the vapor-side enhancement ratio for condensation on low-finned tubes. His equation accounts for the condensate flooding angle, as well as gravity and surface tension effects. He noted that if the ratio of  $\sigma \cos \beta / (\rho g b D_o)$  is greater than 0.5, the interfin space is fully flooded and the condensate retention angle is zero. The Nusselt theory was modified by replacing the fin height with the vertical fin height determined from equation (2.18) or (2.19).

For  $\phi \leq \pi/2$ :

$$h_v = h \phi \sin \phi \quad (2.18)$$

For  $\phi \geq \pi/2$ :

$$h_v = h \phi / (2 - \sin \phi) \quad (2.19)$$

The enhancement ratio for the same  $\Delta T$  was determined by dividing the heat transfer rate of the finned tube (with blanked areas) by the heat transfer rate of a smooth tube of the same root diameter and  $\Delta T$ :

$$\epsilon_{\Delta T} = \frac{Q_f / \Delta T}{Q_s / \Delta T} = \frac{Q_f}{Q_s} \quad (2.20)$$

where the heat transfer rate for the rectangular finned tube is,

$$Q_f = \pi D_o t q_t + \frac{\phi}{\pi} \left[ \frac{(1-f_f) \pi (D_o^2 - D_r^2)}{2} q_f + (1-f_s) \pi D_r s q_s \right] \quad (2.21)$$

and the heat transfer rate of a smooth tube of root diameter  $D_r$  was determined from Nusselt theory,

$$Q_s = \pi D_r (s+t) q_{nuss}. \quad (2.22)$$

In the above expressions, the heat transfer fluxes are:

Nusselt theory, for a smooth tube of root diameter  $D_r$ :

$$q_{nuss} = 0.728 \left[ \frac{\rho h_{fg} k^3 \Delta T^3}{\mu} \frac{\beta g}{D_r} \right]^{1/4} \quad (2.23)$$

for the fin flanks:

$$q_f = \left[ \frac{\rho h_{fg} k^3 \Delta T^3}{\mu} \left[ \frac{0.943^4 \bar{\rho} g}{h_v} + \frac{B_f \sigma}{h^3} \right] \right]^{1/4} \quad (2.24)$$

for the interfin space:

$$q_s = \left[ \frac{\rho h_{fg} k^3 \Delta T^3}{\mu} \left[ \frac{(\xi(\phi))^3 \bar{\rho} g}{D_r} + \frac{B_s \sigma}{s^3} \right] \right]^{1/4} \quad (2.25)$$

where  $\xi(\phi)$ , the mean condensate film thickness from the top of the horizontal tube to the condensate flooding angle  $\phi$  is;

$$\xi(\phi) = 0.874 + 0.1991 \times 10^{-2} \phi - 0.2642 \times 10^{-1} \phi^2 + 0.5530 \times 10^{-3} \phi^3 - 0.1363 \times 10^{-2} \phi^4 \quad (2.26)$$

for the fin tip:

$$q_t = \left[ \frac{\rho h_{fg} \Delta T^3}{\mu} \left[ \frac{0.728^4 \bar{\rho} g}{D_o} + \frac{B_t \sigma}{t^3} \right] \right]^{1/4} \quad (2.27)$$

$$f_f = \frac{2\sigma}{\rho g D_r h} \frac{\tan(\phi/2)}{\phi} \quad (2.28)$$

$$f_s = \left( \frac{4\sigma}{\rho g D_r S} \right) \left( \frac{\tan(\phi/2)}{\phi} \right) \quad (2.29)$$

Using the above relationships, the enhancement ratio for constant ( $\Delta T$ ) can be rearranged into equation (2.30):

$$e_{\Delta T} = \frac{D_o}{D_r} \frac{t}{(s+t)} T_t + \frac{\phi}{\pi} (1-f_f) \left[ \frac{D_o^2 - D_r^2}{2D_r(s+t)} \right] T_f + \frac{\phi}{\pi} (1-f_s) B_1 \frac{s}{(s+t)} T_s \quad (2.30)$$

where

$$T_t = \left[ \frac{D_r}{D_o} + \frac{B_t G_t}{0.728^4} \right]^{1/4} \quad (2.31)$$

$$G_t = \frac{\sigma D_r}{\rho s t^3} \quad (2.32)$$

$$T_f = \left[ \left[ \frac{0.943}{0.728} \right]^4 \frac{D_r}{h_v} + \frac{B_f G_f}{0.728^4} \right]^{1/4} \quad (2.33)$$

$$G_f = \frac{\sigma D_r}{\rho g h^3} \quad (2.34)$$

$$T_s = \left[ \frac{(\xi(\phi))^3}{0.728^4} + \frac{B_s G_s}{0.728^4} \right]^{1/4}, \quad (2.35)$$

and

$$G_s = \frac{\sigma D_r}{\beta g s^3}. \quad (2.36)$$

Note that this enhancement model neglects the conductivity of the fin material and requires the specification of four coefficients  $B_1$ ,  $B_f$ ,  $B_s$  and  $B_t$ . Rose compared calculated values from equation (2.30) to existing experimental data for a copper fin tube using R-113 and steam condensing vapors. After extensive curve-fitting, the constants were determined to be  $B_1=2.96$  and  $B_t = B_f = B_s = 0.143$ . For steam, the theoretical enhancement values were within ~25% of the experimental enhancement results.

### 3. Radiussed Root Finned Tubes

Radiussed root fins are rectangular shaped fins with the sharp base corners removed. Figure 2.3 shows the radiussed root finned tubes and the rectangular shaped finned tube used in this study. The finned tube root was rounded with a radius equal to half the fin spacing. Radiussed root finned tubes have less total surface area than rectangular shaped finned tubes. Masuda and Rose [Ref. 7] defined the

total surface area enhancement of a radiussed root finned tube as:

$$\epsilon_{TS} = \frac{\left[ R_o^2 - \left( R_r + \frac{b}{2} \right)^2 \right] + \frac{\pi b}{2} \left[ R_r + \frac{b}{2} \left( 1 - \frac{2}{\pi} \right) \right] + R_o t}{R_r (b+t)} \quad (2.37)$$

However, by radiussing the fin root, there is no condensate wedge at the base of the fin that occurs in rectangular fins. Thus, more of the surface area remains "active". They defined the "active area enhancement" as:

$$\epsilon_{AR} = \frac{\left[ R_o^2 - \left( R_r + \frac{b}{2} \right)^2 \right] \left( \frac{\Phi}{\pi} \right) + \left[ R_r + \frac{b}{2} \left( 1 - \frac{2}{\pi} \right) \right] \frac{b\Phi}{2} + R_o t}{R_r (b+t)} \quad (2.38)$$

Briggs, Wen and Rose [Ref. 28] continued the investigation of the effect of radiussed root for rectangular shaped finned tube. They tested two radiussed root tubes and two rectangular shaped finned tubes made of copper. With a high thermal conductivity material, they expected a large increase in experimental enhancement due to the increase in the "active surface area" for the radiussed root tube. The enhancement ratio of the "active surface area" for a radiussed root tube ( $\epsilon_{AR}$ ) and a rectangular finned tube ( $\epsilon_{AR}$ ), ( $\epsilon_{AR} / \epsilon_{AR}$ ), was 1.53 for steam with a 1.5mm fin spacing and 1.42 for a 1.0mm fin

spacing. The enhancement ratio for the 1.0mm fin spacing agreed well with the experimental enhancement heat transfer ratio (  $\epsilon_{AT,F} / \epsilon_{AT}$  ) of 1.33, but the experimental heat transfer enhancement ratio for the 1.5mm fin spacing was only 1.09. They felt the small corresponding increase in enhancement for the 1.5mm spacing seemed somewhat anomalous and intend to repeat the data.

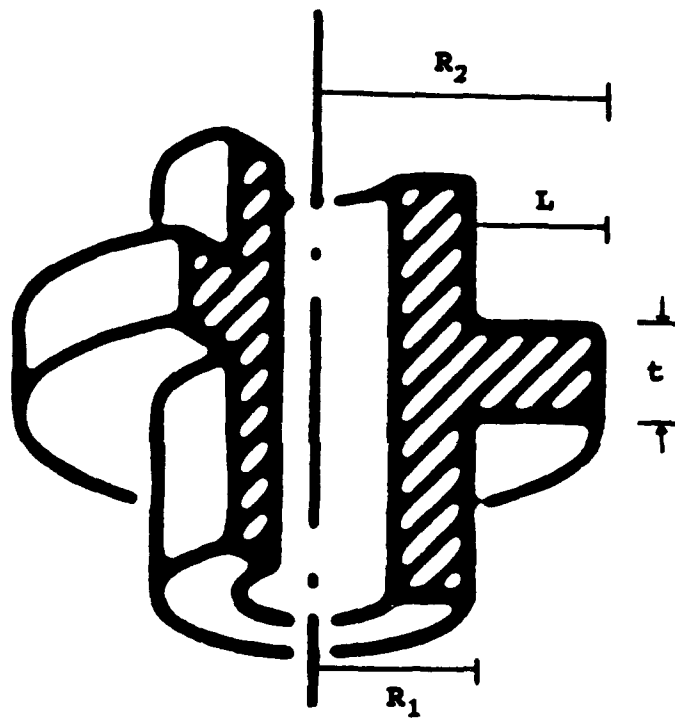


Figure 2.1      Schematic of Annular Fin of Rectangular Profile

Efficiencies for various fin geometries of different material for the same outside heat transfer coefficient

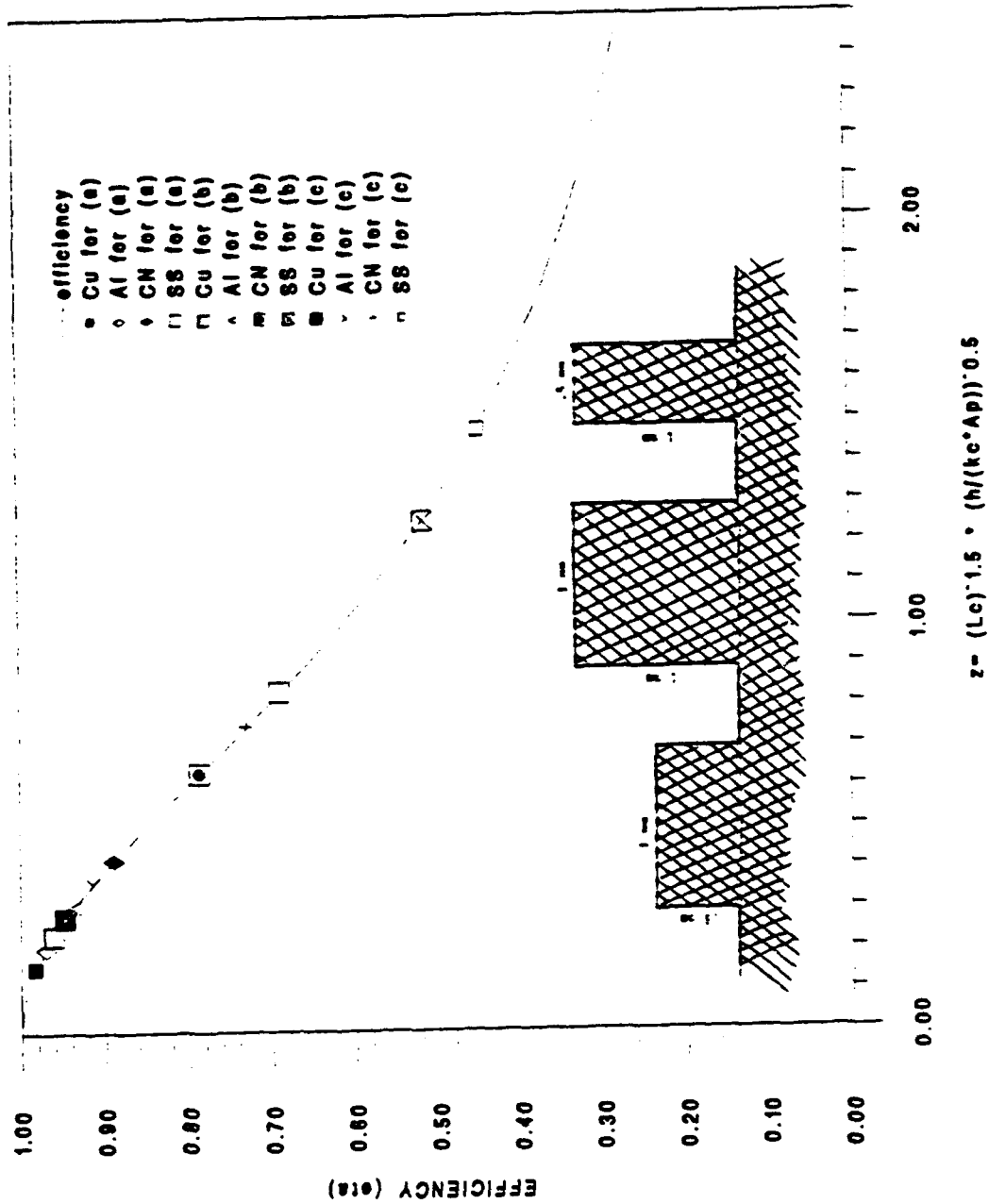


Figure 2.2

Efficiencies for various Fin Geometries for Different Materials for the same Outside Heat Transfer Coefficient ( $h_o = 10000 \text{ (W/(m}^2 \cdot \text{K))}$ )

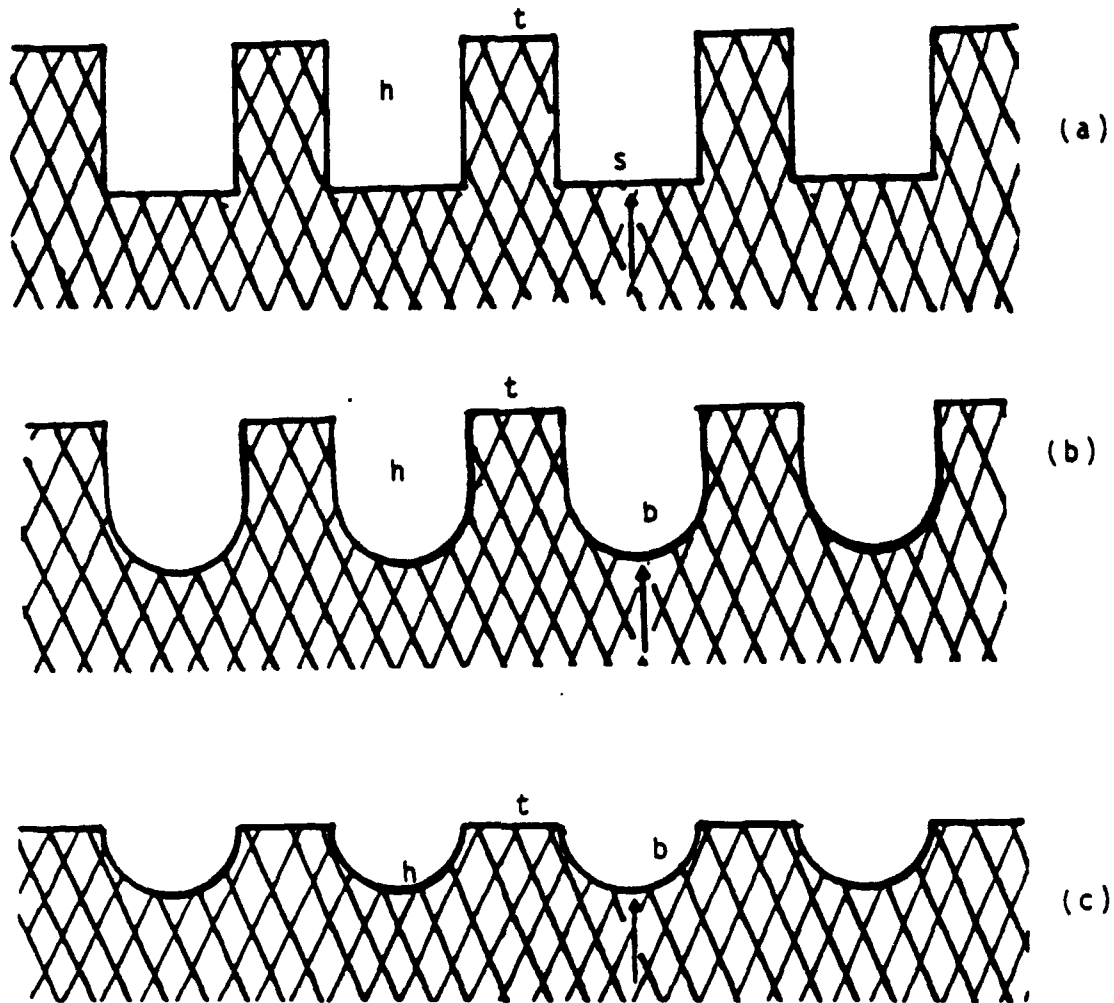


Figure 2.3

Dimensions for Finned Tubes Tested (a) rectangular shaped finned tube  $D_r = 13.88\text{mm}$ ,  $h = 1.0\text{mm}$ ,  $s = 1.5\text{mm}$ , and  $t = 1.0\text{mm}$ ; (b) deep radiussed root finned tube  $D_r = 13.88\text{mm}$ ,  $h = 1.0\text{mm}$ ,  $s = 1.5\text{mm}$ ,  $t = 1.0\text{mm}$ , and  $b = 0.75\text{mm}$ ; (c) shallow radiussed root finned tube  $D_r = 14.38\text{mm}$ ,  $h = 0.75\text{mm}$ ,  $s = 1.5\text{mm}$ ,  $t = 1.0\text{mm}$ , and  $b = 0.75\text{mm}$

### **III. EXPERIMENTAL APPARATUS**

#### **A. SYSTEM OVERVIEW**

The apparatus is basically the same as designed by Krohn [Ref. 9] and modified by Swensen [Ref. 10]. Figure 3.1 is a schematic of the test apparatus. The boiler is fabricated from a .3048m diameter Pyrex Glass tube with ten 4-kw, Watlow immersion heaters. The boiler can be filled by gravity drain or vacuum drag from a distilled water tank through a fill/drain valve. The steam travels vertically from the boiler section into a 2.13m long section of Pyrex tubing, with a diameter of 0.15m. It then travels through two 90° elbows that act as a moisture separator and direct the flow down to the stainless steel test section. The Pyrex glass sections are insulated to reduce the heat lost to the environment.

The test section is fitted with openings for Teflon and nylon seals which support the horizontal tube and provide the coolant flow path. Figures 3.1 and 3.2 illustrate the cooling flow path and the temperature probes. Cooling water is provided to the test tube via two positive displacement centrifugal pumps. The pumps discharge to a flowmeter via a common line. Cooling water flow was controlled by a throttle valve up stream of the flowmeter. Temperature in the sump is controlled by supplementing tap water. The cooling water sump

serves two purpose, 1) to provide the coolant for the test tube and 2) to provide a heat exchanger for the vacuum line. Excess steam, the steam not condensed by the horizontal tube, flows across the auxiliary condenser.

The auxiliary condenser section is also fabricated of Pyrex glass. Ambient temperature water which flows through an internal copper tube was used to condense the remaining steam. A suction port is located in the bottommost part of this section to remove air and other non-condensable gases. These gases are expelled to the atmosphere via a vacuum line to a plexiglas tank connected to the vacuum pump. A layout of the purging system is shown in Figure 3.3. Gravity drains the condensed steam back to the boiler.

#### **B. SYSTEM INSTRUMENTATION**

The power for the immersion boiler is provided by a 440 Volt silicon controlled rectifier mounted within the electrical switchboard. Figure 3.4 is a line diagram of the power supply. A feedback loop was installed to maintain a constant power supply to the boiler. Part of the voltage was used for an emf sign for a pressure conversion. This was one of the three means to determine the pressure in the test section. The other two are 1) a Setra model 204 pressure transducer and 2) a direct reading from a Heise pressure gage (this was used only as a visual reference).

The vapor temperature was measured by a Type-T thermocouple located upstream of the horizontal tube being tested or calculated as a function of the voltage reading from the pressure transducer. Cooling water temperatures were calculated from the inlet and outlet temperatures of the flow through the test tube. The temperature differential of the cooling water used was either from a Teflon coated Type-T thermocouple, a ten junction thermopile, or a HP 284A quartz crystal thermometer. The location of the probes are illustrated in Figures 3.1 and 3.2.

An HP-3497A data acquisition system links the voltage readings from the various elements to an HP-9826A computer, except for the quartz thermometer which is read directly. The HP-9826A computer used the program "DRPALL", listed in Appendix A, to collect, process and store data. The computer stepped through the voltage output channels of the acquisition unit and used it's internal functions to convert the emf voltage signal into useful data.

### **C. TUBES TESTED**

A total of fifteen tubes were manufactured for this thesis, thirteen finned tubes and two smooth tubes. The finned tubes were made of copper, aluminum, copper nickel (90/10), and stainless steel (316). There were three types of finned tubes:

1. Type I, standard rectangular shaped finned tube, root diameter of 13.88mm, fin height 1.0mm.
2. Type II, rectangular shaped finned tube with a radiussed root, tube diameter at the root was the same as the rectangular shaped finned tube (13.88mm) and the fin height was 1.0mm from the fin root. This tube was referred to as the "deep fillet fin tube" during the test procedures.
3. Type III, rectangular shaped finned tube with a radiussed root, tube diameter of 14.38mm. The fin height of this tube was the same as the radius of radiussed root (0.75mm). This finned tube was referred to as the "shallow fin tube".

The thermal conductivities for the tube materials used are listed in TABLE I. The values were obtained by curve-fitting the data in [Ref. 29] for the temperature range of the study. Figure 3.5 illustrate the relative size and the geometry of the tubes. Figures 3.6, 3.7, and 3.8 are photographs of the rectangular shaped finned tube, deep radiussed root finned tube, and shallow radiussed root finned tubes, respectively. The dark lines in the radiussed root photographs are light reflections from the curvature of the fin root and not the actual machining of the finned tube. The inside diameter,  $D_i$ , of all tubes tested was 12.7mm. All the finned tubes had an outside diameter of 15.88mm for the fins. The first smooth tube made had an outside diameter,  $D_o$ , of 13.88mm. It was damaged during testing and a second (stiffer) tube was manufactured, outside diameter of 14.38mm. The tube was filled with "Cerabond 375<sup>0</sup>" to reinforce the tube wall while machining. This reinforcing compound was removed after

machining by heating the tube. All residue was removed during tube preparation.

All tubes were tested with a Heatex insert (wire mesh promoter) to increase the accuracy of the results. Minor tool marks inside the tube from the machining operation were neglected due to the increased turbulence by the Heatex insert. TABLE II is a list of all tubes tested and their geometry.

TABLE I. THERMAL CONDUCTIVITIES OF TUBES TESTED.

MATERIAL	THERMAL CONDUCTIVITY (kc) (W/(m*K))
COPPER	390.8
ALUMINUM	231.8
COPPER-NICKEL (90/10)	55.3
STAINLESS STEEL	14.3

**TABLE II. DIMENSIONS AND MATERIALS FOR TUBES TESTED.**

Tube No.	Tube Type	Tube Material	Root Diameter (mm)	Fin Height (mm)	Outer Diameter (mm)	Fin Thickness (mm)	Fin Spacing (mm)
1	Rectangular Fin	Copper (Pure)	13.88	1.00	15.88	1.00	1.50
2	Shallow Fillet	Copper (Pure)	14.38	0.75	15.88	1.00	1.50
3	Deep Fillet	Copper (Pure)	13.88	1.00	15.88	1.00	1.50
4	Deep Fillet	Copper Nickel (90/10)	13.88	1.00	15.88	1.00	1.50
5	Shallow Fillet	Copper Nickel (90/10)	14.38	0.75	15.88	1.00	1.50
6	Rectangular Fin	Copper Nickel (90/10)	13.88	1.00	15.88	1.00	1.50
7	Deep Fillet	Stainless Steel (316)	13.88	1.00	15.88	1.00	1.50
8	Shallow Fillet	Stainless Steel (316)	14.38	0.75	15.88	1.00	1.50
9	Rectangular Fin	Stainless Steel (316)	13.88	1.00	15.88	1.00	1.50
10	Rectangular Fin	Aluminum (Pure)	13.88	1.00	15.88	1.00	1.50
11	Deep Fillet	Aluminum (Pure)	13.88	1.00	15.88	1.00	1.50
13	Shallow Fillet	Aluminum (Pure)	14.38	0.75	15.88	1.00	1.50
OD1	Smooth	Copper (Pure)	13.88	NA	13.88	NA	NA
SMTH	Smooth	Copper (Pure)	14.38	NA	14.38	NA	NA

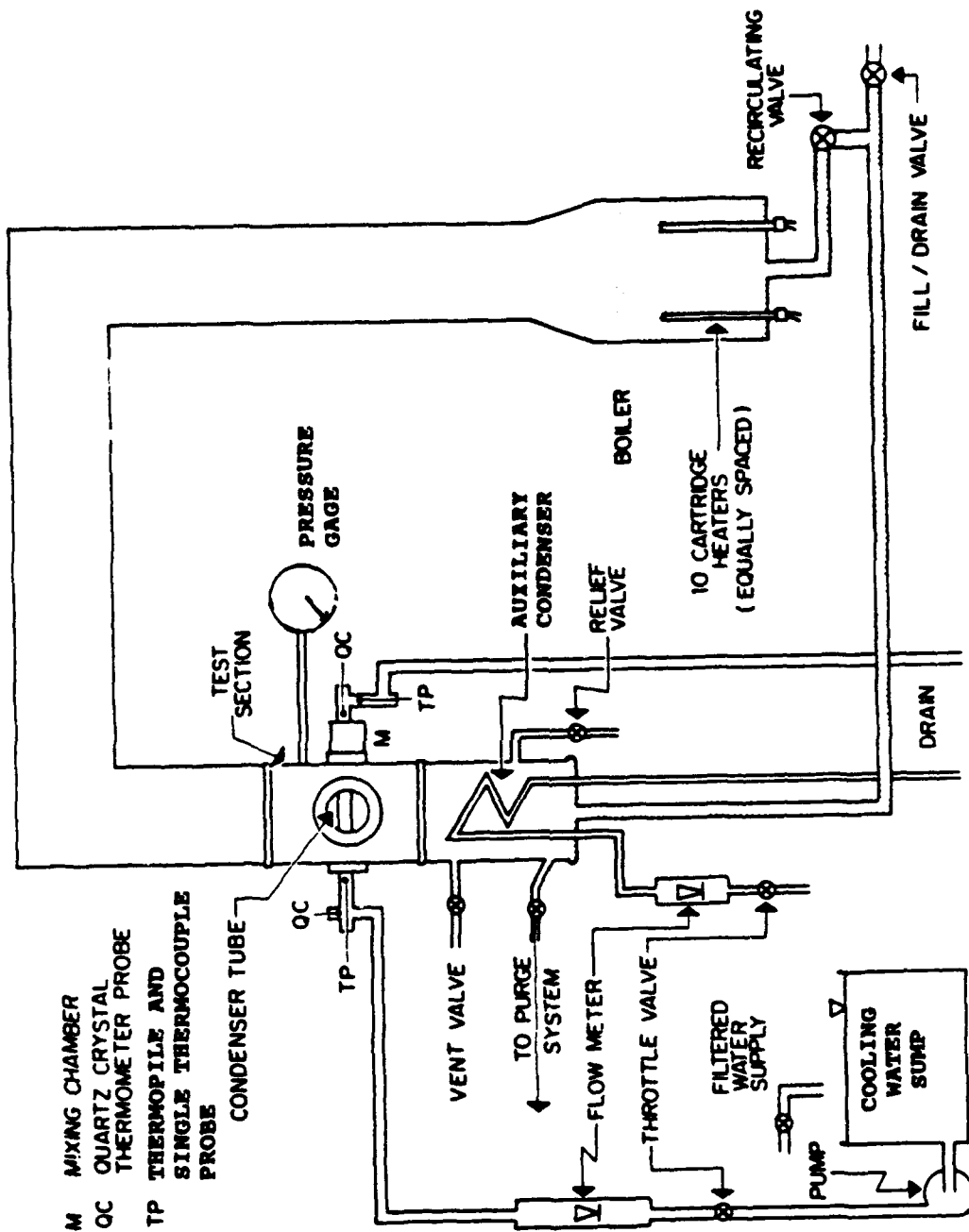


Figure 3.1 Schematic of the Single Tube Test Apparatus

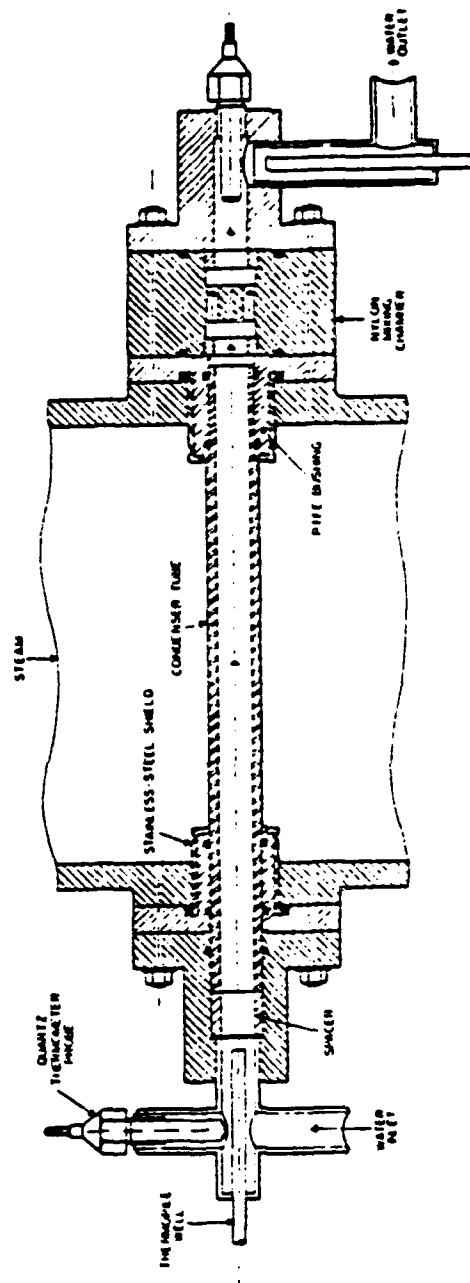


Figure 3.2 Schematic of the Test Section

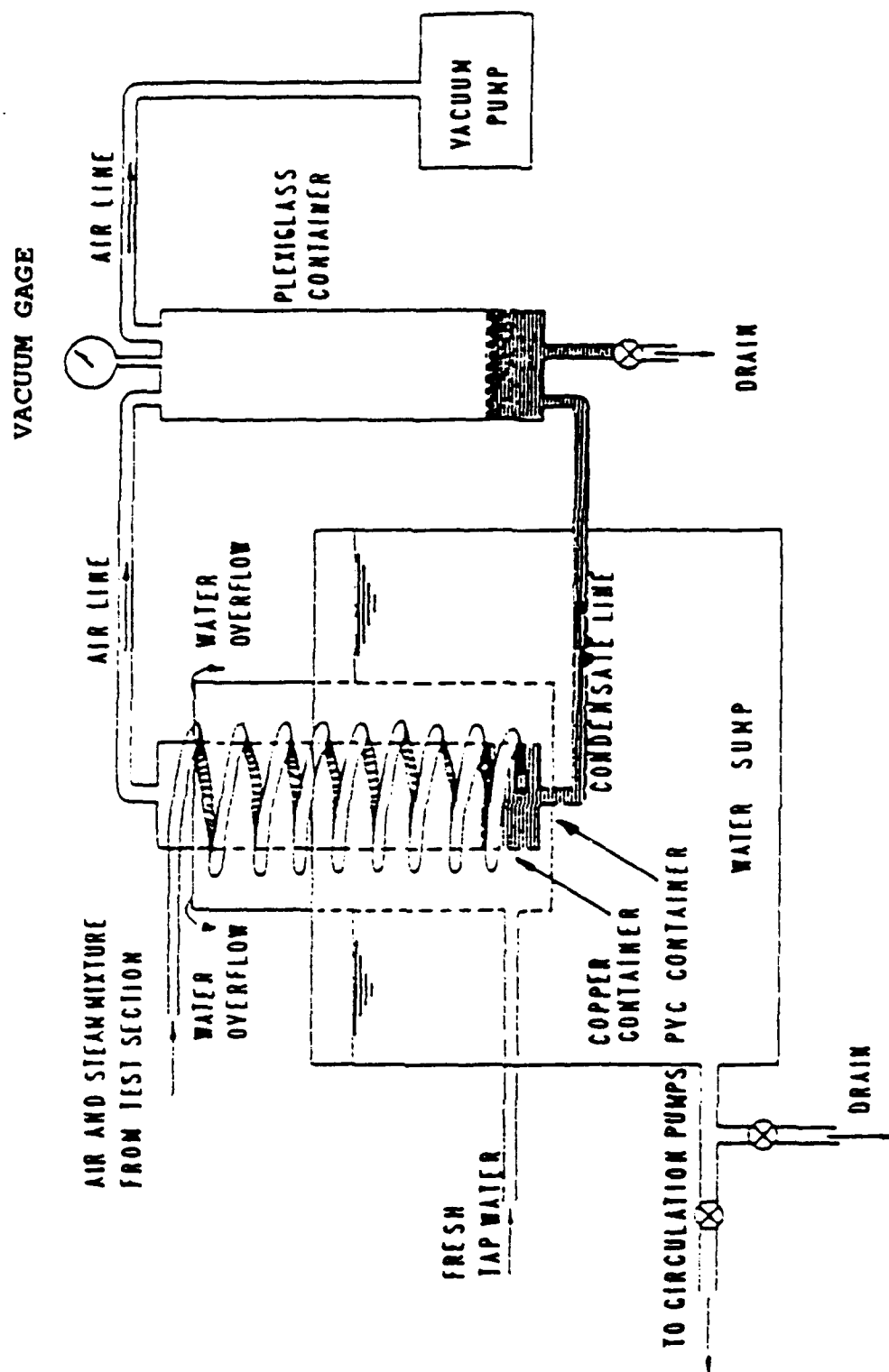


Figure 3.3 Schematic of the Purging System and Cooling Water Sump

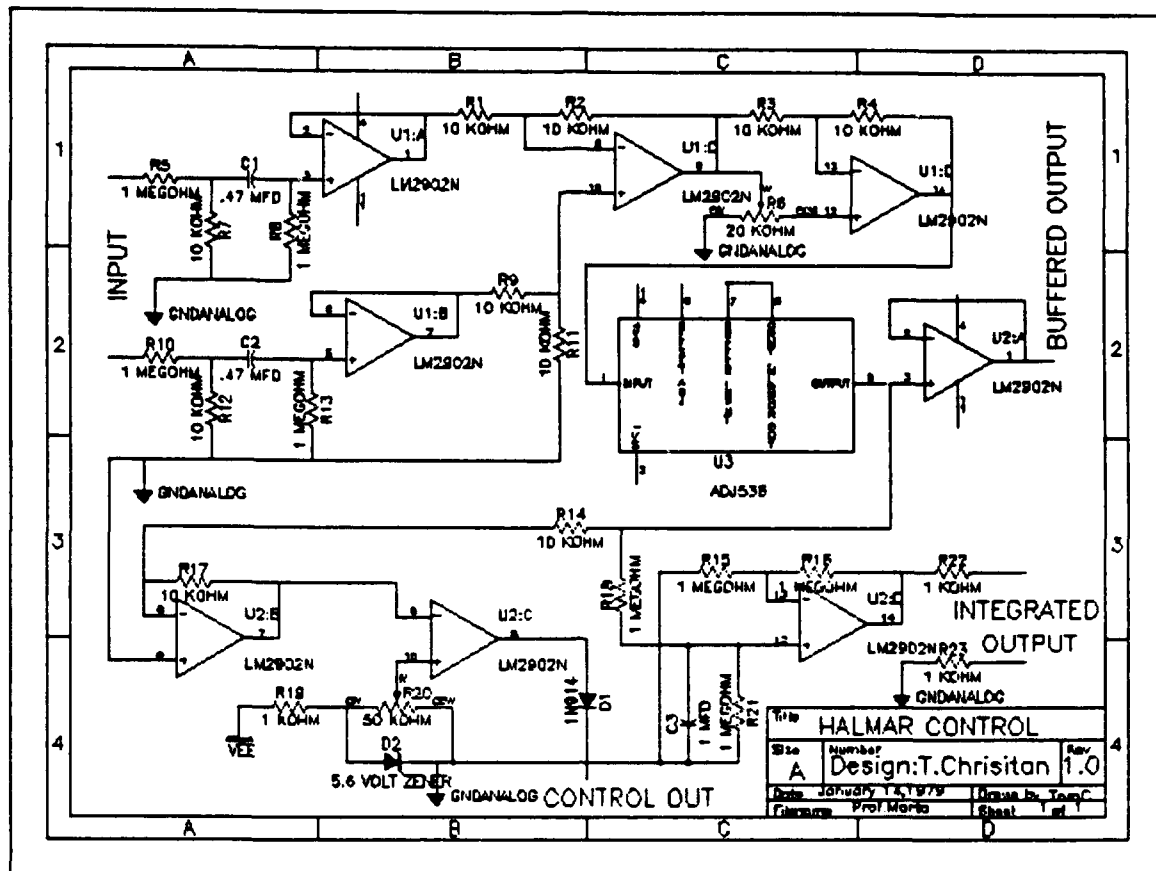


Figure 3.4 Single Line Wiring Diagram of the Controller Circuit for the emf Voltage Signal Input to the Data Acquisition Unit



Figure 3.5

Photograph of the Four Types of Tubes Tested and Heatex Insert used (from left to right rectangular shaped finned tube, deep radiussed root finned tube, shallow radiussed root finned tube, smooth tube, and insert)

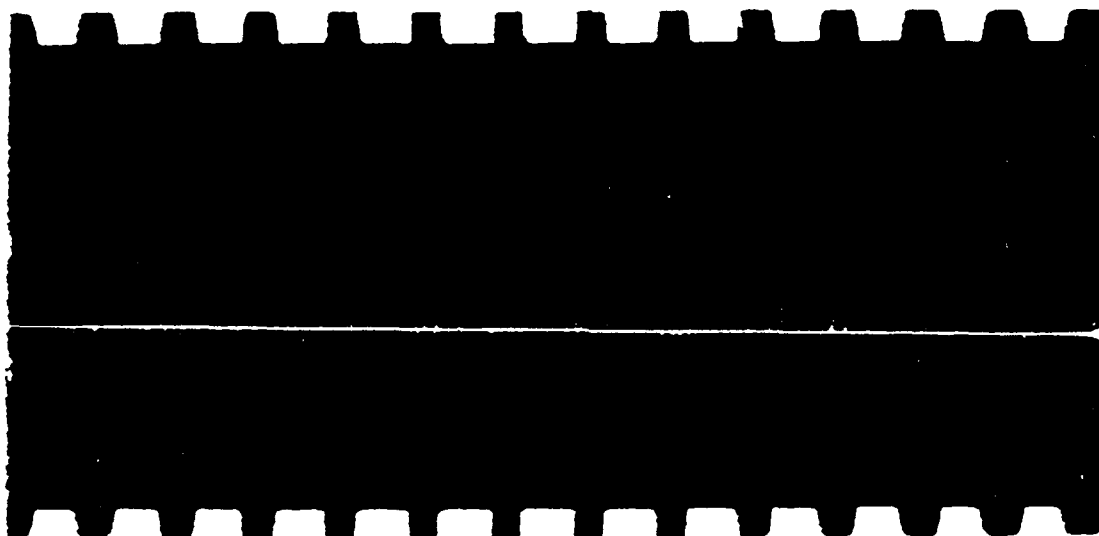


Figure 3.6      Photograph of the Rectangular Shaped Finned Tube

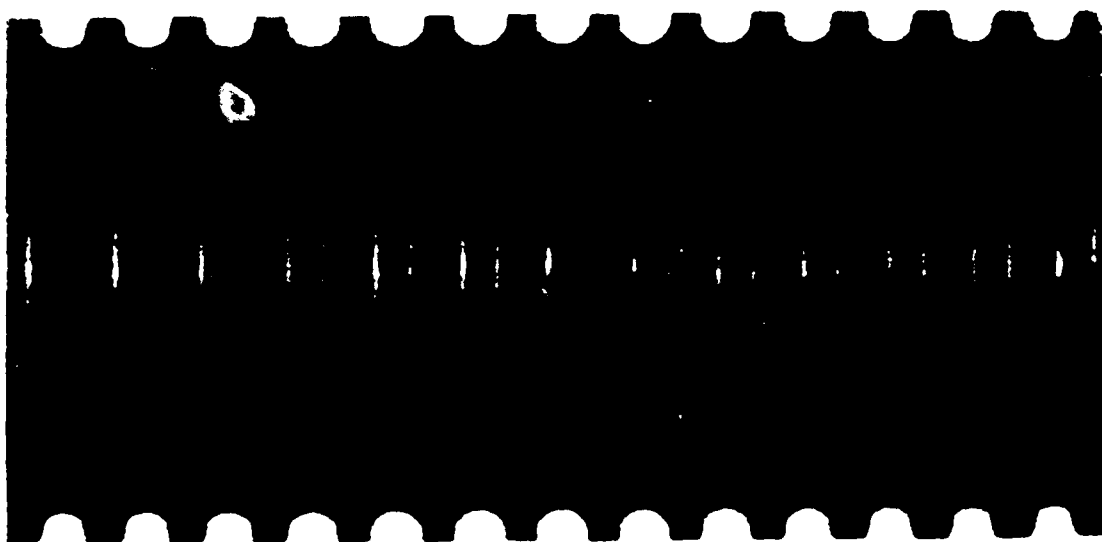


Figure 3.7      Photograph of the Deep Radiussed Root Finned Tube

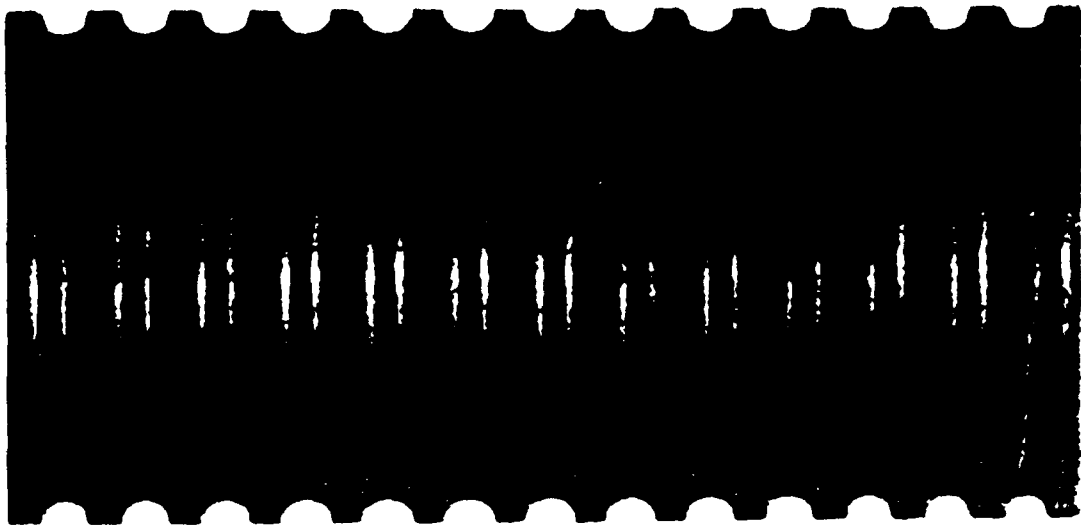


Figure 3.8      Photograph of the Shallow Radiussed Root  
Finned Tube

#### **IV. EXPERIMENTAL PROCEDURES AND DATA ANALYSIS**

##### **A. TUBE PREPARATION**

Prior to operation, the test tubes were cleaned and chemically treated to promote filmwise condensation during the data collection process. The chemical treatment solution [Ref. 30] had been used by several other researchers at NPS and was developed for copper tubes. The solution was a mixture of 50 percent by weight of sodium hydroxide and ethyl alcohol. This solution was modified during this thesis to 50 milliliters of ethyl alcohol combined with 1/2 teaspoon of sodium hydroxide pellets. The solution does not affect stainless steel but it is important to follow the same procedure for a completely uncontaminated tube. Additional chemical treatment solutions are contained in [Ref. 31]. Guttendorf [Ref. 13] outlined the basic procedure. The following procedure was used:

1. The outside of the tube was thoroughly cleaned with a mild soap solution using a soft bristle brush. A circular wire brush was used for the inside. The soap was rinsed off and the tube was checked for filmwise condensation. Breaks in the film indicated contamination and dropwise condensation. If there were signs of breakage, the outside surface was again cleaned with the soap solution and rinsed with distilled water. Once a continuous film was present, the active surface was not touched.
2. The tube was then placed in a steam bath, to heat the tube and surround the tube surface with moist air.

3. The sodium hydroxide and ethyl alcohol solution was then applied to the tube surface. The solution should be mixed prior to the each treatment because the sodium hydroxide absorbs  $\text{CO}_2$  from the air which could affect the compound solution. It was kept warm ( $-25^{\circ}\text{C}$ ) to ensure a watery consistency.
4. The solution was applied with a small brush in 10 minute intervals for one hour. While applying the solution, the tube was rotated to ensure the entire surface was treated. The wire brush handle was used to maintain the position of the tube over the steam bath. If the tube was treated previously, the tube was cleaned with the soap solution and rinsed with distilled water. If there were no film breaks, the tube was placed in the steam bath and the solution was applied every 5 minutes over a 20 minute period.
5. After the tube surface was treated, it was removed from the steam bath and rinsed with acetone to remove excess solution. The acetone was rinsed with distilled water. If there were no breaks in the film, the tube was inserted into the test section. After the insert was installed, coolant flow was started to the tube to maintain the film. A leak check of the cooling water system was performed and the flow rate was set at about 65%.

The oxide layer formed by the chemical treatment promoted a continuous film on the tube surface. The film was very thin, making the thermal resistance insignificant in the overall resistance of the tube.

#### **B. SYSTEM START-UP AND SHUTDOWN PROCEDURES**

Once the system was assembled, it could be brought on-line using the following procedures:

1. The boiler section must be filled with distilled water to a level approximately 4 to 6 inches above the top of the heater elements. If the test tube was not installed, the boiler was filled by gravity drain from the distilled water tank. This was done by attaching a hose to the drain/fill line below the boiler. To

reduce time, if the test tube was installed, the boiler was filled by vacuum drag. Vacuum drag was accomplished by placing the system under a vacuum (~10 psia), connecting the fill hose and then opening the drain/fill valve.

2. When the appropriate water level has been achieved, shut the fill/drain valve. The by-pass/condensate return valve was always left open. The by-pass/condensate valve is located below the boiler, between it and the condensate drain/fill valve.
3. Energize the data acquisition unit, computer, printer, and quartz thermometer power supplies. These units are normally left on line. Load the software program DRPALL and check for proper operation. To load the program, insert the program disk and type LOAD "DRPALL". Type RUN and answer the prompt questions up to "ENTER FLOWMETER READING". The data acquisition unit should be displaying channel 40 in the remote setting. If the system power supplies are maintained from a previous run, this is not required. Verify that thermocouple outputs all correspond to ambient temperature.
4. Open the fill valve to the cooling water supply tank and adjust the flow. It needs only to be cracked open. The flow should be set low enough to ensure that the drain box to the bilge does not overflow. The fill valve is the valve located to the left of the boiler switchboard near the wall.
5. Perform a leak test on the water systems.
  - a. Check the cooling system again for leaks.
  - b. Open the water flow control valve to the auxiliary condenser and adjust the flow rate to at least 30% and check for leaks. If no leaks are present, reset the flow rate to at least 10%.
6. If the system was open to the atmosphere, place the system under a vacuum. To do this, shut the drain valve in the plexiglas container and energize the vacuum pump. After the pressure gage for the vacuum pump on the plexiglas container reaches 24 inches of vacuum, open the suction valve located on the side of the auxiliary condenser. If the pressure in the test apparatus does not drop below 8 psia, check the atmospheric valve to the auxiliary condenser and the vacuum drain valve below the plexiglas container and

ensure they are closed. After the pressure is below 3 psia, shut the vacuum suction valve and secure the vacuum pump.

7. To energize the heaters, three switches must be shifted "ON":
  - a. Switch #3 on panel pnl 5 located on the right hand wall of the hallway to the machine shop.
  - b. The heater load bank circuit breaker is on the left side of the electrical switchboard behind the HP computer desk.
  - c. The condensing rig boiler power supply switch is on the front of the electrical switchboard.

The power supply in pnl 5 is left on. To start-up the boiler, flip the load bank circuit breaker to "ON". The voltmeter should indicate 100 volts. Ensure the resistance control knob is turned completely to the left. The control knob is located below and to the right of the voltmeter. Next, shift the boiler power supply switch on. The voltage indication should go to zero. If not, secure the switches and contact an electrical technician. Adjust the voltage to 50 volts using the control knob. If the system is below 2 psia, adjust the power level to 40 volts for initial start-up. The system is started at a low power level to minimize the vibrational shock to the system from vapor bubble formation and collapse. As the system warms up, the power can be increased, in increments of 10 volts, until the desired setting is reached.

8. After the system pressure rises above 4 psia, air and other non-condensable gases must be purged from the system. This is accomplished by following the procedures outlined in step 6. When the Pyrex glass

container around the auxiliary condenser is warm to the touch, most of the non-condensable gases have been removed. The purging procedure can not be done with both cooling water pumps on the line. The large power load will trip the power supply breaker in the panel outside the door to the lab. The initial purge takes about 15 - 20 minutes. The purging process should be repeated every few hours during extended operations.

9. The filmwise condensation established during the tube installation should still exist. If not, the following procedure must be followed to establish filmwise condensation:
  - a. Secure cooling water to the tube and the auxiliary condenser. Allow the system vapor temperature to increase to at least 3800 microvolts, on channel 40.
  - b. Increase the flow rate in the auxiliary condenser to 50% and allow the vapor temperature to decline to 3200 microvolts.
  - c. Secure coolant flow to the auxiliary condenser and allow the vapor temperature to increase to about 3700 microvolts. This forms a steam blanket over the tube.
  - d. Initiate cooling water flow to the horizontal tube at a flow rate of 80%.
  - e. Start the flow to the auxiliary condenser at maximum. Adjust the flow rate to maintain desired pressure and temperature.

If, after performing these steps, some dropwise condensation persists, repeat step (9) again. If dropwise condensation continues, the tube should be removed, cleaned and retreated. Notes should be made of locations of machine tool marks. They can give the appearance of dropwise condensation if they are retaining condensate.

10. Press the "RUN" key on the keyboard to activate the DRPALL program. The program will prompt you with questions for the necessary data information. A copy

of the data collection program is listed in Appendix A.

11. Ensure the system has been operating at steady state condition for at least 30 minutes prior to continuing past the statement "ENTER FLOWMETER READING". Several variables must be monitored at the same time. Each operator must obtain a feel for the equipment to determine a steady state condition. The pressure input into the program is only a visual reference and is not used in the program calculations. A steady state condition is defined as a good agreement in the following printouts: pressure ( $P_{tran}, P_{sat}$ ), temperature differential (quartz, T-pile, thermocouple) and the overall heat transfer coefficient ( $U_o$ ) from the previous data run printout. The difference between the pressure readings for the transducer and the voltage conversion should be less than 0.5 kPa and 0.1 kPa from the previous run. The three temperature differentials should be within  $.01^{\circ}\text{C}$  of the previous run and within  $.05^{\circ}\text{C}$  of each other. The overall heat transfer coefficient should be within 100 ( $\text{W}/(\text{m}^2\text{K})$ ) of the previous data run.
12. For vacuum runs, the control setting on the voltmeter is 90 volts. Channel 40 on the data acquisition system should be  $1980 \pm 10$  microvolts. This corresponds to  $T_{sat} \approx 48^{\circ}\text{C}$ , and a vapor velocity of  $\approx 2 \text{ m/s}$ .
13. For atmospheric runs, the control setting on the voltmeter is 175 volts and channel 40 on the data acquisition system is  $4280 \pm 10$  microvolts. This corresponds to  $T_{sat} \approx 100^{\circ}\text{C}$ , and a vapor velocity of  $\approx 1 \text{ m/s}$ . Special care must be used when operating at atmospheric pressure to ensure overpressurization and rupture does not occur.
14. If both vacuum and atmospheric runs are to be conducted on the same day, the vacuum run should be conducted first. This eliminates the long cool down time required after an atmospheric pressure run.

The system should be secured using the following procedures:

1. Secure power to the heating elements. Turn the voltage control knob completely to the left. The voltage

indication on the voltmeter should be zero. Shift the boiler supply power switch to "OFF". The voltage indication on the voltmeter should rise to 100 volts. Press the power supply breaker to "OFF" and reinstall the safety bar.

2. Secure coolant flow to the auxiliary condenser. If the system is to remain at vacuum pressure until the next data run, then the auxiliary condenser can be used in assisting to cool the system down, provided the same tube will be used for testing.
3. Secure the coolant flow to the tube by shutting the inlet valve and securing the coolant pumps.
4. Secure the water flow to the coolant water sump tank.
5. Return the system to atmospheric pressure unless a system pressure leakage test is being performed. Open the vent valve on the auxiliary condenser slowly. Keep all foreign material away from the vicinity to avoid contaminating the system.
6. In case of any abnormal conditions or an emergency, **SECURE THE BOILER POWER FIRST.**

#### C. DATA PROGRAMS

The computer programs DRPALL and HEATCOBB were used to collect, store, and process the test data for analysis. DRPALL, a revision of the basic HP program, calculated and stored the raw data. HEATCOBB, a FORTRAN program, was written to reprocess the raw data for theoretical model comparison.

The DRPALL program used a series of internal program functions to convert voltage inputs from the data acquisition unit and the quartz thermometer into raw data. Raw data were calculated from both direct and indirect measured values. The overall thermal resistance for the heat transfer from the vapor to the cooling water is the sum of the vapor side ( $R_o$ ),

the tube wall ( $R_w$ ), and the coolant side ( $R_i$ ) resistances. Since the tubes were cleaned prior to testing, the fouling resistance was negligible, ( $R_f \sim 0$ ). The total resistance can therefore be represented as equation (4.1):

$$R_{total} = R_i + R_w + R_o \quad (4.1)$$

where,

$$R_i = \frac{1}{h_i A_i} \quad (4.2)$$

$$R_o = \frac{1}{h_o A_o} \quad (4.3)$$

$$R_w = \frac{\ln\left(\frac{D_o}{D_i}\right)}{2\pi L k_c} \quad (4.4)$$

The effective area for the inside of the tube represents the entire length of the tube. The portions of the tube that do not contain fins were used to support the tube and act as fins extended in the axial direction. They transfer additional heat to the inlet and outlet portion of the tube. The effective inside surface area is represented as:

$$A_i = \pi D_i (L + L_1 \eta_1 + L_2 \eta_2) \quad (4.5)$$

The fin efficiencies ( $\eta_1$  and  $\eta_2$ ) for their respective entrance lengths are:

$$\eta_1 = \frac{\tanh(m_1 L_1)}{m_1 L_1} \quad (4.6a)$$

$$\eta_2 = \frac{\tanh(m_2 L_2)}{m_2 L_2} \quad (4.6b)$$

where,

$$m_1 = \left( \frac{h P_1}{k_c A_1} \right)^{1/2} \quad (4.7a)$$

$$m_2 = \left( \frac{h P_2}{k_c A_2} \right)^{1/2} \quad (4.7b)$$

$P_1$  and  $P_2$  are the fin perimeters and  $A_1$  and  $A_2$  are respective the cross sectional areas. The actual outside surface area, the tube length exposed to steam, varies with each machined spacing between each fin. Therefore the effective outside area was assumed to be:

$$A_o = \pi D_i L \quad (4.8)$$

The overall thermal resistance can be related to the overall heat transfer coefficient ( $U_o$ ) and the effective outside area ( $A_o$ ) by:

$$R_{total} = \frac{1}{U_o A_o} \quad (4.9)$$

Substituting equations (4.2), (4.3), and (4.9) into equation (4.1) gives:

$$\frac{1}{U_o A_o} = \frac{1}{h_i A_i} + R_w + \frac{1}{h_o A_o} \quad (4.10)$$

The heat transfer rate,  $Q$ , can be calculated from the measured inlet and outlet temperatures and the mass flow rate of the cooling water through the test tube.

$$Q = \dot{m} C_p (T_2 - T_1) \quad (4.11)$$

Using the energy balance for a control volume, the heat transfer rate can be expressed in terms of the overall heat transfer coefficient ( $U_o$ ):

$$Q = U_o A_o (LMTD) \quad (4.12)$$

where the log mean temperature difference, LMTD, is:

$$LMTD = \frac{T_2 - T_1}{\ln \left[ \frac{T_{sat} - T_1}{T_{sat} - T_2} \right]} \quad (4.13)$$

The inlet ( $T_1$ ) and outlet ( $T_2$ ) cooling water temperatures were measured directly with the quartz thermometer and the saturation temperature ( $T_{sat}$ ) was measured using the vapor thermocouple (channel 40) from the data acquisition unit. The specific heat of the coolant at constant pressure ( $c_p$ ) was determined from the bulk mean temperature of the cooling water. In addition, a correction factor was used to account for the viscous heating of the coolant through the test tube with a heatex insert; the correction equations are located in Appendix B.

Once the total heat transfer rate has been calculated, the overall heat transfer coefficient can be calculated by using equation (4.12). The only two unknowns, the inside heat transfer coefficient ( $h_i$ ) and outside heat transfer coefficient ( $h_o$ ), are computed using the Modified Wilson Plot Technique.

The Modified Wilson Plot Technique uses the overall heat transfer coefficient determined from the experimental data to determine the inside and outside heat transfer coefficients. The technique uses an assumed leading coefficient for the

inside and outside heat transfer coefficients and iterates to determine the unknown heat transfer coefficients. Briggs and Young [Ref. 32] explain this technique in detail. The two forms of the equations used are:

For the outside heat transfer coefficient,

$$h_o = \alpha \left[ \frac{k_f^3 \rho_f^2 g h_{fg}}{\mu_f D_r \Delta T_f} \right]^{1/4} = \alpha Z \quad (4.14)$$

where  $\alpha$  is a dimensionless Nusselt coefficient [Ref. 16].

For the inside heat transfer coefficient,

$$h_i = C_i \left( \frac{k_{cw}}{D_i} \right) \Omega \quad (4.15)$$

All data were taken using the Petukhov-Popov correlation [Ref. 33] for the inside heat transfer coefficient. Therefore,

$$\Omega = \left[ \frac{\left( \frac{\epsilon}{8} \right) Re Pr}{K_1 + K_2 \left( \frac{\epsilon}{8} \right)^{1/2} (Pr^{2/3} - 1)} \right] \quad (4.16)$$

where:

$$\epsilon = [1.82 \log(Re) - 1.64]^{1/2} \quad (4.17)$$

$$K_1 = 1 + 3.4\epsilon \quad (4.18)$$

$$K_2 = 11.7 + 1.8Pr^{-1/3} \quad (4.19)$$

Substituting equations (4.14) and (4.15) into equation (4.10) and rearranging the terms gives:

$$\left[ \frac{1}{U_o} - R_w A_o \right] Z = \frac{A_o Z D_i}{C_i \Omega A_i k_{cw}} + \frac{1}{\alpha} \quad (4.20)$$

Letting:

$$Y = \left[ \frac{1}{U_o} - R_w A_o \right] Z \quad (4.21)$$

$$X = \frac{A_o Z D_i}{A_i \Omega k_{cw}} \quad (4.22)$$

$$m = \frac{1}{C_i} \quad (4.23)$$

and

$$b = \frac{1}{\alpha} \quad (4.24)$$

resulted in a simple linear equation:

$$Y=mX+b \quad (4.25)$$

The parameters  $\Omega$  and  $Z$  are temperature dependent, so an iterative procedure must be used to solve the equations. A least squares fit of equation (4.25) was used to determine  $C_i$  and  $\alpha$ . The inside heat coefficient could now be determined from equations (4.15) and (4.16). With the inside heat transfer coefficient and the overall heat transfer coefficient determined, the outside heat transfer coefficient can be solved using equation (4.10).

The conditions for a data run cannot be exactly reproduced, resulting in a variation between  $C_i$  and  $\alpha$  values between runs for the same tube.

From Nusselt theory, the heat flux ( $q$ ) based on the outside area can be shown as:

$$q=a\Delta T_f^{3/4} \quad (4.26)$$

where:

$$a=\alpha \left[ \frac{k_f^3 \rho_f^2 g h_{fg}}{\mu_f D_r} \right]^{1/4} \quad (4.27)$$

and

$$q = h_o \Delta T_f \quad (4.28)$$

where:

$$h_o = a \Delta T_f^{-1/4} \quad (4.29)$$

The enhancement ratio based on a constant temperature drop across the condensate film, can be expressed as:

$$e_{\Delta T} = \frac{h_{of}}{h_{os}} = \frac{a_f}{a_s} = \frac{\alpha_f}{\alpha_s} \quad (4.30)$$

The enhancement ratio for constant ( $\Delta T$ ) can be defined as the improvement in the heat transfer rate of a finned tube compared to the heat transfer rate of a smooth tube with an outside diameter equal to the root diameter of the finned tube for the same temperature difference.

The Fortran program, HEATCOBB listed in Appendix C, used the experimental values for the vapor, condensate film, and the differential temperatures to solve for an outside heat transfer coefficient. The outside heat transfer coefficient determined from equation (1.1), the Beatty and Katz correlation, was obtained by iterating the fin efficiency for the material and assuming an initial outside heat transfer coefficient. This heat transfer coefficient used the effective area of the fin  $A_{ef}$  so that a correction factor must

be applied to it the heat transfer coefficient in order to compare it with the outside heat transfer coefficient obtained during this thesis. The correction factor was the ratio of the effective area divided by the area of a smooth tube having a diameter equal to the root diameter of the finned tube. The heat transfer rate  $Q$ , can be expressed as follows:

$$Q = h_{ef} A_{ef} \Delta T \quad (4.31)$$

where  $h_{ef}$  and  $A_{ef}$  were determined from equations (1.1) and (1.4), respectively; or in terms of the outside area  $A_o$ :

$$Q = h_o A_o \Delta T. \quad (4.32)$$

By substituting and rearranging equations (4.31) and (4.32), the outside heat transfer coefficient using the Beatty and Katz correlation was modified to get:

$$h_{BK} = h_{ef} \frac{A_{ef}}{A_o}. \quad (4.33)$$

During this thesis, the enhancement ratio was defined by dividing the outside heat transfer coefficient for the finned tube by the outside heat transfer coefficient for a smooth tube from Nusselt theory as:

$$\epsilon_{\Delta T} = \frac{h_{BK}}{h_{Nuss}} \quad (4.34)$$

As shown in Chapter II, the efficiency of a fin, equation (2.7), changes with the fin profile area  $A_p$ . For this thesis, the profile area for a radiussed root finned tube was calculated from equation (4.35):

$$A_p = \left( \frac{t}{2} + h \right) (s+t) - s \left[ R_2 - \left( R_1 + \frac{s}{2} \right) + \frac{t}{2} \right] - \frac{\pi}{2} \left( \frac{s}{2} \right)^2 \quad (4.35)$$

and the fin efficiency was determined by substituting this profile area into equation (2.8). The total surface area of a radiussed root finned tube decreases compared to a rectangular shaped finned tube but the profile area increases. This increase in profile area decreases the value of  $\xi$  in equation (2.8), and as seen in Figure (2.2), the fin efficiency will increase.

Also in the Fortran program, HEATCOBB, the basic enhancement ratio for constant ( $\Delta T$ ) as proposed by Rose [Ref. 8], equation (2.36), was modified. The fin efficiency determined in the Beatty and Katz model was applied to the unblanked surfaces of the fin. The enhancement ratio for a rectangular shaped finned tube becomes:

$$\epsilon_{\Delta T} = \frac{h_{ROSE}}{h_{NUSS}} = \frac{D_o}{D_r} \frac{t}{(s+t)} T_c \eta + \frac{\phi}{\pi} (1 - f_f) \left[ \frac{D_o^2 - D_r^2}{2 D_r (s+t)} \right] T_f \eta + \frac{\phi}{\pi} (1 - f_s) B_1 \frac{s}{(s+t)} T_s \quad (4.36)$$

Unlike a rectangular shaped finned tube, in the case of a radiussed root finned tube, the unflooded (ie, the region from the top of the tube to a point where the whole of the flank is just wetted and where the condensate film at the center of the interfin space has a finite thickness) surface areas of the fin flank and the radiussed root do not have any condensate "wedge" blanking them off. The condensate flooding angle  $\phi$  was still calculated from equation (1.8) and the estimated fraction of the fin flanks and radiussed interfin space blanked by condensate,  $f_f$  and  $f_s$ , was set equal to zero. The enhancement ratio for a radiussed root finned tube becomes equation (2.20):

$$\epsilon_{\Delta T} = Q_f / Q_s$$

where the numerator is:

$$Q_f = 2\pi r_2 t q_c \eta + \left(\frac{\phi}{\pi}\right) \left[ 2\pi \left( r_2^2 - \left( r_1 + \frac{s}{2} \right)^2 \right) q_f \eta + 2\pi \frac{s}{2} B_1 \left( r_1 + \frac{s}{2} \left( 1 - \frac{2}{\pi} \right) \right) q_s \eta \right] \quad (4.37)$$

and the denominator is given by equation (2.22). In equation (4.37), the heat flux for the interfin space was varied from equation (2.25) to account for the changing geometry along the radiussed root:

$$q_s = \left[ \frac{\rho h_{fg} k^3 \Delta T^3}{\mu} \left[ \frac{(\xi(\phi))^3 \rho g}{(D_r + s(1 - (2/\pi)))} + \frac{B_s \sigma}{s^3} \right] \right]^{1/4} \quad (4.38)$$

As mentioned in Chapter II, the Rose [Ref. 8] model required that the constants  $B_1$ ,  $B_f$ ,  $B_s$ , and  $B_t$  be specified. The value of all these constants will vary with the tube material and fin geometry. They cannot be determined accurately until more data is obtained for a variety of radiussed root finned tubes. This thesis therefore used the B-values determined by Rose [Ref. 8]. The heat flux for the fin tip was still defined as in equation (2.27) and for the fin flanks equation (2.24) was used. However, the fin height was modified as noted below:

$$h = R_2 - \left( R_1 + \frac{S}{2} \right). \quad (4.39)$$

Using equations (4.37), (4.38) and (4.39), equation (2.20) can be used to find the enhancement ratio,  $\epsilon_{AT}$  for a radiussed root finned tube.

## **V. RESULTS AND DISCUSSION**

### **A. GENERAL DISCUSSION**

Experimental data were taken as described in Chapter IV. A short format version of the data printout for the tubes tested is contained in Appendix D. The tube numbers are listed in TABLE II in Chapter III along with their respective geometries. Nomenclature for the data runs are as follows. The first two letters are the run condition, i.e. AT for atmospheric and VT for vacuum condition; the two numbers or group of letters are the tube number from TABLE II; and, the last number is the run number. For example, the nomenclature "VT094" means that this is the fourth data run for tube number 9, a rectangular shaped finned tube made of stainless steel(316), under vacuum condition.

The cooling water flow rate settings for atmospheric condition data runs were from 80 to 20 percent of the rotameter scale in increments of 10 percent; the procedure was then reversed back to 80 percent. This procedure could not be followed for the vacuum runs because of the inability to maintain the required temperature and pressure setting for a complete data set. The problem maintaining the set points was attributed to the long settling time between data points and

the cooling effects of the environment surrounding the test apparatus. In the early data sets, it took about 45 minutes to reach a steady state condition described in Chapter IV. This resulted in a 13 to 15 hour data taking session. Several attempts were made to reduce the run time. One attempt was to secure the augmenting tap water to the cooling water sump for the test tube. Increasing the temperature of the cooling water flowing through the test tube reduced the temperature difference across the test tube and the amount of steam condensed by the test tube. This increased the amount of steam to be condensed by the auxiliary condenser and increased the control of the temperature and pressure settings. However, this reduced the range of the temperature difference for the data obtained. The other attempt was to change the sequence of the data by changing the cooling water flow rate through the test tube. The sequence was changed to 80 , 20, 70 , 30, 60, 40, 50 (2), 40, 60, 30, 70, 20 and then back to 80 percent instead of the procedure as described for the atmospheric conditions. The data obtained from this procedure were compared to previous runs for consistency and repeatability. There were no noticeable variations; thus, this procedure was used for the remaining vacuum data runs.

The condensate film was checked as described in Chapter IV. During the purging operations, the condensate film was re-verified and the data collection process continued if the condensate film was intact. The revised chemical treatment

solution, as stated in Chapter IV, produced filmwise condensation on the same tubes weeks after testing.

Great care and attention to detail were taken to obtain good reliable data. With all experiments, everything cannot be accounted for, leading to uncertainties in the measurements. The uncertainty calculations obtained for randomly chosen data points are contained in Appendix E and do not account for air and other non-condensable gases or possible dropwise condensation conditions over any portion of the test tube.

#### **B. SMOOTH TUBE RESULTS**

The overall heat transfer coefficient for a given outside diameter depends on the tube material. Equations (4.1) and (4.9) relate the overall heat transfer coefficient to the total resistance. As the wall resistance decreases, the overall heat transfer coefficient increases. Figures 5.1 and 5.2 show the overall heat transfer coefficient versus velocity behavior for copper tubes under atmospheric and vacuum conditions, respectively. Two tubes were used, with slightly different diameters. Thus the wall resistance ( $R_w$ ) was about the same for each tube. Using a Heatex insert improved the accuracy of the data taken by reducing the influence of the inside resistance ( $R_i$ ) on the overall heat transfer coefficient. The data show that the outside resistance ( $R_o$ ) must dominate the overall heat transfer resistance since, as

cooling water velocity increases, the overall coefficient remains constant. In addition, the results appear to be independent of operating pressure.

Comparing Figures 5.1 and 5.3 for runs ATSMTH1 and ATSMTH3 which had the same outside diameter tube ( $D_o=14.38\text{mm}$ ), the outside heat transfer coefficient ( $h_o$ ) is nearly constant over the range of temperature differences ( $T_s-T_w$ ). The corresponding overall heat transfer coefficients in Figure 5.1 change very slightly, again indicating that the outside resistance is the controlling resistance.

From Nusselt theory, the outside heat transfer coefficient is independent of tube material. Experimentally obtained smooth tube data were compared to the data of Guttendorf [Ref. 13] who used a copper tube and Long [Ref. 34] who used titanium. It appears that the Guttendorf data is high (about 14%) and the Long data is low (about 4%). This is due partially to the different diameters used. Since the Nusselt theory predicts that the outside heat transfer coefficient,  $h_o$ , is proportional to  $D_o^{-1/4}$ , then the diameters will influence the measured result. In addition, Guttendorf used a twisted tape insert (i.e., a small rectangular shaped wire twisted around a metal rod in a spiral manner) vice a wire mesh insert as used in this thesis. A similar comparison was made for vacuum conditions. Since the outside heat transfer coefficient for a smooth tube is independent of wall material,

all finned tube data were compared to the smooth tube data taken for the copper tube.

### C. RECTANGULAR SHAPED FINNED TUBE RESULTS

Figure 5.4 shows the data of the overall heat transfer coefficient ( $U_o$ ) versus cooling water velocity ( $V_w$ ) for rectangular shaped finned tubes of copper, aluminum, copper nickel, and stainless steel at atmospheric conditions. In addition, smooth tube data for copper and titanium are provided for comparison.

Comparing the four rectangular shaped finned tubes, as the thermal conductivity ( $k_c$ ) increases, the overall heat transfer coefficient increases. At a cooling water velocity of 3.5 m/s, the ratio of the overall heat transfer coefficient for copper to stainless steel ( $U_o(\text{Cu})/U_o(\text{SS})$ ) is 2.6. Since the dimensions of these tubes are the same, this significant enhancement is due to 1) a smaller wall resistance to base of the fins for copper and 2) a smaller wall resistance of the fins themselves. Both effects combine to determine the inside heat flux.

For low thermal conductivity material (i.e., stainless steel), the overall heat transfer coefficient is roughly constant for changing velocities. This indicates that the outside resistance ( $R_o$ ) is controlling the overall heat transfer coefficient. As the thermal conductivity increases, the overall heat transfer coefficient increases with cooling

water velocity, implying that the outside resistance is not controlling the overall heat transfer coefficient as much (i.e., the inside resistance ( $R_i$ ) is also important).

The heat transfer enhancement of the finned tube increases with the thermal conductivity of the tube material. Comparing the overall heat transfer coefficient of the copper finned tube to the copper smooth tube, the heat transfer enhancement for the 3.5 m/s cooling water velocity is 2.3. The enhancement at the same cooling water velocity for stainless steel is only 1.3 (since the thermal conductivity for stainless steel is about the same as titanium, the titanium smooth tube data of Long ( $D_r=15.85\text{mm}$ ) was used). It is clear that for higher thermal conductivity materials, fins help considerably to improve the performance of the tube, but for lower thermal conductivity materials there is a small influence. Similar (but reduced) trends exist under vacuum conditions as shown in Figure 5.5.

The data obtained during this thesis for copper rectangular shaped finned tubes are compared to previous data in Figures 5.6 and 5.7, for atmospheric and vacuum conditions respectively. Flook [Ref. 35] tested a finned tube with the same dimensions as used in this thesis except it had a root diameter,  $D_r$ , of 13.7mm. He used a twisted tape insert along with the Seider-Tate [Ref. 36] correlation for the inside heat transfer coefficient,  $h_i$ , to obtain his data. The Seider-Tate [Ref. 36] relationship is:

$$h_i = C_i \frac{k_c}{D_i} Re^{0.8} Pr^{0.333} \left( \frac{\mu}{\mu_{cw}} \right)^{0.14} \quad (5.1)$$

When this correlation was compared to the Petukhov-Popov correlation by Incropera and Dewitt [Ref. 15], the Petukhov-Popov correlation was found to be the most accurate. Therefore, the Guttendorf [Ref. 13] and Van Petten [Ref. 12] raw data were reprocessed using the Petukhov-Popov [Ref. 32] inside heat transfer correlation. Guttendorf and Van Petten tested tubes with an inside diameter,  $D_i$ , of 9.53mm and root diameter,  $D_r$ , of 12.7mm. The fin height, spacing and thickness were the same as the rectangular shaped finned tubes used in this thesis. They also used the twisted tape insert which was described earlier. As plotted in Figures 5.6 and 5.7, the data obtained during this thesis fell between the data of the previous researchers. With the different tube diameters and inserts used, little additional comparison can be made. The Flook data could be erroneously high since his data were taken after Holden [Ref. 37] completed his thesis on the use of an organic coating to promote dropwise condensation of steam on horizontal tubes in the test apparatus. Some of the dropwise promoter may have been retained in the test apparatus during the measurements of Flook, causing dropwise condensation on the test tube vice filmwise. The data of Guttendorf and Van Petten were also obtained after Holden.

The actual reason for the variation in data is not known. The data obtained in this thesis could be low because of the presence of air and other non-condensable gases. However, care was taken to remove these gases. All the data are within an uncertainty of  $\pm 20\%$  for the same tube geometry and tube-side insert. Additional data should be taken with the same geometry and inserts to establish more accurate trends for comparison.

Mitrou [Ref. 14] tested rectangular shaped finned tubes of aluminum and copper nickel. Like Flook [Ref. 35], he also followed Holden [Ref. 37] in conducting his studies in the test apparatus. Since these earlier thesis studies, Swensen [Ref. 10] modified, disassembled, and cleaned the test apparatus to improve the accuracy of the data taken. Mitrou's fin dimensions were identical to Flook's copper tube. Mitrou's data were also reprocessed during this thesis using the Petukhov-Popov inside heat transfer coefficient correlation, but he used the twisted tape insert. Mitrou's data for aluminum and copper nickel finned tubes at atmospheric conditions are plotted in Figures 5.8 and 5.9 respectively. Similar to Flook's data, the Mitrou results are higher than those found in this thesis. It is obvious from these figures that, although the exact magnitude for a given material may be uncertain, the outside heat transfer coefficient is influenced by the thermal conductivity of the

tube material. This pattern holds for vacuum conditions also, as shown in Figure 5.10.

Figure 5.11 summarizes the experimentally obtained outside heat transfer coefficient data versus the temperature difference between the vapor and the outer tube wall ( $T_s - T_w$ ). The outside heat transfer coefficient increases as the thermal conductivity of the finned tube material increases, implying that it is not desirable to fin a low conductivity tube. As discussed earlier for the overall heat transfer coefficient results, this is due to 1) the wall resistance to the fin base and 2) the wall resistance of the fin itself. This trend can also be seen by overlapping the data in Figures 5.6, 5.8, and 5.9.

#### **D. RADIUSSED ROOT FINNED TUBE RESULTS**

Radiussing the root of the rectangular shaped finned tube is designed to remove retained condensate from the unflooded part of the tube, thus improving the thermal performance of the tube. Figure 5.12 compares overall heat transfer coefficient data of rectangular shaped finned tubes to radiussed root finned tubes for the four materials studied in this thesis at atmospheric conditions. In all cases, except for stainless steel, radiussing the base root reduced the finned tube performance of the materials tested. Because of the poor thermal conductivity of stainless steel, the increased fin profile area by radiussing the root had a

greater impact on the fin efficiency than for the higher thermal conductivity materials. The dispersion in the overall heat transfer coefficient data was greater for the highest thermal conductivity material (copper) and decreased with thermal conductivity.

Figures 5.13 and 5.14 show the outside heat transfer coefficient versus the temperature difference between the vapor and the outer wall ( $T_s - T_w$ ) at atmospheric conditions. Data were obtained for all four materials as well as for deep and shallow radiussed root finned tubes. Figure 5.13 shows the data for the deep radiussed root tubes whereas the shallow radiussed root tubes data are shown in Figure 5.14. In both figures, the influence of the thermal conductivity of the tube material can be seen. As the thermal conductivity of the tube material increases, the outside heat transfer coefficient increases. This increase in the heat transfer coefficient is somewhat sensitive to the finned tube geometry, as can be seen when comparing the two figures.

Figures 5.15 and 5.16 display the data for the three types of finned tube geometries used during this thesis. Two tube materials are shown in each figure. Figure 5.15 contains copper and copper nickel outside heat transfer coefficient data whereas Figure 5.16 shows the data for aluminum and stainless steel. For the higher thermal conductivity (copper) material, the data were higher than the lower thermal conductivity (copper nickel) material for all geometries. For

both materials, the outside heat transfer coefficient decreased in going from a rectangular shaped finned tube to a radiussed root finned tube. The root diameter of the shallow radiussed root finned tube ( $D_r = 14.38\text{mm}$ ) is larger than the root diameter ( $D_r = 13.88\text{mm}$ ) of the deep radiussed root and rectangular shaped finned tubes. For the higher thermal conductivity materials, (i.e., copper and aluminum) the outside heat transfer coefficient for the shallow radiussed root finned was lower than the deep radiussed root finned tubes. In Figure 5.15 for copper nickel, no conclusions can be drawn between the outside heat transfer coefficient for the radiussed root finned tubes. For stainless steel which has the lowest thermal conductivity, the data in Figure 5.16 show that the outside heat transfer coefficient appears to be the same regardless of the external fin geometry.

#### **E. HEAT TRANSFER ENHANCEMENT**

As described earlier in Chapter IV, the modified Wilson Plot procedure curve fits the raw data to determine a leading coefficient ( $C_i$ ) and an alpha ( $\alpha$ ) value for the inside and outside coefficients, respectively. TABLES III and IV contain the averaged leading coefficients and alpha values obtained for each tube tested for atmospheric and vacuum conditions, respectively. The leading coefficients and alpha values changed with each material, but no particular pattern or trend can be established. For example, for the rectangular shaped

finned tubes, as the tube material changes from copper to stainless steel, the leading coefficient for the inside heat transfer coefficient ( $C_i$ ) changes from 3.11 to 2.10. This implies that circumferential wall conduction may be important in establishing the heat flux around the tube. Additional runs with smooth tubes having wall thermocouples are required to study the effect of the tube wall material on the leading coefficient and alpha values.

An alternate method to study the experimentally obtained enhancement is to compare the outside heat transfer coefficients obtained at the same temperature difference ( $\Delta T$ ). The outside heat transfer coefficient data at a temperature difference of 30°K for atmospheric conditions and 12°K for vacuum conditions are listed in TABLES V and VI. The enhancement ratio for atmospheric conditions for the four tube materials and various finned tube geometries are tabulated in TABLE VII using the smooth tube outside heat transfer coefficient as the baseline. TABLE VIII provides similar ratios using Nusselt theory as the baseline. In both tables, the enhancement ratio decreases as the thermal conductivity of the tube wall material decreases. By radiussing the fin root, the enhancement ratio decreases except for stainless steel. TABLES IX and X contain similar enhancement ratios for the four materials under vacuum conditions. Similar trends are evident.

The experimentally obtained film temperature differences were used to obtain enhancement ratios from the empirical models of Beatty and Katz [Ref. 1] and Rose [Ref. 8] for rectangular shaped finned tubes. Figure 5.17 presents the predicted enhancement ratios for the Beatty and Katz model, equation (4.34), and the modified Rose model, equation (4.36), versus the change in fin spacing for copper, aluminum, copper nickel, and stainless steel tubes under atmospheric conditions. Figure 5.17 also contains the average experimentally obtained enhancement ratios for the tubes studied in this thesis which all had the same fin spacing of 1.5mm. Figure 5.18 shows a similar comparison under vacuum conditions. At atmospheric conditions, the predicted enhancement ratios from the Beatty and Katz model were closer to the experimentally obtained enhancement ratios than those predicted by the modified Rose model. But under vacuum conditions, the modified Rose model predictions were closer, and in several cases, the enhancement ratios were identical to the data. TABLES XI and XII tabulate predicted and experimental enhancement ratios of the rectangular shaped finned tubes, under atmospheric and vacuum conditions, respectively. In both TABLES, the enhancement ratio decreases as the thermal conductivity of the tube material decreases, as predicted by both models.

The Rose model [Ref. 8] was further modified to include a radiussed fin root, as given by equation (4.37). Using this

modified model, the predicted enhancement ratios were compared to the average experimental heat transfer enhancement ratios for deep radiussed root finned tubes in TABLES XIII and XIV. Clearly, the experimental heat transfer enhancement ratios are significantly lower than the enhancement ratios predicted by the active surface areas. TABLES XV and XVI contain a similar comparison for the shallow radiussed root finned tubes.

Figure 5.19 is a comparison of the Masuda and Rose model [Ref. 6] (equations 2.14, 2.15, 2.37, and 2.38) for the total surface area and active surface area enhancement ratios for rectangular shaped and radiussed root finned tubes. Using the Fortran Program HEATCOBB, the surface area ratios for the copper finned tube used by Briggs, Wen, and Rose [Ref. 28] were reproduced in Figure 5.19. Their finned tubes had a fin height of 1.59mm, a fin thickness of 0.5mm, and a fin spacing of 1.0mm and 1.5mm (although numerous theoretical spacings are included in Figure 5.19). Their tubes had an inside diameter of 9.53mm, and a root diameter of 12.7mm. In Figure 5.19, comparing the curves for the tube dimensions used in [Ref. 28] to the rectangular shaped finned tube dimensions in this thesis, the change in the total surface area from a rectangular shaped finned tube to a radiussed root finned (equation (2.14) minus equation (2.37)) decreased nearly twice the amount, 13.5% to 8.9% respectively. Also, the increase in the active surface area (equation (2.38) minus equation (2.15)) was less for the finned tube in this thesis compared

to the finned tube in [Ref. 28], 43% and 56%, respectively. TABLE XVII is a comparison of the experimentally obtained heat transfer enhancement ratios (where  $\epsilon_{AT}$  is the average enhancement ratio over the range of temperature differences based on a smooth tube of root diameter for the rectangular shaped finned tube and  $\epsilon_{AT,f}$  is for the deep radiussed root finned tube of the same root diameter) and the active surface area enhancement ratios (where  $\epsilon_{AA}$  is the active area enhancement by dividing the unblanked finned tube surface area by the surface area of a smooth tube of root diameter and  $\epsilon_{AR}$  is similar but for the deep radiussed root finned tube) for rectangular shaped and radiussed root finned tubes. The  $\epsilon_{AT}$  values were obtained from the ratio of the  $\alpha$  values listed in TABLE III. Rose et al [Ref. 28] felt that the small experimental enhancement from radiussing the fin based root (1.09) seemed somewhat anomalous compared to the higher ratio of 1.53 obtained from the active surface area ratios, and the data needed to be repeated. In this thesis study, the ratio of the heat transfer enhancement ratios for the radiussed root finned tube divided by the rectangular shaped finned tube were less than one whereas the ratio of the active surface area enhancement ratios was 1.38. This can be attributed to many things, including less total surface area for the radiussed root compared to [Ref. 28], less of an increase in active surface area when compared to [Ref. 28], the actual amount of

condensate retained between fins of different geometries, and the actual flooding angle for the radiussed root finned tubes.

Various assumptions have been made in analyzing the data obtained in this thesis study, but it is evident that more data is required before all the mysteries associated with this complex condensation process can be unravelled.

OVERALL HEAT TRANSFER COEFFICIENT  $U_o$  VELOCITY FOR SMOOTH TUBES  
MADE OF COPPER MATERIAL AT ATMOSPHERIC CONDITIONS

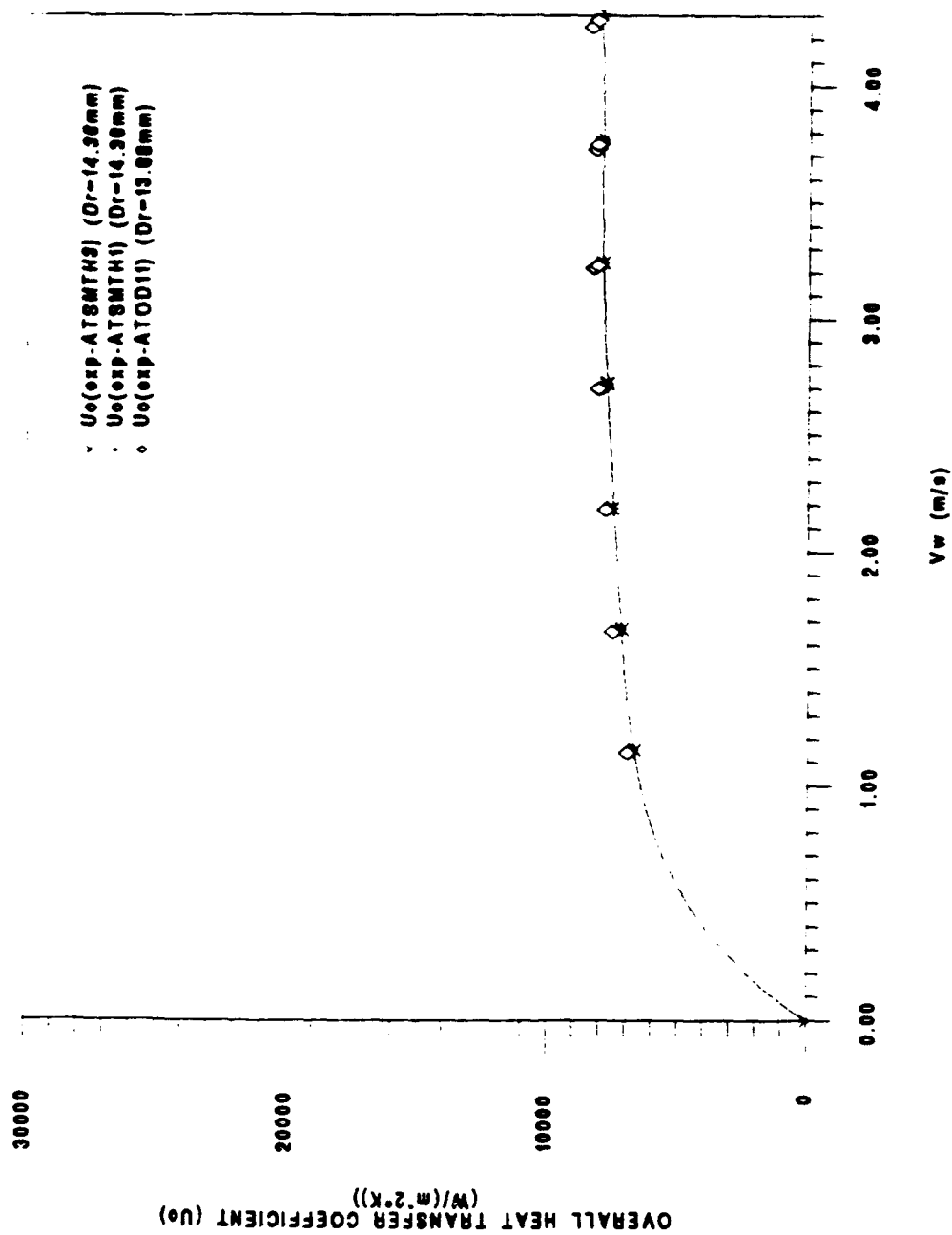


Figure 5.1

Overall Heat Transfer Coefficient vs Velocity  
for Smooth Tubes made of Copper Material at  
Atmospheric Conditions

OVERALL HEAT TRANSFER COEFFICIENT vs VELOCITY FOR SMOOTH TUBES  
MADE OF COPPER MATERIAL AT VACUUM CONDITION ( $D_r=13.88\text{mm}$ )

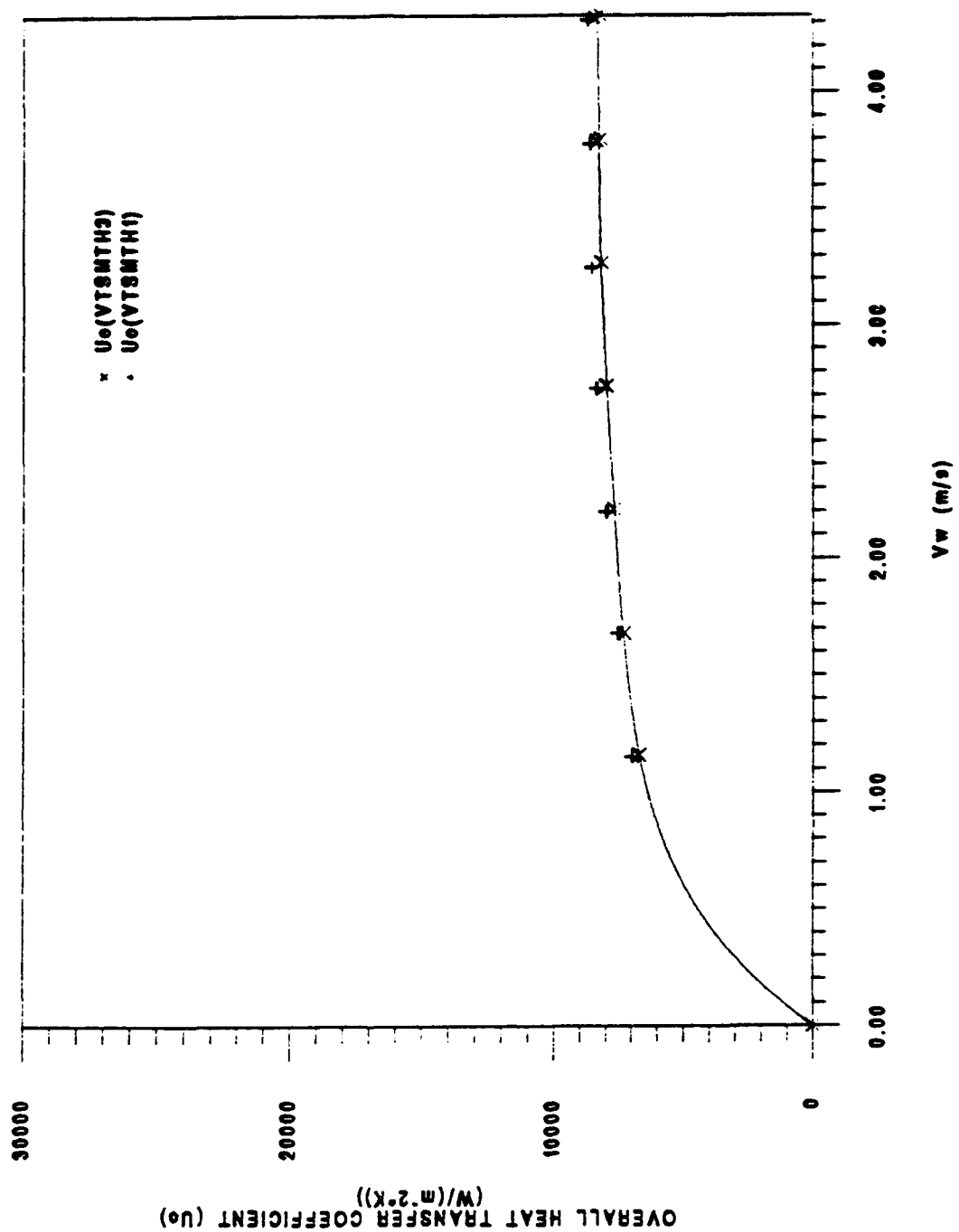


Figure 5.2

Overall Heat Transfer Coefficient vs Velocity  
for Smooth Tubes made of Copper Material at  
Vacuum Conditions ( $D_r=13.88\text{mm}$ )

OVERALL HEAT TRANSFER COEFFICIENT vs VELOCITY FOR SMOOTH TUBES  
MADE OF COPPER MATERIAL AT ATMOSPHERIC CONDITIONS

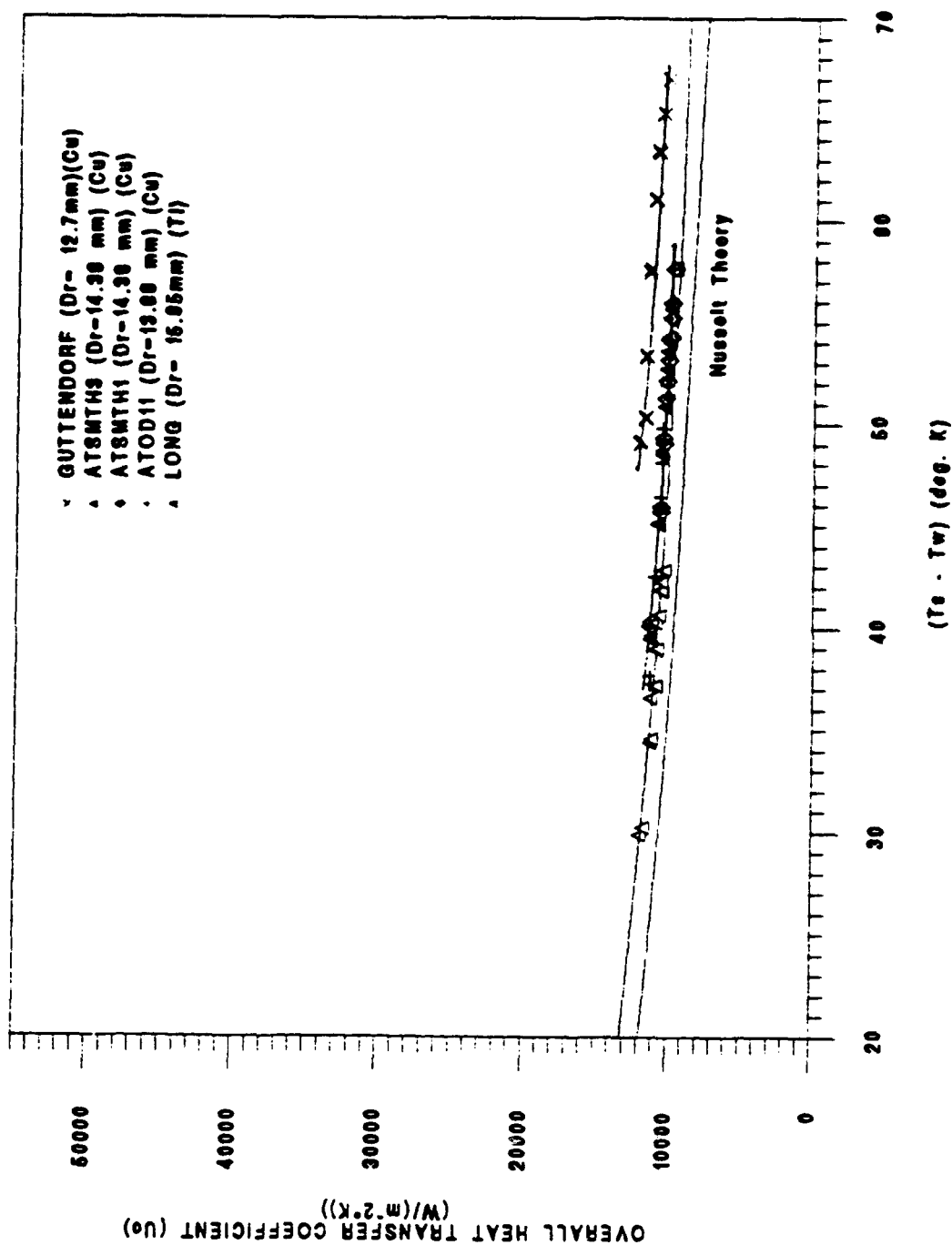


Figure 5.3 Comparison of Smooth Tubes at Atmospheric Conditions with Different Diameters and Materials

THE OVERALL HEAT TRANSFER COEFFICIENT vs COOLANT VELOCITY FOR  
RECTANGULAR SHAPED FINNED TUBES VARIOUS MATERIALS AT  
ATMOSPHERIC CONDITION (THE EFFECT OF THERMAL CONDUCTIVITY)

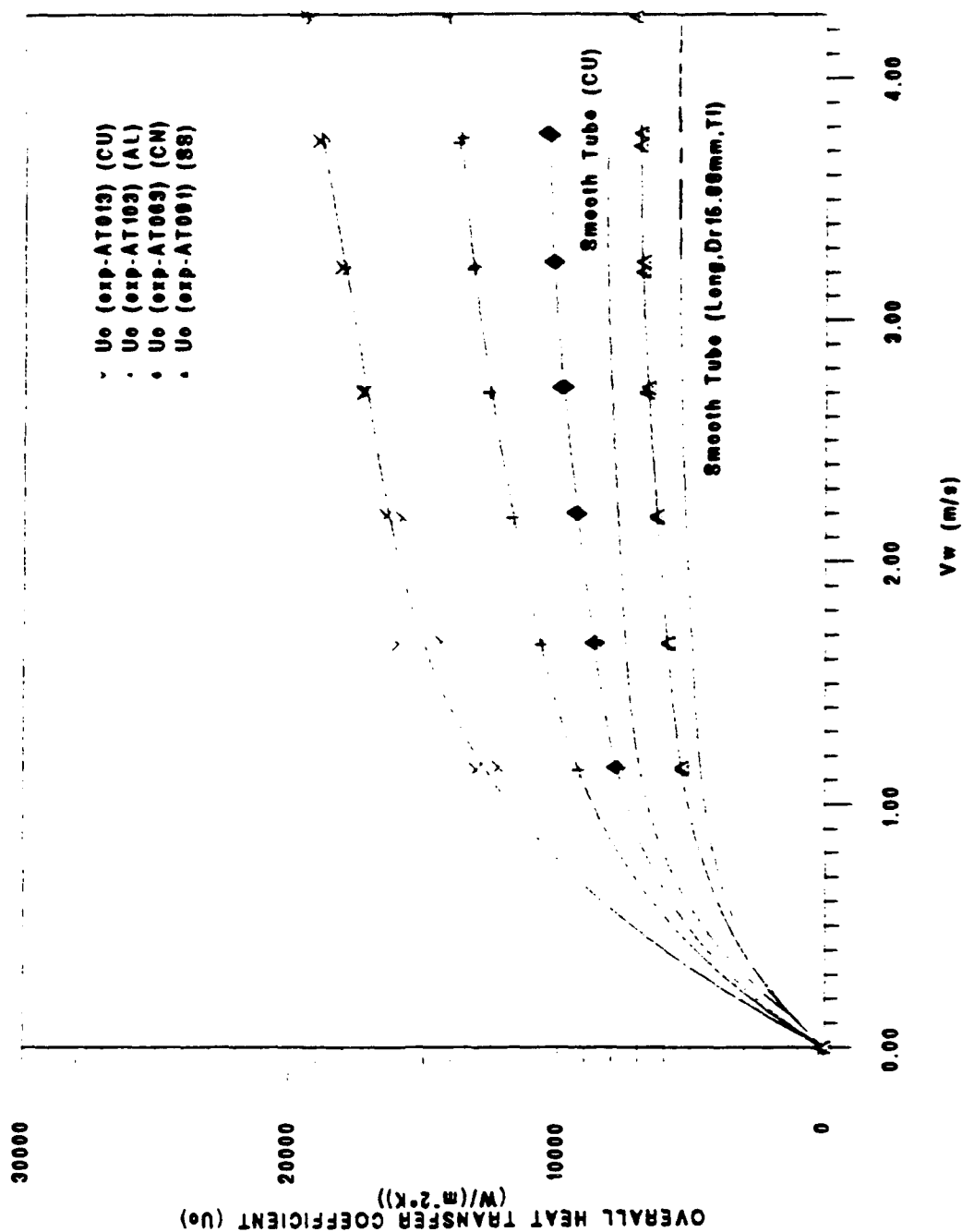


Figure 5.4

The Overall Heat Transfer Coefficient vs Coolant Velocity for Rectangular Shaped Finned Tubes for Various Materials at Atmospheric Conditions (the effect of thermal conductivity)

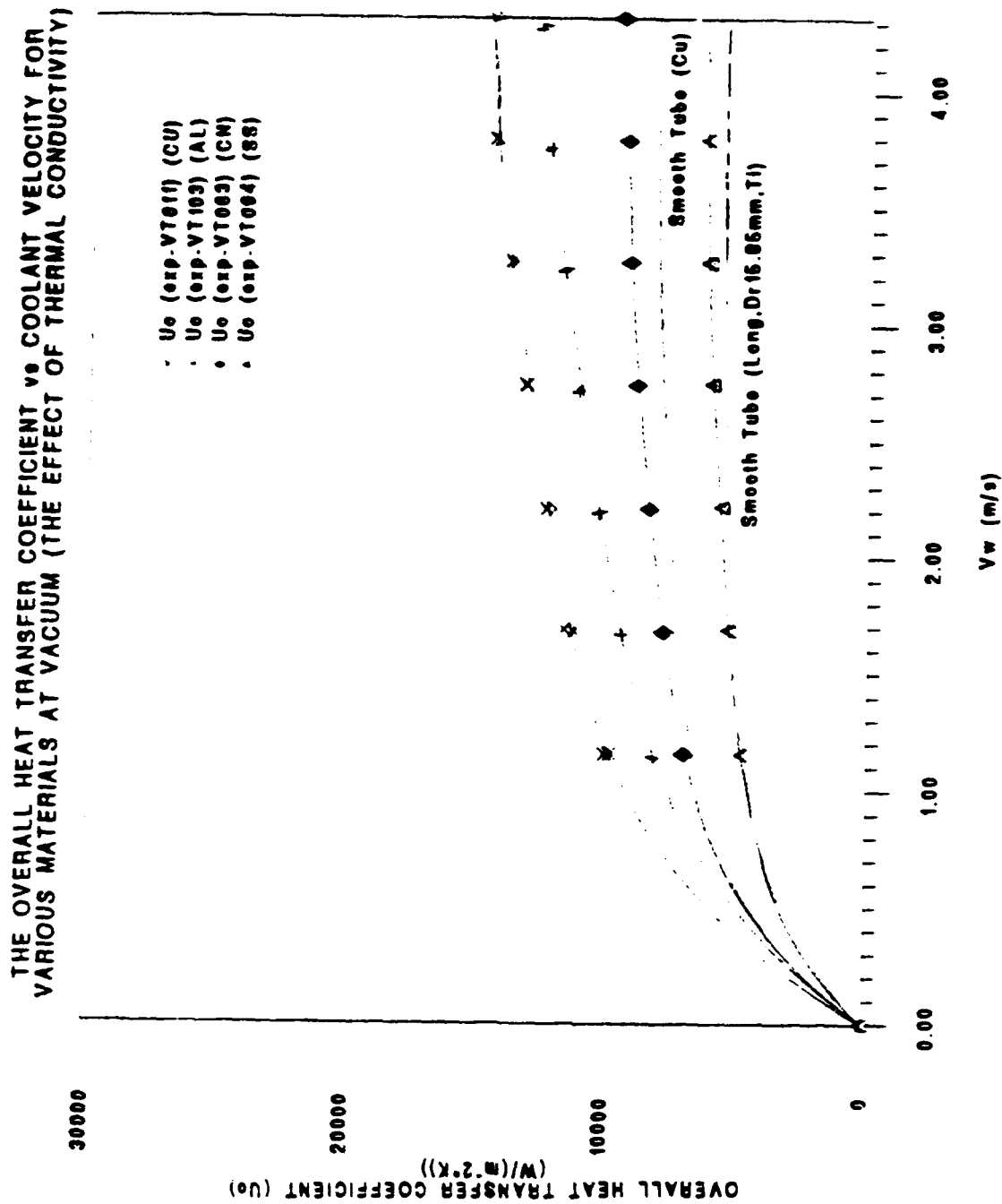


Figure 5.5 The Overall Heat Transfer Coefficient vs Coolant Velocity for Rectangular Shaped Finned tubes Various for Materials at Vacuum Conditions (the effect of thermal conductivity)

COMPARISON OF RECTANGULAR SHAPED FINNED TUBES TO PREVIOUS DATA  
FOR COPPER MATERIAL AT ATMOSPHERIC CONDITIONS (S-T,SEIDER TATE)  
(P-P, PETUKHOV-POPOV) (TT, TWISTED TAPE) (WM, WIRE MESH)

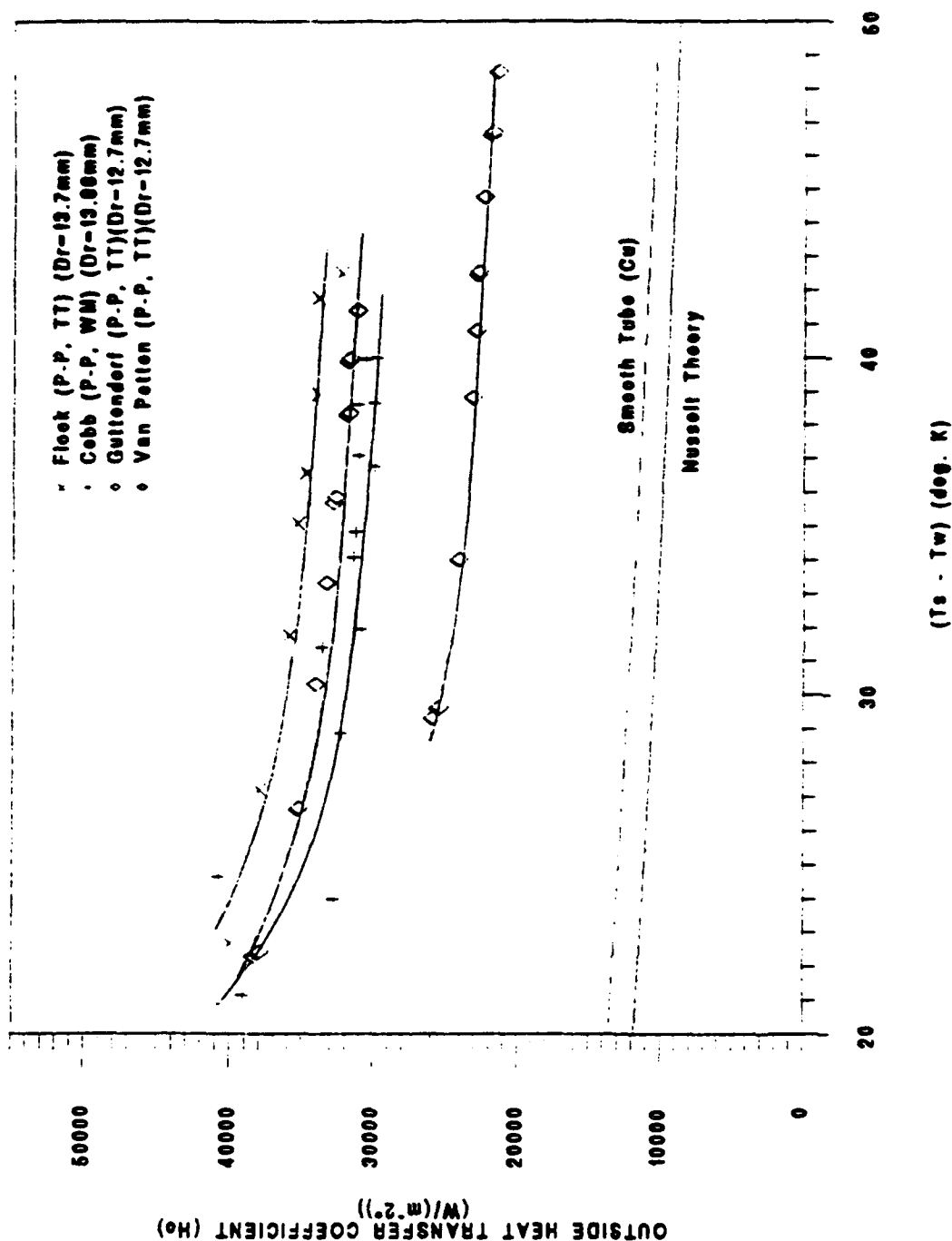


Figure 5.6

Comparison of Rectangular Shaped Finned Tubes to Previous Data for Copper Material at Atmospheric Conditions (S-T (Seider Tate) and P-P (Petukhov Popov) inside correlations, TT (Twisted Tape) and WM are type of Inserts)

COMPARISON OF RECTANGULAR SHAPED FINNED TUBES TO PREVIOUS DATA  
FOR COPPER MATERIAL AT VACUUM CONDITIONS (P-P, PETUKHOV-POPOV)  
(TT, TWISTED TAPE) (WM, WIRE MESH)

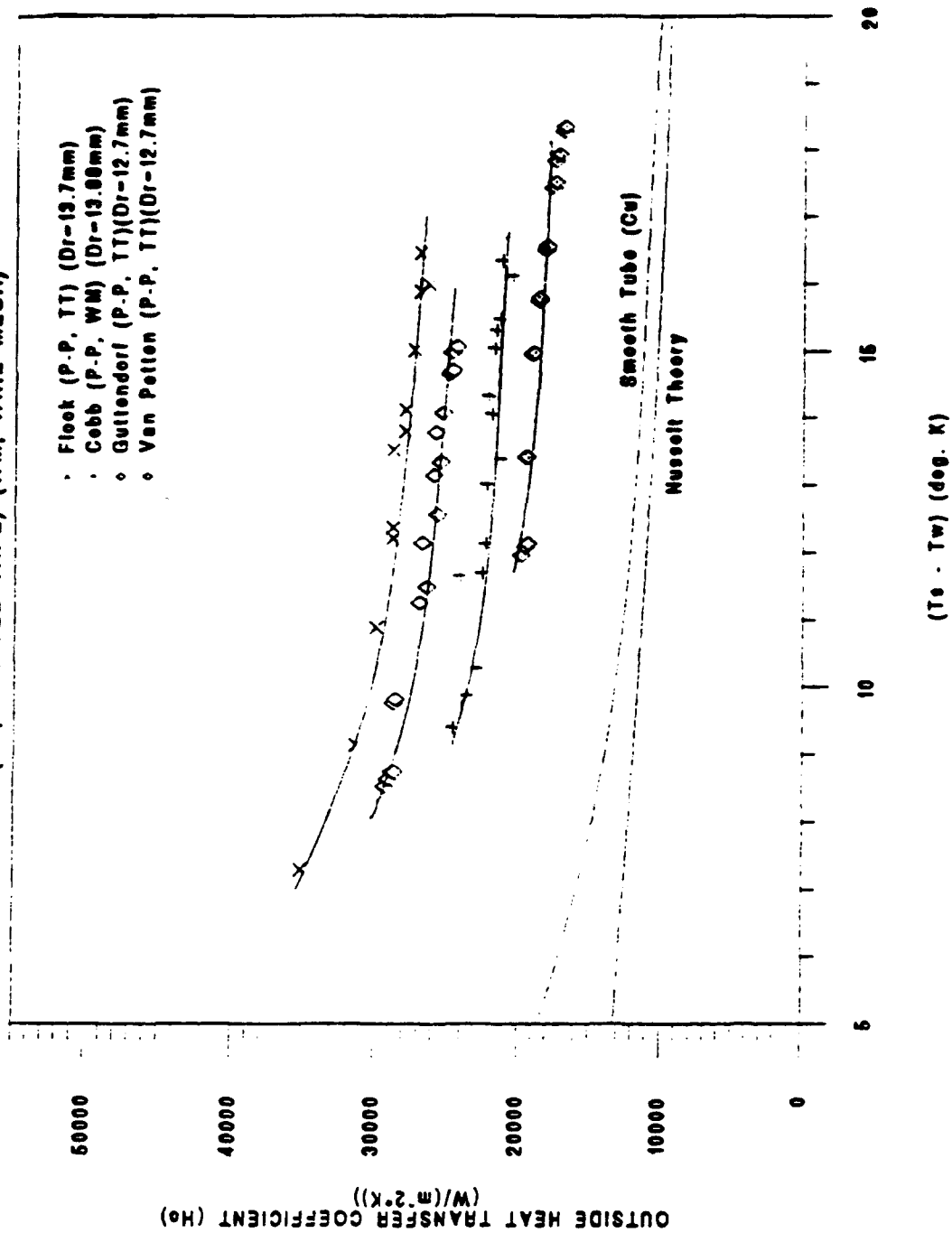


Figure 5.7

Comparison of Rectangular Shaped Finned Tubes to Previous Data for Copper Material at Vacuum Conditions (S-T (Seider Tate) and P-P (Petukhov Popov) inside correlations and TT (Twisted Tape) and WM (Wire Mesh) are type of Inserts)

COMPARISON OF RECTANGULAR SHAPED FINNED TUBES TO PREVIOUS DATA  
FOR ALUMINUM MATERIAL AT ATMOSPHERIC CONDITIONS (MITROU.  $d_f=13.7\text{mm}$ )  
(TT, TWISTED TAPED) (WM, WIRE MESH)

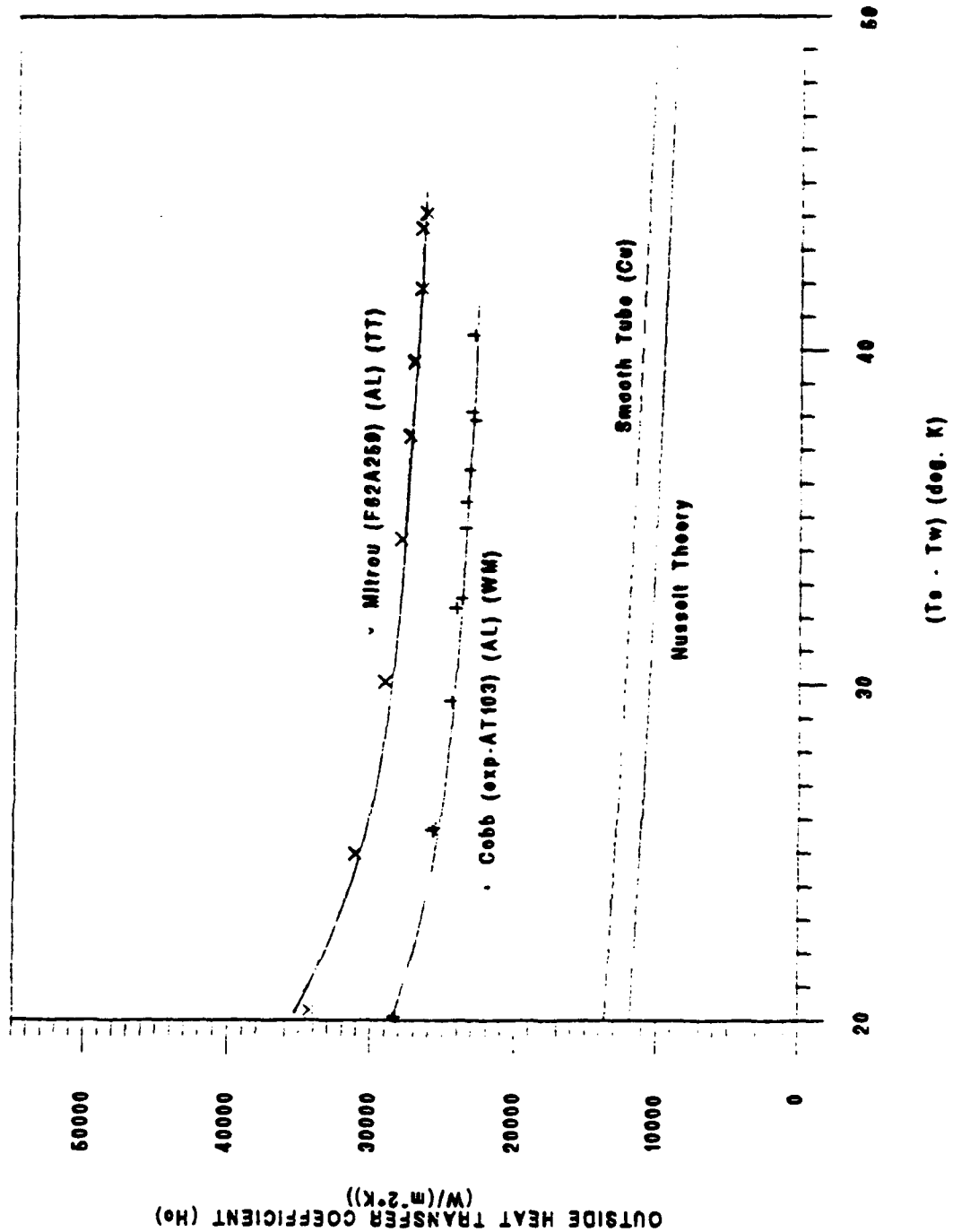


Figure 5.8

Comparison of Rectangular Shaped Finned Tubes to Previous Data for Aluminum Material at Atmospheric Conditions (Mitrou  $D_r=13.7\text{mm}$ ) (TT (Twisted Tape) and WM (Wire Mesh) are type of Inserts)

COMPARISON OF RECTANGULAR SHAPED FINNED TUBES TO PREVIOUS DATA  
FOR COPPER NICKEL AT ATMOSPHERIC CONDITIONS (MITROU-  $d_r=13.7\text{mm}$ )  
(TT, TWISTED TAPE) (WM, WIRE MESH)

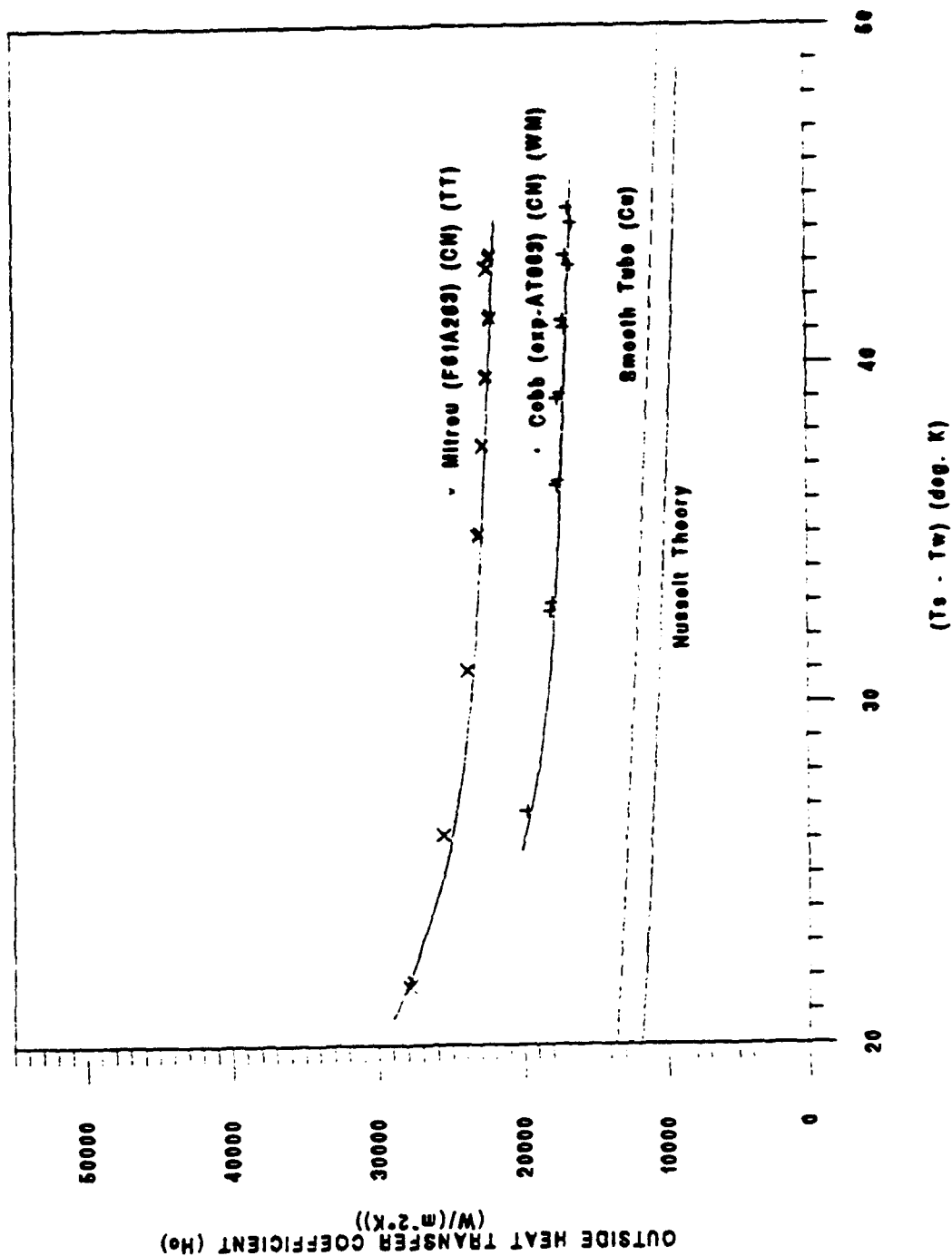


Figure 5.9

Comparison of Rectangular Shaped Finned Tubes to Previous Data for Copper Nickel Material at Atmospheric Conditions (Mitrou  $D_r = 13.7\text{mm}$ ) (TT (Twisted Tape) and WM (Wire Mesh) are type of Inserts)

COMPARISON OF RECTANGULAR SHAPED FINNED TUBES TO PREVIOUS DATA  
FOR COPPER NICKEL MATERIAL AT VACUUM CONDITIONS (MITROU.  $d_r=19.7\text{mm}$ )  
(TT, TWISTED TAPE) (WM, WIRE MESH)

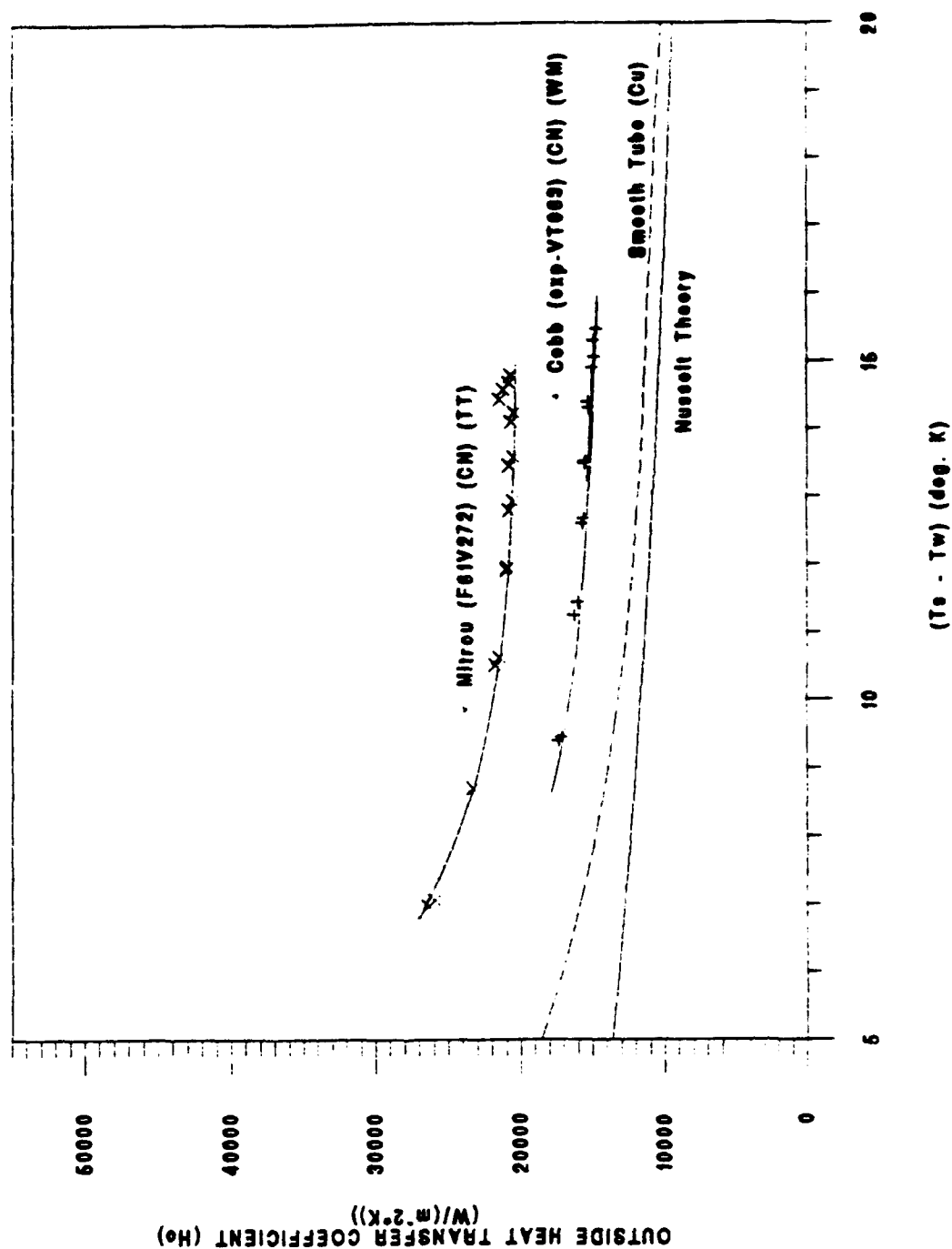


Figure 5.10

Comparison of Rectangular Shaped Finned Tubes to Previous Data for Copper Nickel at Vacuum Conditions (Mitrou  $D_r=13.7\text{mm}$ ) (TT (Twisted Tape) and WM (Wire Mesh) are type of Inserts)

COMPARISON OF OUTSIDE HEAT TRANSFER COEFFICIENT FOR RECTANGULAR FINNED TUBES OF VARIOUS MATERIALS AT ATMOSPHERIC CONDITIONS

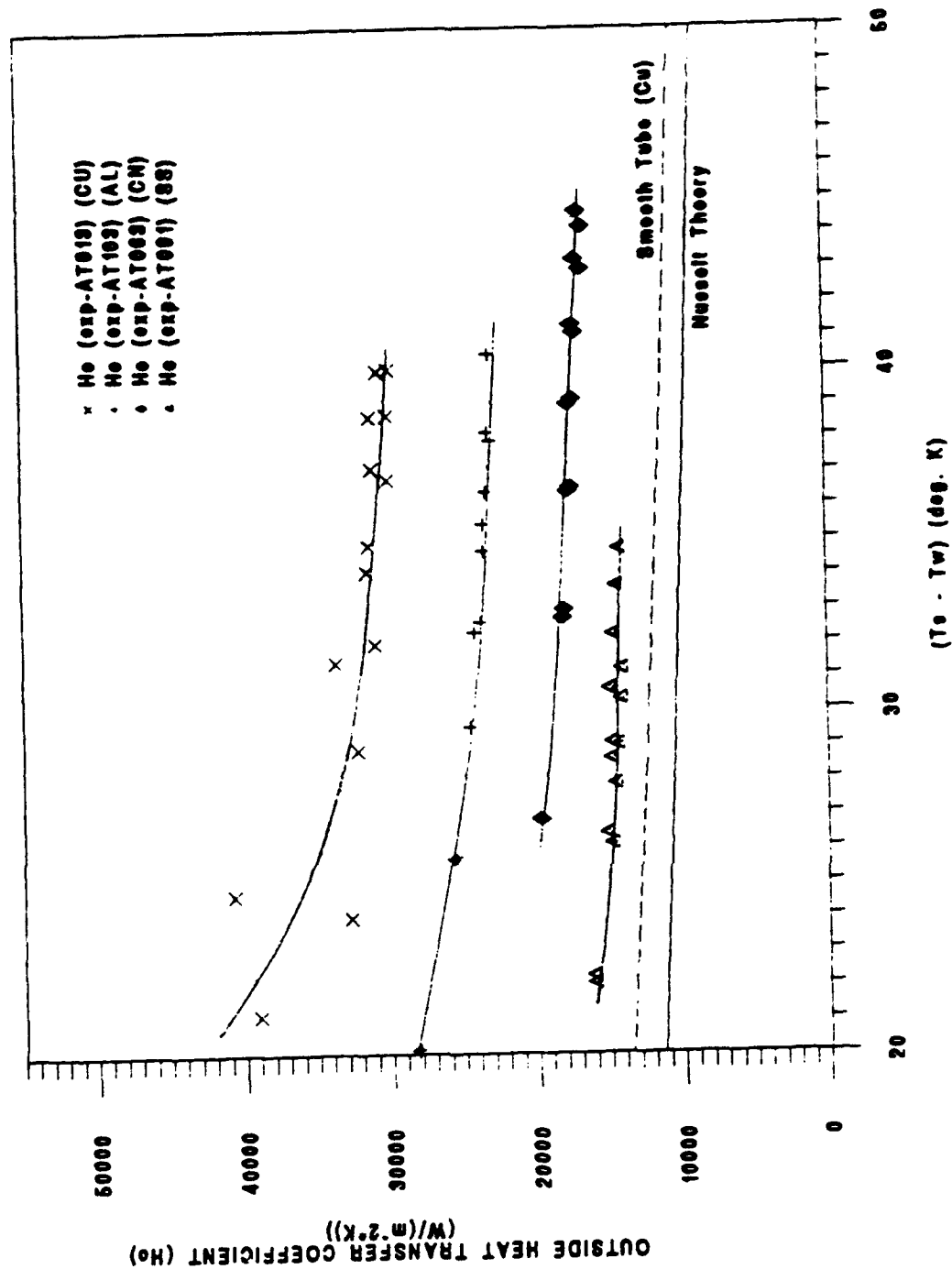


Figure 5.11 Comparison of Outside Heat Transfer Coefficient for Rectangular Shaped Finned Tubes for Various Materials at Atmospheric Conditions

THE OVERALL HEAT TRANSFER COEFFICIENT vs COOLANT VELOCITY FOR  
ATMOSPHERIC CONDITION (RECTANGULAR SHAPED FINNED TUBE (RST) vs  
RADIUSSED ROOT FINNED TUBE (RRT)) OF VARIOUS MATERIALS

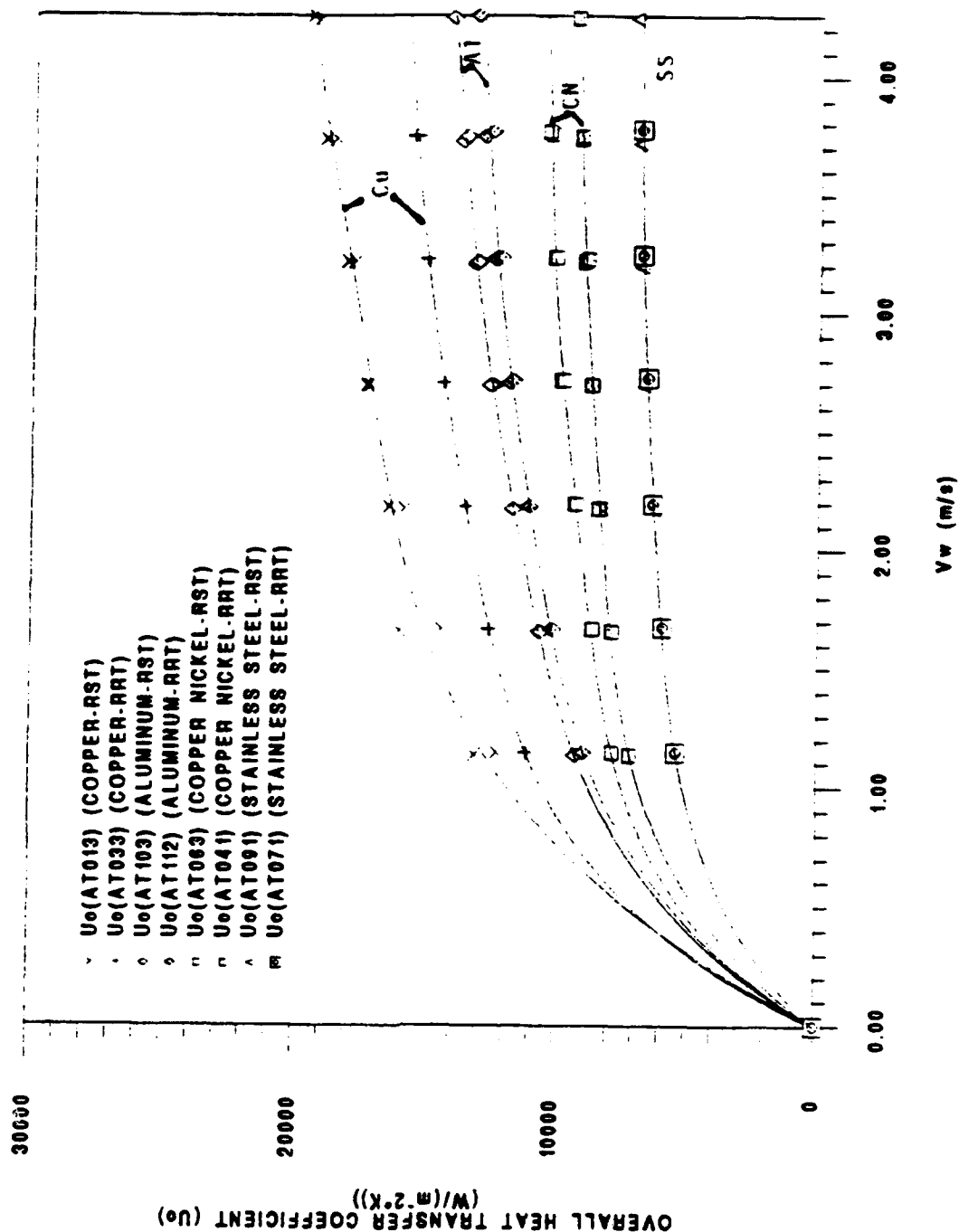


Figure 5.12

The Overall Heat Transfer Coefficient vs Coolant Velocity for Atmospheric Conditions (Rectangular Shaped Finned Tube (RST) vs Radiussed Root Finned Tubes (RRT)) for Various Materials

COMPARISON OF OUTSIDE HEAT TRANSFER COEFFICIENT FOR DEEP  
RADIUSSED ROOT FINNED TUBES OF VARIOUS MATERIALS AT ATMOSPHERIC  
CONDITIONS

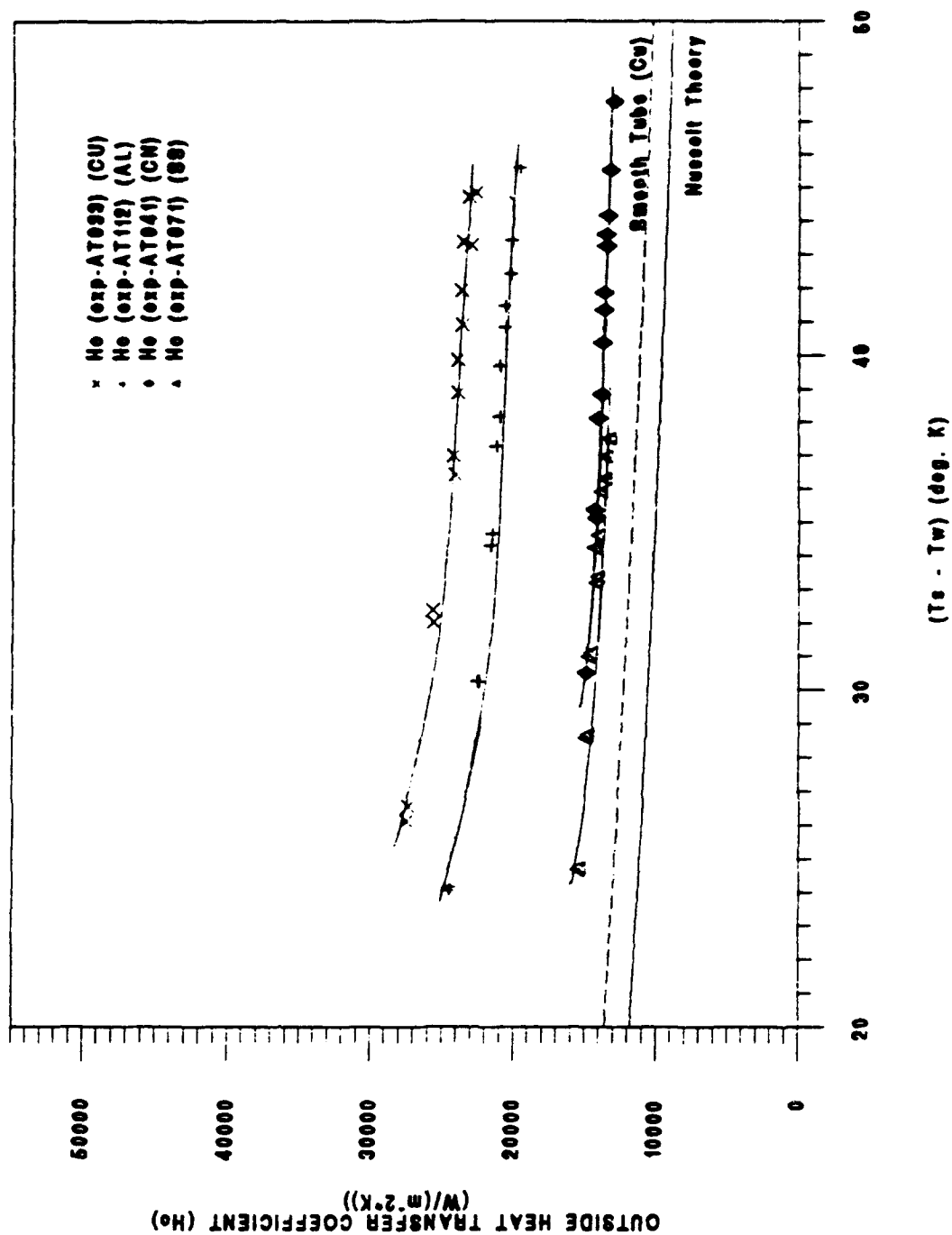


Figure 5.13

Comparison of Outside Heat Transfer Coefficient for Deep Radiussed Root Finned Tubes of Various Materials at Atmospheric Conditions

COMPARISON OF OUTSIDE HEAT TRANSFER COEFFICIENT FOR SHALLOW  
RADIUSSED ROOT FINNED TUBES OF VARIOUS MATERIALS AT ATMOSPHERIC  
CONDITIONS

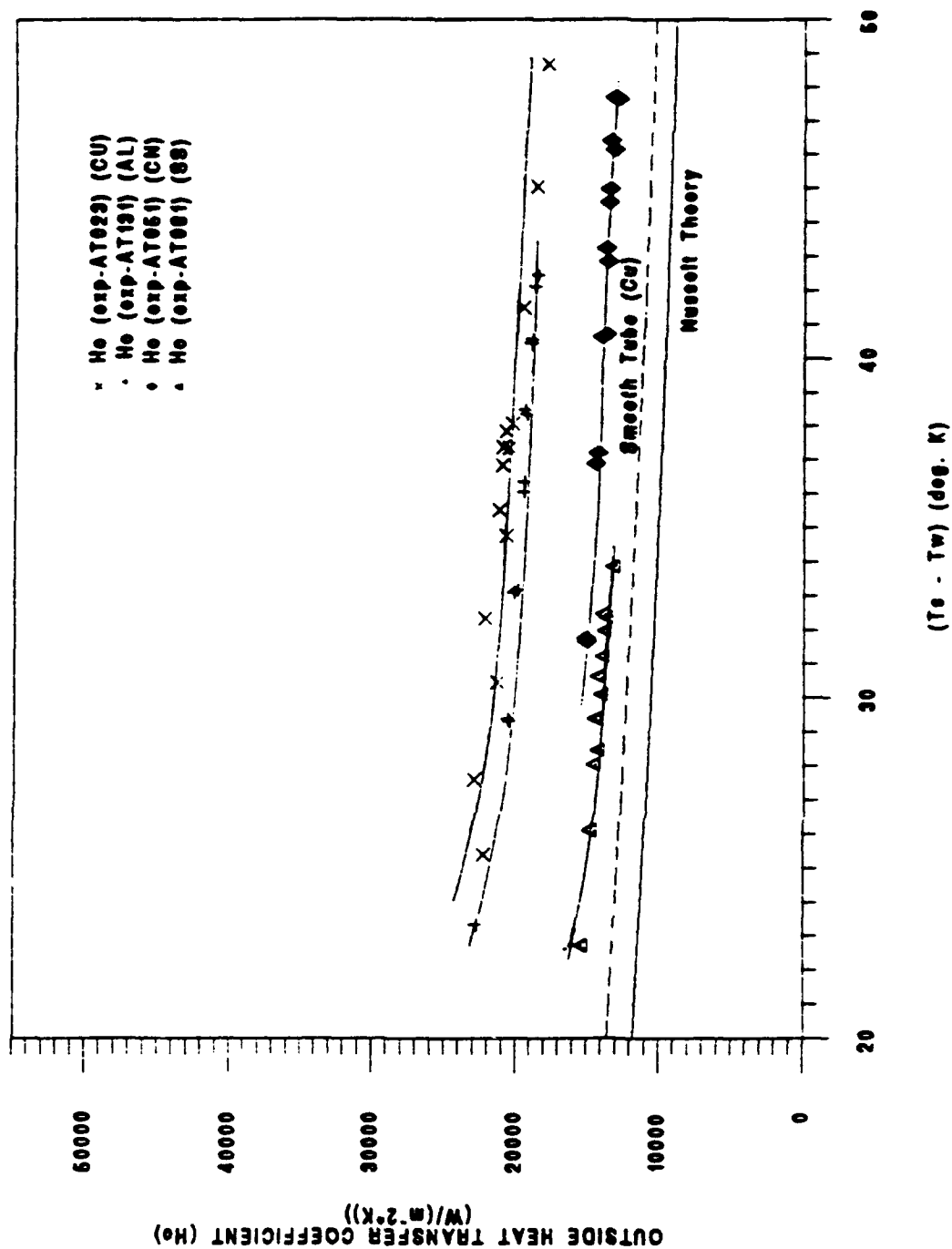


Figure 5.14 Comparison of Outside Heat Transfer Coefficient of Shallow Radiussed Root Finned Tubes of Various Materials at Atmospheric Conditions

COMPARISON OF THE OUTSIDE HEAT TRANSFER COEFFICIENT AT  
ATMOSPHERIC CONDITIONS FOR RECTANGULAR SHAPED (RST), DEEP  
RADIUSSED ROOT (DRRT), AND SHALLOW RADIUSSED ROOT (SRRT) FINNED  
TUBES OF COPPER AND COPPER NICKEL MATERIALS

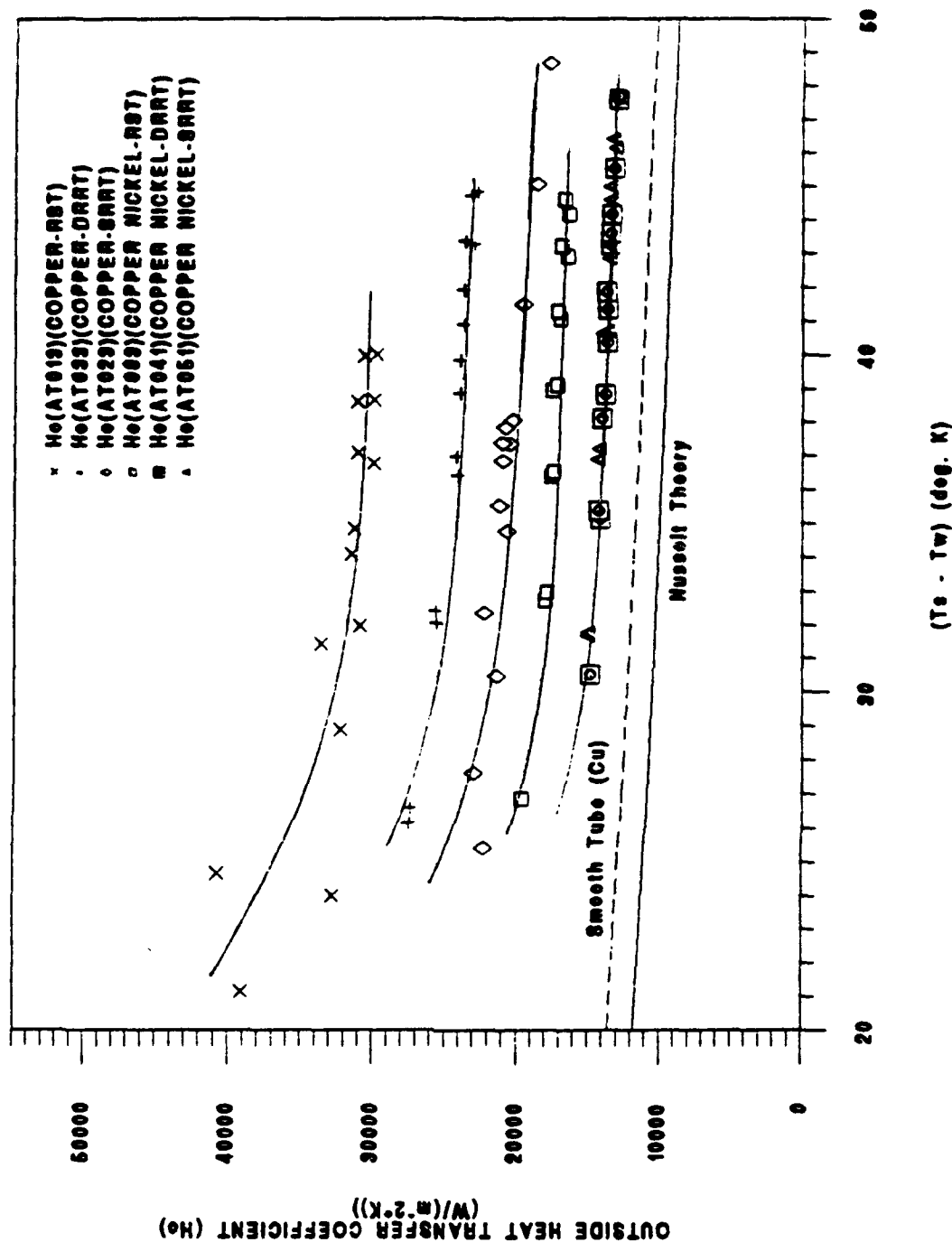


Figure 5.15

Comparison of the Outside Heat Transfer Coefficient at Atmospheric Conditions for Rectangular Shaped (RST), Deep Radiussed Root (DRRT), and Shallow Radiussed Root (SRRT) Finned Tubes of Copper and Copper Nickel Materials

COMPARISON OF THE OUTSIDE HEAT TRANSFER COEFFICIENT AT  
ATMOSPHERIC CONDITIONS FOR RECTANGULAR SHAPED (RST), DEEP  
RADIUSSED ROOT (DRRT), AND SHALLOW RADIUSSED ROOT (SRRT) FINNED  
TUBES OF ALUMINUM AND STAINLESS STEEL MATERIALS

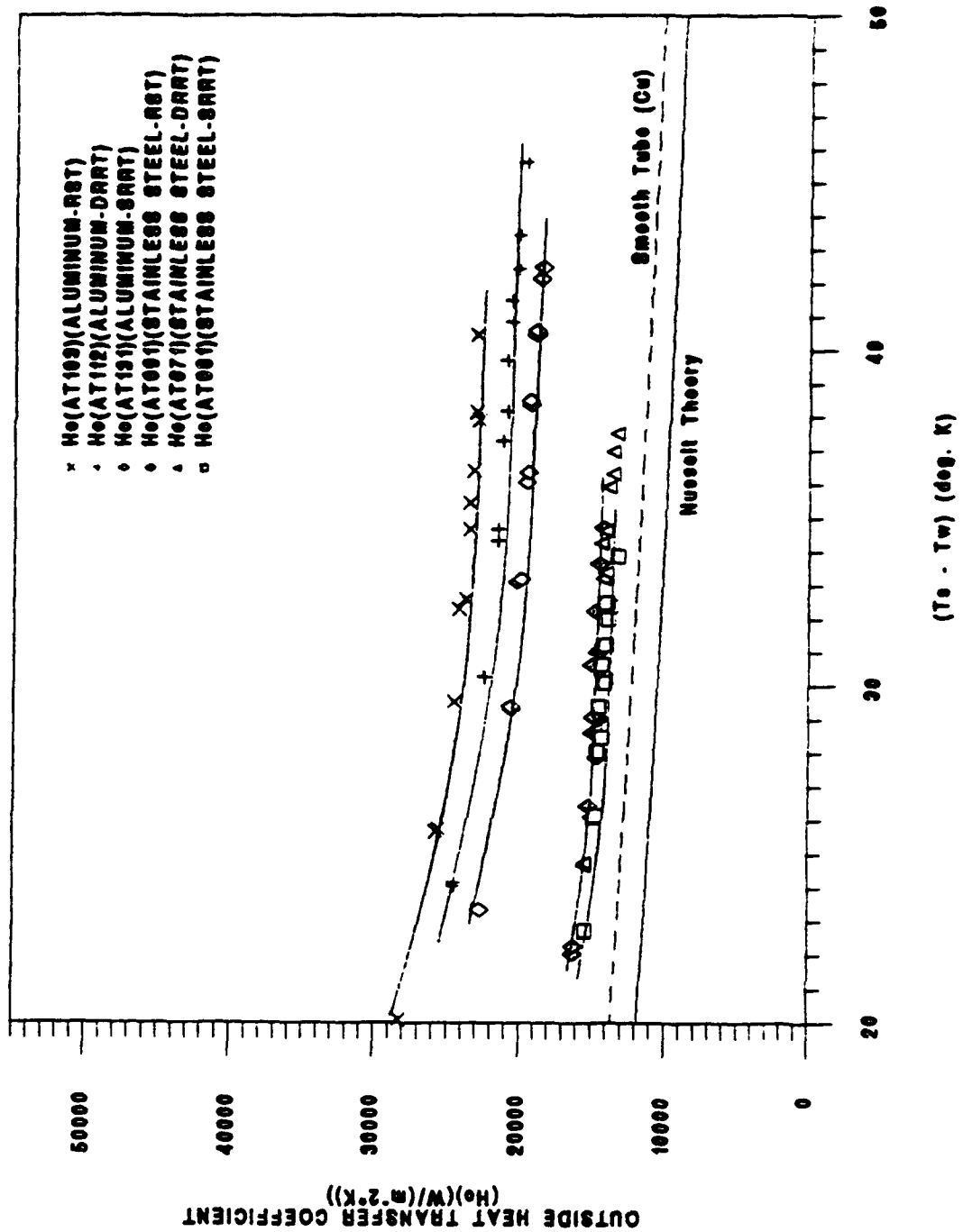


Figure 5.16

Comparison of the Outside Heat Transfer Coefficient at Atmospheric Conditions for Rectangular Shaped (RST), Deep Radiussed Root (DRRT), and Shallow Radiussed Root (SRRT) Finned Tubes of Aluminum and Stainless Steel Materials

Comparison of Heat Transfer Enhancement Data at Atmospheric Conditions to the Models of B&K [Ref. 1] and Rose [Ref. 8] for Rectangular Shaped Finned Tubes of Materials Tested (Rose-eqn(4.36)), (B&K-eqn(4.34))

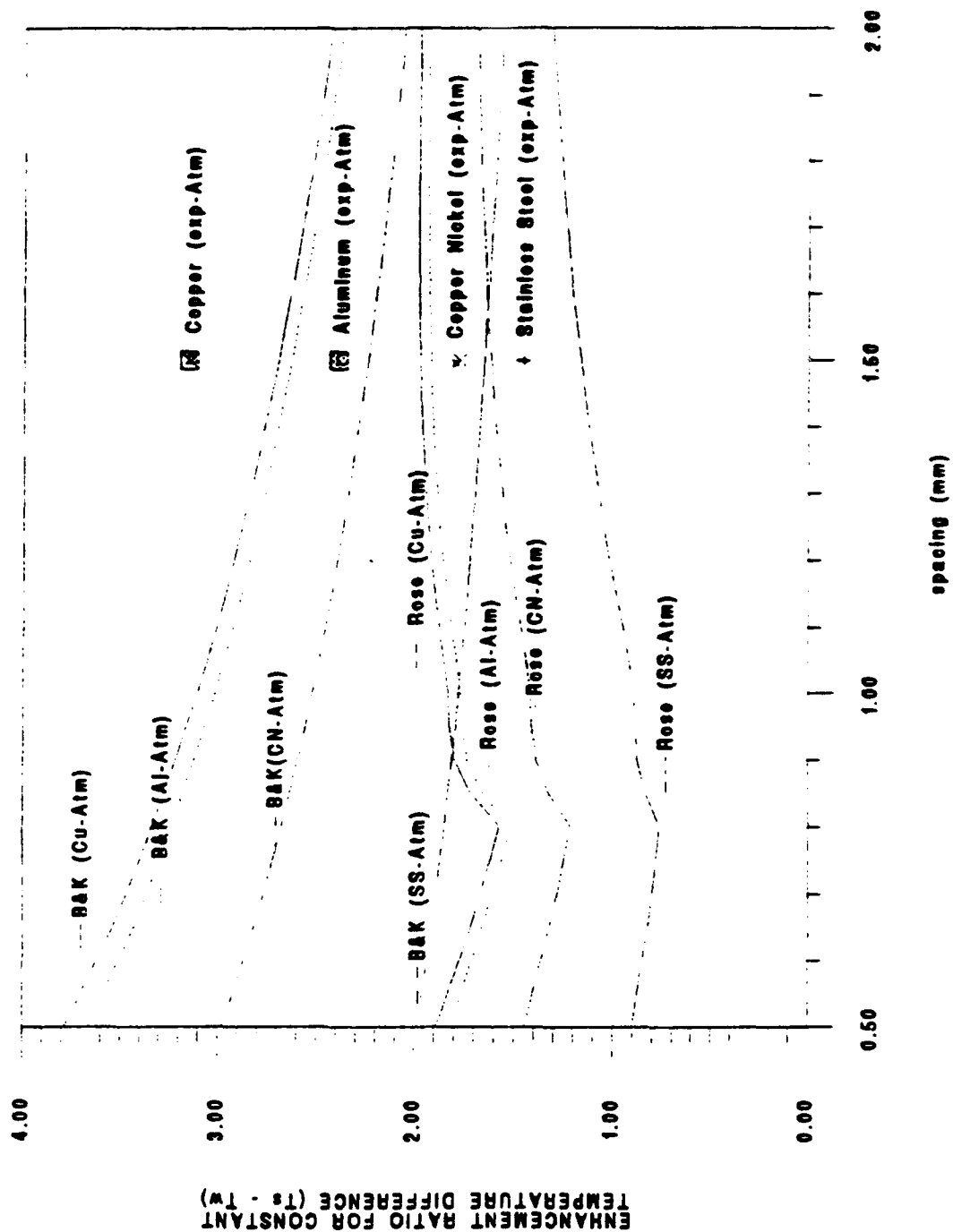
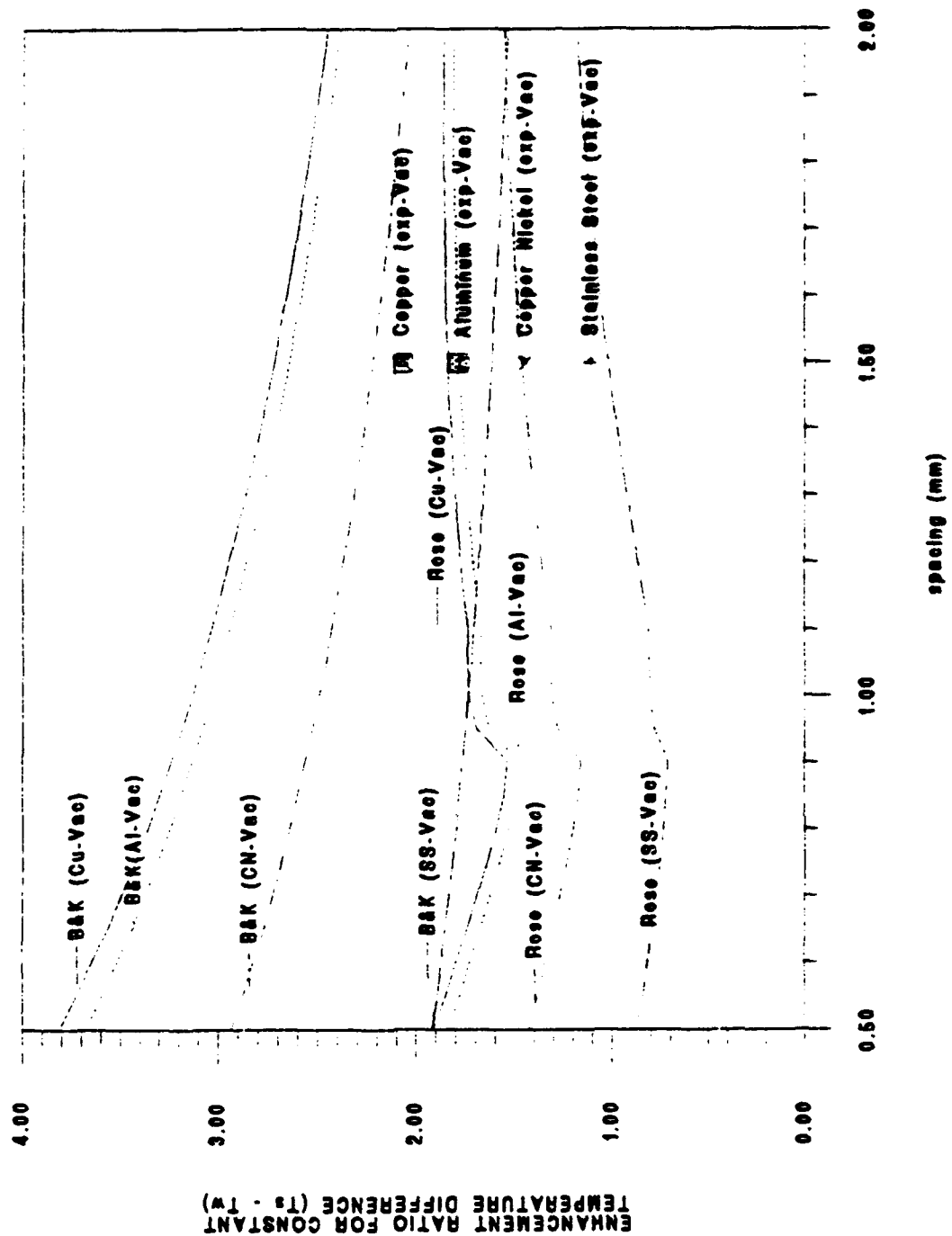


Figure 5.17

Comparison of Heat Transfer Enhancement Data at Atmospheric Conditions to the models of Beatty and Katz [Ref. 1] and Rose [Ref. 8] for Rectangular Shaped Finned Tubes of Materials Tested

**Comparison of Heat Transfer Enhancement Data at Vacuum conditions to the models of Beatty and Katz [Ref. 1] and Rose [Ref. 8] for Rectangular Shaped Finned Tubes of materials tested (B&K-eqn(4.34) and Rose-eqn(4.36))**



Change in Total Surface Area and Total Active Surface Area for Rectangular Shaped Copper Finned Tubes (Total Surface Area eqn 2.14)-rectangular shape, eqn(2.37)-radiussed root) (Active Surface Area eqn(2.15)-rectangular shape, eqn(2.38)-radiussed root)

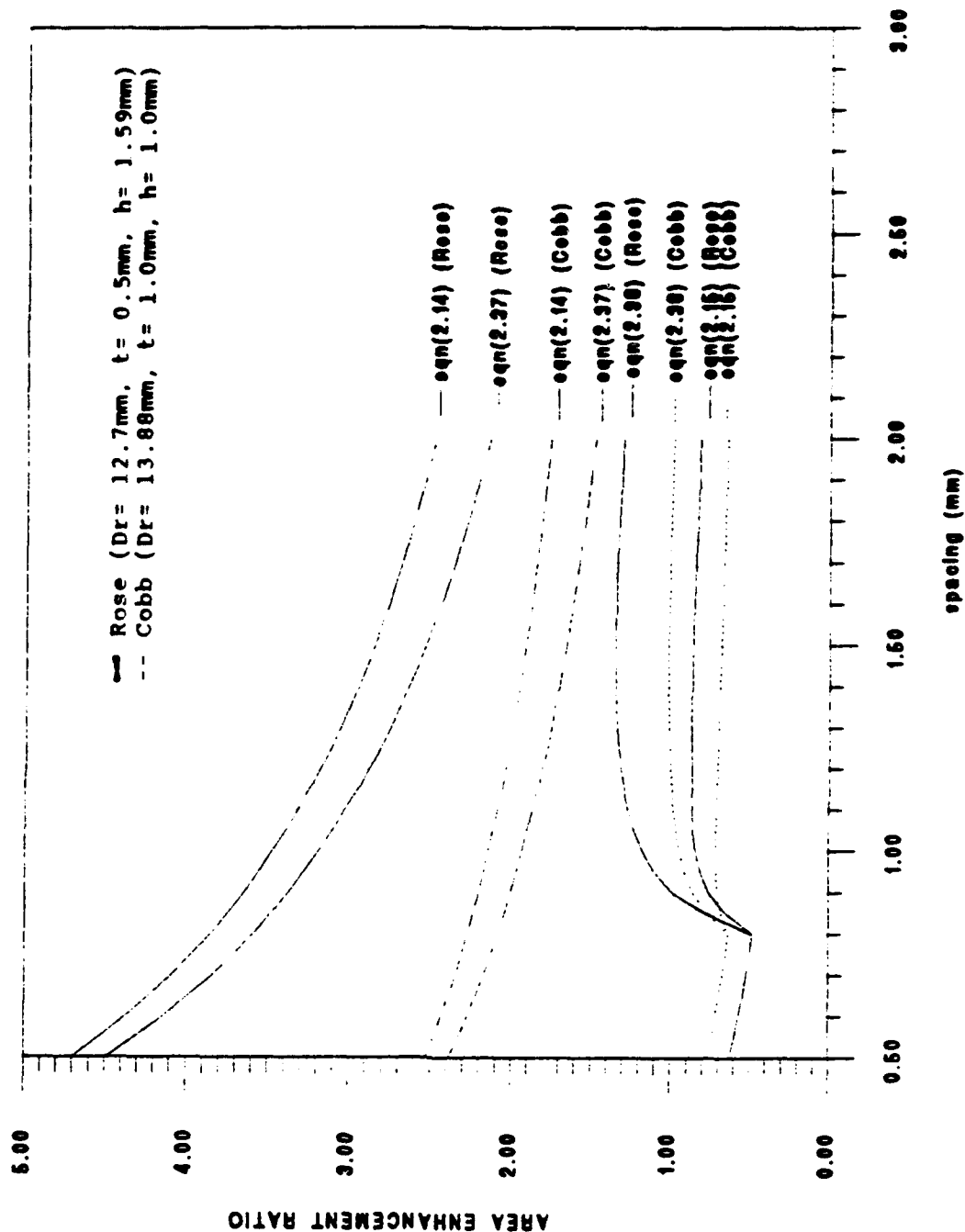


Figure 5.19

Change in Total and Active Surface Area for Rectangular Shaped Copper Finned Tubes (Total Surface Area eqn(2.14) rectangular shaped, eqn(2.37) radiussed root) (Active Surface Area eqn(2.15) rectangular shaped, eqn(2.38) radiussed root)

**TABLE III.            INSIDE LEADING COEFFICIENTS AND OUTSIDE ALPHA  
VALUES FOR ATMOSPHERIC CONDITIONS.**

Tube No.	Tube Type	Tube Material	Ci (Atm)	Alpha (Atm)
1	Rectangular Fin	Copper (Pure)	3.11	2.19
2	Shallow Fillet	Copper (Pure)	3.08	1.50
3	Deep Fillet	Copper (Pure)	3.02	1.85
4	Deep Fillet	Copper Nickel (90/10)	2.65	1.05
5	Shallow Fillet	Copper Nickel (90/10)	2.67	1.06
6	Rectangular Fin	Copper Nickel (90/10)	2.67	1.30
7	Deep Fillet	Stainless Steel (316)	2.26	1.01
8	Shallow Fillet	Stainless Steel (316)	2.35	0.98
9	Rectangular Fin	Stainless Steel (316)	2.10	1.07
10	Rectangular Fin	Aluminum (Pure)	2.29	1.74
11	Deep Fillet	Aluminum (Pure)	2.33	1.56
13	Shallow Fillet	Aluminum (Pure)	2.25	1.44
OD1	Smooth	Copper (Pure)	2.82	0.85
SMTH	Smooth	Copper (Pure)	2.80	0.85

**TABLE IV. INSIDE LEADING COEFFICIENTS AND OUTSIDE ALPHA VALUES FOR VACUUM CONDITIONS.**

Tube No.	Tube Type	Tube Material	Ci (Vac)	Alpha (Vac)
1	Rectangular Fin	Copper (Pure)	2.99	1.50
2	Shallow Fillet	Copper (Pure)	2.91	1.14
3	Deep Fillet	Copper (Pure)	3.03	1.30
4	Deep Fillet	Copper Nickel (90/10)	2.48	0.86
5	Shallow Fillet	Copper Nickel (90/10)	2.37	0.83
6	Rectangular Fin	Copper Nickel (90/10)	2.42	1.06
7	Deep Fillet	Stainless Steel (316)	2.11	0.78
8	Shallow Fillet	Stainless Steel (316)	2.15	0.80
9	Rectangular Fin	Stainless Steel (316)	1.93	0.77
10	Rectangular Fin	Aluminum (Pure)	2.00	1.30
11	Deep Fillet	Aluminum (Pure)	2.30	1.18
13	Shallow Fillet	Aluminum (Pure)	2.24	1.05
SMTH	Smooth	Copper (Pure)	2.78	0.81

**TABLE V. OUTSIDE HEAT TRANSFER COEFFICIENT,  $h_o$  (W/(m<sup>2</sup>\*K)),  
FOR ATMOSPHERIC CONDITIONS FOR  $\Delta T = 30^\circ\text{K}$ .**

TUBE TYPE	Copper	Aluminum	Copper Nickel	Stainless Steel
Rectangular	33100	24500	18950	14400
Deep Radiussed	26600	22750	15500	14450
Shallow Radiussed	22250	20500	15800	13800
Smooth Tube	12500	NA	NA	NA
Nusselt Theory	11000	NA	NA	NA

**TABLE VI. OUTSIDE HEAT TRANSFER COEFFICIENT,  $h_o$  (W/(m<sup>2</sup>\*K)),  
FOR VACUUM CONDITIONS FOR  $\Delta T = 12^\circ\text{K}$ .**

Tube Type	Copper	Aluminum	Copper Nickel	Stainless Steel
Rectangular	22900	20950	16400	13000
Deep Radiussed	20100	18000	13700	11900
Shallow Radiussed	17000	15800	13300	12000
Smooth Tube	12800	NA	NA	NA
Nusselt Theory	11700	NA	NA	NA

**TABLE VII.      ENHANCEMENT RATIO BASED ON SMOOTH TUBE,  
 $\epsilon_{\Delta T} = (h_f/h_{smooth})_{\Delta T}$ , FOR ATMOSPHERIC CONDITIONS FOR  
 $\Delta T = 30^\circ\text{K}$ .**

Tube Type	Copper	Aluminum	Copper Nickel	Stainless Steel
Rectangular	2.65	1.96	1.52	1.15
Deep Radiussed	2.13	1.82	1.24	1.16
Shallow Radiussed	1.78	1.64	1.26	1.10

**TABLE VIII.      ENHANCEMENT RATIO BASED ON NUSSELT THEORY,  
 $\epsilon_{\Delta T} = (h_f/h_{Nuss})_{\Delta T}$ , FOR ATMOSPHERIC CONDITIONS FOR  
 $\Delta T = 30^\circ\text{K}$ .**

Tube Type	Copper	Aluminum	Copper Nickel	Stainless Steel
Rectangular	3.01	2.23	1.72	1.31
Deep Radiussed	2.42	2.07	1.41	1.31
Shallow Radiussed	2.02	1.86	1.44	1.26

**TABLE IX. ENHANCEMENT RATIO BASED ON SMOOTH TUBE,  
 $\epsilon_{\Delta T} = (h_f/h_{smooth})_{\Delta T}$ , FOR VACUUM CONDITIONS FOR  $\Delta T = 12^\circ K$ .**

Tube Type	Copper	Aluminum	Copper Nickel	Stainless Steel
Rectangular	1.79	1.64	1.28	1.02
Deep Radiussed	1.57	1.41	1.07	0.93
Shallow Radiussed	1.33	1.23	1.04	0.94

**TABLE X. ENHANCEMENT RATIO BASED ON NUSSELT THEORY,  
 $\epsilon_{\Delta T} = (h_f/h_{Nuss})_{\Delta T}$ , FOR VACUUM CONDITIONS FOR  $\Delta T = 12^\circ K$ .**

Tube Type	Copper	Aluminum	Copper Nickel	Stainless Steel
Rectangular	1.96	1.79	1.40	1.11
Deep Radiussed	1.72	1.54	1.17	1.02
Shallow Radiussed	1.45	1.35	1.14	1.03

**TABLE XI. ENHANCEMENT RATIO AVERAGED OVER THE RANGE OF  $\Delta T$  FOR RECTANGULAR SHAPED FINNED TUBES FOR ATMOSPHERIC CONDITIONS BASED ON NUSSELT THEORY,  $\epsilon_{\Delta T} = (h_f/h_{Nuss})_{\Delta T}$ .**

Tube Material	Tube No.	$\epsilon_{BK}$ eqn (4.34)	$\epsilon_{Rose}$ eqn (4.36)	$\epsilon_{exp}$ ( $h_{exp}/h_{Nuss}$ )
Copper	1	2.71	1.97	3.05
Aluminum	10	2.62	1.91	2.40
Copper Nickel	6	2.25	1.61	1.79
Stainless Steel	9	1.61	1.14	1.47

**TABLE XII. ENHANCEMENT RATIO AVERAGED OVER THE RANGE OF  $\Delta T$  FOR RECTANGULAR SHAPED FINNED TUBES FOR VACUUM CONDITIONS BASED ON NUSSELT THEORY,  $\epsilon_{\Delta T} = (h_f/h_{Nuss})_{\Delta T}$ .**

Tube Material	Tube No.	$\epsilon_{BK}$ eqn (4.34)	$\epsilon_{Rose}$ eqn (4.36)	$\epsilon_{exp}$ ( $h_{exp}/h_{Nuss}$ )
Copper	1	2.73	1.85	2.07
Aluminum	10	2.62	1.78	1.79
Copper Nickel	6	2.23	1.47	1.45
Stainless Steel	9	1.59	1.00	1.06

**TABLE XIII.      ENHANCEMENT RATIO AVERAGED OVER THE RANGE OF  $\Delta T$  FOR DEEP RADIUSSED ROOT FINNED TUBES FOR ATMOSPHERIC CONDITIONS BASED ON NUSSELT THEORY,  $\bar{\epsilon}_{\Delta T} = (h_f/h_{Nuss})_{\Delta T}$ .**

Tube Material	Tube No.	$\bar{\epsilon}_{Rose}$ Modified Rose eqn (4.40)	$\bar{\epsilon}_{exp}$ ( $h_{exp}/h_{Nuss}$ )
Copper	3	4.45	2.53
Aluminum	11	4.33	2.14
Copper Nickel	4	3.56	1.42
Stainless Steel	7	2.31	1.38

**TABLE XIV.      ENHANCEMENT RATIO AVERAGED OVER THE RANGE OF  $\Delta T$  FOR DEEP RADIUSSED ROOT FINNED TUBES FOR VACUUM CONDITIONS BASED ON NUSSELT THEORY,  $\bar{\epsilon}_{\Delta T} = (h_f/h_{Nuss})_{\Delta T}$ .**

Tube Material	Tube No.	$\bar{\epsilon}_{Rose}$ Modified Rose eqn (4.40)	$\bar{\epsilon}_{exp}$ ( $h_{exp}/h_{Nuss}$ )
Copper	3	4.31	1.79
Aluminum	11	4.17	1.62
Copper Nickel	4	3.35	1.18
Stainless Steel	7	2.11	1.07

**TABLE XV. ENHANCEMENT RATIO AVERAGED OVER THE RANGE OF  $\Delta T$  FOR SHALLOW RADIUSSED ROOT FINNED TUBES FOR ATMOSPHERIC CONDITIONS BASED ON NUSSELT THEORY,  $\epsilon_{AT} = (h_f/h_{NUSS})_{AT}$ .**

Tube Material	Tube No.	$\epsilon_{Rose}$ Modified Rose eqn (4.40)	$\epsilon_{exp}$ ( $h_{exp}/h_{NUSS}$ )
Copper	2	3.75	2.06
Aluminum	13	3.68	1.98
Copper Nickel	5	3.20	1.45
Stainless Steel	8	2.20	1.36

**TABLE XVI. ENHANCEMENT RATIO AVERAGED OVER THE RANGE OF  $\Delta T$  FOR SHALLOW RADIUSSED ROOT FINNED TUBES FOR VACUUM CONDITIONS BASED ON NUSSELT THEORY,  $\epsilon_{AT} = (h_f/h_{NUSS})_{AT}$ .**

Tube Material	Tube No.	$\epsilon_{Rose}$ Modified Rose eqn (4.40)	$\epsilon_{exp}$ ( $h_{exp}/h_{NUSS}$ )
Copper	2	3.64	1.57
Aluminum	13	3.57	1.45
Copper Nickel	5	3.07	1.16
Stainless Steel	8	2.10	1.09

**TABLE XVII.      COMPARSION OF ACTIVE SURFACE AREA ENHANCEMENT RATIOS TO EXPERIMENTALLY OBTAINED HEAT TRANSFER ENHANCEMENT RATIOS.**

Tube Material	$\epsilon_{AA}$ eqn (2.15)	$\epsilon_{AT}$ exp-RST	$\epsilon_{AR}$ eqn (2.38)	$\epsilon_{AT,F}$ exp-RRT	$\epsilon_{AR}/\epsilon_{AA}$	$\epsilon_{AT,F}/\epsilon_{AT}$
Cu Rose [Ref.28] <sup>1</sup>	0.92	2.77	1.41	3.03	1.53	1.09
Cu	0.74	2.57	1.02	2.17	1.38	0.84
Al	0.74	2.05	1.02	1.84	1.38	0.90
CN	0.74	1.53	1.02	1.19	1.38	0.75
SS	0.74	1.26	1.02	1.18	1.38	0.94

<sup>1</sup>Briggs, Wen, and Rose [Ref.28] tested a copper rectangular shaped finned tube with the following geometry; root diameter,  $D_r$ , of 12.7mm; inside diameter,  $D_i$ , of 9.82mm; fin height of 1.59mm; fin spacing of 1.5mm; fin thickness of 0.5mm. The values were taken directly from Table 1 of [Ref. 28].

## VI. CONCLUSIONS AND RECOMMENDATIONS

### A. CONCLUSIONS

Steam condensation data were obtained for rectangular shaped finned tubes ( $D_f=13.88\text{mm}$ ), deep radiussed root finned tubes ( $D_f=13.88\text{mm}$ ), and shallow radiussed root finned tubes ( $D_f=14.38\text{mm}$ ) made of copper, aluminum, copper nickel (90/10) and stainless steel (316) under both vacuum and atmospheric conditions. All tubes had a fin thickness of 1.0mm, fin spacing of 1.5mm and outer diameter ( $D_o$ ) of 15.88mm. Based upon these measurements, the following conclusions are made:

1. Reliable baseline data have been obtained for finned tubes of copper, aluminum, copper nickel (90/10) and stainless steel (316).
2. For finned tubes, the thermal conductivity of the fin wall material had a significant effect on the condensation heat transfer coefficient. In fact, for the case of stainless steel, with its poor thermal conductivity, a finned tube can perform worse than a smooth tube.
3. In going from a rectangular shaped fin to a radiussed root fin of the same root diameter, the condensation heat transfer coefficient decreased. This effect was more pronounced for high conductivity materials, and no notable change was observed for stainless steel tubes.
4. For rectangular shaped fins, the experimentally determined heat transfer enhancement ratio for copper at atmospheric pressure was found to be larger than that predicted by Beatty and Katz [Ref. 1] and by a modified version (to include fin efficiency) of Rose [Ref. 8]. For the other materials tested, as the thermal conductivity decreased, the data fell below the Beatty and Katz model and approached closer to the Rose

model. Under vacuum conditions, the data for all four materials were in much closer agreement to the Rose model and significantly below Beatty and Katz.

5. For a radiussed root finned tube, the experimentally determined heat transfer enhancement ratio for all tubes under both atmospheric and vacuum conditions was significantly less than predicted by the Rose model as modified to include a radiussed root fin geometry. Additional experimental data are required to determine better empirical constants that are utilized in the Rose model.

## **B. RECOMMENDATIONS**

1. Retest each tube to obtain additional data in order to determine the empirical constants used in the Rose model [Ref. 8].
2. Manufacture new tubes with the same root diameter (13.88mm), tube materials and dimensions, but with a larger fin height of 2.0mm. After testing each tube, reduce the tube height for the next set by milling 0.25mm off. Continue this process down to a new fin height that is half the fin spacing.
3. Manufacture new tubes with a fin height of 2.0mm but change the fin spacing to 1.0mm. After each data test set mill 0.25mm off the fin height down to a new height of 0.5mm.
4. Manufacture new tubes with a fin height of 2.0mm and fin spacing of 1.5mm but change the fin thickness to 0.5mm. After each data set mill 0.25mm off the fin height down to a new fin height of 0.75mm.
5. Manufacture smooth tubes of aluminum, copper nickel (90/10) and stainless steel (316) for comparison with the smooth copper tube to determine the effect of the tube wall thermal conductivity on the leading coefficient ( $C_i$ ) and the alpha ( $\alpha$ ) for determining the enhancement of the corresponding finned tubes.
6. Examine the Rose model [Ref. 8] in closer detail in order to refine the assumptions made and increase its validity.

7. Recalibrate and verify the operation of each measuring device in the system apparatus. While the system is disassembled, check and align the test section to ensure horizontal orientation.
8. Modify the apparatus by installing a pressure regulator for the auxiliary condenser cooling water.
9. Install a bi-metallic thermocouple and a control operated valve in the coolant water sump to maintain a constant temperature of the coolant entering the test tube.
10. Install a digital voltmeter to monitor the emf signal from the electrical switchboard to the data acquisition unit.
11. Provide removal lagging pads for the boiler and the test section to reduce the influence of the environment.

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## **APPENDIX A. DATA COLLECTION LISTING**

The program DRPALL, which was used to collect and reprocess all data, is listed in this Appendix.

```

1000! DRPALL
1001! COMPLETE REVISION JULY 1993 (MEMORY)
1005! MODIFIED: SEP 1992 (O'KEEFE)
1007! MODIFIED: JAN 1993 (LONG)
1009! MODIFIED: JUNE 1993 (COBB)
1010! TO BE USED WITH NON-INSTRUMENTED TUBES ONLY
1011! TAKES DATA IN THE FORMAT OF SWENSEN/O'KEEFE/LONG/COBB
1012! CAN REPROCESS ANY NON-INSTRUMENTED DATA
1013!
1014! THIS PROGRAM WAS USED TO COLLECT ALL THE NON-
1015! INSTRUMENTED DATA TAKEN BY LONG (JAN-JUN 1993) FOR TITANIUM TUBES
1017! AND THE FINNED TUBE DATA (RECTANGULAR AND FILLET RADIUS) OF COBB (JUN-SEPT
1993)
1018! MEANING OF ALL FLAGS IN PROGRAM
1019!
1020! IFT: FLUID TYPE
1021! ISO: OPTION WITHIN PROGRAM
1022! IM: INPUT MODE
1023! IWIL: VALUE OF C1 USED
1024! IFG: FINNED OR SMOOTH
1025! INN: INSERT TYPE
1026! IWT: LOOP NO. WITHIN PROGRAM
1027! IWTH: ALTERNATIVE CONDENSER TUBES
1028! IMC: TUBE MATERIAL
1029! ITDS: TUBE DIAMETER
1030! IPC: PRESSURE CONDITION
1031! INF: DIMENSIONLESS FILE REQUIRED
1032! IPF: PLOT FILE REQUIRED
1033! IOV: OUTPUT REQUIRED
1034! IHI: INSIDE HTC CORRELATION
1035! IOC: OUTSIDE HTC THEORY/CORRELATION
1036 COM /Cc/ C(7)
1037 COM /Cc55/ T55(5)
1038 COM /Cc56/ T56(5)
1039 COM /Cc57/ T57(5)
1040 COM /Cc58/ T58(5)
1041 COM /Fid/ Ift,Istu
1042 DIM Emf(20),Tw(6)
1043 COM /Pr/ Qpa(42),Tfm(42),Tfmr,Ipc,Qpr
1044 COM /Wil/ Nrun,Itm,Iwth,Imc,Ife,Ijob,Iwd,Ifg,IpcO,IftO,Iwil,Ihi,Ioc,Inam,K
cu,Rexp,Rm,Ax
1045 COM /Geom/ D1,D2,D1,Do,L,L1,L2
1046 COM /Fric/ Istuo,Inn,Ityp,Uw,Inamo,Imco,Itds
1047 DATA 0.10086091,25727.94369,-767345.8295,78025595.91
1048 DATA -9247486589,6.97688E+11,-2.66192E+13,3.94078E+14
1049 READ C(*)
1050 DATA 273.15,2.5943E-2,-7.2671E-7,3.2941E-11,-9.7719E-16,9.7121E-20
1051 READ T55(*)

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1052 DATA 273.15,2.5879E-2,-5.9853E-7,-3.1242E-11,1.3275E-14,-1.0186E-18
1053 READ T56(*)
1054 DATA 273.15,2.5923E-2,-7.3933E-7,2.8625E-11,1.9717E-15,-2.2486E-19
1055 READ T57(*)
1056 DATA 273.15,2.5931E-2,-7.5232E-7,4.0657E-11,-1.2791E-15,6.4402E-20
1057 READ T58(*)
1058 Dr=.015875      ! Outside diameter of the outlet end
1059 Dssp=.1524      ! Inside diameter of stainless steel test section
1060 Ax=PI*Dssp**2/4
1061 Alp2=0.
1062 L=.13335        ! Condensing length
1063 L1=.060325      ! Inlet end "fin length"
1064 L2=.034925      ! Outlet end "fin length"
1065 PRINTER IS 1
1066 BEEP
1067 PRINT USING "4X,""Select option:"""
1069 PRINT USING "6X,"" 0 Take data or re-process previous data""
1084 PRINT USING "6X,"" 1 Print raw data""
1090 PRINT USING "6X,"" 2 WILSON Analysys""
1093 PRINT USING "6X,"" 3 MODIFY""
1096 PRINT USING "6X,"" 4 PURGE""
1102 PRINT USING "6X,"" 5 RENAME""
1103 PRINT USING "6X,"" 6 MERGE FILES""
1104 PRINT USING "6X,"" 7 X Y PLOT DATA OUTPUT""
1106 INPUT Iso
1108 Iso=Iso+1
1111 IF Iso>1 THEN 3094
1112 BEEP
1115 INPUT "SELECT FLUID (0=WATER, 1=R-113, 2=EG)",If:
1116 Ifto=If:
1117 BEEP
1118 Ijob=0
1119 INPUT "ENTER INPUT MODE (0=3054A,1=FILE)",Im
1120 Im=Im+1
1123 BEEP
1124 IF Im=1 THEN
1126     INPUT "ENTER MONTH, DATE AND TIME (MM:DD:HH:MM:SS)",Dates
1129     OUTPUT 709;"TD";Dates
1132     OUTPUT 709;"TD"
1133     ENTER 709;Dates
1135 END IF
1136 IF Ijob=1 THEN
1138     BEEP
1141     INPUT "SKIP PAGE AND HIT ENTER",Ok
1144 END IF
1145 PRINTER IS 701
1146 IF Im=1 THEN
1148     ENTER 709;Dates

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1254     PRINT " 2=COUMES"
1265     PRINT " 3=GUTTENDORF"
1266     ELSE
1267         PRINT " 4=SWENSEN"
1268         PRINT " 5=O'KEEFE"
1269         PRINT " 6=LONG"
1270         PRINT " 7=COBB"
1271     END IF
1272     INPUT Inam
1273     Inamo=Inam
1277     BEEP
1278     INPUT "GIVE THE NAME OF THE EXISTING DATA FILE",D_files$
1279     PRINTER IS 701
1280     IF Inam=0 THEN PRINT USING "16X, ""Data taken by           : VAN PETT
EN""
1281     IF Inam=1 THEN PRINT USING "16X, ""Data taken by           : MITROU""
"
1282     IF Inam=2 THEN PRINT USING "16X, ""Data taken by           : COUMES""
"
1283     IF Inam=3 THEN PRINT USING "16X, ""Data taken by           : GUTTENDO
RF""
1284     IF Inam=4 THEN PRINT USING "16X, ""Data taken by           : SWENSEN"
""
1285     IF Inam=5 THEN PRINT USING "16X, ""Data taken by           : O'KEEFE"
""
1286     IF Inam=6 THEN PRINT USING "16X, ""Data taken by           : LONG""
1287     IF Inam=7 THEN PRINT USING "16X, ""Data taken by           : COBB""
1288     PRINT USING "16X, ""This analysis done on file : "",10A":D_files$
1289     PRINTER IS 1
1290     BEEP
1291     INPUT "ENTER NUMBER OF DATA SETS STORED",Nrun
1292     ASSIGN @File TO D_files$
1293     ENTER @File;Ifg,Inn
1294     IF Istu=0 THEN
1295         ENTER @File;Iwt,Fp,Fw,Fh
1296     ELSE
1297         IF Ifg=0 THEN ENTER @File;Iwt
1298         IF Ifg=1 THEN ENTER @File;Fp,Fw,Fh
1299     END IF
1300     END IF
1301     IF Istu=1 AND Inn=1 THEN Inn=2
1303     IF Ijob=1 THEN 1537
1304     IF Ift>0 THEN 1349
1305     BEEP
1306     PRINTER IS 1
1307     PRINT USING "4X, ""Select tube type: ""
1328     PRINT USING "6X, ""0 SMOOTH TUBE""
1329     PRINT USING "6X, ""1 FINNED TUBE (RECTANGULAR)""

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1330 PRINT USING "6X,""2 WIRE-WRAPPED SMOOTH TUBE""
1331 PRINT USING "6X,""3 LPD KORODENSE TUBE""
1332 PRINT USING "6X,""4 WIRE-WRAPPED LPD KORODENSE TUBE""
1333 PRINT USING "6X,""5 MHT KORODENSE TUBE""
1334 PRINT USING "6X,""6 WIRE-WRAPPED MHT KORODENSE TUBE""
1336 PRINT USING "6X,""7 FINNED TUBE (SHALLOW FILLET)""
1337 PRINT USING "6X,""8 FINNED TUBE (DEEP FILLET)""
1338 INPUT Ityp
1339 PRINTER IS 701
1340 BEEP
1341 PRINTER IS 1
1342 PRINT USING "4X,""Select Material Code: ""
1343 PRINT USING "6X,""0 COPPER      1 STAINLESS STEEL""
1344 PRINT USING "6X,""2 ALUMINUM  3 90:10 CU/NI""
1345 PRINT USING "6X,""4 TITANIUM  ""
1346 INPUT Imc
1347 Imco=Imc
1349 PRINTER IS 1
1350 BEEP
1351 Itds=1
1353 PRINT USING "4X,""SELECT TUBE DIA TYPE: ""
1357 PRINT USING "6X,""0  SMALL""
1360 PRINT USING "6X,""1  MEDIUM (DEFAULT)""
1363 PRINT USING "6X,""2  LARGE""
1364 PRINT USING "6X,""3  SMALL (COBB)""
1367 PRINT USING "6X,""4  OTHER (LPD/MHT)""
1368 INPUT Itds
1372 IF (Ityp=0 OR Ityp=1 OR Ityp=2) AND Imc=0 THEN
1375 IF Itds=0 THEN
1376     Di=.009525
1377     Do=.0127
1378 END IF
1379 IF Itds=1 THEN
1380     Di=.0127
1381     Do=.01905
1383 END IF
1384 IF Itds=2 THEN
1385     Di=.0127
1386     Do=.025
1387 END IF
1388 IF Itds=3 THEN
1389     Di=.0127
1390     Do=.01388      'DEEP DEPTH
1391     Do=.01438      'SHALLOW DEPTH
1393 END IF
1394 IF Itds=4 THEN
1395     PRINT USING "6X,""ERROR - NO COPPER LPD/MHT""
1396 END IF

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1397 END IF
1398 IF (Ityp=1 OR Ityp=2) AND Itds=3 THEN
1399     Di=.0127
1400     Do=.01383
1401 END IF
1402 IF Ityp=7 AND Itds=3 THEN
1403     Di=.0127
1404     Do=.01438
1405 END IF
1406 IF (Ityp=3 OR Ityp=4) AND Imc=4 THEN
1407     Di=.01347
1408     Do=.01585
1409 END IF
1410 IF (Ityp=0 OR Ityp=2) AND Imc=4 THEN
1411     Do=.01585
1412     Di=.01536
1413 END IF
1414 IF (Ityp=5 OR Ityp=6) AND Imc=4 THEN
1415     Do=.01507
1416     Di=.01353
1417 END IF
1418 Di=.01905
1419 D2=.01565
1420 IF Itds=3 OR Itds=4 THEN Di=.01585
1421 IF (Ityp=0 OR Ityp=2) AND Imc=4 THEN Di=.01585
1422 THERMAL CONDUCTIVITIES TAKEN FROM "THERMOPHYSICAL PROPERTIES OF MATTER"
1423 THE TPRC DATA SERIES - VOLUME 1
1424 IF Imc=0 THEN Kcu=390.8
1425 IF Imc=1 THEN Kcu=14.3
1426 IF Imc=2 THEN Kcu=231.8
1427 IF Imc=3 THEN Kcu=55.3
1428 IF Imc=4 THEN Kcu=18.9
1429 Rm=Do*LOG(Do/Di)/(2*Kcu) ! Wall resistance based on outside area
1430 BEEP
1431 INPUT "ENTER PRESSURE CONDITION (0=V,1=A)",Ipc
1432 Ipc=Ipc
1433 Inf=0
1434 BEEP
1435 Ife=1
1436 PRINTER IS 701
1437 PRINT USING "16X,""This analysis includes end-fin effect""
1438 PRINT USING "16X,""Thermal conductivity      = "" ,3D.D,"" (W/m.K)""";Kcu
1439 PRINT USING "16X,""Inside diameter, Di        = "" ,DD.DD,"" (mm)""";Di*1000
1440 PRINT USING "16X,""Outside diameter, Do       = "" ,DD.DD,"" (mm)""";Do*1000
1441 Ih=0
1442 PRINTER IS 1
1443 PRINT "      SELECT INSIDE CORRELATION:"
1444 PRINT "      0=SIDER-TATE (DEFAULT)"

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1560 PRINT "          1=SLEICHER-ROUSE"
1561 PRINT "          2=PETUKHOV-POPOV"
1562 INPUT Ihl
1563 IF Ihl=0 THEN
1564     BEEP
1565     INPUT "      SELECT REYNOLDS EXPONENT",Rexp
1566 END IF
1567 Ioc=0
1568 BEEP
1570 PRINT
1571 PRINT "      SELECT OUTSIDE THEORY/CORRELATION FOR WILSON ANALYSIS:"
1572 PRINT "          0=NUSSELT THEORY (DEFAULT)"
1573 PRINT "          1=FUJII (1979) CORRELATION"
1574 INPUT Ioc
1575 BEEP
1576 Itm=1
1577 PRINT
1578 PRINT "      SELECT COOLANT TEMPERATURE RISE MEASUREMENT:"
1579 IF Istu=0 THEN PRINT "          0=SINGLE TEFLON T/C"
1580 PRINT "          1=QUARTZ THERMOMETER (DEFAULT)"
1581 PRINT "          2=10-JUNCTION THERMOPILE"
1582 INPUT Itm
1583 PRINTER IS 701
1584 IF Itm=0 THEN PRINT USING "16X,""This analysis uses the SINGLE TEFLON T/C
readings""
1585 IF Itm=1 THEN PRINT USING "16X,""This analysis uses the QUARTZ THERMOMETER
readings""
1586 IF Itm=2 THEN PRINT USING "16X,""This analysis uses the 10-JUNCTION THERMO
PILE readings""
1587 Iic=1 ! FOR MODIFIED WILSON
1588 IF Ihl=0 AND Inn=0 THEN C1=.027
1591 IF Ihl=0 AND Inn=2 THEN C1=.05
1592 IF Ihl=0 AND Inn=3 THEN C1=.07
1594 IF Ihl=1 OR Ihl=2 THEN
1595     IF Inn=0 THEN C1=1.0
1597     IF Inn=2 THEN C1=2.0
1598     IF Inn=3 THEN C1=2.5
1599 END IF
1601 IF Iwil=1 THEN
1602     BEEP
1603     INPUT "ENTER C1 IF DIFFERENT FROM STORED VALUE",C1
1604 END IF
1605 PRINTER IS 701
1606 IF Ihl=0 THEN PRINT USING "16X,""Modified Sieder-Tate coefficient   = "",2
.4D";C1
1607 IF Ihl=0 THEN PRINT USING "16X,""Chosen Reynolds No. exponent       = "",D
.DD";Rexp
1608 IF Ihl=1 THEN PRINT USING "16X,""Modified Sleicher-Rouse coefficient   = "

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",Z.4D";C1
1609 IF Ihl=2 THEN PRINT USING "16X","Modified Petukhov-Popov coefficient   = "
",Z.4D";C1
1610 IF Inn=0 THEN PRINT USING "16X","Using no insert inside tube""
1611 IF Inn=2 THEN PRINT USING "16X","Using wire wrap insert inside tube""
1612 IF Inn=3 THEN PRINT USING "16X","Using HEATEX insert inside tube""
1620 IF Iic=1 THEN Ac=0.
1621 BEEP
1622 IF Ijob=1 THEN 1648
1623 PRINTER IS 1
1624 INPUT "NAME FOR A TEMPORARY PLOT FILE (TO BE PURGED)",P_files$
1625 P_files$="DUMMY"
1626 BEEP
1634 CREATE BOAT P_files$,30
1644 ASSIGN @Filep TO P_files$
1648 IF Ijob=1 THEN
1651     Iov=1
1654     GOTO 1667
1657 END IF
1660 BEEP
1661 INPUT "SELECT OUTPUT (0=SHORT, 1=LONG)",Iov
1666 Iov=Iov+1
1667 PRINTER IS 70!
1672 IF Ityp=0 THEN PRINT USING "16X","Tube Enhancement      : SMOOTH TUBE""
1673 IF Ityp=1 THEN PRINT USING "16X","Tube Enhancement      : RECTANGULAR FINNED
TUBE""
1674 IF Ityp=2 THEN PRINT USING "16X","Tube Enhancement      : WIRE-WRAPPED SMOOTH
TUBE""
1675 IF Ityp=3 THEN PRINT USING "16X","Tube Enhancement      : LPD KORODENSE TUBE"
""
1678 IF Ityp=4 THEN PRINT USING "16X","Tube Enhancement      : WIRE-WRAPPED LPD KO
RODENSE TUBE""
1679 IF Ityp=5 THEN PRINT USING "16X","Tube Enhancement      : MHT KORODENSE TUBE"
""
1680 IF Ityp=6 THEN PRINT USING "16X","Tube Enhancement      : WIRE-WRAPPED MHT KO
RODENSE TUBE""
1681 IF Ityp=7 THEN PRINT USING "16X","Tube Enhancement      : SHALLOW FILLET FINN
ED TUBE""
1682 IF Ityp=8 THEN PRINT USING "16X","Tube Enhancement      : DEEP FILLET FINNED
TUBE""
1683 BEEP
1684 IF Imc=0 THEN PRINT USING "16X","Tube material          : COPPER""
1685 IF Imc=1 THEN PRINT USING "16X","Tube material          : STAINLESS-STEEL""
1686 IF Imc=2 THEN PRINT USING "16X","Tube material          : ALUMINUM""
1687 IF Imc=3 THEN PRINT USING "16X","Tube material          : 90/10 CU/NI""
1688 IF Imc=4 THEN PRINT USING "16X","Tube material          : TITANIUM""
1689 IF Ipc=0 THEN PRINT USING "16X","Pressure condition    : VACUUM""
1690 IF Ipc=1 THEN PRINT USING "16X","Pressure condition    : ATMOSPHERIC""

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1691 PRINT USING "16X," "Fin pitch, width, and height (mm): ", DD.DD, 2X, Z.DD, 2X,
Z.DD; Fp, Fw, Fh
1692 IF Iw1=0 AND Im=2 THEN
1693     Ijob=1
1694     Iwd=1
1696     CALL Wilson(C1)
1699 END IF
1702 J=0
1712 IF Iov=1 THEN
1722     PRINT
1723     IF Ihi=1 THEN
1724         PRINT USING "10X," "Data   Vw           Uo           Ho           Qp           Tcf
Ts      Rexp""
1725         PRINT USING "10X," "  # (m/s) (W/m^2-K) (W/m^2-K) (W/m^2) (C)
(C) (S-R)""
1726     ELSE
1728         PRINT USING "10X," "Data   Vw           Uo           Ho           Qp
Tcf      Ts""
1729         PRINT USING "10X," "  # (m/s) (W/m^2-K) (W/m^2-K) (W/m^2)
(C) (C)""
1730     END IF
1740 END IF
1747 Zx=0
1750 Zx2=0
1753 Zxy=0
1756 Zy=0
1759 Sx=0
1762 Sy=0
1765 Sxs=0
1768 Sxy=0
1771 Go_on=1
1774 Repeat:
1777 J=J+1
1780 IF Im=1 THEN
1783     BEEP
1786     INPUT "LIKE TO CHECK NG CONCENTRATION (1=Y,0=N)?", Ng
1789     IF J=1 THEN
1792         OUTPUT 709; "AR AF40 AL41 VR5"
1795         OUTPUT 709; "AS SA"
1798     END IF
1801     BEEP
1804     INPUT "ENTER FLOWMETER READING", Fm
1807     OUTPUT 709; "AR AF50 AL62 VR5"
1810     OUTPUT 709; "AS SA"
1813     ENTER 709; Etp
1816     OUTPUT 709; "AS SA"
1819     BEEP
1822     INPUT "CONNECT VOLTAGE LINE", Ok

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1825 ENTER 709:Bvol
1828 BEEP
1831 INPUT "DISCONNECT VOLTAGE LINE",Ok
1834 IF Bvol<1 THEN
1837     BEEP
1840     BEEP
1843     INPUT "INVALID VOLTAGE, TRY AGAIN!",Ok
1846     GOTO 1819
1849 END IF
1858 OUTPUT 709;"AS SA"
1861 ENTER 709:Bamp
1862 Etp=Etp+1.E+6
1863 OUTPUT 709;"AR AF40 AL47 VRS"
1874 Nn=7
1876 FOR I=0 TO Nn
1879     OUTPUT 709;"AS SA"
1885     Se=0
1888     FOR K=1 TO 10
1891         ENTER 709:E
1894         Se=Se+E
1897     NEXT K
1900     Emf(I)=ABS(Se/10)
1916     Emf(I)=Emf(I)*1.E+6
1918 NEXT I
1921 OUTPUT 709;"AS SA"
1924 OUTPUT 713;"T1R2E"
1927 WAIT 2
1930 ENTER 713:T11
1933 OUTPUT 713;"T2R2E"
1936 WAIT 2
1939 ENTER 713:T2
1942 OUTPUT 713;"T1R2E"
1945 WAIT 2
1948 ENTER 713:T12
1951 T1=(T11+T12)*.5
1954 OUTPUT 713;"T3R2E"
1960 BEEP
1970 INPUT "ENTER PRESSURE GAGE READING (Pga)",Pga
1971 Pvap1=Pga*6894.7 ! PSI TO Pa
1972 OUTPUT 709;"AR AF64 AL64 VRS"
1973 OUTPUT 709;"AS SA" ! PRESSURE TRANSDUCER
1974 Ss=0
1975 FOR K=1 TO 20
1976     ENTER 709:Etran
1977     Ss=Ss+Etran
1978 NEXT K
1979 Ptran=ABS(Ss/20)
1980 BEEP
1981 ! PRESSURE IN Pa FROM TRANSDUCER
1982 Pvpap2=(-2.93604*Ptran+14.7827)*6894.7
1985 ELSE
1986     IF Istu=0 THEN
1989         ENTER @File:Bvol,Bamp,Etp,Fm,T1,T2,Pvap1,Pvap2,Emf(*)
1990     ELSE

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1992      ENTER @File:Bvol,Bamp,Utran,Etp,Emf(0),Emf(1),Emf(2),Emf(3),Emf(4),F
m,T1,T2,Phg,Pwater
1994      END IF
1996      IF J=1 OR J=20 OR J=Nrun THEN
1997          Ng=1
1998      ELSE
1999          Ng=0
2000      END IF
2002      END IF
2003      IF Istu=0 THEN
2008          Tsteam1=FNTvsv57(Emf(0))
2009          Tsteam1=Tsteam1-273.15
2010          Tsteam2=FNTvsv56(Emf(1))
2011          Tsteam2=Tsteam2-273.15
2012          Tsteam=Tsteam1
2015          Troom=FNTvsv58(Emf(2))
2023          Troom=Troom-273.15
2038          Tcon=FNTvsv58(Emf(7))
2039          Tcon=Tcon-273.15
2042      ELSE
2043          Tsteam=FNTvsv(Emf(0))
2044          Troom=FNTvsv(Emf(3))
2045          Tcon=FNTvsv(Emf(4))
2046      END IF
2048      Psat=FNpvst(Tsteam)
2050      Rohg=13529-122*(Troom-26.85)/50
2053      Rowater=FNrhov(Troom)
2063      IF Istu=0 THEN
2081          Ptest1=Pvap1
2082          Ptest2=Pvap2
2083      ELSE
2084          Ptest2=(Phg*Rohg-Pwater*Rowater)*9.81/1000
2085      END IF
2087      Pks=Psat*1.E-3
2088      Pkp=Ptest2*1.E-3
2090      Pkt=Pks
2091      Ttran=FNTvsp(Ptest2)
2092      PRINT Psat,Ptest2,Ttran,Tsteam
2098      Vst=FNvst(Tsteam)
2104      Ppng=(Ptest2-Psat)/Ptest2
2121      Ppst=1-Ppng
2122      Mwv=18.016
2123      IF Ift=1 THEN Mwv=137      ! TO BE CORRECTED
2124      IF Ift=2 THEN Mwv=62
2125      Vfng=(Ptest2-Psat)/Ptest2
2126      Mfng=1/(1+(1/Vfng-1)*Mwv/28.97)
2127      Mfng=Mfng*100
2128      Vfng=Vfng*100

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2131 BEEP
2134 IF Iov=2 THEN
2137   PRINT
2138   RECORD TIME OF TAKING DATA
2139   IF Im=1 THEN
2140     OUTPUT 709;"TD"
2141     ENTER 709;Tolds
2142   END IF
2144   PRINT USING "10X, ""Data set number          = "",00,4X,14A";J,Tolds
2145   OUTPUT 709;"AR AF40 AL40 VRS"
2146   OUTPUT 709;"AS SA"
2149 END IF
2152 IF Iov=2 AND Ng=1 THEN
2155   IF Istu=0 THEN PRINT USING "10X, ""      Psat      Ptran      Tsat      Ttran      N
6 %""
2156   IF Istu=1 THEN PRINT USING "10X, ""      Psat      Pman      Tsat      Tman      N
6 %""
2158   PRINT USING "10X, ""      (kPa)      (kPa)      (C)      (C)      Molal ""
2161   PRINT USING "11X,5(M3D.D,2X)";Pks,Pkp,Tsteam,Ttran,Mfng
2164   PRINT
2167 END IF
2170 IF Mfng>.5 THEN
2173   BEEP
2176   IF Im=1 AND Ng=1 THEN
2179     BEEP
2182     PRINT
2185     PRINT USING "10X, ""Energize the vacuum system ""
2188     BEEP
2191     INPUT "OK TO ACCEPT THIS RUN (1=Y,0=N)?",Ok
2194     IF Ok=0 THEN
2197       BEEP
2200       DISP "NOTE: THIS DATA SET WILL BE DISCARDED!! "
2203       WAIT 5
2206       GOTO 1780
2209     END IF
2212   END IF
2215 END IF
2218 IF Im=1 THEN
2221   IF Fm<10 OR Fm>100 THEN
2224     Ifm=0
2227     BEEP
2230     INPUT "INCORRECT FM (1=ACCEPT,0=DELETE)",Ifm
2233     IF Ifm=0 THEN 1804
2236   END IF
2239 END IF
2242 ANALYSIS BEGINS
2243 IF Istu=0 THEN
2252   T11=FNTvsv58(Emf(3))

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2272     Tol=FNTvsv58(Emf(4))
2292     T11=T11-273.15
2312     Tol=Tol-273.15
2332     Tdel1=Tol-T11
2352     Tdel2=T2-T1
2353     Etp1=Emf(3)+Etp/20.
2354     Dtde=2.5931E-2-1.50464E-6*Etp1+1.21701E-10*Etp1^2-5.1164E-15*Etp1^3+3.2
201E-19*Etp1^4
2355     Tris=Dtde*Etp/10.
2358     To3=T11+Tris
2359     IF Iov=2 THEN
2361         PRINT USING "IX, " TIN1 TOUT1 TIN2 TOUT2 DELT1 DELT2
TPILE ---
2362         PRINT USING "IX, " (SINGLE) (QUARTZ) ---
2364         PRINT USING "2X,7(3D.DD,2X)":T11,Tol,T1,T2,Tdel1,Tdel2,Tris
2365     END IF
2367     Er1=ABS(T11-T1)
2369     PRINTER IS 1
2370     BEEP
2375     Er2=ABS((T2-T1)-(Tris))/(T2-T1)
2377     IF Er2>.05 AND Im=1 THEN
2378         BEEP
2379         PRINT "QCT AND T-PILE DIFFER BY MORE THAN 5%"
2380         Ok2=1
2381         IF Ok2=0 AND Er2>.05 AND Im=1 THEN 1780
2382     END IF
2383     PRINTER IS 701
2384 ELSE
2385     Tsteam=FNTvsv(Emf(0))
2387     T11=FNTvsv(Emf(2))
2388     Grad=FNGrad((T1+T2)*.5)
2389     To3=T11+ABS(Etp)/(10*Grad)*1.E+6
2392 END IF
2393 IF Istu=0 AND Itm=0 THEN
2394     Tcin=T11
2395     Tcout=Tol
2396 END IF
2397 IF Itm=1 THEN
2398     Tcin=T1
2399     Tcout=T2
2400 END IF
2401 IF Itm=2 THEN
2402     Tcin=T11
2403     Tcout=To3
2404 END IF
2405 Tavg=(Tcin+Tcout)*.5
2406 Trise=Tcout-Tcin
2407! PRINT Trise

```

```

2414 Ift=0
2415 Cpw=FNCpw(Tavg)
2416 Rhow=FNRhow(Tavg)
2417 Kw=FNKw(Tavg)
2418 Muwa=FNMuw(Tavg)
2419 Prw=FNPrw(Tavg)
2420 Ift=Ifto
2422 IF Istu=0 THEN
2423   Mdt=(6.7409*Fm+13.027)/1000.
2424   Md=Mdt*(1.0365-1.96644E-3*Tcin+5.252E-6*Tcin^2)/1.0037
2425 ELSE
2426   Mdt=1.04805E-2+6.80932E-3*Fm
2427   Md=Mdt*(1.0365-1.96644E-3*Tcin+5.252E-6*Tcin^2)/.995434
2428 END IF
2429 Vf=Md/Rhow
2430 Vw=Vf/(PI*Di^2/4)
2431 Tcor=FNTfric(Trise)
2432 Trise=Tcor
2433 Tcout=Tcin+Trise
2434 Lmtd=Trise/LOG((Tsteam-Tcin)/(Tsteam-Tcout))
2447 Q=Md*Cpw*Trise
2448 Qp=Q/(PI*Do*L)
2449 Uo=Qp/Lmtd
2451 PRINT Trise,Q,Do,L,Qp,Lmtd,Uo,Vw
2452 Re1=Rhow*Vw*Di/Muwa ! ASSUMED SAME FOR KORODENSE
2453 Ift=0
2455 Fe1=0.
2456 Fe2=0.
2457 Cf=1.
2458 Prwf=Prw
2459 Reif=Re1
2461 IF Ihi=0 THEN
2463   Omega=Re1^Rexp*Prw^.3333*Cf
2465 END IF
2466 IF Ihi=1 THEN
2467   Sra=.88-(.24/(4.+Prwf))
2468   Srb=.333333+.5*EXP(-.6*Prwf)
2470   Omega=(5.+0.15*Reif^Sra*Prwf^Srb)
2471 END IF
2472 IF Ihi=2 THEN
2473   Epsi=(1.82*LOG(Re1)-1.64)^(-2)
2474   Ppk1=1.+3.4*Epsi
2475   Ppk2=11.7+1.8*Prw^(-1/3)
2476   Pp1=(Epsi/8)*Re1*Prw
2477   Pp2=(Ppk1+Ppk2*(Epsi/8)^.5*(Prw^.6666-1))
2478   Omega=Pp1/Pp2
2479 END IF
2481 Hi=Kw/Di*Ci*Omega

```

```

2482 IF Ife=0 THEN GOTO 2491
2483 P1=Pi*(D1+D1)
2484 A1=(D1-D1)*Pi*(D1+D1)*.5
2485 M1=(H1*P1/(Kcu*A1)).5
2486 P2=Pi*(D1+D2)
2487 A2=(D2-D1)*Pi*(D1+D2)*.5
2488 M2=(H1*P2/(Kcu*A2)).5
2489 Fe1=FNTanh(M1*L1)/(M1*L1)
2490 Fe2=FNTanh(M2*L2)/(M2*L2)
2491 Dt=Q/(Pi*D1*(L+L1*Fe1+L2*Fe2)*H1)
2492 IF Ihi=0 THEN
2494   Cfc=(Muwa/FNMuw(Tavg+Dt)).14
2495   IF ABS((Cfc-Cf)/Cfc)>.001 THEN
2497     Cf=(Cf+Cfc)*.5
2500     GOTO 2461
2501   END IF
2503 END IF
2504 IF Ihi=1 THEN
2505   Prwfc=FNPrw(Tavg+Dt)
2506   Refc=Uw*Di*FNRhw(Tavg+Dt)/FNMuw(Tavg+Dt)
2507   IF ABS((Prwfc-Prwf)/Prwfc)>.001 OR ABS((Refc-Ref)/Refc)>.001 THEN
2508     Prwf=(Prwfc+Prwf)/2.
2509     Ref=(Refc+Ref)/2.
2510     GOTO 2461
2511   END IF
2513 END IF
2516 Ift=Ifto
2521 Ho=1/(1/Uo-Do*L/(Di*(L+L1*Fe1+L2*Fe2)*H1)-Rm)
2522 Tcf=Qp/Ho
2525 Cpsc=FNCpw((Tcon+Tsteam)*.5)
2526 Hfg=FNHfg(Tsteam)
2527 Two=Tsteam-Qp/Ho
2528 Tfilm=Tsteam/3+Two*2/3
2530 Kf=FNKw(Tfilm)
2533 Rhf=FNRhw(Tfilm)
2536 Muf=FNMuw(Tfilm)
2537 Hfgp=FNHfg(Tsteam)+.68*FNCpw(Tfilm)*(Tsteam-Two)
2539 Hpq=.651*Kf*(Rhf2*9.81+Hfgp/(Muf*Do*Qp)).3333
2541 Hnuss=.728*(Kf3*9.81+Hfgp*Rhf2/(Muf*Do*(Tsteam-Two))).25
2542 Alp1=.728*Ho/Hnuss
2548 Tfm(J-1)=Tfilm
2551 Qpa(J-1)=Qp
2554 Y=Hpq*Qp.3333
2557 X=Qp
2560 Sx=Sx+X
2563 Sy=Sy+Y
2566 Sxs=Sxs+X2
2569 Sxy=Sxy+X*Y

```

```

2572 Q1=500
2575 Qloss=Q1/((100-25)*(Tsteam-Troom) ! TO BE MODIFIED
2584 Mdv=0
2587 Bp=(Bvol*100)^2/5.76
2590 Hsc=Cpsc*(Tsteam-Tcon)
2593 Mdv=((Bp-Qloss)-Mdv*Hsc)/Hfg
2596 IF ABS((Mdv-Mdv)/Mdv)>.01 THEN
2599     Mdv=(Mdv+Mdv)*.5
2602     GOTO 2593
2605 END IF
2608 Mdv=(Mdv+Mdv)*.5
2611 Ug=FNUvst(Tsteam)
2614 Uv=Mdv*Ug/Ax
2620 F=(9.81*Do*Muf*Hfg)/(Uv^2*Kf*(Tsteam-Two))
2623 Nu=Ho*Do/Kf
2626 Ret=Uv*Rhof*Do/Muf
2629 Nr=Nu/Ret^.5
2630 Hfuj=.96*(9.81*Hfgp/Tcf)^.2*Kf^.8*Uv^.1*Rhof^.5/(Do*Muf)^.3
2635 IF Iov=2 THEN
2645     PRINT
2647     PRINT USING "5X,"" Uv      Rei      Hi      Uo      Hfuj(DT)
           Hnu(DT)""
2650     PRINT USING "5X,Z.00,1X,3(MZ.3DE,1X),3X,2(MZ.3DE,3X)";Uv,Rei,Hi,Uo,Hfuj
           ,Hnu
2651     PRINT
2653     PRINT USING "5X,"" Uv      Ho      q      Tcf      Tfilm      T
           stm""
2655     PRINT USING "5X,Z.00,1X,5(MZ.3DE,1X)";Uv,Ho,Qp,Tcf,Tfilm,Tsteam
2656     PRINT
2658 END IF
2659 IF Iov=1 THEN
2660     IF Ihi=1 THEN
2661         PRINT USING "11X,00,2X,Z.00,1X,3(MD.3DE,1X),2(3D.00,1X),D.000";J,Uv,Uo,
           Ho,Qp,Tcf,Tsteam,Sra
2662         PRINT USING "5X,"" Tfilm "";Tfilm
2664     ELSE
2668     PRINT USING "11X,00,4X,Z.00,2X,2(MD.3DE,2X),Z.3DE,3X,3D.00,2X,3D.00";J,Uv
           ,Uo,Ho,Qp,Tcf,Tsteam
2671     END IF
2674 END IF
2675 IF Im=2 THEN
2684     IF (Iwil=0 AND Ijob=1) OR Iwil>0 THEN OUTPUT @Filep;Qp,Ho
2694 END IF
2707 BEEP
2708 IF Im=1 THEN
2709     IF (Iwil=0 AND Ijob=1) OR Iwil=1 THEN OUTPUT @Filep;Qp,Ho
2711     INPUT "CHANGE TCOOL RISE? 1=Y, 2=N",Itr
2712     IF Itr=1 THEN GOTO 2384

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```

2713 BEEP
2715 INPUT "OK TO STORE THIS DATA SET (1=Y,0=N)?",Oks
2716 IF Oks=1 THEN
2725     OUTPUT @File;Bvol,Bamp,Etp,Fm,T1,T2,Pvap1,Pvap2,Enf(*)
2735     Alp2=Alp1+Alp2
2749 ELSE
2752     J=J-1
2755 END IF
2758 BEEP
2761 INPUT "WILL THERE BE ANOTHER RUN (1=Y,0=N)?",Go_on
2764 Nrun=J
2767 IF Go_on<>0 THEN Repeat
2770 ELSE
2773     IF J<Nrun THEN Repeat
2776 END IF
2779 IF Ijob=1 THEN 2809
2782 IF Iwil=0 THEN
2785     ASSIGN @File TO *
2788     Ijob=1
2791     Iwd=1
2794 CALL Wilson(Ci)
2797     Im=2
2800     ASSIGN @File TO D_files
2803     GOTO 1136
2806 END IF
2809 IF Ifg=0 THEN
2812     PRINT
2815     S1=(Nrun*Sxy-Sy*Sx)/(Nrun*Sxs-Sx^2)
2818     Ac=(Sy-S1*Sx)/Nrun
2822     PRINT USING "10X," "Least-Squares Line for Ho vs q curve: ""
2824     PRINT USING "10X," " Slope      = "" ,MD.4DE";S1
2827     PRINT USING "10X," " Intercept = "" ,MD.4DE";Ac
2830 END IF
2833 BEEP
2843 INPUT "ENTER SAME TEMPORARY PLOT FILE NAME",Fplots
2853 ASSIGN @Filep TO P_files
2863 FOR I=1 TO Nrun
2873     ENTER @Filep;Qp,Ho
2883     Xc=LOG(Qp/Ho)
2884     Yc=LOG(Qp)
2885     Zx=Zx+Xc
2886     Zx2=Zx2+Xc^2
2887     Zxy=Zxy+Xc*Yc
2888     Zy=Zy+Yc
2889 NEXT I
2890 Bb=.75
2891 Aa=EXP((Zy-Bb*Zx)/Nrun)
2892 PRINT

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2893 PRINT USING "10X","Least-squares line for q = a*delta-T^b"
2894 PRINT USING "12X","a = ",M2.4DE";Aa
2895 PRINT USING "12X","b = ",M2.4DE";Bb
2896 IF Ift=0 THEN
2897     IF Ipc=0 THEN
2898         Qps=2.5E+5
2899         IF Iic=0 THEN Hop=9326
2902         IF Iic=1 THEN Hop=10165*(.01905/Do)^(.33333)
2905     END IF
2908     IF Ipc=1 THEN
2911         Qps=7.5E+5
2914         IF Iic=0 THEN Hop=7176
2917         IF Iic=1 THEN Hop=7569*(.01905/Do)^(.33333)
2920     END IF
2923     Hos=Aa^(1/Bb)*Qps^((Bb-1)/Bb)
2926     IF Ipc=0 THEN Aas=2.32E+4
2929     IF Ipc=1 THEN Aas=2.59E+4
2930     Alps=.876 !SWENSEN DATA
2931     IF Iwil=0 THEN GOTO 2959
2933     Enrat=Alp2/Alps
2934     Enr=Hos/Hop
2935     Enr=Aa/Aas
2938     PRINT
2941     PRINT USING "10X","Values computed at q = ",Z.00," (MW/m^2):";Qps/1
.E+6
2944     PRINT USING "12X","Heat-transfer coefficient = ",000.000," (kW/m^2.K)
";Hos/1000
2947     PRINT USING "12X","Enhancement ratio (Del-T) = ",20.30";Enrat
2950     PRINT USING "10X","Enhancement ratio at constant Delta-T = ",00.00";E
nr
2953     PRINT USING "10X","Enhancement ratio at constant q = ",00.00";E
nr^1.3333
2956 ELSE
2959     PRINT
2962     IF Ift=1 THEN
2965         Aas=2687.2 ! ZEBROWSKI (U = 0.4 m/s)
2968         Aas=2557.0*(.01905/Do)^(.33333) ! VAN PETTEN (U = 0.25 m/s)
2971     END IF
2974     IF Ift=2 THEN Aas=9269.7*(.01905/Do)^(.33333)
2977     Edt=Aa/Aas
2980     Eq=Edt^(4/3)
2983     PRINT USING "10X","Enhancement (q) = ",00.30";Eq
2986     PRINT USING "10X","Enhancement (Del-T) = ",00.30";Edt
2989 END IF
2992 IF Im=1 THEN
2995     BEEP
2998     PRINT
3001     PRINT USING "10X","NOTE: ",Z2," data points were stored in file ",10

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A":J,D_files
3004! END IF
3007 BEEP
3013 PRINT
3016 PRINT USING "10X,"NOTE: ",Z2," X-Y pairs were stored in data file ",10
A":J,Plots$
3031 BEEP
3073 ASSIGN @File TO *
3079 ASSIGN @Filep TO *
3080 PURGE "DUMMY"
3094 IF Iso=2 THEN CALL Raw
3100 IF Iso=3 THEN CALL Wilson(Ci)
3103 IF Iso=4 THEN CALL Modify
3106 IF Iso=5 THEN CALL Purg
3112 IF Iso=6 THEN CALL Renam
3113 IF Iso=7 THEN CALL Mergefile
3114 IF Iso=8 THEN CALL Xyoutput
3116 END
3118 DEF FNPvst(Tc)
3121 COM /Fld/ Ift,Istu
3124 DIM K(8)
3127 IF Ift=0 THEN
3130 DATA -7.691234564,-26.08023696,-168.1706546,64.23795504,-118.9646225
3133 DATA 4.16711732,20.9750676,1.E9,6
3136 READ K(*)
3139 T=(Tc+273.15)/647.3
3142 Sum=0
3145 FOR N=0 TO 4
3148 Sum=Sum+K(N)*(1-T)^(N+1)
3151 NEXT N
3154 Br=Sum/(T*(1+K(5)*(1-T)+K(6)*(1-T)^2))-(1-T)/(K(7)*(1-T)^2+K(8))
3157 Pr=EXP(Br)
3160 P=22120000*Pr
3163 END IF
3166 IF Ift=1 THEN
3169 Tf=Tc+1.8+32+459.6
3172 P=10^(33.0655-4330.98/Tf-9.2635*L6T(Tf)+2.0539E-3*Tf)
3175 P=P*101325/14.696
3178 END IF
3181 IF Ift=2 THEN
3184 A=9.394685-3066.1/(Tc+273.15)
3187 P=133.32*10^A
3190 END IF
3193 RETURN P
3196 FNEND
3199 DEF FNHfg(T)
3202 COM /Fld/ Ift,Istu
3205 IF Ift=0 THEN

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```

3208      Hfg=2477200-2450*(T-10)
3211      END IF
3214      IF Ift=1 THEN
3217          Tf=T*1.8+32
3220          Hfg=7.0557857E+1-Tf*(4.838052E-2+1.2619048E-4*Tf)
3223          Hfg=Hfg*2326
3226      END IF
3229      IF Ift=2 THEN
3232          Tk=T+273.15
3235          Hfg=1.35264E+6-Tk*(6.38263E+2+Tk*.747462)
3238      END IF
3241      RETURN Hfg
3244      FNEND
3247      DEF FNMuw(T)
3250      COM /F1d/ Ift,Istu
3253      IF Ift=0 THEN
3256          A=247.8/(T+133.15)
3259          Mu=2.4E-5*10^A
3262      END IF
3265      IF Ift=1 THEN
3268          Mu=8.9629819E-4-T*(1.1094609E-5-T*5.566829E-8)
3271      END IF
3274      IF Ift=2 THEN
3277          Tk=1/(T+273.15)
3280          Mu=EXP(-11.0179+Tk*(1.744E+3-Tk*(2.80335E+5-Tk*1.12661E+8)))
3283      END IF
3286      RETURN Mu
3289      FNEND
3292      DEF FNVvst(Tt)
3295      COM /F1d/ Ift,Istu
3298      IF Ift=0 THEN
3301          P=FNPvst(Tt)
3304          T=Tt+273.15
3307          X=1500/T
3310          F1=1/(1+T*1.E-4)
3313          F2=(1-EXP(-X))^2.5*EXP(X)/X^.5
3316          B=.0015*F1-.000942*F2-.0004882*X
3319          K=2*P/(461.52*T)
3322          V=(1+(1+2*B*K)^.5)/K
3325      END IF
3328      IF Ift=1 THEN
3331          Tf=Tt*1.8+32
3334          V=13.955357-Tf*(.16127262-Tf*5.1726190E-4)
3337          V=V/16.018
3340      END IF
3343      IF Ift=2 THEN
3346          Tk=Tt+273.15
3349          P=FNPvst(Tt)

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```

3352     V=133.95*Tk/P
3355 END IF
3358 RETURN V
3361 FNEND
3364 DEF FNCpw(T)
3367 COM /Fld/ Ift,Istu
3370 IF Ift=0 THEN
3373     Cpw=4.21120858-T*(2.26826E-3-T*(4.42361E-5+2.71428E-7*T))
3376 END IF
3379 IF Ift=1 THEN
3382     Cpw=9.2507273E-1+T*(9.3400433E-4+1.7207792E-6*T)
3385 END IF
3388 IF Ift=2 THEN
3391     Tk=T+273.15
3394     Cpw=4.1868*(1.6884E-2+Tk*(3.35083E-3-Tk*(7.224E-6-Tk*7.61748E-9)))
3397 END IF
3400 RETURN Cpw*1000
3403 FNEND
3406 DEF FNRhow(T)
3409 COM /Fld/ Ift,Istu
3412 IF Ift=0 THEN
3415     Ro=999.52346+T*(.01269-T*(5.482513E-3-T*1.234147E-5))
3418 END IF
3421 IF Ift=1 THEN
3424     Ro=1.6207479E+3-T*(2.2186346+T*2.3578291E-3)
3427 END IF
3430 IF Ift=2 THEN
3433     Tk=T+273.15-338.15
3436     Vf=9.24848E-4+Tk*(6.2796E-7+Tk*(9.2444E-10+Tk*3.057E-12))
3439     Ro=1/Vf
3442 END IF
3445 RETURN Ro
3448 FNEND
3451 DEF FNPrw(T)
3454 Prw=FNCpw(T)*FNMuw(T)/FNKw(T)
3457 RETURN Prw
3460 FNEND
3463 DEF FNKw(T)
3466 COM /Fld/ Ift,Istu
3469 IF Ift=0 THEN
3472     X=(T+273.15)/273.15
3475     Kw=-.92247+X*(2.8395-X*(1.8007-X*(.52577-.07344*X)))
3478 END IF
3481 IF Ift=1 THEN
3484     Kw=8.2095238E-2-T*(2.2214286E-4+T*2.3809524E-8)
3487 END IF

```

```

3490 IF Ift=2 THEN
3493   Tk=T+273.15
3496   Kw=4.1868E-4*(519.442+.320920*Tk)
3499 END IF
3502 RETURN Kw
3505 FNEND
3508 DEF FNTanh(X)
3511 P=EXP(X)
3514 Q=EXP(-X)
3517 Tanh=(P-Q)/(P+Q)
3520 RETURN Tanh
3523 FNEND
3526 DEF FNTvsv(V)
3529 COM /Cc/ C(7)
3532 T=C(0)
3535 FOR I=1 TO 7
3538   T=T+C(I)*V^I
3541 NEXT I
3544 T=T+4.73386E-3+T*(7.692834E-3-T*8.077927E-5)
3547 RETURN T
3550 FNEND
3553 DEF FNHf(T)
3556 COM /Fld/ Ift,Istu
3559 IF Ift=0 THEN
3562   Hf=T*(4.203849-T*(5.88132E-4-T*4.55160317E-6))
3565 END IF
3568 IF Ift=1 THEN
3571   Tf=T+1.8+32
3574   Hf=8.2078571+Tf*(.19467857+Tf*1.3214286E-4)
3577   Hf=Hf*2.326
3580 END IF
3583 IF Ift=2 THEN
3586   Hf=250 ! TO BE VERIFIED
3589 END IF
3592 RETURN Hf*1000
3595 FNEND
3598 DEF FNGrad(T)
3601 Grad=37.9853+.104388*T
3604 RETURN Grad
3607 FNEND
3610 DEF FNTvsp(P)
3613 Tu=190
3616 Tl=10
3619 Ta=(Tu+Tl)*.5
3622 Pc=FNpvst(Ta)
3625 IF ABS((P-Pc)/P)>.0001 THEN
3628   IF Pc<P THEN Tl=Ta
3631   IF Pc>P THEN Tu=Ta

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```

3634      GOTO 3619
3637  END IF
3640  RETURN Ta
3643  FNEND
6646  DEF FNSigma(T)
6649  X=647.3-T-273.15
6652  S=.1160936807/(1+.83*X)+1.121404688E-3-5.75280518E-6*X+1.28627465E-8*X^2-1
.14971929E-11*X^3
6655  RETURN S*.001*X^2
6658  FNEND
6661  SUB Raw
6662  COM /Fld/ Ift,Istu
6664  DIM X(28)
6670  INPUT "ENTER TUBE NUMBER",Itn
6676  INPUT "ENTER FILE NAME",File$
6679  ASSIGN @File TO File$
6680  INPUT "STUDENT (0=Swensen)",Istu
6681  INPUT "SMOOTH OR FINNED (0=SMOOTH, 1=FINNED)",Ifg
6683  INPUT "ENTER TUBE SIZE (0=S,1=M,2=L,3=QMC)",ItDs
6685  INPUT "ENTER PRESSURE CONDITION (0=V,1=A)",Ipc
6688  IF Ipc=0 AND Ift=0 THEN Vs=2
6691  IF Ipc=0 AND Ift=2 THEN Vs=10
6692  IF Ipc=1 AND Ift=0 THEN Vs=1
6693  IF Ipc=1 AND Ift=1 THEN Vs=.25
6694  IF Istu=1 THEN Vs=2
6696  Nrun=18
6700  INPUT "ENTER NUMBER OF RUNS",Nrun
6703  PRINTER IS 701
6706  PRINT
6709  PRINT
6710  IF Istu=0 THEN PRINT USING "10X","Data of Swensen"
6715  IF Ift=0 THEN PRINT USING "10X","Vapor is steam"
6716  IF Ift=1 THEN PRINT USING "10X","Vapor is R-113"
6717  IF Ift=2 THEN PRINT USING "10X","Vapor is ethylene glycol"
6719  IF ItDs=0 THEN PRINT USING "10X","Tube diameter: Small"
6720  IF ItDs=1 THEN PRINT USING "10X","Tube diameter: Medium"
6721  IF ItDs=2 THEN PRINT USING "10X","Tube diameter: Large"
6722  IF ItDs=3 THEN PRINT USING "10X","Tube diameter: QMC"
6724  PRINT
6725  PRINT USING "10X","Tube Number:      ",ZZ,Itn
6726  PRINT USING "10X","File Name:      ",14A,File$
6727  IF Ifg=0 THEN PRINT USING "10X","Tube Type: Smooth"
6728  IF Ifg=1 THEN PRINT USING "10X","Tube Type: Finned"
6730  IF Ipc=0 THEN
6731      PRINT USING "10X","Pressure Condition: Vacuum"
6732  ELSE
6733      PRINT USING "10X","Pressure Condition: Atmospheric"
6734  END IF

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6735! PRINT USING "10X,""Vapor Velocity:      "" ,DD.DD,"" (m/s)"";Vs
6736 ENTER @File;Ifg,Inn
6739 IF Itds=1 OR Itds=2 THEN Di=.0127
6742 IF Itds=0 OR Itds=3 THEN Di=.009525
6747 ENTER @File;Iwt,Fp,Fw,Fh
6748! IF Istu=0 AND Ifg=1 THEN
6749 IF Inam=7 THEN
6751     Fp=Fp-1
6752     PRINT USING "10X,""Fin spacing, width and height (mm): "" ,DD.DD,2X,Z.DD
,2X,Z.DD";Fp,Fw,Fh
6753 END IF
6756 PRINT
6757 PRINT USING "10X,""Data      Vw      Tin      Tout      Ts""
6758 PRINT USING "10X,"" $      (m/s)      (C)      (C)      (C)""
6760 PRINT
6763 FOR I=1 TO Nrun
6766     ENTER @File;X(*)
6769     Ts=FNTvsv57((X(8)+X(9))/2.)
6770     Ts=Ts-273.15
6772     Fm=X(3)
6775     T1=X(4)
6778     T2=X(5)
6781     Tavg=(T1+T2)*.5
6784     Ift=0
6785     Rhow=FNRhow(Tavg)
6787     Md=(6.7409*Fm+13.027)/1000.
6790     Md=Md*(1.0365-1.96644E-3*T1+5.252E-6*T1^2)/1.0037
6793     Mf=Md/Rhow
6796     Vw=Mf/(PI*Di^2/4)
6799     IF Inn=0 AND Vw>.5 THEN T2=T2-(-2.73E-4+1.75E-4*Vw+9.35E-4*Vw^2-1.96E-5
*Vw^3)
6809     IF Inn=1 THEN T2=T2-(-6.44E-5+1.71E-3*Vw+4.45E-4*Vw^2+4.07E-5*Vw^3)
6810     IF Inn=2 THEN T2=T2-(-3.99E-4+2.75E-3*Vw+1.45E-3*Vw^2+8.16E-5*Vw^3)
6811     IF Inn=3 THEN T2=T2-(8.57E-5+1.23E-3*Vw+1.08E-3*Vw^2+8.16E-5*Vw^3)
6814     PRINT USING "10X,DD,5X,D.DD,3X,2(DD.DD,3X),DDD.DD";I,Vw,T1,T2,Ts
6817 NEXT I
6820 ASSIGN @File TO *
6823 SUBEND
6826 SUB Wilson(Ci)
6829 COM /Wil/ Nrun,Itm,Iwth,Imc,Ife,Ijob,Iwd,Ifg,Ipc,Ifto,Iwil,Ihi,Ioc,Inam,K
cu,Rexp,Rm,Ax
6832 COM /Fld/ Ift,Istu
6833 COM /Geom/ D1,D2,Di,Do,L,L1,L2
6834 COM /Fric/ Istuo,Inn,Ityp,Vw,Inamo,Imco,Itds
6836 DIM Emf(20),Bvo(42),Bam(42),Eata(42),Ear(42,7),Fma(42),T1a(42),T2a(42)
6845 IF Ioc=0 THEN
6847     PRINT USING "16X,""Nusselt theory is used for Ho""
6848 ELSE

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6849     PRINT USING "16X,""Fujii correlation used for Ho""
6850 END IF
6853 BEEP
6856 INPUT "RE-ENTER DATA FILE BEING PROCESSED",D_files
6859 BEEP
6862 INPUT "GIVE A NAME FOR XY PLOT-DATA FILE",Plots
6865 CREATE BDAT Plots,30
6868 ASSIGN @Io_path TO Plots
6871 Jj=0
6874 ASSIGN @File TO D_files
6877 ENTER @File;Ifg,Inn
6878 IF Istu=0 THEN
6883     ENTER @File;Ddd,Ddd,Ddd,Ddd
6884 ELSE
6885     IF Ifg=0 THEN ENTER @File;Iwt
6886     IF Ifg=1 THEN ENTER @File;Fp,Fw,Fh
6887 END IF
6888 IF Istu=1 AND Inn=1 THEN Inn=2
6890 IF Jj=0 THEN
6895     IF Ihi=0 AND Inn=0 THEN Ci=.027
6896     IF Ihi=0 AND Inn=2 THEN Ci=.05
6897     IF Ihi=0 AND Inn=3 THEN Ci=.07
6899     IF Ihi=1 OR Ihi=2 THEN
6900         IF Inn=0 THEN Ci=1.0
6902         IF Inn=2 THEN Ci=2.0
6903         IF Inn=3 THEN Ci=2.5
6904     END IF
6906     IF Ifg=0 THEN Alp=1.2
6907     IF Ifg=1 THEN Alp=2.6
6908     IF Ift=2 AND Ifg=1 THEN Alp=5.0
6909 END IF
6910 J=0
6911 Sx=0
6913 Sy=0
6916 Sxs=0
6919 Sxy=0
6922 READ DATA FROM A USER-SPECIFIED FILE IF INPUT MODE (Im) = 2
6925 IF Jj=0 THEN
6926     IF Istu=0 THEN
6931         ENTER @File;Bvol,Bamp,Etp,Fm,T1,T2,Pvap1,Pvap2,Emf(*)
6932     ELSE
6934         ENTER @File;Bvol,Bamp,Utran,Etp,Emf(0),Emf(1),Emf(2),Emf(3),Emf(4),F
m,T1,T2,Phg,Pwater
6936     END IF
6938     Bvo(J)=Bvol
6939     Bam(J)=Bamp
6940     Eata(J)=Etp
6943     Ear(J,0)=Emf(0)

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6946     Ear(J,1)=Emf(1)
6949     Ear(J,2)=Emf(2)
6952     Ear(J,3)=Emf(3)
6955     Ear(J,4)=Emf(4)
6956     IF Istu=1 THEN GOTO 6961
6958     Ear(J,5)=Emf(5)
6959     Ear(J,6)=Emf(6)
6960     Ear(J,7)=Emf(7)
6961     Fma(J)=Fm
6962     T1a(J)=T1
6964     T2a(J)=T2
6967 ELSE
6970     Bvol=Bvo(J)
6973     Bamm=Bam(J)
6976     Etp=Eata(J)
6979     Emf(0)=Ear(J,0)
6982     Emf(1)=Ear(J,1)
6985     Emf(2)=Ear(J,2)
6988     Emf(3)=Ear(J,3)
6991     Emf(4)=Ear(J,4)
6992     IF Istu=1 THEN GOTO 6997
6994     Emf(5)=Ear(J,5)
6995     Emf(6)=Ear(J,6)
6996     Emf(7)=Ear(J,7)
6997     Fm=Fma(J)
6998     T1=T1a(J)
7000     T2=T2a(J)
7003 END IF
7004 IF Istu=0 THEN
7006     Tsteam1=FNTvsv57(Emf(0))
7007     Tsteam1=Tsteam1-273.15
7008     Tsteam2=FNTvsv57(Emf(1))
7009     Tsteam2=Tsteam2-273.15
7010     Tsteam=Tsteam1
7011     Troom=FNTvsv58(Emf(2))
7012     Troom=Troom-273.15
7013     Tcon=FNTvsv58(Emf(7))
7014     Tcon=Tcon-273.15
7016     T11=FNTvsv58(Emf(3))
7017     Tol=FNTvsv58(Emf(4))
7018     T11=T11-273.15
7019     Tol=Tol-273.15
7020     Tdel1=Tol-T11
7021     Tdel2=T2-T1
7023     Etp1=Emf(3)+Etp/20.
7024     Dtde=2.5931E-2-1.50464E-6*Etp1+1.21701E-10*Etp1^2-5.1164E-15*Etp1^3+3.2
201E-19*Etp1^4
7025     Tris=Dtde*Etp/10.

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7026     To3=T11+Tris
7028 ELSE
7029     Tsteam=FNTvsv(Emf(0))
7030     T11=FNTvsv(Emf(2))
7031     Grad=FNGrad((T1+T2)*.5)
7032     Tol=T11+ABS(Etp)/(10*Grad)*1.E+6
7033 END IF
7034! CALCULATE THE LOG-MEAN-TEMPERATURE DIFFERENCE
7035 IF Istu=0 AND Itm=0 THEN
7036     Tcin=T11
7037     Tcout=Tol
7038 END IF
7039 IF Itm=1 THEN
7040     Tcin=T1
7041     Tcout=T2
7042 END IF
7043 IF Itm=2 THEN
7044     Tcin=T11
7045     Tcout=To3
7046 END IF
7047 Tavg=(Tcin+Tcout)*.5
7048 Trise=Tcout-Tcin
7049! PRINT Trise
7055 Ift=0
7056 Cpw=FNCpw(Tavg)
7057 Rhov=FN Rhov(Tavg)
7058 Kw=FNKw(Tavg)
7059 Muwa=FN Muw(Tavg)
7060 Prw=FN Prw(Tavg)
7061 Ift=If to
7062 IF Istu=0 THEN
7063     Mdt=(6.7409*Fm+13.027)/1000.
7064     Md=Mdt*(1.0365-Tcin*(1.96644E-3-Tcin*5.252E-6))/1.0037
7065 ELSE
7066     Mdt=1.04805E-2+6.80932E-3*Fm
7067     Md=Mdt*(1.0365-Tcin*(1.96644E-3-Tcin*5.252E-6))/1.995434
7068 END IF
7069 Vf=Md/Rhov
7070 Vw=Vf/(PI*Di^2/4)
7071 Tcor=FNTfric(Trise)
7072 Trise=Tcor
7073 Tcout=Tcin+Trise
7074 Lmtd=Trise/LOG((Tsteam-Tcin)/(Tsteam-Tcout))
7077 Cpse=FNCpw((Tcon+Tsteam)*.5)
7078 Hfg=FNHfg(Tsteam)
7079 Q1=500
7080 Qloss=Q1/(100-25)*(Tsteam-Troom) ! TO BE MODIFIED
7082 Mdv=0

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7084 Bp=(Bvol*100)^2/5.76
7085 Hsc=Cpsc*(Tsteam-Tcon)
7086 Mdv=((Bp-Qloss)-Mdv*Hsc)/Hfg
7088 IF ABS((Mdv-Mdv)/Mdv)>.01 THEN
7090     Mdv=(Mdv+Mdv)*.5
7092     GOTO 7086
7094 END IF
7096 Mdv=(Mdv+Mdv)*.5
7098 Vg=FNVst(Tsteam)
7100 Vv=Mdv*Vg/Ax
7108 Q=Md*Cpw*Trise
7111 Qp=Q/(PI*Do*L)
7114 Uo=Qp/Lmtd
7115! PRINT Trise,Vw,Q,Do,L,Qp,Lmtd,Uo
7117 Rei=Rhow*Vw*Di/Muwa
7120 Fe1=0.
7123 Fe2=0.
7126 Cf=1.
7127 Prwf=Prw
7128 Reif=Rei
7131 Two=Tsteam-5
7132 Tfilm=Tsteam/3+Two*2/3
7135 Kf=FNKw(Tfilm)
7138 Rhof=FNRhoh(Tfilm)
7141 Muf=FNMuw(Tfilm)
7144 Hfgp=FNHfg(Tsteam)+.68*FNCpw(Tfilm)*(Tsteam-Two)
7145 IF Ioc=0 THEN
7147! New=Kf*(Rhof^2*9.81*Hfgp/(Muf*Do*Qp))^.3333
7148 New=(Kf^3*9.81*Hfgp*Rhof^2/(Muf*Do*(Tsteam-Two)))^.25
7150 ELSE
7153! New=Kf*((9.81*Hfgp/Qp)^.25)*((Muf*Do)^(-.375))*(Rhof^.625)*(Vv^.125)
7154 New=(9.81*Hfgp/(Tsteam-Two))^2*Kf*.8*Vv*.1*Rhof^.5/(Do*Muf)^.3
7156 END IF
7159 Ho=Alp*New
7162 Twoc=Tsteam-Qp/Ho
7165 IF ABS((Twoc-Two)/Twoc)>.001 THEN
7168     Two=Twoc
7171     GOTO 7132
7174 END IF
7184 IF Ihi=0 THEN
7186     Omega=Rei^Rexp*Prw^.3333*Cf
7187 END IF
7188 IF Ihi=1 THEN
7189     Sra=.88-(.24/(4.+Prwf))
7190     Srb=.333333+.5*EXP(-.6*Prwf)
7191     Omega=(5+.015*Reif^Sra*Prwf^Srb)
7192 END IF
7193 IF Ihi=2 THEN

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7194     Eps1=(1.82*L6T(Re1)-1.64)^(-2)
7195     Ppk1=1.+3.4*Eps1
7196     Ppk2=11.7+1.8*Prw^(-1/3)
7197     Pp1=(Eps1/8)*Re1*Prw
7198     Pp2=(Ppk1+Ppk2*(Eps1/8)^.5*(Prw^.6666-1))
7199     Omega=Pp1/Pp2
7200 END IF
7202 H1=Kw/Di*Ci*Omega
7203 IF Ife=0 THEN 7216
7204 P1=PI*(Di+D1)
7205 P2=PI*(Di+D2)
7206 A1=(D1-Di)*PI*(Di+D1)*.5
7207 A2=(D2-Di)*PI*(Di+D2)*.5
7208 M1=(H1*P1/(Kcu*A1))^*.5
7209 M2=(H1*P2/(Kcu*A2))^*.5
7212 Fe1=FNTanh(M1*L1)/(M1*L1)
7213 Fe2=FNTanh(M2*L2)/(M2*L2)
7216 Dt=Q/(PI*Di*(L+L1*Fe1+L2*Fe2)*Hi)
7217 IF Ihi=0 THEN
7219     Muwi=FNMuw(Tavg+Dt)
7222     Cfc=(Muwa/Muwi)^.14
7225     IF ABS((Cfc-Cf)/Cfc)>.001 THEN
7228         Cf=(Cf+Cfc)*.5
7231         GOTO 7184
7232     END IF
7234 END IF
7235 IF Ihi=1 THEN
7236     Prwfc=FNPrw(Tavg+Dt)
7237     Reifc=Uw*Di*FNRhow(Tavg+Dt)/FNMuw(Tavg+Dt)
7239     IF ABS((Prwfc-Prwf)/Prwfc)>.001 OR ABS((Reifc-Reif)/Reifc)>.001 THEN
7240         Prwf=(Prwfc+Prwf)/2.
7241         Reif=(Reifc+Reif)/2.
7242         GOTO 7184
7243     END IF
7245 END IF
7246 Ift=Ifto
7247 X=Do*New*L/(Omega*Kw*(L+L1*Fe1+L2*Fe2))
7248 Y=New*(1/Uo-Rm)
7249! COMPUTE COEFFICIENTS FOR THE LEAST-SQUARES-FIT STRAIGHT LINE
7250 IF Jp=1 THEN OUTPUT @Io_path,X,Y
7252 Sx=Sx+X
7255 Sy=Sy+Y
7258 Sxs=Sxs+X*X
7261 Sxy=Sxy+X*Y
7264 IF Im=1 AND Jj=0 THEN OUTPUT @File,Bvol,Bamp,Etp,Fm,T1,T2,Pvap1,Pvap2,Emf(
*)
7267 J=J+1
7270 IF J<Nrun THEN 6925

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7273 S1=(Nrun*Sxy-Sy*Sx)/(Nrun*Sxs-Sx^2)
7276 IF Iw1=2 THEN
7286     IF Ihi=0 AND Inn=0 THEN S1=1/.027
7287     IF Ihi=0 AND Inn=2 THEN S1=1/.05
7288     IF Ihi=0 AND Inn=3 THEN S1=1/.07
7289     IF Ihi=1 OR Ihi=2 THEN
7291         IF Inn=0 THEN S1=1/1.0
7292         IF Inn=2 THEN S1=1/2.0
7293         IF Inn=3 THEN S1=1/2.5
7294     END IF
7296 END IF
7297 Ac=(Sy-S1*Sx)/Nrun
7298 Cic=1/S1
7300 Alpc=1/Ac
7303 Jj=Jj+1
7306 IF Jp=1 THEN Jp=2
7309 Cerr=ABS((Cic-Ci)/Cic)
7312 Aerr=ABS((Alpc-Alp)/Alpc)
7315 IF Cerr>.001 OR Aerr>.001 THEN
7318     Ci=(Cic+Ci)*.5
7321     Alp=(Alpc+Alp)*.5
7324     BEEP
7327     IF Ijob=1 THEN 6910
7330 ELSE
7333     IF Jp=0 THEN Jp=1
7336 END IF
7339 IF Jp=1 THEN 6874
7342 Ci=(Ci+Cic)*.5
7345 PRINT
7346 IF Ihi=0 THEN
7348     PRINT USING "10X,""Ci (based on Sieder-Tate)      = "",Z.4D";Ci
7349 END IF
7350 IF Ihi=1 THEN
7351     PRINT USING "10X,""Ci (based on Sleicher-Rouse)    = "",Z.4D";Ci
7352     PRINT USING "10X,""Re exponent for Sleicher-Rouse  = "",D.000";Sra
7353 END IF
7354 IF Ihi=2 THEN
7355     PRINT USING "10X,""Ci (based on Petukhov-Popov)    = "",Z.4D";Ci
7356 END IF
7357 IF Ioc=0 THEN
7358     PRINT USING "10X,""Alpha (based on Nusselt (Tdel)) = "",Z.4D";Alp
7359 END IF
7360 IF Ioc=1 THEN
7361     PRINT USING "10X,""Alpha (based on Fujii (Tdel))   = "",Z.4D";Alp
7362 END IF
7363 IF Inam=5 OR Inam=6 THEN
7364     IF Ihi=0 THEN
7366         IF Ipco=0 AND Inn=0 THEN Alpsm=.8218  !NO INSERT,VACUUM,S-T

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7367         IF Ipco=1 AND Inn=0 THEN Alpsm=.7793 !NO INSERT,ATMOSPHERIC,S-T
7368         IF Ipco=0 AND Inn=3 THEN Alpsm=.7854 !HEATEX,VACUUM,S-T
7369         IF Ipco=1 AND Inn=3 THEN Alpsm=.7769 !HEATEX,ATMOSPHERIC,S-T
7371     END IF
7372     IF Ih1=1 THEN
7373         IF Ipco=0 AND Inn=0 THEN Alpsm=.8613 !NO INSERT,VACUUM,S-R
7374         IF Ipco=1 AND Inn=0 THEN Alpsm=.8218 !NO INSERT,ATMOSPHERIC,S-R
7375         IF Ipco=0 AND Inn=3 THEN Alpsm=.7791 !HEATEX,VACUUM,S-R
7376         IF Ipco=1 AND Inn=3 THEN Alpsm=.7929 !HEATEX,ATMOSPHERIC,S-R
7378     END IF
7379     IF Ih1=2 THEN
7380         IF Ipco=0 AND Inn=0 THEN Alpsm=.8205 !NO INSERT,VACUUM,P-P
7381         IF Ipco=1 AND Inn=0 THEN Alpsm=.7654 !NO INSERT,ATMOSPHERIC,P-P
7382         IF Ipco=0 AND Inn=3 THEN Alpsm=.7670 !HEATEX,VACUUM,P-P
7383         IF Ipco=1 AND Inn=3 THEN Alpsm=.7708 !HEATEX,ATMOSPHERIC,P-P
7385     END IF
7386 END IF
7387 IF Inam=4 THEN
7390     IF Ipco=1 THEN Alpsm=.876 !SWENSEN DATA BASED ON DEL-T
7391 END IF
7392 IF Inam=0 OR Inam=3 OR Inam=7 THEN
7393     IF Ipco=0 THEN Alpsm=.91 !COBB VTSMTI
7394     IF Ipco=1 THEN Alpsm=.95 !COBB ATSMTHI
7396!     IF Ift=1 THEN Alpsm=.733 !ZEBROWSKI (V = 0.45 m/s)
7397     IF Ift=1 THEN Alpsm=.677 !VAN PETTEN (V = 0.25 m/s)
7398     IF Ift=2 THEN Alpsm=1.262
7399 END IF
7401 IF Inam=1 THEN !MITROU ALPHA FOR P-P FROM REPROCESSING
7402     IF Ipco=0 THEN Alpsm=.8437
7403     IF Ipco=1 THEN Alpsm=.8418
7404 END IF
7405 Et=Alp/Alpsm
7406 Eq=Et*.333333
7407 PRINT USING "10X","Enhancement (q)" = ",.00.30":Eq
7408 PRINT USING "10X","Enhancement (Del-T)" = ",.00.30":Et
7409 ASSIGN @File TO *
7410 SUBEND
7519 SUB Modify
7520 COM /Fld/ Ift,Istu
7522 DIM Emf(20)
7525 BEEP
7528 INPUT "ENTER NAME OF FILE TO BE MODIFIED",Fileos
7531 ASSIGN @Fileo TO Fileos
7534 CREATE BOAT "TEST",30
7537 ASSIGN @Filed TO "TEST"
7540 ENTER @Fileo:Ifg,Inn
7543 OUTPUT @Filed:Ifg,Inn

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7544 IF Istu=0 THEN
7546     ENTER @Fileo:Iwt,Fp,Fw,Fh
7547     OUTPUT @Filed:Iwt,Fp,Fw,Fh
7548 ELSE
7549     IF Ifg=0 THEN
7551         ENTER @Fileo:Iwt
7552         OUTPUT @Filed:Iwt
7553     END IF
7554     IF Ifg=1 THEN
7555         ENTER @Fileo:Fp,Fw,Fh
7556         OUTPUT @Filed:Fp,Fw,Fh
7557     END IF
7559 END IF
7560 BEEP
7561 INPUT "ENTER NUMBER OF DATA SETS STORED",N
7562 FOR I=1 TO N
7563     IF Istu=0 THEN
7565         ENTER @Fileo:Bvol,Bamp,Etp,Fm,T1,T2,Pvap1,Pvap2,Emf(*)
7566     ELSE
7567         ENTER @Fileo:Bvol,Bamp,Utran,Etp,Emf(0),Emf(1),Emf(2),Emf(3),Emf(4),
7568         Fm,T1,T2,Phg,Pwater
7568     END IF
7570 PERFORM CORRECTIONS
7571 PRINT USING "2X,""DO YOU WISH TO DELETE POINT"",DD,""?"";I
7572 INPUT "0=YES, 1=NO",Idel
7573 IF Idel=0 THEN 7580
7576 IF Istu=0 THEN
7577     OUTPUT @Filed:Bvol,Bamp,Etp,Fm,T1,T2,Pvap1,Pvap2,Emf(*)
7578 ELSE
7579     OUTPUT @Filed:Bvol,Bamp,Utran,Etp,Emf(0),Emf(1),Emf(2),Emf(3),Emf(4),
7580     Fm,T1,T2,Phg,Pwater
7580 END IF
7581 NEXT I
7582 ASSIGN @Fileo TO *
7583 ASSIGN @Filed TO *
7584 SUBEND
7585 SUB Purg
7588 BEEP
7591 INPUT "ENTER FILE NAME TO BE DELETED",File$
7594 PURGE File$
7597 GOTO 7588
7600 SUBEND
7690 SUB Renam
7693 BEEP
7696 INPUT "ENTER FILE NAME TO BE RENAMED",File1$
7699 BEEP
7702 INPUT "ENTER NEW NAME FOR FILE",File2$
7705 RENAME File1$ TO File2$

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7708 GOTO 7693
7711 SUBEND
7721 DEF FNTvsv55(V)
7731 COM /Cc55/ T55(S)
7741 T=T55(0)
7751 FOR I=1 TO 5
7761 T=T+T55(I)*V^I
7771 NEXT I
7781 RETURN T
7791 FNEND
7801 DEF FNTvsv56(V)
7811 COM /Cc56/ T56(S)
7821 T=T56(0)
7831 FOR I=1 TO 5
7841 T=T+T56(I)*V^I
7851 NEXT I
7861 RETURN T
7871 FNEND
7881 DEF FNTvsv57(V)
7891 COM /Cc57/ T57(S)
7901 T=T57(0)
7911 FOR I=1 TO 5
7921 T=T+T57(I)*V^I
7931 NEXT I
7941 RETURN T
7951 FNEND
7961 DEF FNTvsv58(V)
7971 COM /Cc58/ T58(S)
7981 T=T58(0)
7991 FOR I=1 TO 5
8001 T=T+T58(I)*V^I
8011 NEXT I
8021 RETURN T
8031 FNEND
8100 DEF FNTfric(Tcor)
8110 COM /Fric/ Istuo,Inn,Ityp,Vw,Inamo,Imco,Itds
8113 IF Itds=3 AND Inn=3 THEN ! COBB'S TUBES (Di=12.7mm)
8114 Tcor=Tcor-(2.524E-5-1.6958E-3*Vw+7.1064E-3*Vw^2-3.318E-3*Vw^3+8.5545E-4
+Vw^4-7.37E-5*Vw^5)
8115 GOTO 8300
8116 END IF
8121 IF (Itds=1 OR Itds=2) AND Imco=0 THEN ! MEDIUM AND LARGE COPPER TUBES (Di=
12.7mm)
8122 IF Inn=0 AND Vw>.5 THEN Tcor=Tcor-(-2.73E-4+1.75E-4*Vw+9.35E-4*Vw^2-1.9
5E-5*Vw^3)
8130 IF Inn=1 THEN Tcor=Tcor-(-6.44E-5+1.71E-3*Vw+4.45E-4*Vw^2+4.07E-5*Vw^3)
8140 IF Inn=2 THEN Tcor=Tcor-(-3.99E-4+2.75E-3*Vw+1.45E-3*Vw^2+8.16E-5*Vw^3)
8150 IF Inn=3 THEN Tcor=Tcor-(8.57E-5+1.23E-3*Vw+1.08E-3*Vw^2+8.16E-5*Vw^3)

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8151      GOTO 8300
8160  END IF
8170  IF (Ityp=0 OR Ityp=2) AND Imco=4 THEN ! SMOOTH AND WIRE-WRAPPED TITANIUM T
UBE (Di=13.86mm)
8180      IF Inn=0 AND Vw>.5 THEN Tcor=Tcor-(-4.62E-5-7.53E-4*Vw+1.80E-3*Vw^2-8.8
4E-5*Vw^3)
8190      IF Inn=3 AND Inamo=5 THEN Tcor=Tcor-(2.09E-4+9.74E-4*Vw+2.12E-3*Vw^2-3.
31E-5*Vw^3)
8191      IF Inn=3 AND Inamo=6 THEN Tcor=Tcor-(1.9555E-4+3.9721E-3*Vw+3.127E-4*Vw
^2+3.519E-4*Vw^3)
8192      GOTO 8300
8201  END IF
8210  IF (Ityp=3 OR Ityp=4) AND Itds=4 THEN ! LPD KORODENSE (Di=13.47mm)
8220      IF Inn=0 AND Vw>.5 THEN Tcor=Tcor-(-3.386E-4+1.88E-3*Vw+6.013E-4*Vw^2+4
.133E-5*Vw^3)
8230      IF Inn=3 THEN Tcor=Tcor-(2.089E-4+9.202E-4*Vw+1.893E-3*Vw^2-2.781E-5*Vw
^3)
8231      GOTO 8300
8240  END IF
8242  IF (Ityp=5 OR Ityp=6) AND Itds=4 THEN ! MHT KORODENSE (Di=13.53mm)
8245      IF Inn=0 AND Vw>.5 THEN Tcor=Tcor-(6.79E-5+1.632E-3*Vw+8.409E-4*Vw^2+1.
111E-4*Vw^3)
8246      IF Inn=3 THEN Tcor=Tcor-(2.564E-4+6.263E-4*Vw+2.603E-3*Vw^2+7.830E-6*Vw
^3)
8247      GOTO 8300
8249  END IF
8250  IF Itds=0 AND Imco=0 THEN !SMALL COPPER TUBE (Di=9.525mm)
8260      IF Inn=0 THEN Tcor=Tcor-(.0138+.001*Vw^2)
8270      IF Inn=1 THEN Tcor=Tcor-.004*Vw^2
8280      IF Inn=2 THEN Tcor=Tcor-.004*Vw^2
8290  END IF
8300  RETURN Tcor
8310  FNEND
8500  SUB Mergefile
8510  DIM Emf(20)
8520  BEEP
8530  INPUT "ENTER NAME OF NEW FILE",D_files$
8540  CREATE BOAT D_files$,50
8550  ASSIGN @File1 TO D_files$
8560  BEEP
8570  Numb=0
8580  BEEP
8590  INPUT "NUMBER OF FILES TO MERGE",N
8600  IF Numb=N THEN 8770
8610  Numb=Numb+1
8620  BEEP
8630  INPUT "ENTER FILE TO BE MERGED",Fileos$
8640  ASSIGN @File1 TO Fileos$

```

```

8650 ENTER @Fileo:Ifg,Inn
8660 IF Numb=1 THEN OUTPUT @Filed:Ifg,Inn
8670 ENTER @Fileo:Iwt,Fp,Fw,Fh
8680 IF Numb=1 THEN OUTPUT @Filed:Iwt,Fp,Fw,Fh
8690 BEEP
8700 INPUT "ENTER NUMBER OF DATA SETS STORED",Nrun
8710 FOR I=1 TO Nrun
8720     ENTER @Fileo:Bvol,Bamp,Etp,Fm,T1,T2,Pvap1,Pvap2,Emf(*)
8730     OUTPUT @Filed:Bvol,Bamp,Etp,Fm,T1,T2,Pvap1,Pvap2,Emf(*)
8740 NEXT I
8750 ASSIGN @Fileo TO *
8760 GOTO 8600
8770 ASSIGN @Filed TO *
8780 SUBEND
8790 SUB Xyoutput
8791 PRINTER IS 1
8800 INPUT "ENTER NAME OF PLOT DATA FILE",Fileps
8810 ASSIGN @Filep TO Fileps
8820 INPUT "ENTER NUMBER OF DATA POINTS",Npts
8821 PRINTER IS 701
8830 FOR I=1 TO Npts
8840     ENTER @Filep:X,Y
8850     PRINT X,Y
8860 NEXT I
8870 ASSIGN @Filep TO *
8880 SUBEND

```

## APPENDIX B. TEMPERATURE RISE CORRECTION

As coolant flows through the tube there is an increase in the bulk temperature of the fluid due to frictional heating. The amount of frictional heat added to the system depends on the fluid velocity and the inside geometry of the tube. The actual measured increase in temperature is small but the increase has a significant effect on the calculated overall heat transfer coefficient and later calculations. The correctional equation below:

$$T_{cor} = 2.524e-5 - 1.6958e-3 * V_{cw} + 7.1064e-3 * V_{cw}^2 - 3.318e-3 * V_{cw}^3 + 8.5545e-4 * V_{cw}^4 - 7.37e-5 * V_{cw}^5 \quad (B.1)$$

where  $T_{cor}$  is the temperature rise (K) and  $V_{cw}$  is the fluid velocity (m/s). Equation (B.1) was determined by measuring the temperature difference between the inlet and outlet thermocouples for various cooling water flow rates through a test tube with a Heatex insert and no external heat source (i.e., no steam in the test system). The flow rates were converted into velocities and plotted against the temperature difference as shown in Figure B.1. Equation (B.1) was the curve fit of the obtained data. The temperature rise correctional value was subtracted from the measured temperature difference during the data runs to determine the

actual heat transferred to the cooling water conducted from the steam.

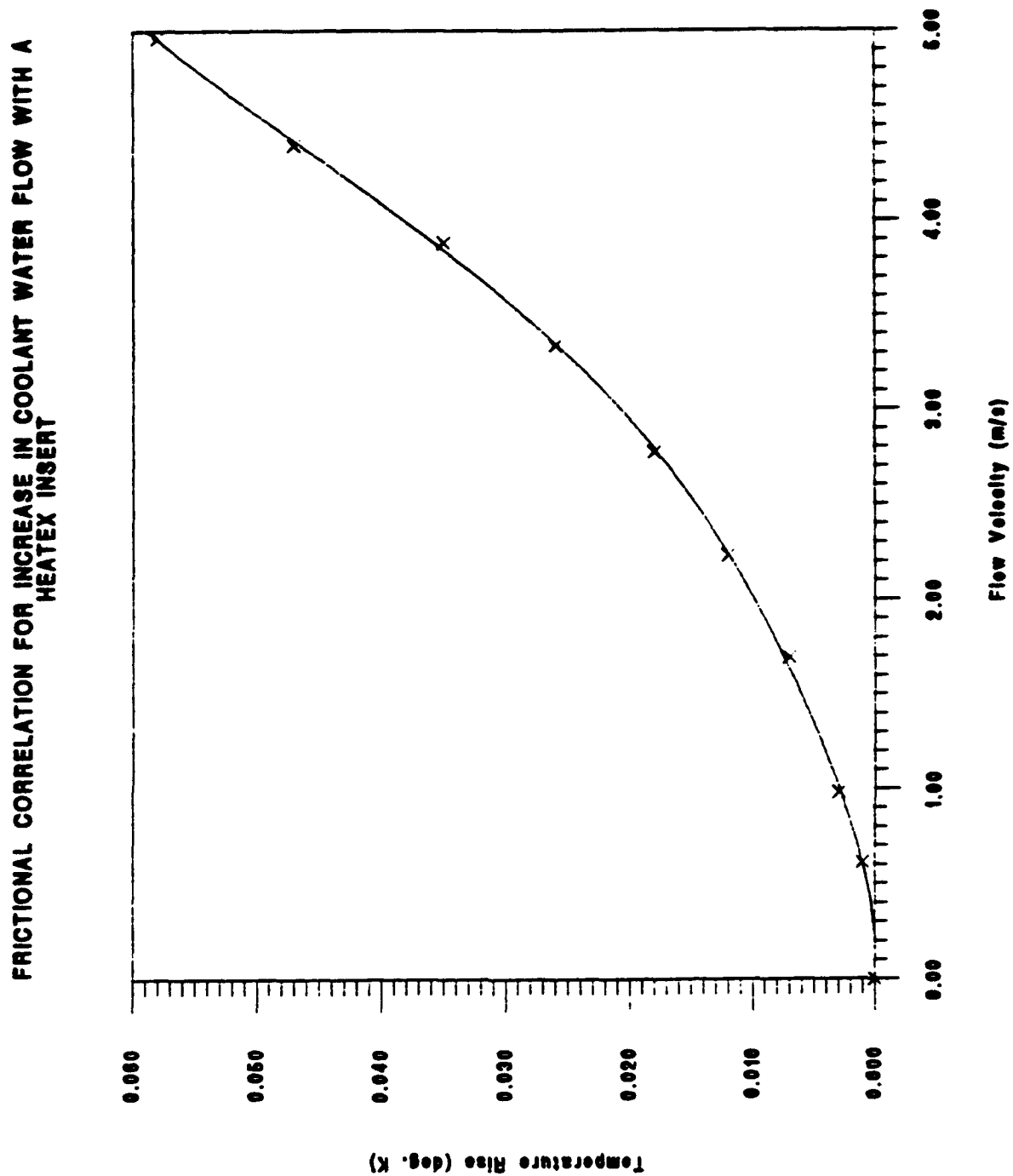


Figure B.1 Frictional Correlation for the Increase in Coolant Water Temperature due to a change in Velocity Flow and a Heatex Insert

## APPENDIX C. MODEL PROGRAM LISTING

The program HEATCOBB, which was used to reprocess the temperature values obtained, from the data collection program DRPALL, to predict the outside heat transfer coefficients and enhancement ratios for a constant temperature differences ( $\Delta T$ ), is listed in this Appendix.

```

      IMPLICIT REAL*8 (A-H,O-Z)
      REAL*8 DBSIO, DBSI1, DBSK0, DBSK1, KC,
      *      W, WC, R2C, A,G, DT(20,3),PITCH, Y,QFF(1000),
      *      R1,R2,NU,RB,D2,DR,RHOF(1000),RHOG(1000),RHO(1000),
c      *      EPP(1000), X1(1000), X2(1000),CH(1000),Z(1000),
c      *      AFS(1000), APT(1000),AU(1000),DF(1000),
c      *      Y(1000), LA(1000), AEF(1000), DE(1000), HMF(1000),
      CCCCCCCCCCCCCCCCCCCCCC
c      THE ARRAY VALUES ABOVE ARE USE FOR THE OVERALL RANGE OF FIN
c      EFFICIENCIES AND HEAT TRANSFER COEFFICIENTS. FOR A SPECIFIC
c      FIN EFFICIENCY OR HEAT TRANSFER COEFFICIENT USE THE CONSTANT/
c      SCALAR VALUES BELOW. ONE MUST BE COMMENTED OUT!!!
      CCCCCCCCCCCCCCCCCCCCCC
      *      ETA, X1,X2,AEF,LA,AFS,APT,DE,AU,DF,CH,Z,HMF,
      *      L1,L2,AO,RATIO,THICK,SPACEB,SPACET,TOL,LEN,TSTEAM(1000),
      *      P(1000),VF(1000),HFG(1000),CPF(1000),TFILM(1000),TFC(1000),
      *      UG(1000),KF(1000),PRF(1000),SIGMA(1000),CPG(1000),UF(1000),
      *      VG(1000),BETA,BT,BF,BS,B1,PHI(1000),FF(1000),FS(1000),HV(1000),
      *      QT(1000),QF(1000),QS(1000),EPH(1000),QQF(1000),QQS(1000),
      *      QNUS(1000),GT(1000),EDT(1000),GS(1000),GF(1000),TF(1000),
      *      TS(1000),TT(1000),EDTC(1000),TSTM(20,1),TFLM(20,2),HO(20,4),
      *      HS(1000),HF(1000),HN(1000),ENH,
      *      HBKSMH,HNSMH,HNUSS,FFI(1000),FSI(1000),PHIP(1000),
      *      F1(1000),F2(1000),Arf(1000),Ar(1000),Atr(1000),Ats(1000),
      *      RSA(1000),IEAA(1000),MAXENH(1000),AT,AF(1000),AS(1000),
      *      ATOTAL(1000),HR(1000)

      PARAMETER (PI=3.141592654)

      INTEGER L,F,J,TM,AREA,JJ

      CCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCC
c      NU:      NUMBER OF FINS PER UNIT LENGTH
c      LEN:     CONDENSING LENGTH OF TUBE
c      L1:      LENGTH PRIOR TO CONDENSING LENGTH THAT ACTS AS A FIN
c      L2:      LENGTH AFTER THE CONDENSING LENGTH THAT ACTS AS A FIN
c      KC:      THERMAL CONDUCTIVITY OF THE TUBE MATERIAL
c      W:       ==> FIN HEIGHT (h)
c      DR:      ROOT DIAMETER OF TUBE
c      D2:      OUTER DIAMETER AT FIN TIP
c      SPACET:   SPACING AT THE TIP OF THE FIN (b)
c      SPACEB:   SPACING AT THE BASE OF THE FIN (s)
c      G:        GRAVITY FORCE
c      CH:       INPUT HEAT TRANSFER COEFF USED TO DETERMINE THE HTC WITH
c      *         THE EFFICIENCY FOR THE MATERIAL
c      ETA:      FIN EFFICIENCY
c      PITCH:    FIN PITCH
c      P:        PRESSURE AT THE STEAM TEMPERATURE
c      VF:       SPECIFIC VOLUME OF THE CONDENSATE AT THE FILM TEMPERATURE
c      VG:       SPECIFIC VOLUME OF THE STEAM VAPOR
c      RHOF:     THE DENSITY OF THE CONDERSATE
c      RHOG:     THE DENSITY OF THE STEAM VAPOR
c      RHO:      THE DIFFERENCE BETWEEN THE TWO DENSITIES
c      HFG:      HEAT OF VAPORIZATION AT THE VAPOR TEMPERATURE
c      CPF:      SPECIFIC VOLUME OF CONDENSATE
c      CPG:      SPECIFIC VOLUME OF CONDENSATE
c      UF:       VISCOSITY OF CONDENSATE
c      UG:       VISCOSITY OF STEAM

```

```

C   KF:      THERMAL CONDUCTIVITY OF CONDENSATE
C   PRF:      PRANDTL NUMBER OF CONDENSATE
C   SIGMA:    SURFACE TENSION OF CONDENSATE
C   HMF:      HBK: HEAT TRANSFER COEFFICIENT BASED ON BEATTY AND KATZ
C             * CORRELATION
C   HNUSS:    HEAT TRANSFER COEFFICIENT BASED ON NUSSELT CORRELATION
C   AU:       UNFINNED SURFACE AREA
C   AFS:      AREA OF FIN FLANK
C   AFT:      AREA OF FIN TIP
C   AEF:      EFFECTIVE SURFACE AREA WITH FINS
C   DE:       EFFECTIVE DIAMETER WITH FIN
C   AO:       AURFACE AREA OF SMOOTH TUBE WITH OUTSIDE DAIMETER OF
C             * ROOT (WITHOUT FINS)
C   L:        D: ADDITIONAL HEIGHT OF RADIUSSED FIN ROOTS
C   QQF:      TOTAL HEAT TRANSFER RATE OVER ENTIRE LENGTH FOR A FIN TUBE
C   QQS:      TOTAL HEAT TRANSFER RATE OVER A SMOOTH TUBE WITH DIAMETER
C             * EQUAL TO THE ROOT DIAMETER
C   QNUS:     TOTAL HEAT TRANSFER RATE BASED ON NUSSELT CORRELATION
C   EDT:      ENHANCEMENT RATIO (HEAT-TRANSFER COEFFICIENT FOR FINNED
C             * TUBE DIVIDED BY THE HEAT TRANSFER COEFFICIENT FOR A SMOOTH
C             * TUBE WITH THE SAME DIAMETER)
C   GS:       CONSTANT VALUE IN EQN
C   TS:       CONSTANT VALUE IN EQN
C   GF:       CONSTANT VALUE IN EQN
C   TF:       CONSTANT VALUE IN EQN
C   EDTC:     CHECK OT THE ENHANCEMENT RATIO
C   TT:       CONSTANT VALUE IN EQN
C   GT:       CONSTANT VALUE IN EQN
C   BT:       CONSTANT VALUE FOR b AT FIN TIP
C   BF:       CONSTANT VALUE FOR b AT FIN FLANK
C   BS:       CONSTANT VALUE FOR b FOR INTERFIN TUBE SPACING
C   B1:       CONSTANT VALUE
C   BETA:     HALF-ANGLE AT THE FIN TIP
C   PHI:      CONDENSATE RETENTION OR "FLOODING" ANGLE FROM TOP OF TUBE
C   FF:       FRACTION OF UNFLOODED PART BLANKED BY RETAINED CONDENSATE
C             * AT FIN ROOT
C   FS:       FRACTION OF UNFLOODED PART OF INTERFIN TUBE SURFACE
C             * BLANKED BY RETAINED CONDENSATE AT FIN ROOT
C   HV:       EFFECTIVE MEAN VERTICAL FIN HEIGHT
C   QT:       HEAT FLUX FOR FIN TIP
C   QF:       HEAT FLUX FOR FIN FLANK
C   QS:       HEAT FLUX FOR TUBE SURFACE BETWEEN FINS
C   EPH:      FUNCTION VLAUE OF CONDENSATE RETENTION ANGLE
C   THICK:    FIN THICKNESS (t)
CCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCCC

```

```

OPEN (15, FILE= 'HEATCOBB OUTPUT')

```

```

c   select type of material (tm)
c   0-copper, 1-stainless steel, 2-aluminum, 3-copper nickel
c   TM= 2

c   select surface area equation (area)
c   1-rectangular fin, 2-deep fillet radius, 3-shallow fillet radius

c   AREA= 3

c   select the number of data points

c   P= 14

```

```

      IF (TM .EQ. 0) THEN
        kc= 390.82
        write(15,*) 'type material- copper'
        write(15,*) 'thermal conductivity (kc):',kc
C      END IF

      ELSEIF (TM .EQ.1) THEN
        kc= 14.3
        write(15,*) 'type material- stainless steel'
        write(15,*) 'thermal conductivity (kc):',kc
C      END IF

      ELSEIF (TM .EQ. 2) THEN
        kc= 231.8
        write(15,*) 'type material- aluminum'
        write(15,*) 'thermal conductivity (kc):',kc
C      END IF

      ELSE
        kc= 55.3
        write(15,*) 'type material- copper nickel'
        write(15,*) 'thermal conductivity (kc):',kc
      end if

      IF (AREA .EQ. 3) THEN
        dr= 14.38e-3
        W =.75E-3
      else
        W =1E-3
        dr= 13.88e-3
      end if

C      DR= 13.7E-3
      LEN= .13335
      L1= .060325
      L2= .034925
      BETA= 0
      BT= 0.143
      BF= 0.143
      BS= 0.143
      B1= 2.96
      THICK= 1*10.**(-3)
      S=1.5E-3
      JJ=0
C      DO 5 S= .5E-3,2.5E-3,.05E-3
C      SPACEB= 2.5 * 10.**(-3)
      SPACEB= S
C      JJ= JJ+1
C      WRITE (15,*) 'RUN NUMBER =',JJ
      SPACET= SPACEB
      OPEN (16, FILE= 'VT131 FORTRAN')
      WRITE(15,*) 'OUTPUT FOR VT131'

      PITCH= SPACEB+THICK
C      W = 0.000001
      R1= DR/2.
      D2= DR + 2*W
      R2= D2/2.
      WC= W + THICK/2.

```

```

R2C= R2 + THICK/2.
RA= SQRT(2.)/(1. - R1/R2C)
RB= (R1/R2C) * RA
T= THICK
L= .25e-3

WRITE(15,*) 'DR=',DR
WRITE(15,*) 'FIN HEIGHT =',W
IF (AREA .EQ.1) THEN
  A= t*wc
  WRITE(15,*) 'RECTANGULAR FIN'
  ASC= A
end if

IF (AREA .EQ.2) THEN
C   A= (L+T/2)*T+(T*SPACET)*SPACET/2-(PI*SPACET**2/8)
  write(15,*) 'deep fillet radius fin'
  A=(T/2+W)*(T+SPACET)-SPACET*((R2-(R1+SPACET/2))+T/2)
  *   -PI/2*(SPACET/2)**2

C   WRITE(15,*) 'SURFACE AREA:',A
  Asc= (t+spacet)*(L+spacet/2+t/2)-(((L+t/2)*spacet)+
  *   (pi*spacet**2)/8)
C   WRITE(15,*) 'SURFACE AREA (COBB):',ASC
end if

IF (AREA .EQ.3) THEN
C   A=(T/2+W)*(T+SPACET)-SPACET*((R2-(R1+SPACET/2))+T/2)
C   *   -PI/2*(SPACET/2)**2
C   A= (T/2)*T+(T*SPACET)*SPACET/2-(PI*SPACET**2/8)
  A=(T/2+W)*(T+SPACET)-SPACET*((R2-(R1+SPACET/2))+T/2)
  *   -PI/2*(SPACET/2)**2
  write(15,*) 'shallow fillet radius fin'
C   WRITE(15,*) 'SURFACE AREA:',A
C   ASC= (T+SPACET)*(SPACET/2+T/2)-(((T/2)*SPACET)+
C   *   (PI*SPACET**2)/8)
C   WRITE(15,*) 'SURFACE AREA (COBB):',A
end if

C   A= THICK * WC
WRITE(15,*) 'CROSS SECTION AREA:',A

NU= (1/PITCH) * LEN
G= 9.81
DO 10 J=1,F
  READ (16,46) TSTM(J,1),TFLM(J,2),DT(J,3),HO(J,4)
  46  FORMAT (2X,F7.3,4X,F6.3,4X,F5.2,4X,F7.1)
  TSTEAM(J)= 273.15 + TSTM(J,1)

  TFC(J)= TSTEAM(J)/3. + 2*(TSTEAM(J)-DT(J,3))/3.
  TFILM(J)= TFLM(J,2) + 273.15
  WRITE(15,46) TSTM(J,1),TFLM(J,2),DT(J,3),HO(J,4)
C   WRITE(15,*) 'TFILM:',TFILM(J)
  WRITE(15,*) 'NUM INPUT:',J
C   WRITE(15,*) 'TSTEAM:',TSTEAM(J)
C   WRITE(15,*) 'TFILM CALC :', TFC(J)

P(J)= 2.003732620063*10.**3 -1.77885208776858*10.**1

```

```

*      *TSTEAM(J) + 6.697864486474*10.**(-3)*TSTEAM(J)**2 +
*      3.86086914584487*10.**(-4)*TSTEAM(J)**3 -
*      1.404502413839*10.**(-6)*TSTEAM(J)**4 +
*      1.51673236206257*10.**(-9)*TSTEAM(J)**5

VF(J)= 5.923643369271*10.**(-3)-6.64076036569*10.**(-5)
*      *TFILM(J) + 3.569837849015*10.**(-7)*TFILM(J)**2 -
*      9.61487470533368*10.**(-10)*TFILM(J)**3 +
*      1.300855464242*10.**(-12)*TFILM(J)**4 -
*      7.009436103929*10.**(-16)*TFILM(J)**5

IF (TSTEAM(J) .LE. 320) THEN
  VG(J)= 3.7765014695224E5 - 4.8166922018646E3 * TSTEAM(J)
*      + 2.30839950003999E1 * TSTEAM(J)**2
*      - 4.92547853988165E-2 * TSTEAM(J)**3
*      + 3.94711740176825E-5 * TSTEAM(J)**4
ELSE
  VG(J)= 2.0944941102788E4 - 2.57511068255697E2 * TSTEAM(J)
*      + 1.26769945136484 * TSTEAM(J)**2
*      - 3.122098724905E-3 * TSTEAM(J)**3
*      + 3.84527176768464E-6 * TSTEAM(J)**4
*      - 1.89417409454379E-9 * TSTEAM(J)**5
END IF

HFG(J)= 5.138499737498*10.**6-2.88007195645*10.**4
*      * TSTEAM(J) + 1.387146790307*10.**2*TSTEAM(J)**2 -
*      3.6214603994528*10.**(-1)*TSTEAM(J)**3 +
*      4.776360304615*10.**(-4)*TSTEAM(J)**4 -
*      2.6171073275132*10.**(-7)*TSTEAM(J)**5

CPF(J)= 5.49664984073512*10.**4-6.83922749835455*10.**2
*      *TFILM(J)+3.66613575502*TFILM(J)**2-9.774641549244E-3
*      * TFILM(J)**3 + 1.2944551269757E-5*TFILM(J)**4 -
*      6.78966872244218*10.**(-9)*TFILM(J)**5.

CPG(J)= -7.0138991625627*10.**(2)+3.10681344157*10.**(1)
*      * TSTEAM(J) - 1.43330809031838*10.**(-1)*TSTEAM(J)**2 +
*      3.102487339759*10.**(-4)*TSTEAM(J)**3 -
*      3.37533518371059*10.**(-7)*TSTEAM(J)**4 +
*      2.09976698784749*10.**(-10)*TSTEAM(J)**5

UF(J)= 5.28866616855338*10.**(-1)-6.9064403925*10.**(-3)
*      * TFILM(J) + 3.6169015509742*10.**(-5)*TFILM(J)**2 -
*      9.475113986937*10.**(-8)*TFILM(J)**3 +
*      1.2401320526629*10.**(-10)*TFILM(J)**4 -
*      6.48230688486946*10.**(-14)*TFILM(J)**5

UG(J)= -1.0493495919E-4 + 1.520614407775E-6
*      * TSTEAM(J) - 8.509310662084E-9 *TSTEAM(J) +
*      2.418828484978E-11 *TSTEAM(J)**3 -
*      3.39717932745E-14 *TSTEAM(J)**4 +
*      1.88340981436E-17 *TSTEAM(J)**5

KF(J)= 7.60929710087 - 1.097443071183E-1 *TFILM(J) +
*      6.476232148521E-4 * TFILM(J)**2 -
*      1.83877277459E-6 *TFILM(J)**3 +
*      2.5564025355E-9 *TFILM(J)**4-1.4068703896348E-12
*      * TFILM(J)**5

```

```

PRF(J)= 4.583467922E+3 - 6.00442918616E+1 *TFILM(J) +
* 3.150508584456E-1*TFILM(J)**2 -8.2625902332188E-4*TFILM(J)**3
* +1.0820649955124E-6*TFILM(J)**4 -5.6571205177E-10*TFILM(J)**5

```

```

SIGMA(J)= -2.11271594796 + 3.1290868968E-2 *TFILM(J) -
* 1.76251989006E-4 *TFILM(J)**2 +4.91136030868E-7*TFILM(J)**3
* -6.80272511265E-10*TFILM(J)**4 +3.742781911254E-13*TFILM(J)**5

```

```

RHOF(J)= 1./VF(J)
RHOG(J)= 1./VG(J)
RHO(J)= RHOF(J) - RHOG(J)

```

```

C      WRITE(15,34)
C34    FORMAT(1X,T3,'TFILM',T13,'P',T22,'VF',T32,'VG',T41,'HFG',
C      *      T52,'CPF',T64,'CPG')
C      WRITE(15,35)
C35    FORMAT(1X,T3,'(K)',T11,'(KPA)',T20,'(M3/KG)',T30,'(M3/KG)',
C      *      T40,'(J/KG)',T51,'(J/(KG*K))',T62,'(J/(KG*K))')
C      WRITE(15,36) TFILM(J), P(J),VF(J),VG(J),HFG(J),CPF(J),CPG(J)
C36    FORMAT(1X,F6.2,T10,F7.3,T19,F8.6,T29,F7.2,T38,F10.2,T52,
C      *      F7.2,T64,F7.2)
C      WRITE(15,*)
C      WRITE(15,37)
C37    FORMAT (1X,T5,'UF',T16,'UG',T33,'KF',T46,'PRF',
CC      *      T55,'SIGMA')
C      WRITE (15,38)
C38    FORMAT (1X,T3,'(N*S/M2)',T14,'(N*S/M2)',
C      *      T30,'(W/M*K)',T55,'(N/M)')
C      WRITE (15,39) UF(J),UG(J),KF(J),PRF(J),SIGMA(J)
C39    FORMAT(1X,T2,F9.7,T13,F10.8,T31,F6.4,T45,F6.3,T55,F6.4)
C      WRITE (15,*)
C      WRITE (15,*)

```

```

TOL= 1.0
CH= 0.0
DN1= .00193788
HMF= 1.0

```

```

51  IF (ABS(CH-HMF) .GE. TOL) THEN
      CH= HMF
      Z= (WC**1.5)*(CH/(A*KC))**.5
      X1= RA*Z
      X2= RB*Z

```

```

      Eta=((DSQRT(2.D0)/Z)/(1+R2C/R1))*((DBSI1(X1)*DBSK1(X2)-
      *      DBSI1(X2)*DBSK1(X1))/(DBSI1(X1)*DBSK0(X2)+DBSI0(X2)
      *      *DBSK1(X1)))
      APT= NU*PI*D2*THICK
      LA= (PI*(D2**2-DR**2))/(4*D2)
      AU= NU*DR*SPACEB*PI
      AFS= (2*NU*PI*(D2**2-DR**2))/4.
      AEF= Eta*AFS + Eta*APT + AU
      Y= 1.3*ETA*AFS/(AEF*LA**.25)+(ETA*APT)/(AEF*D2**.25)+
      *      AU/(AEF*DR**.25)

```

```

DE= (1/Y)**4.
DF= ((1./DE)**.25)/(1./DN1)**.25

```

```

HMF= 0.689*((KF(J)**3 * RHOF(J)**2 * G * HFG(J))

```

```

*      / (UF(J)*DT(J,3)*DE)**.25

HBKSMH= 0.689*((KF(J)**3*RHOF(J)**2*G*HFG(J))/
*      (UF(J)*DR*DT(J,3))**.25

HNUSS= 0.728*(KF(J)/DE)*((RHOF(J)*(RHOF(J)-RHOG(J))*G*HFG(J)
*      *DE**3)/(UF(J)*DT(J,3)*KF(J))**.25

HNSMH= 0.728*(KF(J)/DR)*((RHOF(J)*(RHOF(J)-RHOG(J))*G*HFG(J)
*      *DR**3)/(UF(J)*DT(J,3))**.25

GO TO 51
END IF
WRITE (15,*)

AO= PI* DR * LEN
C  WRITE(15,*) 'AEF:',AEF
C  WRITE(15,*) 'AO:',AO
RATIO= AEF/AO
C  WRITE(15,*) 'ETA:',ETA
C  WRITE(15,*) 'Z:',Z
C  WRITE(15,*) 'HMF:',HMF
ENH= HMF*RATIO/HNSMH

hfm= hmf*ratio

C  WRITE (15,70)
C 70  FORMAT (1X,T6,'HO(EXP)',T19,'HBK',T29,'AEF/AO',T39,'DT')
C  WRITE (15,71) HO(J,4),HFM,RATIO,DT(J,3)
C71  FORMAT (1X,T4,F7.1,T14,F10.2,T28,F8.6,T39,F5.2)
C  WRITE(15,72)
C72  FORMAT(1X,T2,'HNUSS',T15,'ENH B&K',T39,'HBKSMH',
C  * T51,'HNSMH')
C  WRITE(15,73) HNUSS,ENH,HBKSMH,HNSMH
C  WRITE(15,*) 'HO (EXP)=' ,HO(J,4)
C73  FORMAT(1X,F9.2,T15,F6.3,T36,F9.2,T48,F9.2)
C  WRITE (15,*) 'HBK=' ,HFM
C  WRITE (15,*) 'SIGMA:',SIGMA(J)
C  WRITE (15,*) 'ENH(B&K)=' , ENH
C  WRITE (15,*) 'SPACING=' , S
C35  CONTINUE
      phip(j)= sigma(j)*dcos(beta)/(rhof(j)*g*spacet*d2)
      if (phip(j) .gt. 0.5) then
        phi(j)= 0.0
      else
        PHI(J)= DACOS((4*SIGMA(J)*DCOS(BETA)/(RHOF(J)*G*SPACET*D2))-1)
      end if
C
      EPH(J)= 0.874+0.1991E-2*PHI(J)-0.2642E-1*PHI(J)**2
*      +0.553E-3*PHI(J)**3 - 0.1363E-2*PHI(J)**4
C
      if (phi(j) .eq. 0.0) then
        ffi(j)= 1
      else
        IF (AREA .EQ. 3) THEN
          FFI(J)= 1
        END IF

```

```

      IF (AREA .EQ. 1) THEN
        FFI(J)= (2*SIGMA(J)/(RHOF(J)*G*DR*W))*(TAN(PHI(J)/2.)/PHI(J))
      END IF
      IF (AREA .EQ. 2) THEN
        FFI(J)= (2*SIGMA(J)/(RHOF(J)*G*DR*(R2-(R1+S/2))))*
*      (TAN(PHI(J)/2.)/PHI(J))
      END IF
    end if

    IF(FFI(J) .GE. 1) THEN
      ff(J)= 1
    else
      ff(j)= ffi(j)
    end if

    if (phi(j) .eq. 0.0) then
      fsi(j)= 1
    else
      fsi(J)= (4*SIGMA(J)/(RHOF(J)*G*DR*SPACEB))*(TAN(PHI(J)/2.)
*      /PHI(J))
    end if

    IF (FSI(J) .GE. 1) THEN
      fs(j)= 1
    else
      fs(j)= fsi(j)
    end if

    IF (AREA .NE. 1) THEN
      FS(J)= PHI(J) * S/2
    END IF

C   FOR PHI(J)< PI/2
    IF (phi(j) .eq. 0.0) then
      hv(j)= w
      IF (AREA .EQ. 2) THEN
        HV(J)= (R2-(R1+S/2))
      END IF

      IF (AREA .EQ. 3) THEN
        HV(J) = 0
      END IF
    else IF (PHI(J) .LE. (PI/2.)) then
      HV(J)= W*PHI(J)/SIN(PHI(J))
      IF (AREA .EQ. 2) THEN
        HV(J) =(R2-(R1+S/2))*PHI(J)/SIN(PHI(J))
      END IF

      IF (AREA .EQ. 3) THEN
        HV(J)= 0
      END IF
    C   FOR PHI(J)> PI/2
    ELSE
      HV(J)= W*PHI(J)/(2.-SIN(PHI(J)))
      IF (AREA .EQ. 2) THEN
        HV(J) =(R2-(R1+S/2))*PHI(J)/(2.-SIN(PHI(J)))
      END IF
      IF (AREA .EQ. 3) THEN

```

```

      HV(J)= 0
      END IF
END IF
C
QT(J)= (RHOF(J)*HFG(J)*KF(J)**3*DT(J,3)**3/UF(J)
*      *(0.728**4*RHO(J)*G/D2+BT*SIGMA(J)/THICK**3)**.25
C
IF (HV(J) .EQ. 0) THEN
  QF(J)= 0
ELSE
  IF (AREA .EQ. 1) THEN
    QF(J)= ((RHOF(J)*HFG(J)*KF(J)**3*DT(J,3)**3/UF(J))*((0.943**4
*      *RHO(J)*G/HV(J))+BF*SIGMA(J)/W**3)**.25
    END IF
    IF (AREA .EQ. 2) THEN
      QF(J)= ((RHOF(J)*HFG(J)*KF(J)**3*DT(J,3)**3/UF(J))*((0.943**4
*      *RHO(J)*G/HV(J))+BF*SIGMA(J)/(R2-(R1+S/2)**3)**.25
      END IF
    END IF
    IF (AREA .EQ. 1) THEN
      QS(J)= ((RHOF(J)*HFG(J)*KF(J)**3*DT(J,3)**3/UF(J))*(EPH(J)**3*
*      RHO(J)*G/DR+BS*SIGMA(J)/SPACEB**3)**.25
      ELSE
        QS(J)= ((RHOF(J)*HFG(J)*KF(J)**3*DT(J,3)**3/UF(J))*(EPH(J)**3*
*      RHO(J)*G/(DR+S*(1-2/PI))+BS*SIGMA(J)/S**3)**.25
        END IF
C
Qnus(J)= 0.728*((RHOF(J)*HFG(J)*KF(J)**3*DT(J,3)**3/UF(J))
*      *(RHO(J)*G/DR)**.25
C
IF (AREA .EQ. 1) THEN
  QQF(J)= PI*D2*THICK*QT(J)*ETA+(PHI(J)/PI)*(((1-FF(J))*PI*(D2**2-
*      DR**2)/2.)*QF(J)*ETA+(1-FS(J))*PI*DR*B1*SPACEB*QS(J))
  ELSE
C
    QQF(J)= PI*(2*R2)*THICK*QT(J)*ETA+(PHI(J)/PI)*(PI*2
*      *(R2**2-(R1+S/2)**2.)*QF(J)*ETA+PI*2*(PI*S/2)*B1
*      *(R1+S/2*(1-2/(PI)))*ETA*QS(J))
    END IF
C
CCCCCCCCC FOR ENHANCEMENT WITHOUT EFFICIENCY
C
  QQF(J)= PI*D2*THICK*QT(J)+(PHI(J)/PI)*(((1-FF(J))*PI*(D2**2-
C
  *      DR**2)/2.)*QF(J)+(1-FS(J))*PI*DR*B1*SPACEB*QS(J))
C
  QQS(J)= PI*DR*(SPACEB+THICK)*Qnus(J)
C
C
  EDT(J)= QQF(J)/QQS(J)
C
  GT(J)= SIGMA(J)*DR/(RHO(J)*G*THICK**3)
C
  GS(J)= SIGMA(J)*DR/(RHO(J)*G*SPACEB**3)
C
  GF(J)= SIGMA(J)*DR/(RHO(J)*G*W**3)
C

```

```

TF(J) = 0
IF (HV(J) .NE. 0) THEN
  TF(J) = ((0.943/0.728)**4*DR/HV(J)+BF*GF(J)/0.728**4)**.25
END IF

C
TS(J) = (EPH(J)**3/0.728**4+BS*GS(J)/0.728**4)**.25
C
TT(J) = (DR/D2+BT*GT(J)/0.728**4)**.25
C
IF (AREA .EQ. 1) THEN
  EDTC(J) = (D2/DR)*THICK/(SPACEB+THICK)*TT(J)*ETA+PHI(J)/PI*(1-FF(J))
*      *((D2**2-DR**2)/(2*DR*(SPACEB+THICK)))*TF(J)*ETA+PHI(J)/PI
*      *(1-FS(J))*B1*(SPACEB/(SPACEB+THICK))*TS(J)
ELSE
  EDTC(J) = QQF(J)/QQS(J)
END IF
C
QFF(J) = (QF(J)+QT(J)+QS(J))*NU

AT = PI*D2*T
AF(J) = (PHI(J)/PI)*((1-FF(J))*PI*(D2**2-DR**2)/2)
As(j) = (1-fs(j))*pi*dr*B1*spaceb
Atotal(j) = At+As(j)+Af(j)

HS(J) = QS(J)/DT(J,3)
HF(J) = QQf(j)/(Atotal(j)*DT(j,3))
HN(J) = EDTC(J)*QNUS(J)/DT(J,3)
HR(J) = QQF(J)/(PI*DR*(SPACEB+THICK)*DT(J,3))

C
WRITE(15,*) 'HN:',HN(J)
WRITE(15,*) 'HO(ROSE):',HN(J)
C
WRITE(15,*) 'HR:',HR(J)
C
WRITE(15,*) 'EDT:', EDT(J)
write(15,*)
C
WRITE(15,*) 'TOTAL SURFACE AREA:',ATOTAL(J)
C
WRITE(15,*) 'AREA OF TIP:',AT
C
WRITE(15,*) 'AREA OF FLANK:',AF(J)
C
WRITE(15,*) 'AREA OF SPACE:',AS(J)

C
WRITE(15,*) 'HS:',HS(J)
C
WRITE(15,*) 'ENHANCEMENT FROM HEAT FLUX:', QQF(J)/QQS(J)
C
WRITE(15,*) 'QNUSS:',QNUS(J)
WRITE(15,*) 'Edtc:', EDTC(J)
C
WRITE(15,*) 'QQF:', QQF(J)
C
WRITE(15,*) 'QQS:', QQS(J)
C
WRITE(15,*) 'HEAT FLUX ON FIN FLANK QF:', QF(J)
C
WRITE(15,*) 'HEAT FLUX AT FIN INTERSPACING QS:', QS(J)
C
WRITE(15,*) 'HEAT FLUX AT FIN TIP QT:', QT(J)
C
WRITE(15,*) 'FF:',FF(J)
C
WRITE(15,*) 'FFI:',FFI(J)
C
WRITE(15,*) 'FS:',FS(J)
C
WRITE(15,*) 'FSI:',FSI(J)
C
WRITE(15,*) 'PHI:',PHI(J)
C
WRITE(15,*) 'HV:',HV(J)
C
WRITE(15,*) 'RHOG:',RHOG(J)
C
WRITE(15,*) 'RHOF:',RHOF(J)

```

```

CC  WRITE(15,*) 'RHO:',RHO(J)
C   WRITE(15,*) 'D2:',D2
C   WRITE(15,*) 'BETA:',BETA
C   WRITE(15,*) 'SIGMA:',SIGMA(J)
C   WRITE(15,*) 'G:',G
C   WRITE(15,*) 'GT:',GT(J)
C   WRITE(15,*) 'GS:',GS(J)
C   WRITE(15,*) 'GF:',GF(J)
C   WRITE(15,*) 'DE:',DE
C   WRITE(15,*) 'DR:',DR
C   WRITE(15,*) 'TF:',TF(J)
C   WRITE(15,*) 'TS:',TS(J)
C   WRITE(15,*) 'TT:',TT(J)
C   WRITE(15,*) 'FIN THICKNESS:',THICK
C   WRITE(15,*) 'SPACING AT FIN BASE (S):',SPACET
C   WRITE(15,*) 'FIN SPACING AT TIP (B):',SPACET
C   WRITE(15,*) 'FIN PITCH:',PITCH
C   WRITE(15,*) 'FIN HEIGHT (H):',W
C   WRITE(15,*)
C   for surface area effect
C   f1(j)= fs(j)
C   f2(j)= ff(j)
C
C   ARF(J)= (R1*SPACET*PHI(J)*(1-F1(J))+(R2**2-R1**2)*PHI(J)
*          *(1-F2(J))+(PI*R2*THICK))/(PI*R1*(SPACET+THICK))
C
C   EARF(J)= (R1*SPACET*PHI(J)*(1-F1(J))*ETA+(R2**2-R1**2)*PHI(J)
*            *(1-F2(J))*ETA+(PI*R2*THICK))/(PI*R1*(SPACET+THICK))
C
C   ATS(J)= (R1*SPACET+(R2**2-R1**2)+R2*THICK)/
*            (r1*(spacet+thick))
C
C   Atr(j)= (r2**2-(r1+.5*spacet)**2+.5*pi*spacet*(r1+.5*spacet*(1-
*            (2/pi)))+r2*thick)/(r1*(spacet+thick))
C
C   Ar(j)= ((r2**2-(r1+.5*spacet)**2)*(phi(j)/pi)+(r1+.5*spacet*
*            (1-(2/pi))*.5*spacet*phi(j)+r2*thick)/
*            (r1*(spacet+thick))
C
C   EAR(J)= ((R2**2-(R1+.5*SPACET)**2)*(PHI(J)/PI)*ETA+(R1+.5*SPACET*
*            (1-(2/PI))*.5*SPACET*PHI(J)*ETA+R2*THICK*ETA)/
*            (R1*(SPACET+THICK))
C
C   RSA(j)= (Ats(j)-Atr(j))/Ats(j)
C   IEAA(j)= (Ar(j)-Arf(j))/Arf(j)
C   MAXENH(j)= IEAA(j)-RSA(j)
C
C   WRITE(15,*) 'FRACTION OF AREA BLANKED ON TOP F1:',F1(J)
C   WRITE(15,*) 'FRACTION OF AREA BLANKED ON FLANKS F2:',F2(J)
C   WRITE(15,*) 'ACTIVE AREA ENHANCEMENT RECTANGULAR-SECTION
C   * FINS ARF:',ARF(J)
C   WRITE(15,*) 'ACTIVE AREA ENHANCEMENT FILLET RADIUS ROOT AR:',
C   * AR(J)
C   WRITE(15,*) 'RECTANGULAR-SECTION FINS TOTAL SURFACE AREA
C   * ENHANCEMENT ATS:',ATS(J)
C   WRITE(15,*) 'FILLET RADIUS TOTAL SURFACE AREA ENHANCEMENT
C   * ATR:',ATR(J)
C   WRITE(15,*) 'REDUCTION IN ENHANCEMENT DUE TO THE LOST OF SURFACE
C   * AREA (FROM FILLET ROOT):',RSA(J)

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```

C      WRITE(15,*) 'INCREASE IN ENHANCEMENT DUE TO ACTIVE AREA:',IEAA(J)
C      WRITE(15,*) 'MAX ENHANCEMENT:',MAXENH(J)
C      WRITE(15,*) 'ACTIVE SURFACE AREA ENHANCEMENT RATIO (AR/ARF):'
C      *      ,AR(J)/ARF(J)
C      WRITE(15,*)
C      WRITE(15,*)
C      WRITE(15,*) 'ETA:',ETA
C      WRITE(15,*) 'EQN(34) =',ARF(J)
C      WRITE(15,*) 'EQN(43) =',AR(J)
C      WRITE(15,*) 'EQN(41) =',ATS(J)
C      WRITE(15,*) 'EQN(42) =',ATR(J)
C      WRITE(15,*) 'EQN(43)/EQN(34) =',(AR(J)/ARF(J))
C      WRITE(15,*) 'DR=',DR
C      WRITE(15,*) 'SIGMA=',SIGMA(J)
C      WRITE(15,*) 'RHOG:',RHOG(J)
C      WRITE(15,*) 'RHOF:',RHOF(J)
C      WRITE(15,*) 'RHO:',RHO(J)
10     CONTINUE
C      CLOSE(16)
C5     CONTINUE

      END

```

#### APPENDIX D. SAMPLE DATA RUNS

Table II contains the correlation information for the data runs contained in this Appendix. All the data runs were processed using the Petukhov-Popov [Ref. 33] inside heat transfer correlation. The data have been printed out in the short form format.

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : ATOD11

This analysis includes end-fin effect

Thermal conductivity = 390.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 14.38 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : SMOOTH TUBE

Tube material : COPPER

Pressure condition : ATMOSPHERIC

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.8344

Alpha (based on Nusselt (Tdel)) = 0.8298

Enhancement (q) = .968

Enhancement (Del-T) = .976

Data #	Vw (m/s)	Uo (W/m^2-K)	Ho (W/m^2-K)	Qp (W/m^2)	Tcf (C)	Ts (C)
1	4.28	7.880E+03	9.583E+03	5.348E+05	55.81	99.98
2	3.75	7.874E+03	9.773E+03	5.264E+05	53.86	99.91
3	3.23	7.836E+03	9.978E+03	5.158E+05	51.69	100.03
4	2.70	7.704E+03	1.012E+04	4.965E+05	49.07	100.04
5	2.18	7.502E+03	1.030E+04	4.757E+05	46.20	100.04
6	1.66	7.804E+03	1.188E+04	4.815E+05	40.53	100.03
7	1.14	6.693E+03	1.096E+04	4.067E+05	37.10	99.82
8	1.14	6.685E+03	1.097E+04	4.113E+05	37.51	100.02
9	1.66	7.239E+03	1.064E+04	4.501E+05	42.31	99.90
10	2.18	7.493E+03	1.026E+04	4.693E+05	45.73	99.91
11	2.70	7.812E+03	1.028E+04	4.920E+05	47.88	100.01
12	3.22	7.985E+03	1.017E+04	5.041E+05	49.55	99.97
13	3.73	7.938E+03	9.814E+03	5.020E+05	51.15	100.04
14	4.25	8.082E+03	9.818E+03	5.112E+05	52.07	100.01

Least-Squares Line for Ho vs q curve:

Slope = 0.0000E+00

Intercept = 0.0000E+00

Least-squares line for  $q = a \cdot \Delta T^b$

a = 2.6963E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file ATOD11

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : ATSMTH1

This analysis includes end-fin effect

Thermal conductivity = 390.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 14.38 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : SMOOTH TUBE

Tube material : COPPER

Pressure condition : ATMOSPHERIC

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.8493

Alpha (based on Nusselt (Tdel)) = 0.8499

Enhancement (q) = 1.000

Enhancement (Del-T) = 1.000

Data	Uw	Uo	Ho	Qp	Tcf	Ts
#	(m/s)	(W/m <sup>2</sup> -K)	(W/m <sup>2</sup> -K)	(W/m <sup>2</sup> )	(C)	(C)
1	4.30	7.969E+03	9.744E+03	5.619E+05	57.67	99.96
2	3.77	7.920E+03	9.884E+03	5.537E+05	56.01	99.89
3	3.24	7.858E+03	1.007E+04	5.459E+05	54.20	99.95
4	2.72	7.708E+03	1.021E+04	5.330E+05	52.18	100.04
5	2.19	7.485E+03	1.038E+04	5.128E+05	49.38	99.89
6	1.67	7.128E+03	1.058E+04	4.860E+05	45.96	100.06
7	1.15	6.658E+03	1.116E+04	4.503E+05	40.35	100.13
8	1.15	6.677E+03	1.121E+04	4.497E+05	40.13	99.99
9	1.67	7.124E+03	1.055E+04	4.828E+05	45.74	100.01
10	2.19	7.470E+03	1.034E+04	5.079E+05	49.13	100.07
11	2.71	7.752E+03	1.026E+04	5.269E+05	51.34	100.10
12	3.24	7.914E+03	1.013E+04	5.390E+05	53.19	100.14
13	3.76	7.962E+03	9.907E+03	5.383E+05	54.33	100.12
14	4.28	8.070E+03	9.847E+03	5.442E+05	55.27	100.12

Least-Squares Line for Ho vs q curve:

Slope = 0.0000E+00

Intercept = 0.0000E+00

Least-squares line for q = a\*delta-T<sup>b</sup>

a = 2.7388E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file ATSMTH1

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : ATSMTH3

This analysis includes end-fin effect

Thermal conductivity = 390.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 14.38 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : SMOOTH TUBE

Tube material : COPPER

Pressure condition : ATMOSPHERIC

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.7549

Alpha (based on Nusselt (Tdel)) = 0.8561

Enhancement (q) = 1.010

Enhancement (Del-T) = 1.007

Data #	Vw (m/s)	Uo (W/m <sup>2</sup> -K)	Ho (W/m <sup>2</sup> -K)	Qp (W/m <sup>2</sup> )	Tcf (C)	Ts (C)
1	4.30	7.882E+03	9.681E+03	5.583E+05	57.67	100.05
2	3.77	7.912E+03	9.944E+03	5.542E+05	55.74	100.13
3	3.24	7.886E+03	1.020E+04	5.473E+05	53.63	99.96
4	2.72	7.716E+03	1.032E+04	5.290E+05	51.25	99.96
5	2.19	7.480E+03	1.049E+04	5.117E+05	48.77	100.12
6	1.67	7.153E+03	1.079E+04	4.869E+05	45.14	100.14
7	1.15	6.631E+03	1.132E+04	4.472E+05	39.51	100.01
8	1.15	6.602E+03	1.124E+04	4.454E+05	39.64	100.03
9	1.67	7.120E+03	1.071E+04	4.844E+05	45.21	100.05
10	2.19	7.520E+03	1.056E+04	5.129E+05	48.55	100.14
11	2.72	7.766E+03	1.040E+04	5.298E+05	50.93	99.95
12	3.24	7.936E+03	1.026E+04	5.412E+05	52.73	99.88
13	3.76	8.015E+03	1.007E+04	5.449E+05	54.10	100.08
14	4.28	8.059E+03	9.904E+03	5.480E+05	55.33	100.13

Least-Squares Line for Ho vs q curve:

Slope = 0.0000E+00

Intercept = 0.0000E+00

Least-squares line for q = a\*delta-T<sup>b</sup>

a = 2.7624E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file ATSMTH3

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL  
 Data taken by : COBB  
 This analysis done on file : VTSMT1  
 This analysis includes end-fin effect  
 Thermal conductivity = 390.8 (W/m.K)  
 Inside diameter, Di = 12.70 (mm)  
 Outside diameter, Do = 14.38 (mm)  
 This analysis uses the QUARTZ THERMOMETER readings  
 Modified Petukhov-Popov coefficient = 2.5000  
 Using HEATEX insert inside tube  
 Tube Enhancement : SMOOTH TUBE  
 Tube material : COPPER  
 Pressure condition : VACUUM  
 Nusselt theory is used for Ho

Ci (based on Petukhov-Popov) = 2.6957  
 Alpha (based on Nusselt (Tdel)) = 0.8127  
 Enhancement (q) = 1.004  
 Enhancement (Del-T) = 1.003

Data #	Uw (m/s)	Uo (W/m <sup>2</sup> -K)	Ho (W/m <sup>2</sup> -K)	Qp (W/m <sup>2</sup> )	Tcf (C)	Ts (C)
1	4.31	8.715E+03	1.107E+04	1.869E+05	16.89	48.60
2	1.15	6.985E+03	1.297E+04	1.429E+05	11.02	48.57
3	3.78	8.576E+03	1.115E+04	1.830E+05	16.41	48.56
4	1.68	7.504E+03	1.197E+04	1.567E+05	13.09	48.60
5	3.25	8.503E+03	1.143E+04	1.817E+05	15.90	48.65
6	2.20	7.971E+03	1.176E+04	1.671E+05	14.21	48.50
7	2.73	8.306E+03	1.163E+04	1.759E+05	15.13	48.56
8	2.73	8.348E+03	1.171E+04	1.761E+05	15.04	48.52
9	2.20	7.932E+03	1.168E+04	1.684E+05	14.42	48.78
10	3.25	8.515E+03	1.145E+04	1.831E+05	15.99	48.78
11	1.68	7.436E+03	1.180E+04	1.567E+05	13.28	48.81
12	3.78	8.615E+03	1.121E+04	1.840E+05	16.40	48.54
13	4.31	8.670E+03	1.100E+04	1.877E+05	17.07	48.78
14	1.15	6.765E+03	1.226E+04	1.438E+05	11.73	48.95

Least-Squares Line for Ho vs q curve:

Slope = 0.0000E+00

Intercept = 0.0000E+00

Least-squares line for q = a\*delta-T<sup>b</sup>

a = 2.2763E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file VTSMT1

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL  
 Data taken by : COBB  
 This analysis done on file : VTSMT3  
 This analysis includes end-fin effect  
 Thermal conductivity = 390.8 (W/m.K)  
 Inside diameter, Di = 12.70 (mm)  
 Outside diameter, Do = 14.38 (mm)  
 This analysis uses the QUARTZ THERMOMETER readings  
 Modified Petukhov-Popov coefficient = 2.5000  
 Using HEATEX insert inside tube  
 Tube Enhancement : SMOOTH TUBE  
 Tube material : COPPER  
 Pressure condition : VACUUM  
 Nusselt theory is used for Ho

Ci (based on Petukhov-Popov) = 2.8599  
 Alpha (based on Nusselt (Tdel)) = 0.7971  
 Enhancement (q) = .979  
 Enhancement (Del-T) = .984

Data #	Vw (m/s)	Uo (W/m <sup>2</sup> -K)	Ho (W/m <sup>2</sup> -K)	Qp (W/m <sup>2</sup> )	Tcf (C)	Ts (C)
1	4.32	8.411E+03	1.049E+04	1.981E+05	18.88	48.43
2	1.16	6.659E+03	1.157E+04	1.540E+05	13.31	48.89
3	3.79	8.316E+03	1.061E+04	1.969E+05	18.56	48.36
4	1.68	7.263E+03	1.116E+04	1.715E+05	15.37	48.70
5	3.27	8.144E+03	1.068E+04	1.979E+05	18.53	48.86
6	2.21	7.669E+03	1.096E+04	1.845E+05	16.83	48.81
7	2.74	7.931E+03	1.078E+04	1.920E+05	17.82	48.86
8	2.74	7.975E+03	1.086E+04	1.938E+05	17.85	48.98
9	2.21	7.657E+03	1.093E+04	1.841E+05	16.84	48.86
10	3.27	8.136E+03	1.067E+04	1.976E+05	18.53	48.88
11	1.68	7.311E+03	1.128E+04	1.733E+05	15.37	48.77
12	3.80	8.196E+03	1.043E+04	2.017E+05	19.34	48.80
13	1.16	6.734E+03	1.188E+04	1.629E+05	13.72	48.85
14	4.33	8.237E+03	1.024E+04	2.038E+05	19.91	48.80

Least-Squares Line for Ho vs q curve:

Slope = 0.0000E+00

Intercept = 0.0000E+00

Least-squares line for q = a\*delta-T<sup>b</sup>

a = 2.2132E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file VTSMT3

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL  
 Data taken by : COBB  
 This analysis done on file : AT011  
 This analysis includes end-fin effect  
 Thermal conductivity = 390.8 (W/m.K)  
 Inside diameter, Di = 12.70 (mm)  
 Outside diameter, Do = 13.88 (mm)  
 This analysis uses the QUARTZ THERMOMETER readings  
 Modified Petukhov-Popov coefficient = 2.5000  
 Using HEATEX insert inside tube  
 Tube Enhancement : RECTANGULAR FINNED TUBE  
 Tube material : COPPER  
 Pressure condition : ATMOSPHERIC  
 Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 3.0532  
 Alpha (based on Nusselt (Tdel)) = 2.0960  
 Enhancement (q) = 3.331  
 Enhancement (Del-T) = 2.466

Data #	Vw (m/s)	Uo (W/m <sup>2</sup> -K)	Ho (W/m <sup>2</sup> -K)	Qp (W/m <sup>2</sup> )	Tcf (C)	Ts (C)
1	0.63	8.659E+03	3.392E+04	5.849E+05	17.25	99.90
2	1.15	1.123E+04	2.893E+04	7.700E+05	26.62	99.86
3	1.68	1.303E+04	2.785E+04	8.946E+05	32.12	99.82
4	2.20	1.441E+04	2.753E+04	9.891E+05	35.93	99.99
5	2.72	1.543E+04	2.719E+04	1.059E+06	38.93	100.03
6	3.24	1.634E+04	2.722E+04	1.115E+06	40.97	99.90
7	3.23	1.539E+04	2.435E+04	1.002E+06	41.14	99.98
8	3.75	1.781E+04	2.872E+04	1.161E+06	40.41	100.10
9	4.27	1.840E+04	2.855E+04	1.194E+06	41.83	99.80
10	4.79	1.888E+04	2.835E+04	1.228E+06	43.32	100.02
11	4.79	1.893E+04	2.847E+04	1.234E+06	43.34	100.17
12	4.27	1.845E+04	2.863E+04	1.195E+06	41.74	100.01
13	3.75	1.788E+04	2.882E+04	1.158E+06	40.18	100.27
14	3.23	1.730E+04	2.942E+04	1.114E+06	37.86	99.97
15	2.71	1.628E+04	2.925E+04	1.049E+06	35.88	99.96
16	2.19	1.511E+04	2.933E+04	9.739E+05	33.21	100.09
17	1.67	1.381E+04	3.056E+04	8.953E+05	29.30	99.99
18	1.15	1.208E+04	3.332E+04	7.764E+05	23.30	99.94
19	0.62	9.546E+03	4.668E+04	6.062E+05	12.99	100.15

Least-squares line for  $q = a \cdot \Delta T^b$   
 $a = 7.0930E+04$   
 $b = 7.5000E-01$

NOTE: 19 data points were stored in file AT011

NOTE: 19 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : AT013

This analysis includes end-fin effect

Thermal conductivity = 390.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : RECTANGULAR FINNED TUBE

Tube material : COPPER

Pressure condition : ATMOSPHERIC

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 3.1616

Alpha (based on Nusselt (Tdel)) = 2.2757

Enhancement (q) = 3.718

Enhancement (Del-T) = 2.677

Data #	Vw (m/s)	Uo (W/m^2-K)	Ho (W/m^2-K)	Qp (W/m^2)	Tcf (C)	Ts (C)
1	3.74	1.863E+04	3.000E+04	1.160E+06	38.67	100.07
2	4.25	1.926E+04	2.987E+04	1.195E+06	40.01	99.86
3	3.22	1.784E+04	3.002E+04	1.104E+06	36.78	100.05
4	2.70	1.731E+04	3.151E+04	1.075E+06	34.10	100.04
5	2.18	1.586E+04	3.097E+04	9.897E+05	31.96	99.89
6	1.66	1.599E+04	4.077E+04	1.005E+06	24.65	99.97
7	1.14	1.310E+04	3.907E+04	8.263E+05	21.15	100.16
8	1.15	1.224E+04	3.278E+04	7.864E+05	23.99	100.01
9	1.67	1.439E+04	3.224E+04	9.312E+05	28.89	100.05
10	2.19	1.644E+04	3.367E+04	1.058E+06	31.43	100.06
11	2.70	1.718E+04	3.134E+04	1.092E+06	34.85	99.97
12	3.22	1.814E+04	3.112E+04	1.155E+06	37.10	100.06
13	3.74	1.902E+04	3.119E+04	1.205E+06	38.63	99.88
14	4.26	1.955E+04	3.064E+04	1.225E+06	39.97	99.86

Least-squares line for  $q = a \cdot \Delta T^b$

a = 7.7229E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file AT013

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : AT021

This analysis includes end-fin effect

Thermal conductivity = 390.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 14.38 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : SHALLOW FILLET FINNED TUBE

Tube material : COPPER

Pressure condition : ATMOSPHERIC

Nusselt theory is used for Ho

Ci (based on Petukhov-Popov) = 3.2217

Alpha (based on Nusselt (Tdel)) = 1.4856

Enhancement (q) = 2.105

Enhancement (Del-T) = 1.748

Data #	Vw (m/s)	Uo (W/m^2-K)	Ho (W/m^2-K)	Qp (W/m^2)	Tcf (C)	Ts (C)
1	0.63	7.581E+03	2.151E+04	5.080E+05	23.62	99.80
2	1.15	9.183E+03	1.839E+04	6.298E+05	34.25	99.90
3	1.67	1.061E+04	1.875E+04	7.227E+05	38.54	99.74
4	2.20	1.139E+04	1.835E+04	7.762E+05	42.29	99.81
5	2.72	1.225E+04	1.873E+04	8.302E+05	44.32	99.92
6	3.24	1.271E+04	1.853E+04	8.587E+05	46.34	99.97
7	3.76	1.330E+04	1.881E+04	8.890E+05	47.27	100.01
8	4.27	1.351E+04	1.848E+04	8.942E+05	48.39	100.12
9	4.53	1.364E+04	1.841E+04	8.921E+05	48.45	100.07
10	4.53	1.368E+04	1.848E+04	8.899E+05	48.17	99.95
11	4.26	1.356E+04	1.850E+04	8.755E+05	47.32	100.08
12	3.74	1.333E+04	1.871E+04	8.487E+05	45.37	99.98
13	3.22	1.312E+04	1.916E+04	8.279E+05	43.22	99.83
14	2.70	1.253E+04	1.905E+04	7.864E+05	41.28	100.06
15	2.18	1.199E+04	1.944E+04	7.472E+05	38.44	100.03
16	1.66	1.243E+04	2.415E+04	7.669E+05	31.75	100.11
17	1.14	1.019E+04	2.161E+04	6.269E+05	29.01	100.05
18	0.62	8.711E+03	2.958E+04	5.206E+05	17.60	100.12

Least-squares line for  $q = a \cdot \Delta T^b$

a = 4.9231E+04

b = 7.5000E-01

NOTE: 18 data points were stored in file AT021

NOTE: 18 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : AT023

This analysis includes end-fin effect

Thermal conductivity = 390.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 14.38 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : SHALLOW FILLET FINNED TUBE

Tube material : COPPER

Pressure condition : ATMOSPHERIC

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.9461

Alpha (based on Nusselt (Tdel)) = 1.5213

Enhancement (q) = 2.173

Enhancement (Del-T) = 1.790

Data #	Vw (m/s)	Uc (W/m^2-K)	Ho (W/m^2-K)	Qp (W/m^2)	Tcf (C)	Ts (C)
1	4.28	1.287E+04	1.787E+04	8.699E+05	48.67	99.86
2	3.74	1.296E+04	1.864E+04	8.401E+05	45.08	100.21
3	3.22	1.300E+04	1.960E+04	8.138E+05	41.52	100.11
4	2.69	1.275E+04	2.035E+04	7.749E+05	38.08	99.78
5	2.17	1.216E+04	2.073E+04	7.214E+05	34.79	100.13
6	1.65	1.136E+04	2.139E+04	6.516E+05	30.47	100.09
7	1.13	1.008E+04	2.228E+04	5.659E+05	25.40	100.18
8	1.14	9.931E+03	2.301E+04	6.357E+05	27.62	100.02
9	1.66	1.139E+04	2.227E+04	7.205E+05	32.36	99.82
10	2.18	1.228E+04	2.126E+04	7.553E+05	35.53	100.25
11	2.69	1.307E+04	2.102E+04	7.748E+05	36.85	100.00
12	3.19	1.377E+04	2.106E+04	7.875E+05	37.40	99.86
13	3.70	1.424E+04	2.083E+04	7.889E+05	37.86	100.04
14	4.20	1.458E+04	2.055E+04	7.683E+05	37.38	100.15

Least-squares line for  $q = a \cdot \Delta T^b$

a = 5.0729E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file AT023

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : C088

This analysis done on file : AT031

This analysis includes end-fin effect

Thermal conductivity = 390.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : DEEP FILLET FINNED TUBE

Tube material : COPPER

Pressure condition : ATMOSPHERIC

Nusselt theory is used for Ho

Ci (based on Petukhov-Popov) = 3.0158

Alpha (based on Nusselt (Tdel)) = 1.8948

Enhancement (q) = 2.912

Enhancement (Del-T) = 2.229

Data #	Vw (m/s)	Uo (W/m <sup>2</sup> -K)	Ho (W/m <sup>2</sup> -K)	Qp (W/m <sup>2</sup> )	Tcf (C)	Ts (C)
1	0.63	8.419E+03	3.200E+04	5.734E+05	17.92	100.07
2	1.15	1.094E+04	2.790E+04	7.614E+05	27.28	100.20
3	1.68	1.250E+04	2.590E+04	8.543E+05	32.99	99.74
4	2.20	1.375E+04	2.548E+04	9.401E+05	36.89	99.95
5	2.72	1.466E+04	2.504E+04	9.914E+05	39.60	99.93
6	3.24	1.545E+04	2.494E+04	1.038E+06	41.63	99.81
7	3.76	1.600E+04	2.459E+04	1.068E+06	43.42	100.22
8	4.27	1.655E+04	2.454E+04	1.092E+06	44.50	100.29
9	4.79	1.694E+04	2.437E+04	1.105E+06	45.35	99.98
10	4.78	1.707E+04	2.456E+04	1.096E+06	44.61	99.89
11	4.26	1.690E+04	2.518E+04	1.075E+06	42.69	99.76
12	3.74	1.641E+04	2.528E+04	1.040E+06	41.14	100.13
13	3.22	1.588E+04	2.559E+04	9.960E+05	38.92	99.93
14	2.70	1.517E+04	2.590E+04	9.479E+05	36.60	99.90
15	2.18	1.423E+04	2.621E+04	8.896E+05	33.94	100.21
16	1.66	1.301E+04	2.682E+04	8.108E+05	30.23	100.10
17	1.14	1.127E+04	2.779E+04	6.987E+05	25.14	99.94
18	0.62	9.003E+03	3.600E+04	5.490E+05	15.25	99.86

Least-squares line for q = a\*delta-T<sup>b</sup>

a = 6.3826E+04

b = 7.5000E-01

NOTE: 18 data points were stored in file AT031

NOTE: 18 X-Y pairs were stored in data file

NOTE: Program name : DRPALL  
 Data taken by : COBB  
 This analysis done on file : AT033  
 This analysis includes end-fin effect  
 Thermal conductivity = 390.8 (W/m.K)  
 Inside diameter, Di = 12.70 (mm)  
 Outside diameter, Do = 13.88 (mm)  
 This analysis uses the QUARTZ THERMOMETER readings  
 Modified Petukhov-Popov coefficient = 2.5000  
 Using HEATEX insert inside tube  
 Tube Enhancement : DEEP FILLET FINNED TUBE  
 Tube material : COPPER  
 Pressure condition : ATMOSPHERIC  
 Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 3.0216  
 Alpha (based on Nusselt (Tdel)) = 1.8008  
 Enhancement (q) = 2.721  
 Enhancement (Del-T) = 2.119

Data #	Vw (m/s)	Uo (W/m^2-K)	Ho (W/m^2-K)	Qp (W/m^2)	Tcf (C)	Ts (C)
1	4.27	1.576E+04	2.278E+04	1.022E+06	44.86	99.88
2	3.75	1.539E+04	2.303E+04	9.969E+05	43.29	100.08
3	3.23	1.508E+04	2.370E+04	9.698E+05	40.92	99.80
4	2.71	1.442E+04	2.399E+04	9.333E+05	38.90	99.90
5	2.19	1.349E+04	2.411E+04	8.786E+05	36.44	100.08
6	1.67	1.261E+04	2.563E+04	8.217E+05	32.05	100.05
7	1.15	1.112E+04	2.752E+04	7.197E+05	26.15	99.97
8	1.15	1.105E+04	2.743E+04	7.296E+05	26.59	100.18
9	1.67	1.256E+04	2.567E+04	8.320E+05	32.41	99.69
10	2.19	1.347E+04	2.423E+04	8.966E+05	37.00	100.00
11	2.71	1.435E+04	2.399E+04	9.566E+05	39.87	100.06
12	3.23	1.501E+04	2.371E+04	9.949E+05	41.96	99.85
13	3.75	1.563E+04	2.364E+04	1.026E+06	43.40	100.02
14	4.27	1.596E+04	2.322E+04	1.039E+06	44.75	99.82

Least-squares line for  $q = a \cdot \Delta T^b$   
 $a = 6.0352E+04$   
 $b = 7.5000E-01$

NOTE: 14 data points were stored in file AT033

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : AT061

This analysis includes end-fin effect

Thermal conductivity = 55.3 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : RECTANGULAR FINNED TUBE

Tube material : 90/10 CU/NI

Pressure condition : ATMOSPHERIC

Nusselt theory is used for Ho

Ci (based on Petukhov-Popov) = 2.7938

Alpha (based on Nusselt (Tdel)) = 1.3004

Enhancement (q) = 1.763

Enhancement (Del-T) = 1.530

Data #	Vw (m/s)	Uo (W/m^2-K)	Ho (W/m^2-K)	Qp (W/m^2)	Tcf (C)	Ts (C)
1	0.63	6.424E+03	2.240E+04	4.455E+05	19.89	100.03
2	1.15	7.797E+03	1.811E+04	5.480E+05	30.26	99.73
3	1.68	8.800E+03	1.749E+04	6.133E+05	35.06	99.80
4	2.20	9.495E+03	1.725E+04	6.616E+05	38.36	99.96
5	2.72	1.005E+04	1.715E+04	6.886E+05	40.15	99.82
6	3.23	1.047E+04	1.703E+04	6.996E+05	41.08	100.06
7	3.75	1.096E+04	1.737E+04	7.222E+05	41.57	99.80
8	4.27	1.113E+04	1.710E+04	7.337E+05	42.91	99.80
9	4.79	1.124E+04	1.681E+04	7.406E+05	44.05	99.81
10	4.79	1.125E+04	1.684E+04	7.428E+05	44.11	100.00
11	4.27	1.106E+04	1.691E+04	7.276E+05	43.02	99.99
12	3.75	1.094E+04	1.729E+04	7.152E+05	41.37	99.88
13	3.23	1.070E+04	1.754E+04	6.962E+05	39.69	99.84
14	2.71	1.030E+04	1.766E+04	6.709E+05	37.98	99.80
15	2.19	9.747E+03	1.772E+04	6.365E+05	35.93	99.95
16	1.67	9.042E+03	1.796E+04	5.900E+05	32.86	99.92
17	1.15	8.043E+03	1.863E+04	5.267E+05	28.27	99.93
18	0.62	6.527E+03	2.187E+04	4.215E+05	19.28	99.89

Least-squares line for  $q = a \cdot \Delta T^b$

a = 4.3671E+04

b = 7.5000E-01

NOTE: Program name : DRPALL  
 Data taken by : COBB  
 This analysis done on file : AT063  
 This analysis includes end-fin effect  
 Thermal conductivity = 55.3 (W/m.K)  
 Inside diameter, Di = 12.70 (mm)  
 Outside diameter, Do = 13.88 (mm)  
 This analysis uses the QUARTZ THERMOMETER readings  
 Modified Petukhov-Popov coefficient = 2.5000  
 Using HEATEX insert inside tube  
 Tube Enhancement : RECTANGULAR FINNED TUBE  
 Tube material : 90/10 CU/NI  
 Pressure condition : ATMOSPHERIC  
 Nusselt theory is used for Ho

Ci (based on Petukhov-Popov) = 2.5534  
 Alpha (based on Nusselt (Tdel)) = 1.2925  
 Enhancement (q) = 1.749  
 Enhancement (Del-T) = 1.521

Data	Vw	Uo	Ho	Qp	Tcf	Ts
#	(m/s)	(W/m <sup>2</sup> -K)	(W/m <sup>2</sup> -K)	(W/m <sup>2</sup> )	(C)	(C)
1	4.29	1.067E+04	1.670E+04	7.452E+05	44.62	99.87
2	3.77	1.047E+04	1.692E+04	7.313E+05	43.22	100.10
3	3.24	1.021E+04	1.716E+04	7.084E+05	41.28	100.03
4	2.72	9.886E+03	1.754E+04	6.835E+05	38.97	100.01
5	2.20	9.330E+03	1.760E+04	6.413E+05	36.43	100.08
6	1.67	8.658E+03	1.803E+04	5.902E+05	32.73	99.94
7	1.15	7.810E+03	1.971E+04	5.289E+05	26.84	99.93
8	1.15	7.811E+03	1.972E+04	5.297E+05	26.85	99.95
9	1.67	8.627E+03	1.792E+04	5.908E+05	32.96	100.02
10	2.20	9.282E+03	1.743E+04	6.368E+05	36.54	99.98
11	2.72	9.795E+03	1.723E+04	6.740E+05	39.12	100.05
12	3.24	1.016E+04	1.699E+04	6.977E+05	41.06	99.96
13	3.76	1.034E+04	1.653E+04	7.099E+05	42.94	99.94
14	4.28	1.057E+04	1.641E+04	7.249E+05	44.18	100.01

Least-squares line for  $q = a \cdot \Delta T^b$

a = 4.3316E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file AT063

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : AT071

This analysis includes end-fin effect

Thermal conductivity = 14.3 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : DEEP FILLET FINNED TUBE

Tube material : STAINLESS-STEEL

Pressure condition : ATMOSPHERIC

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.2578

Alpha (based on Nusselt (Tdel)) = 1.0063

Enhancement (q) = 1.252

Enhancement (Del-T) = 1.184

Data	Vw	Uo	Ho	Qp	Tcf	Ts
\$	(m/s)	(W/m <sup>2</sup> -K)	(W/m <sup>2</sup> -K)	(W/m <sup>2</sup> )	(C)	(C)
1	4.31	6.915E+03	1.332E+04	4.995E+05	37.51	100.02
2	3.78	6.849E+03	1.362E+04	4.945E+05	36.31	100.02
3	3.25	6.786E+03	1.411E+04	4.887E+05	34.64	99.98
4	2.73	6.547E+03	1.407E+04	4.698E+05	33.38	99.95
5	2.20	6.344E+03	1.459E+04	4.536E+05	31.10	100.00
6	1.68	5.950E+03	1.483E+04	4.254E+05	28.68	100.09
7	1.15	5.377E+03	1.542E+04	3.816E+05	24.75	100.01
8	1.15	5.385E+03	1.550E+04	3.827E+05	24.68	100.03
9	1.68	5.962E+03	1.492E+04	4.267E+05	28.60	100.06
10	2.20	6.370E+03	1.475E+04	4.573E+05	31.00	100.01
11	2.73	6.587E+03	1.427E+04	4.739E+05	33.21	99.97
12	3.25	6.852E+03	1.439E+04	4.932E+05	34.27	100.01
13	3.78	6.918E+03	1.389E+04	4.991E+05	35.93	100.08
14	4.30	6.991E+03	1.359E+04	5.026E+05	36.98	100.04

Least-squares line for  $q = a \cdot \Delta T^b$

a = 3.4145E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file AT071

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : AT081

This analysis includes end-fin effect

Thermal conductivity = 14.3 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 14.38 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : SHALLOW FILLET FINNED TUBE

Tube material : STAINLESS-STEEL

Pressure condition : ATMOSPHERIC

Nusselt theory is used for Ho

Ci (based on Petukhov-Popov) = 2.3495

Alpha (based on Nusselt (Tdel)) = 0.9812

Enhancement (q) = 1.211

Enhancement (Del-T) = 1.154

Data #	Vw (m/s)	Uo (W/m <sup>2</sup> -K)	Ho (W/m <sup>2</sup> -K)	Qp (W/m <sup>2</sup> )	Tcf (C)	Ts (C)
1	4.32	6.080E+03	1.328E+04	4.498E+05	33.87	99.99
2	3.79	6.059E+03	1.371E+04	4.439E+05	32.38	99.89
3	3.26	5.968E+03	1.398E+04	4.366E+05	31.24	99.93
4	2.73	5.805E+03	1.408E+04	4.239E+05	30.10	100.03
5	2.21	5.596E+03	1.429E+04	4.067E+05	28.47	99.97
6	1.68	5.320E+03	1.477E+04	3.860E+05	26.13	100.14
7	1.15	4.859E+03	1.539E+04	3.495E+05	22.72	99.99
8	1.15	4.859E+03	1.538E+04	3.496E+05	22.73	100.05
9	1.68	5.318E+03	1.475E+04	3.851E+05	26.10	100.01
10	2.21	5.648E+03	1.462E+04	4.102E+05	28.05	100.02
11	2.73	5.884E+03	1.453E+04	4.271E+05	29.40	99.99
12	3.26	6.036E+03	1.433E+04	4.391E+05	30.65	100.03
13	3.78	6.096E+03	1.387E+04	4.437E+05	31.99	100.03
14	4.31	6.228E+03	1.394E+04	4.527E+05	32.47	100.10

Least-squares line for  $q = a \cdot \Delta T^b$

a = 3.3221E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file AT081

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : AT041

This analysis includes end-fin effect

Thermal conductivity = 55.3 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : DEEP FILLET FINNED TUBE

Tube material : 90/10 CU/NI

Pressure condition : ATMOSPHERIC

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.6453

Alpha (based on Nusselt (Tdel)) = 1.0511

Enhancement (q) = 1.327

Enhancement (Del-T) = 1.237

Data	Vw	Uo	Ho	Qp	Tcf	Ts
#	(m/s)	(W/m^2-K)	(W/m^2-K)	(W/m^2)	(C)	(C)
1	4.28	9.100E+03	1.295E+04	6.161E+05	47.56	100.12
2	3.75	9.035E+03	1.321E+04	6.015E+05	45.52	99.92
3	3.23	8.924E+03	1.351E+04	5.889E+05	43.59	99.94
4	2.70	8.680E+03	1.368E+04	5.654E+05	41.34	99.92
5	2.18	8.328E+03	1.385E+04	5.374E+05	38.80	99.97
6	1.66	7.897E+03	1.434E+04	5.068E+05	35.34	100.17
7	1.14	7.133E+03	1.490E+04	4.539E+05	30.47	100.04
8	1.14	7.136E+03	1.490E+04	4.540E+05	30.46	100.06
9	1.66	8.875E+03	1.790E+04	5.660E+05	31.62	100.02
10	2.18	8.434E+03	1.410E+04	5.373E+05	38.09	99.96
11	1.66	7.871E+03	1.421E+04	4.987E+05	35.10	100.10
12	2.70	8.735E+03	1.374E+04	5.547E+05	40.36	99.92
13	3.22	9.049E+03	1.371E+04	5.736E+05	41.84	99.82
14	3.74	9.203E+03	1.347E+04	5.827E+05	43.25	99.99

Least-squares line for  $q = a \cdot \Delta T^b$

a = 3.5192E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file AT041

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL  
 Data taken by : COBB  
 This analysis done on file : AT051  
 This analysis includes end-fin effect  
 Thermal conductivity = 55.3 (W/m.K)  
 Inside diameter, Di = 12.70 (mm)  
 Outside diameter, Do = 14.38 (mm)  
 This analysis uses the QUARTZ THERMOMETER readings  
 Modified Petukhov-Popov coefficient = 2.5000  
 Using HEATEX insert inside tube  
 Tube Enhancement : SHALLOW FILLET FINNED TUBE  
 Tube material : 90/10 CU/NI  
 Pressure condition : ATMOSPHERIC  
 Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.6676  
 Alpha (based on Nusselt (Tdel)) = 1.0605  
 Enhancement (q) = 1.343  
 Enhancement (Del-T) = 1.248

Data #	Vw (m/s)	Uo (W/m <sup>2</sup> -K)	Ho (W/m <sup>2</sup> -K)	Qp (W/m <sup>2</sup> )	Tcf (C)	Ts (C)
1	4.30	8.577E+03	1.288E+04	6.138E+05	47.65	100.17
2	3.78	8.491E+03	1.313E+04	6.061E+05	46.17	99.87
3	3.25	8.393E+03	1.349E+04	6.016E+05	44.61	100.12
4	2.73	8.115E+03	1.358E+04	5.824E+05	42.87	99.92
5	2.21	7.747E+03	1.370E+04	5.582E+05	40.73	100.13
6	1.68	7.366E+03	1.436E+04	5.301E+05	36.92	100.13
7	1.15	6.646E+03	1.502E+04	4.757E+05	31.68	99.96
8	1.15	6.648E+03	1.503E+04	4.778E+05	31.78	100.18
9	1.68	7.331E+03	1.428E+04	5.315E+05	37.22	100.01
10	2.21	7.823E+03	1.399E+04	5.686E+05	40.65	100.07
11	2.73	8.125E+03	1.366E+04	5.910E+05	43.28	100.04
12	3.26	8.373E+03	1.347E+04	6.063E+05	45.00	99.96
13	3.78	8.568E+03	1.334E+04	6.194E+05	46.43	99.99
14	4.31	8.685E+03	1.315E+04	6.274E+05	47.70	99.98

Least-squares line for  $q = a \cdot \Delta T^b$   
 $a = 3.4918E+04$   
 $b = 7.5000E-01$

NOTE: 14 data points were stored in file AT051

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : AT091

This analysis includes end-fin effect

Thermal conductivity = 14.3 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : RECTANGULAR FINNED TUBE

Tube material : STAINLESS-STEEL

Pressure condition : ATMOSPHERIC

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.1128

Alpha (based on Nusselt (Tdel)) = 1.0062

Enhancement (q) = 1.252

Enhancement (Del-T) = 1.184

Data	Uw	Uo	Ho	Qp	Tcf	Ts
#	(m/s)	(W/m <sup>2</sup> -K)	(W/m <sup>2</sup> -K)	(W/m <sup>2</sup> )	(C)	(C)
1	4.25	7.158E+03	1.419E+04	4.434E+05	31.24	99.98
2	3.72	7.015E+03	1.420E+04	4.311E+05	30.35	100.04
3	3.20	6.896E+03	1.446E+04	4.196E+05	29.02	100.20
4	2.70	6.719E+03	1.492E+04	4.268E+05	28.61	99.98
5	2.18	6.329E+03	1.463E+04	4.081E+05	27.89	99.87
6	1.66	5.923E+03	1.495E+04	3.905E+05	26.11	100.03
7	1.14	5.399E+03	1.617E+04	3.565E+05	22.05	99.79
8	1.15	5.390E+03	1.618E+04	3.604E+05	22.28	100.07
9	1.67	5.932E+03	1.521E+04	4.021E+05	26.44	99.99
10	2.19	6.318E+03	1.486E+04	4.320E+05	29.07	99.98
11	2.72	6.664E+03	1.500E+04	4.596E+05	30.64	99.99
12	3.24	6.858E+03	1.474E+04	4.753E+05	32.24	99.96
13	3.77	6.991E+03	1.448E+04	4.874E+05	33.66	99.95
14	4.29	7.087E+03	1.423E+04	4.941E+05	34.73	99.77

Least-squares line for  $q = a \cdot \Delta T^b$

a = 3.4378E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file AT091

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : AT094

This analysis includes end-fin effect

Thermal conductivity = 14.3 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : RECTANGULAR FINNED TUBE

Tube material : STAINLESS-STEEL

Pressure condition : ATMOSPHERIC

Nusselt theory is used for Ho

Ci (based on Petukhov-Popov) = 2.0961

Alpha (based on Nusselt (Tdel)) = 1.1333

Enhancement (q) = 1.468

Enhancement (Del-T) = 1.333

Data #	Uw (m/s)	Uo (W/m^2-K)	Ho (W/m^2-K)	Qp (W/m^2)	Tcf (C)	Ts (C)
1	4.29	7.491E+03	1.602E+04	5.248E+05	32.76	99.99
2	3.77	7.354E+03	1.621E+04	5.147E+05	31.74	99.91
3	3.24	7.216E+03	1.662E+04	5.045E+05	30.35	100.01
4	2.72	6.956E+03	1.673E+04	4.853E+05	29.01	99.92
5	2.20	6.563E+03	1.654E+04	4.573E+05	27.65	99.95
6	1.67	6.158E+03	1.718E+04	4.287E+05	24.96	99.96
7	1.15	5.566E+03	1.861E+04	3.843E+05	20.65	99.81
8	1.15	5.567E+03	1.865E+04	3.851E+05	20.65	99.81
9	1.67	6.182E+03	1.739E+04	4.326E+05	24.88	100.15
10	2.20	6.608E+03	1.687E+04	4.631E+05	27.46	99.96
11	2.72	6.948E+03	1.673E+04	4.879E+05	29.17	99.89
12	3.25	7.212E+03	1.664E+04	5.085E+05	30.56	100.09
13	3.77	7.339E+03	1.617E+04	5.173E+05	32.00	100.02
14	4.29	7.506E+03	1.610E+04	5.275E+05	32.76	99.95

Least-squares line for  $q = a \cdot \Delta T^b$

a = 3.8769E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file AT094

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : AT101

This analysis includes end-fin effect

Thermal conductivity = 231.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : RECTANGULAR FINNED TUBE

Tube material : ALUMINUM

Pressure condition : ATMOSPHERIC

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.3854

Alpha (based on Nusselt (Tdel)) = 1.7846

Enhancement (q) = 2.688

Enhancement (Del-T) = 2.100

Data #	Vw (m/s)	Uo (W/m <sup>2</sup> -K)	Ho (W/m <sup>2</sup> -K)	Qp (W/m <sup>2</sup> )	Tcf (C)	Ts (C)
1	4.27	1.470E+04	2.360E+04	9.614E+05	40.74	100.00
2	3.75	1.414E+04	2.358E+04	9.293E+05	39.42	100.01
3	3.23	1.359E+04	2.389E+04	8.995E+05	37.65	100.12
4	2.71	1.288E+04	2.420E+04	8.546E+05	35.31	99.92
5	2.19	1.197E+04	2.456E+04	7.973E+05	32.46	99.91
6	1.67	1.091E+04	2.572E+04	7.292E+05	28.35	99.95
7	1.15	9.571E+03	2.923E+04	6.394E+05	21.88	100.11
8	1.15	9.581E+03	2.967E+04	6.466E+05	21.80	100.02
9	1.67	1.082E+04	2.558E+04	7.393E+05	28.90	99.98
10	2.20	1.192E+04	2.462E+04	8.138E+05	33.05	100.14
11	2.72	1.297E+04	2.476E+04	8.834E+05	35.68	100.15
12	3.24	1.371E+04	2.449E+04	9.286E+05	37.92	100.05
13	3.76	1.440E+04	2.449E+04	9.722E+05	39.69	100.10
14	4.28	1.491E+04	2.435E+04	1.007E+06	41.37	100.09

Least-squares line for  $q = a \cdot \Delta T^b$

a = 6.0336E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file AT101

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : AT103

This analysis includes end-fin effect

Thermal conductivity = 231.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : RECTANGULAR FINNED TUBE

Tube material : ALUMINUM

Pressure condition : ATMOSPHERIC

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.2017

Alpha (based on Nusselt (Tdel)) = 1.6987

Enhancement (q) = 2.517

Enhancement (Del-T) = 1.998

Data #	Uw (m/s)	Uo (W/m <sup>2</sup> -K)	Ho (W/m <sup>2</sup> -K)	Qp (W/m <sup>2</sup> )	Tcf (C)	Ts (C)
1	4.27	1.408E+04	2.306E+04	9.330E+05	40.45	100.02
2	3.75	1.362E+04	2.315E+04	8.836E+05	38.16	100.09
3	3.22	1.316E+04	2.353E+04	8.345E+05	35.47	100.12
4	2.70	1.248E+04	2.375E+04	7.741E+05	32.59	99.85
5	2.18	1.170E+04	2.453E+04	7.245E+05	29.54	99.85
6	1.66	1.066E+04	2.573E+04	6.608E+05	25.68	100.14
7	1.14	9.217E+03	2.823E+04	5.682E+05	20.13	100.07
8	1.14	9.222E+03	2.827E+04	5.683E+05	20.10	100.06
9	1.66	1.062E+04	2.557E+04	6.583E+05	25.74	99.86
10	2.18	1.171E+04	2.453E+04	7.250E+05	29.55	99.97
11	2.70	1.262E+04	2.421E+04	7.822E+05	32.31	100.02
12	3.21	1.322E+04	2.353E+04	8.163E+05	34.69	100.09
13	3.73	1.378E+04	2.325E+04	8.471E+05	36.43	100.02
14	4.25	1.419E+04	2.291E+04	8.689E+05	37.92	99.92

Least-squares line for  $q = a \cdot \Delta T^b$

a = 5.7722E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file AT103

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : AT112

This analysis includes end-fin effect

Thermal conductivity = 231.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : DEEP FILLET FINNED TUBE

Tube material : ALUMINUM

Pressure condition : ATMOSPHERIC

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.3321

Alpha (based on Nusselt (Tdel)) = 1.5622

Enhancement (q) = 2.251

Enhancement (Del-T) = 1.838

Data #	Vw (m/s)	Uo (W/m^2-K)	Ho (W/m^2-K)	Qp (W/m^2)	Tcf (C)	Ts (C)
1	4.29	1.286E+04	1.968E+04	8.979E+05	45.63	99.97
2	3.77	1.263E+04	2.018E+04	8.767E+05	43.45	100.01
3	3.24	1.227E+04	2.062E+04	8.424E+05	40.85	99.87
4	2.72	1.174E+04	2.101E+04	8.019E+05	38.17	100.08
5	2.19	1.107E+04	2.158E+04	7.487E+05	34.69	100.04
6	1.67	1.017E+04	2.253E+04	6.820E+05	30.27	100.04
7	1.15	8.897E+03	2.453E+04	5.908E+05	24.09	99.99
8	1.15	8.884E+03	2.443E+04	5.903E+05	24.16	100.03
9	1.67	1.016E+04	2.243E+04	6.791E+05	30.27	100.06
10	2.19	1.110E+04	2.161E+04	7.422E+05	34.35	99.97
11	2.71	1.187E+04	2.125E+04	7.926E+05	37.30	99.93
12	3.23	1.248E+04	2.102E+04	8.345E+05	39.69	100.07
13	3.75	1.292E+04	2.067E+04	8.574E+05	41.48	99.99
14	4.26	1.324E+04	2.021E+04	8.578E+05	42.44	99.99

Least-squares line for  $q = a \cdot \Delta T^b$

a = 5.2515E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file AT112

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : AT131

This analysis includes end-fin effect

Thermal conductivity = 231.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 14.38 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : SHALLOW FILLET FINNED TUBE

Tube material : ALUMINUM

Pressure condition : ATMOSPHERIC

Nusselt theory is used for  $h_o$

$C_i$  (based on Petukhov-Popov) = 2.2509

$\alpha$  (based on Nusselt ( $T_{del}$ )) = 1.4417

Enhancement ( $q$ ) = 2.023

Enhancement ( $\Delta T$ ) = 1.696

Data #	$V_w$ (m/s)	$U_o$ (W/m <sup>2</sup> -K)	$h_o$ (W/m <sup>2</sup> -K)	$Q_p$ (W/m <sup>2</sup> )	$T_{cf}$ (C)	$T_s$ (C)
1	4.27	1.205E+04	1.853E+04	7.870E+05	42.48	100.06
2	3.75	1.182E+04	1.894E+04	7.662E+05	40.45	99.91
3	3.74	1.181E+04	1.891E+04	7.654E+05	40.47	99.95
4	3.22	1.148E+04	1.933E+04	7.419E+05	38.38	100.07
5	2.70	1.094E+04	1.956E+04	7.056E+05	36.07	99.93
6	2.18	1.028E+04	1.996E+04	6.622E+05	33.18	100.01
7	1.66	9.399E+03	2.053E+04	6.021E+05	29.32	100.01
8	1.14	8.302E+03	2.270E+04	5.303E+05	23.36	100.08
9	1.14	8.303E+03	2.275E+04	5.314E+05	23.36	100.03
10	1.66	9.401E+03	2.062E+04	6.062E+05	29.40	99.93
11	2.18	1.033E+04	2.020E+04	6.690E+05	33.12	99.95
12	2.71	1.090E+04	1.949E+04	7.090E+05	36.38	100.03
13	3.23	1.149E+04	1.942E+04	7.480E+05	38.51	100.01
14	3.75	1.180E+04	1.892E+04	7.681E+05	40.59	99.95
15	4.26	1.211E+04	1.865E+04	7.863E+05	42.15	99.99

Least-squares line for  $q = a \cdot \Delta T^b$

$a = 4.8156E+04$

$b = 7.5000E-01$

NOTE: 15 data points were stored in file AT131

NOTE: 15 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : VT011

This analysis includes end-fin effect

Thermal conductivity = 390.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : RECTANGULAR FINNED TUBE

Tube material : COPPER

Pressure condition : VACUUM

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.9862

Alpha (based on Nusselt (Tdel)) = 1.5005

Enhancement (q) = 2.275

Enhancement (Del-T) = 1.853

Data	Vw	Uo	Ho	Qp	Tcf	Ts
\$	(m/s)	(W/m <sup>2</sup> -K)	(W/m <sup>2</sup> -K)	(W/m <sup>2</sup> )	(C)	(C)
1	2.21	1.209E+04	2.122E+04	2.843E+05	13.40	48.54
2	0.63	7.899E+03	2.965E+04	1.779E+05	6.00	48.69
3	1.16	1.007E+04	2.465E+04	2.317E+05	9.40	48.20
4	0.63	7.724E+03	2.754E+04	1.751E+05	6.36	48.47
5	1.69	1.127E+04	2.240E+04	2.722E+05	12.15	48.86
6	2.74	1.328E+04	2.222E+04	3.184E+05	14.33	48.49
7	3.27	1.367E+04	2.142E+04	3.316E+05	15.48	48.73
8	3.80	1.455E+04	2.212E+04	3.426E+05	15.49	48.31
9	4.32	1.466E+04	2.131E+04	3.485E+05	16.35	48.67
10	4.85	1.502E+04	2.122E+04	3.551E+05	16.74	48.78
11	4.32	1.431E+04	2.055E+04	3.315E+05	16.13	48.22
12	3.79	1.439E+04	2.171E+04	3.325E+05	15.31	48.35
13	3.27	1.386E+04	2.183E+04	3.286E+05	15.05	48.81
14	2.74	1.322E+04	2.200E+04	3.093E+05	14.06	48.49
15	2.21	1.244E+04	2.232E+04	2.909E+05	13.03	48.55
16	1.68	1.134E+04	2.260E+04	2.647E+05	11.71	48.49
17	1.16	9.904E+03	2.362E+04	2.334E+05	9.88	48.98
18	1.16	9.773E+03	2.293E+04	2.360E+05	10.29	49.37
19	1.69	1.172E+04	2.417E+04	2.820E+05	11.66	49.10

Least-squares line for  $q = a \cdot \Delta T^b$

a = 4.2752E+04

b = 7.5000E-01

NOTE: 19 data points were stored in file VT011

NOTE: 19 X-Y pairs were stored in data file

NOTE: Program name : DRPALL  
 Data taken by : COBB  
 This analysis done on file : VT021  
 This analysis includes end-fin effect  
 Thermal conductivity = 390.8 (W/m.K)  
 Inside diameter, Di = 12.70 (mm)  
 Outside diameter, Do = 14.38 (mm)  
 This analysis uses the QUARTZ THERMOMETER readings  
 Modified Petukhov-Popov coefficient = 2.5000  
 Using HEATEX insert inside tube  
 Tube Enhancement : SHALLOW FILLET FINNED TUBE  
 Tube material : COPPER  
 Pressure condition : VACUUM  
 Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.7942  
 Alpha (based on Nusselt (Tdel)) = 1.1491  
 Enhancement (q) = 1.594  
 Enhancement (Del-T) = 1.419

Data	Vw	Uo	Ho	Qp	Tcf	Ts
#	(m/s)	(W/m^2-K)	(W/m^2-K)	(W/m^2)	(C)	(C)
1	0.63	6.616E+03	2.125E+04	1.586E+05	7.46	48.91
2	1.16	8.435E+03	1.901E+04	2.062E+05	10.85	48.66
3	1.69	9.253E+03	1.710E+04	2.302E+05	13.46	48.78
4	2.22	9.770E+03	1.612E+04	2.462E+05	15.27	48.97
5	2.74	1.043E+04	1.623E+04	2.594E+05	15.98	48.65
6	3.26	1.109E+04	1.649E+04	2.532E+05	15.35	48.35
7	4.84	1.191E+04	1.611E+04	2.699E+05	16.75	48.78
8	4.84	1.199E+04	1.624E+04	2.625E+05	16.16	48.45
9	4.31	1.181E+04	1.638E+04	2.526E+05	15.42	48.71
10	3.77	1.162E+04	1.660E+04	2.371E+05	14.28	48.85
11	4.29	1.183E+04	1.634E+04	2.334E+05	14.28	48.85
12	3.76	1.172E+04	1.673E+04	2.196E+05	13.13	48.87
13	3.24	1.160E+04	1.731E+04	2.088E+05	12.06	48.57
14	2.72	1.108E+04	1.728E+04	1.986E+05	11.49	48.94
15	2.19	1.070E+04	1.803E+04	1.816E+05	10.07	48.56
16	1.67	1.007E+04	1.895E+04	1.647E+05	8.70	48.60
17	1.14	8.770E+03	1.911E+04	1.409E+05	7.37	48.79
18	0.62	6.931E+03	2.135E+04	1.078E+05	5.05	48.92

Least-squares line for  $q = a \cdot \Delta T^b$   
 $a = 3.2492E+04$   
 $b = 7.5000E-01$

NOTE: 18 data points were stored in file VT021

NOTE: 18 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : VT023

This analysis includes end-fin effect

Thermal conductivity = 390.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 14.38 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : SHALLOW FILLET FINNED TUBE

Tube material : COPPER

Pressure condition : VACUUM

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 3.0216

Alpha (based on Nusselt (Tdel)) = 1.1247

Enhancement (q) = 1.549

Enhancement (Del-T) = 1.388

Data	Vw	Uo	Ho	Qp	Tcf	Ts
#	(m/s)	(W/m <sup>2</sup> -K)	(W/m <sup>2</sup> -K)	(W/m <sup>2</sup> )	(C)	(C)
1	1.13	1.019E+04	2.309E+04	9.572E+04	4.15	48.82
2	1.65	1.129E+04	2.111E+04	1.076E+05	5.10	48.96
3	2.17	1.269E+04	2.209E+04	1.168E+05	5.29	48.64
4	2.68	1.309E+04	2.089E+04	1.206E+05	5.77	48.81
5	3.20	1.374E+04	2.094E+04	1.263E+05	6.03	48.88
6	3.71	1.453E+04	2.150E+04	1.217E+05	5.66	48.54
7	4.23	1.434E+04	2.021E+04	1.192E+05	5.90	48.87
8	4.25	1.334E+04	1.847E+04	1.711E+05	9.27	48.79
9	3.73	1.336E+04	1.921E+04	1.612E+05	8.39	48.71

Least-squares line for  $q = a \cdot \Delta T^b$

a = 3.2541E+04

b = 7.5000E-01

NOTE: 09 data points were stored in file VT023

NOTE: 09 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : VT031

This analysis includes end-fin effect

Thermal conductivity = 390.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : DEEP FILLET FINNED TUBE

Tube material : COPPER

Pressure condition : VACUUM

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 3.0312

Alpha (based on Nusselt (Tdel)) = 1.2910

Enhancement (q) = 1.862

Enhancement (Del-T) = 1.594

Data #	Vw (m/s)	Uo (W/m^2-K)	Ho (W/m^2-K)	Qp (W/m^2)	Tcf (C)	Ts (C)
1	0.63	7.685E+03	2.547E+04	1.647E+05	6.47	48.55
2	1.15	9.431E+03	2.040E+04	2.035E+05	9.98	48.72
3	1.68	1.076E+04	1.986E+04	2.274E+05	11.45	48.54
4	2.19	1.177E+04	1.930E+04	1.881E+05	9.75	48.67
5	2.71	1.243E+04	1.908E+04	1.990E+05	10.43	48.95
6	4.80	1.501E+04	2.068E+04	2.508E+05	12.13	48.58
7	4.27	1.485E+04	2.107E+04	2.395E+05	11.37	48.51
8	3.75	1.418E+04	2.053E+04	2.222E+05	10.83	48.98
9	3.22	1.411E+04	2.149E+04	2.062E+05	9.59	48.54
10	2.70	1.326E+04	2.099E+04	1.909E+05	9.09	48.70
11	3.22	1.412E+04	2.147E+04	1.988E+05	9.26	48.68
12	3.75	1.458E+04	2.139E+04	2.238E+05	10.46	48.51
13	4.27	1.479E+04	2.089E+04	2.233E+05	10.69	48.50
14	4.79	1.512E+04	2.081E+04	2.306E+05	11.08	48.57
15	0.62	7.733E+03	2.403E+04	1.336E+05	5.56	48.91
16	1.15	9.971E+03	2.238E+04	1.802E+05	8.05	48.38
17	1.67	1.106E+04	2.057E+04	2.077E+05	10.10	48.40
18	2.20	1.180E+04	1.975E+04	2.344E+05	11.87	48.72

Least-squares line for  $q = a \cdot \Delta T^b$

a = 3.7202E+04

b = 7.5000E-01

NOTE: 18 data points were stored in file VT031

NOTE: 18 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : VT041

This analysis includes end-fin effect

Thermal conductivity = 55.3 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : DEEP FILLET FINNED TUBE

Tube material : 90/10 CU/NI

Pressure condition : VACUUM

Nusselt theory is used for Ho

Ci (based on Petukhov-Popov) = 2.4826

Alpha (based on Nusselt (Tdel)) = 0.8597

Enhancement (q) = 1.083

Enhancement (Del-T) = 1.061

Data #	Uw (m/s)	Uo (W/m <sup>2</sup> -K)	Ho (W/m <sup>2</sup> -K)	Qp (W/m <sup>2</sup> )	Tcf (C)	Ts (C)
1	4.28	9.181E+03	1.339E+04	1.561E+05	11.66	48.64
2	3.75	9.230E+03	1.397E+04	1.508E+05	10.80	48.67
3	3.23	8.901E+03	1.383E+04	1.421E+05	10.28	48.84
4	2.71	8.690E+03	1.416E+04	1.343E+05	9.48	48.87
5	2.18	8.262E+03	1.424E+04	1.267E+05	8.90	49.01
6	4.27	9.272E+03	1.356E+04	1.546E+05	11.40	48.97
7	3.75	9.012E+03	1.345E+04	1.401E+05	10.42	48.61
8	1.14	7.034E+03	1.571E+04	1.041E+05	6.62	48.52
9	1.66	7.751E+03	1.466E+04	1.158E+05	7.90	48.61
10	1.14	7.067E+03	1.583E+04	1.029E+05	6.50	48.67
11	1.66	7.862E+03	1.502E+04	1.134E+05	7.55	48.46
12	2.18	8.397E+03	1.462E+04	1.207E+05	8.26	48.55
13	2.70	8.726E+03	1.422E+04	1.255E+05	8.83	48.64
14	3.22	9.114E+03	1.429E+04	1.296E+05	9.07	48.57

Least-squares line for  $q = a \cdot \Delta T^b$

a = 2.4813E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file VT041

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : VT051

This analysis includes end-fin effect

Thermal conductivity = 55.3 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 14.38 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : SHALLOW FILLET FINNED TUBE

Tube material : 90/10 CU/NI

Pressure condition : VACUUM

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.8401

Alpha (based on Nusselt (Tdel)) = 0.8324

Enhancement (q) = 1.037

Enhancement (Del-T) = 1.028

Data #	Vw (m/s)	Uo (W/m <sup>2</sup> -K)	Ho (W/m <sup>2</sup> -K)	Qp (W/m <sup>2</sup> )	Tcf (C)	Ts (C)
1	4.25	8.833E+03	1.300E+04	1.061E+05	8.16	49.03
2	3.73	9.031E+03	1.385E+04	1.010E+05	7.29	48.63
3	3.23	8.737E+03	1.384E+04	1.290E+05	9.32	48.51
4	2.72	8.156E+03	1.322E+04	1.455E+05	11.01	48.74
5	2.20	7.740E+03	1.317E+04	1.474E+05	11.19	48.76
6	1.68	7.169E+03	1.310E+04	1.465E+05	11.18	48.68
7	1.15	6.451E+03	1.337E+04	1.356E+05	10.15	48.96
8	1.15	6.337E+03	1.291E+04	1.350E+05	10.46	49.00
9	1.68	7.043E+03	1.270E+04	1.473E+05	11.60	48.85
10	2.20	7.560E+03	1.273E+04	1.562E+05	12.26	48.81
11	2.72	7.944E+03	1.277E+04	1.623E+05	12.71	48.88
12	3.25	8.297E+03	1.293E+04	1.649E+05	12.76	48.85
13	3.77	8.372E+03	1.257E+04	1.644E+05	13.08	49.15
14	4.29	8.511E+03	1.249E+04	1.661E+05	13.29	49.07

Least-squares line for  $q = a \cdot \Delta T^b$

a = 2.3683E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file VT051

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : VT061

This analysis includes end-fin effect

Thermal conductivity = 55.3 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : RECTANGULAR FINNED TUBE

Tube material : 90/10 CU/NI

Pressure condition : VACUUM

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.3262

Alpha (based on Nusselt (Tdel)) = 1.0725

Enhancement (q) = 1.454

Enhancement (Del-T) = 1.324

Data #	Vw (m/s)	Uo (W/m <sup>2</sup> -K)	Ho (W/m <sup>2</sup> -K)	Qp (W/m <sup>2</sup> )	Tcf (C)	Ts (C)
1	0.63	5.134E+03	1.704E+04	1.179E+05	6.92	48.75
2	1.16	6.952E+03	1.799E+04	1.669E+05	9.28	49.06
3	1.69	7.922E+03	1.720E+04	1.900E+05	11.04	48.64
4	2.21	8.478E+03	1.633E+04	2.070E+05	12.68	48.96
5	2.74	9.022E+03	1.626E+04	2.187E+05	13.45	48.69
6	3.27	9.282E+03	1.571E+04	2.264E+05	14.42	49.09
7	3.79	9.635E+03	1.572E+04	2.293E+05	14.59	48.60
8	4.32	9.778E+03	1.534E+04	2.299E+05	14.99	48.78
9	4.84	9.915E+03	1.510E+04	2.309E+05	15.30	48.93
10	4.84	9.875E+03	1.500E+04	2.307E+05	15.38	49.11
11	0.63	5.810E+03	2.491E+04	1.112E+05	4.46	48.88
12	1.15	7.270E+03	1.914E+04	1.378E+05	7.20	48.62
13	1.67	8.226E+03	1.793E+04	1.562E+05	8.71	48.53
14	1.67	8.098E+03	1.732E+04	1.555E+05	8.97	48.83

Least-squares line for  $q = a \cdot \Delta T^b$

a = 3.0792E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file VT061

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : VT063

This analysis includes end-fin effect

Thermal conductivity = 55.3 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : RECTANGULAR FINNED TUBE

Tube material : 90/10 CU/NI

Pressure condition : VACUUM

Nusselt theory is used for Ho

Ci (based on Petukhov-Popov) = 2.4146

Alpha (based on Nusselt (Tdel)) = 1.0411

Enhancement (q) = 1.397

Enhancement (Del-T) = 1.285

Data #	Vw (m/s)	Uo (W/m <sup>2</sup> -K)	Ho (W/m <sup>2</sup> -K)	Qp (W/m <sup>2</sup> )	Tcf (C)	Ts (C)
1	4.32	9.577E+03	1.465E+04	2.270E+05	15.49	48.78
2	3.79	9.381E+03	1.481E+04	2.232E+05	15.07	48.76
3	1.68	7.859E+03	1.625E+04	1.827E+05	11.25	48.62
4	1.16	6.965E+03	1.710E+04	1.615E+05	9.45	48.85
5	3.27	9.230E+03	1.526E+04	2.199E+05	14.41	48.80
6	2.21	8.438E+03	1.570E+04	1.979E+05	12.61	48.65
7	2.74	8.920E+03	1.554E+04	2.103E+05	13.53	48.65
8	2.74	8.932E+03	1.558E+04	2.102E+05	13.50	48.64
9	2.21	8.408E+03	1.559E+04	1.977E+05	12.68	48.72
10	3.27	9.228E+03	1.525E+04	2.184E+05	14.32	48.70
11	1.68	7.797E+03	1.599E+04	1.831E+05	11.45	48.82
12	3.79	9.431E+03	1.494E+04	2.227E+05	14.91	48.56
13	1.16	7.004E+03	1.733E+04	1.631E+05	9.41	48.96
14	4.32	9.684E+03	1.491E+04	2.283E+05	15.32	48.68

Least-squares line for  $q = a \cdot \Delta T^b$

a = 2.9617E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file VT063

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : VT071

This analysis includes end-fin effect

Thermal conductivity = 14.3 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : DEEP FILLET FINNED TUBE

Tube material : STAINLESS-STEEL

Pressure condition : VACUUM

Nusselt theory is used for Ho

Ci (based on Petukhov-Popov) = 2.1088

Alpha (based on Nusselt (Tdel)) = 0.7827

Enhancement (q) = .955

Enhancement (Del-T) = .966

Data #	Uw (m/s)	Uo (W/m^2-K)	Ho (W/m^2-K)	Qp (W/m^2)	Tcf (C)	Ts (C)
1	4.32	6.309E+03	1.157E+04	1.506E+05	13.02	48.89
2	1.16	4.898E+03	1.337E+04	1.133E+05	8.48	48.60
3	3.79	6.293E+03	1.199E+04	1.505E+05	12.56	48.73
4	1.68	5.355E+03	1.248E+04	1.262E+05	10.11	48.71
5	3.27	6.154E+03	1.210E+04	1.474E+05	12.18	48.69
6	2.21	5.662E+03	1.209E+04	1.347E+05	11.14	48.69
7	2.74	5.937E+03	1.208E+04	1.422E+05	11.77	48.70
8	2.74	5.928E+03	1.204E+04	1.425E+05	11.83	48.76
9	2.21	5.716E+03	1.234E+04	1.370E+05	11.10	48.74
10	3.27	6.162E+03	1.213E+04	1.486E+05	12.25	48.72
11	1.68	5.339E+03	1.241E+04	1.273E+05	10.26	48.74
12	3.79	6.256E+03	1.186E+04	1.523E+05	12.84	48.86
13	1.16	4.880E+03	1.328E+04	1.155E+05	8.69	48.79
14	4.32	6.318E+03	1.161E+04	1.519E+05	13.08	48.67

Least-squares line for  $q = a \cdot \Delta T^b$

a = 2.2412E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file VT071

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : VT081

This analysis includes end-fin effect

Thermal conductivity = 14.3 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 14.38 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : SHALLOW FILLET FINNED TUBE

Tube material : STAINLESS-STEEL

Pressure condition : VACUUM

Nusselt theory is used for Ho

C<sub>1</sub> (based on Petukhov-Popov) = 2.1523

Alpha (based on Nusselt (T<sub>del</sub>)) = 0.7957

Enhancement (q) = .977

Enhancement (Del-T) = .982

Data #	Uw (m/s)	Uo (W/m <sup>2</sup> -K)	Ho (W/m <sup>2</sup> -K)	Qp (W/m <sup>2</sup> )	Tcf (C)	Ts (C)
1	4.32	5.642E+03	1.174E+04	1.387E+05	11.81	48.79
2	1.16	4.419E+03	1.321E+04	1.063E+05	8.04	48.74
3	3.80	5.653E+03	1.229E+04	1.394E+05	11.34	48.71
4	1.69	4.850E+03	1.269E+04	1.180E+05	9.30	48.72
5	3.27	5.564E+03	1.254E+04	1.368E+05	10.91	48.65
6	2.21	5.191E+03	1.277E+04	1.275E+05	9.98	48.76
7	2.74	5.431E+03	1.279E+04	1.340E+05	10.48	48.78
8	2.74	5.424E+03	1.275E+04	1.339E+05	10.51	48.78
9	2.74	5.454E+03	1.291E+04	1.349E+05	10.45	48.83
10	4.32	5.694E+03	1.196E+04	1.389E+05	11.61	48.72
11	3.80	5.649E+03	1.226E+04	1.370E+05	11.18	48.69
12	3.27	5.608E+03	1.274E+04	1.356E+05	10.64	48.69
13	2.21	5.237E+03	1.303E+04	1.270E+05	9.75	48.72
14	2.21	5.214E+03	1.289E+04	1.268E+05	9.84	48.74
15	1.69	4.951E+03	1.339E+04	1.195E+05	8.92	48.66
16	1.16	4.495E+03	1.392E+04	1.080E+05	7.76	48.73

Least-squares line for q = a\*delta-T<sup>b</sup>

a = 2.2690E+04

b = 7.5000E-01

NOTE: 16 data points were stored in file VT081

NOTE: 16 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : VT091

This analysis includes end-fin effect

Thermal conductivity = 14.3 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : RECTANGULAR FINNED TUBE

Tube material : STAINLESS-STEEL

Pressure condition : VACUUM

Nusselt theory is used for Ho

Ci (based on Petukhov-Popov) = 1.9382

Alpha (based on Nusselt (Tdel)) = 0.6872

Enhancement (q) = .803

Enhancement (Del-T) = .848

Data #	Vw (m/s)	Uo (W/m^2-K)	Ho (W/m^2-K)	Qp (W/m^2)	Tcf (C)	Ts (C)
1	4.27	6.173E+03	1.117E+04	9.392E+04	8.41	48.88
2	3.75	6.163E+03	1.161E+04	9.927E+04	8.55	49.02
3	3.23	6.161E+03	1.224E+04	1.007E+05	8.22	48.70
4	2.71	5.894E+03	1.203E+04	9.625E+04	8.00	48.83
5	2.19	5.665E+03	1.224E+04	8.919E+04	7.29	48.67
6	1.66	5.332E+03	1.251E+04	8.122E+04	6.49	48.72
7	1.14	4.832E+03	1.308E+04	7.116E+04	5.44	48.72
8	1.14	4.849E+03	1.320E+04	7.089E+04	5.37	48.72

Least-squares line for  $q = a \cdot \Delta T^b$

a = 1.9993E+04

b = 7.5000E-01

NOTE: 08 data points were stored in file VT091

NOTE: 08 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : VT093

This analysis includes end-fin effect

Thermal conductivity = 14.3 (W/M.K)

Inside diameter, Di = 12.70 (MM)

Outside diameter, Do = 13.88 (MM)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : RECTANGULAR FINNED TUBE

Tube material : STAINLESS-STEEL

Pressure condition : VACUUM

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 1.9365

Alpha (based on Nusselt (Tdel)) = 0.7823

Enhancement (q) = .955

Enhancement (Del-T) = .966

Data #	Vw (M/s)	Uo (W/m^2-K)	Ho (W/m^2-K)	Qp (W/m^2)	Tcf (C)	Ts (C)
1	4.32	6.220E+03	1.162E+04	1.493E+05	12.85	48.79
2	1.15	4.754E+03	1.352E+04	1.070E+05	7.92	48.67
3	3.79	6.261E+03	1.224E+04	1.432E+05	11.70	48.67
4	1.68	5.325E+03	1.307E+04	1.170E+05	8.96	48.71
5	3.26	6.109E+03	1.231E+04	1.347E+05	10.94	48.56
6	2.20	5.671E+03	1.266E+04	1.230E+05	9.71	48.71
7	2.73	5.985E+03	1.273E+04	1.291E+05	10.14	48.60
8	2.73	5.952E+03	1.257E+04	1.291E+05	10.26	48.83

Least-squares line for  $q = a \cdot \Delta T^b$

a = 2.2485E+04

b = 7.5000E-01

NOTE: 08 data points were stored in file VT093

NOTE: 08 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : VT094

This analysis includes end-fin effect

Thermal conductivity = 14.3 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : RECTANGULAR FINNED TUBE

Tube material : STAINLESS-STEEL

Pressure condition : VACUUM

Nusselt theory is used for Ho

Ci (based on Petukhov-Popov) = 1.9238

Alpha (based on Nusselt (Tdel)) = 0.8485

Enhancement (q) = 1.064

Enhancement (Del-T) = 1.047

Data #	Vw (m/s)	Uo (W/m^2-K)	Ho (W/m^2-K)	Qp (W/m^2)	Tcf (C)	Ts (C)
1	4.33	6.408E+03	1.237E+04	1.619E+05	13.09	48.89
2	1.16	4.817E+03	1.454E+04	1.138E+05	8.24	48.82
3	3.80	6.387E+03	1.290E+04	1.636E+05	12.68	48.91
4	1.69	5.404E+03	1.401E+04	1.356E+05	9.68	48.63
5	3.27	6.286E+03	1.330E+04	1.614E+05	12.14	48.93
6	2.22	5.693E+03	1.313E+04	1.452E+05	11.06	48.87
7	2.75	6.050E+03	1.334E+04	1.553E+05	11.64	48.93
8	2.75	6.108E+03	1.362E+04	1.563E+05	11.47	48.88
9	2.22	5.679E+03	1.306E+04	1.440E+05	11.03	48.70
10	3.27	6.199E+03	1.292E+04	1.580E+05	12.23	48.70
11	1.69	5.337E+03	1.357E+04	1.341E+05	9.88	48.63
12	3.80	6.350E+03	1.275E+04	1.640E+05	12.86	49.01
13	1.16	4.809E+03	1.449E+04	1.214E+05	8.38	49.09
14	4.33	6.476E+03	1.264E+04	1.665E+05	13.17	49.01

Least-squares line for  $q = a \cdot \Delta T^b$

a = 2.4325E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file VT094

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : VT101

This analysis includes end-fin effect

Thermal conductivity = 231.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : RECTANGULAR FINNED TUBE

Tube material : ALUMINUM

Pressure condition : VACUUM

Nusselt theory is used for Ho

Ci (based on Petukhov-Popov) = 1.9610

Alpha (based on Nusselt (Tdel)) = 1.3090

Enhancement (q) = 1.896

Enhancement (Del-T) = 1.616

Data	Vw	Uo	Ho	Qp	Tcf	Ts
#	(m/s)	(W/m <sup>2</sup> -K)	(W/m <sup>2</sup> -K)	(W/m <sup>2</sup> )	(C)	(C)
1	4.32	1.173E+04	1.898E+04	2.739E+05	14.43	48.95
2	3.79	1.201E+04	2.113E+04	2.800E+05	13.25	48.76
3	3.23	1.207E+04	2.254E+04	2.010E+05	8.91	48.45
4	2.72	1.105E+04	2.171E+04	2.019E+05	9.30	48.85
5	2.19	1.031E+04	2.231E+04	1.814E+05	8.13	48.76
6	1.67	9.310E+03	2.305E+04	1.583E+05	6.87	48.81
7	1.15	8.029E+03	2.540E+04	1.334E+05	5.25	48.93
8	1.14	8.114E+03	2.624E+04	1.332E+05	5.08	48.81
9	1.67	9.408E+03	2.349E+04	1.534E+05	6.53	48.75
10	2.19	1.048E+04	2.284E+04	1.709E+05	7.48	48.78
11	2.71	1.116E+04	2.183E+04	1.798E+05	8.24	48.78
12	3.23	1.197E+04	2.204E+04	1.892E+05	8.59	48.66
13	3.75	1.232E+04	2.120E+04	1.922E+05	9.07	48.85
14	4.27	1.277E+04	2.103E+04	1.957E+05	9.31	48.86

Least-squares line for  $q = a \cdot \Delta T - b$

a = 3.7884E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file VT101

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : VT103

This analysis includes end-fin effect

Thermal conductivity = 231.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : RECTANGULAR FINNED TUBE

Tube material : ALUMINUM

Pressure condition : VACUUM

Nusselt theory is used for Ho

Ci (based on Petukhov-Popov) = 2.0284

Alpha (based on Nusselt (Tdel)) = 1.2990

Enhancement (q) = 1.877

Enhancement (Del-T) = 1.604

Data #	Vw (m/s)	Uo (W/m <sup>2</sup> -K)	Ho (W/m <sup>2</sup> -K)	Qp (W/m <sup>2</sup> )	Tcf (C)	Ts (C)
1	4.29	1.256E+04	2.034E+04	2.273E+05	11.18	48.74
2	3.76	1.238E+04	2.111E+04	2.147E+05	10.17	48.71
3	3.23	1.183E+04	2.118E+04	2.025E+05	9.57	49.03
4	2.71	1.124E+04	2.158E+04	1.888E+05	8.75	48.87
5	4.27	1.288E+04	2.096E+04	2.007E+05	9.58	48.59
6	1.14	8.074E+03	2.389E+04	1.244E+05	5.21	48.64
7	3.75	1.242E+04	2.112E+04	2.042E+05	9.67	48.74
8	1.15	8.219E+03	2.572E+04	1.371E+05	5.33	48.58
9	3.24	1.169E+04	2.086E+04	2.134E+05	10.23	48.98
10	1.67	9.493E+03	2.342E+04	1.718E+05	7.33	48.61
11	2.19	1.043E+04	2.220E+04	1.902E+05	8.57	48.53
12	2.72	1.109E+04	2.132E+04	2.074E+05	9.73	48.63
13	1.67	9.426E+03	2.316E+04	1.790E+05	7.73	48.94
14	2.20	1.023E+04	2.146E+04	1.968E+05	9.17	48.68

Least-squares line for  $q = a \cdot \Delta T^b$

a = 3.7562E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file VT103

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL

Data taken by : COBB

This analysis done on file : UT111

This analysis includes end-fin effect

Thermal conductivity = 231.8 (W/m.K)

Inside diameter, Di = 12.70 (mm)

Outside diameter, Do = 13.88 (mm)

This analysis uses the QUARTZ THERMOMETER readings

Modified Petukhov-Popov coefficient = 2.5000

Using HEATEX insert inside tube

Tube Enhancement : DEEP FILLET FINNED TUBE

Tube material : ALUMINUM

Pressure condition : VACUUM

Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.3040

Alpha (based on Nusselt (Tdel)) = 1.1753

Enhancement (q) = 1.643

Enhancement (Del-T) = 1.451

Data #	Vw (m/s)	Uo (W/m^2-K)	Ho (W/m^2-K)	Qp (W/m^2)	Tcf (C)	Ts (C)
1	4.31	1.091E+04	1.573E+04	2.471E+05	15.71	48.57
2	1.15	7.862E+03	1.977E+04	1.735E+05	8.78	48.68
3	3.79	1.127E+04	1.733E+04	2.560E+05	14.78	48.66
4	1.68	8.918E+03	1.830E+04	1.983E+05	10.84	48.64
5	3.26	1.088E+04	1.747E+04	2.464E+05	14.10	48.77
6	2.21	9.734E+03	1.783E+04	2.179E+05	12.22	48.74
7	2.73	1.051E+04	1.800E+04	2.347E+05	13.04	48.64
8	2.73	1.046E+04	1.787E+04	2.346E+05	13.13	48.75
9	2.21	9.788E+03	1.800E+04	2.183E+05	12.13	48.75
10	3.26	1.078E+04	1.720E+04	2.425E+05	14.09	48.76
11	1.68	8.980E+03	1.852E+04	1.985E+05	10.72	48.74
12	3.79	1.115E+04	1.703E+04	2.502E+05	14.69	48.71
13	1.15	7.881E+03	1.981E+04	1.732E+05	8.75	48.93
14	4.31	1.143E+04	1.681E+04	2.550E+05	15.17	48.70

Least-squares line for  $q = a \cdot \Delta T^b$

a = 3.3489E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file UT111

NOTE: 14 X-Y pairs were stored in data file

NOTE: Program name : DRPALL  
 Data taken by : COBB  
 This analysis done on file : UT131  
 This analysis includes end-fin effect  
 Thermal conductivity = 231.8 (W/m.K)  
 Inside diameter, Di = 12.70 (mm)  
 Outside diameter, Do = 14.38 (mm)  
 This analysis uses the QUARTZ THERMOMETER readings  
 Modified Petukhov-Popov coefficient = 2.5000  
 Using HEATEX insert inside tube  
 Tube Enhancement : SHALLOW FILLET FINNED TUBE  
 Tube material : ALUMINUM  
 Pressure condition : VACUUM  
 Nusselt theory is used for Ho

C1 (based on Petukhov-Popov) = 2.2406  
 Alpha (based on Nusselt (Tdel)) = 1.0525  
 Enhancement (q) = 1.418  
 Enhancement (Del-T) = 1.299

Data #	Vw (m/s)	Uo (W/m <sup>2</sup> -K)	Ho (W/m <sup>2</sup> -K)	Qp (W/m <sup>2</sup> )	Tcf (C)	Ts (C)
1	4.31	1.029E+04	1.502E+04	2.192E+05	14.59	48.66
2	1.15	7.262E+03	1.788E+04	1.519E+05	8.49	48.72
3	3.78	1.011E+04	1.534E+04	2.195E+05	14.30	48.79
4	1.68	8.122E+03	1.630E+04	1.738E+05	10.66	48.67
5	3.26	9.769E+03	1.547E+04	2.138E+05	13.82	48.74
6	2.21	8.820E+03	1.588E+04	1.910E+05	12.02	48.66
7	2.73	9.306E+03	1.552E+04	2.045E+05	13.17	48.75
8	2.73	9.313E+03	1.554E+04	2.041E+05	13.13	48.70
9	2.21	8.811E+03	1.587E+04	1.928E+05	12.15	48.72
10	3.26	9.756E+03	1.546E+04	2.140E+05	13.85	48.59
11	1.68	8.147E+03	1.644E+04	1.787E+05	10.87	48.89
12	3.78	1.002E+04	1.516E+04	2.213E+05	14.59	48.60
13	1.15	7.180E+03	1.752E+04	1.564E+05	8.92	48.93
14	4.31	1.023E+04	1.493E+04	2.243E+05	15.02	48.52

Least-squares line for q = a\*delta-T<sup>b</sup>

a = 2.9739E+04

b = 7.5000E-01

NOTE: 14 data points were stored in file UT131

NOTE: 14 X-Y pairs were stored in data file

## APPENDIX E. UNCERTAINTY ANALYSIS

When measuring physical quantity, the actual value is unknown. There will always be a difference between the measured value of the quantity and the actual value. The magnitude of the difference depends on the accuracy of the measuring device and the level of experience of the operator of the device. Normally the error of measurement of a single calculation is rather small, however the error may grow in magnitude when combined with other measured quantities in a given calculation. The estimation of the difference between the actual and the calculated or measured value is known as the uncertainty of the obtained value.

The actual uncertainty is similar to the actual value, if you know one you can determine the other. Kline and McClintok [Ref. 38] developed a method to estimate the uncertainty in the obtained value. The method states for a quantity in some obtained value  $R$ , which is a function of several measured quantities ( $R = R(x_1, x_2, x_3, \dots, x_n)$ ), the uncertainty in  $R$  is given by the following relationship:

$$w_R = \left[ \left( \frac{\partial R}{\partial x_1} w_1 \right)^2 + \left( \frac{\partial R}{\partial x_2} w_2 \right)^2 + \dots + \left( \frac{\partial R}{\partial x_n} w_n \right)^2 \right]^{1/2} \quad (E.1)$$

where:

$W_r$  = the uncertainty of the desired dependent variable

$x_1, x_2, \dots, x_n$  = the measured independent variables

$W_1, W_2, \dots, W_n$  = the uncertainties in the measured variables.

A complete description of the uncertainty analysis is given by Georgiadis [Ref. 39]. The uncertainty program, UNCERTCOBB, was a revision of Mitrou's [Ref. 14] uncertainty analysis program. The program is listed in this Appendix along with random data point analysis.

```

1000! FILE NAME : UNCERTCOB8
1005! REVISED : SEPTEMBER 1993
1010!
1015 COM /Cc/ C(5)
1020 DIM E(20)
1025 DATA 273.15,2.5923E-2,-7.3933E-7,2.8625E-11
1026 DATA 1.9717E-15,-2.2486E-19
1035 READ C(*)
1040 PRINT
1045 PRINTER IS 701
1050 PRINT USING "15X,""DATA FOR THE UNCERTAINTY ANALYSIS:"""
1051 PRINT
1055 BEEP
1060 INPUT "ENTER FILE NAME",File$
1065 PRINT USING "15X,""File Name: """,12A";File$
1070 BEEP
1075 INPUT "ENTER DATA SET NUMBER FOR UNCERTAINTY ANALYSIS",Ids
1080 BEEP
1085 INPUT "ENTER PRESSURE CONDITION (0=V,1=A) ",Prc
1090 Prc=Prc+1
1095 BEEP
1100 INPUT "ENTER C1",C1
1105 ASSIGN @File TO File$
1110 ENTER @File;Ifg,Inn
1115 ENTER @File;Dd,Od,Od,Od
1125 FOR I=1 TO Ids
1130 ENTER @File;Bvol,Bamp,Etp,Fm,Tci,Tco,Pvap1,Pvap2,E(*)
1131! PRINT Bvol,Bamp,Etp,Fm,T1,T2,Pvap1,Pvap2,E(*)
1135 NEXT I
1140 Emf=E(0)
1145 IF Prc=1 THEN
1150 BEEP
1155 PRINT USING "15X,""Pressure Condition: Vacuum (kPa)""
1160 ELSE
1165 PRINT USING "15X,""Pressure Condition: Atmospheric (kPa)""
1170 END IF
1180 Ih1=0
1205 BEEP
1210 PRINTER IS 1
1211 PRINT " SELECT INSIDE CORRELATION:"
1212 PRINT " 0= SIEDER-TATE (DEFAULT)"
1213 PRINT " 1= PETKHOV-POPOV"
1214 INPUT Ih1
1215 BEEP
1216 IF Ih1=0 THEN
1217 BEEP
1218 INPUT " SELECT REYNOLDS EXPONENT",Rexp

```

```

1219 END IF
1220 BEEP
1222 PRINT USING "4X,""Select Material Code: ""
1223 PRINT USING "6X,""0 Copper      1 Stainless Steel ""
1225 PRINT USING "6X,""2 Aluminum  3 90:10 Cu-Ni ""
1230 PRINT USING "6X,""4 Titanium ""
1235 INPUT Itt
1240 IF Itt=0 THEN
1245 BEEP
1250 INPUT "SELECT (0=THIN, 1=THICK)",Iwt
1255 END IF
1260 PRINTER IS 701
1265 IF Itt=0 THEN
1266 INPUT "SELECT DIAMETER (0=SM, 1=MED, 2=L6)",Ds
1267 BEEP
1268 INPUT "SELECT FLUID (0=STEAM, 1=R-113, 2=E6)",If Fluid
1270 D1=.0127
1271 IF Ds=0 THEN
1272     D1=.0127
1273     Do=.01388
1274 END IF
1275 IF Ds=1 THEN
1276     Do=.01438
1277 END IF
1278 IF Ds=2 THEN
1279     Do=.0137
1280 END IF
1281 Kc=390.8
1282 Dkc=11.7
1285 IF Iwt=0 THEN
1290 Do=.01388
1295 ELSE
1300 Do=.01438      ! Outside diameter of test tube
1305 END IF
1310 END IF
1315 IF Itt=1 THEN
1320 Kc=14.3
1325 Dkc=.72
1330 D1=.0127
1335 Do=.01388
1340 END IF
1345 IF Itt=2 THEN
1350 Kc=231.8
1355 Dkc=9.3
1360 Do=.01388
1365 D1=.0127
1370 END IF

```

```

1375 IF Itt=3 THEN
1380 Kc=55.3
1385 Dkc=1.27
1390 D1=.0127
1395 Dc=.01388
1400 END IF
1405 IF Itt=4 THEN
1410 Kc=18.9
1415 Dkc=.95
1420 D1=.01386
1425 Dc=.01585
1430 END IF
1435 D1=.01585
1440 D2=.01585
1445 IF Itt=4 THEN D1=.01585
1446: IF Itt=1 THEN D1=.01585
1450 PRINTER IS 701
1455 Ts=FNTvsv(Emf)
1456 Ts=Ts-273.15
1460 PRINT USING "15X,""Vapor Temperature           = "",40.000,""      (Deg
C)"";Ts
1465 PRINT USING "15X,""Water Flow Rate (%)           = "",30.20"1Fm
1470 Dtc1=.005
1475 Dtc0=.005
1480 BEEP
1485 Demf=1.0E-6
1490 Dts=SQR(((C(1)+2*C(2)*Emf+3*C(3)*Emf^2+4*C(4)*Emf^3)*Demf)^2)
1495 T=(Tc1+Tco)/2 ! FILM TEMPERATURE
1500: UNCERTAINTY IN THE COOLING WATER
1505 Drho=.5 ! ERROR IN WATER DENSITY
1510 Dmf=.0044 ! ERROR IN MASS FLOW RATE
1515 Rho=FNRho(T) ! WATER DENSITY
1520 Mf=(6.7409*Fm+13.027)/1000.1 MASS FLOW RATE OF COOLING WATER
1525: CORRECT MF FOR THE TEMPERATURE EFFECT
1530 Mf=Mf*(1.0365-1.96644E-3*Tc1+5.252E-6*Tc1^2)/1.0037
1535 A1=(PI*D1^2)/4 ! TUBE INSIDE CROSS SECTION AREA
1540 Dd1=.000025
1545 Da1=PI*D1*Dd1/2 ! ERROR OF INSIDE TUBE CROSS AREA
1550: COMPUTE THE WATER VELOCITY
1555 Vw=Mf/(Rho*A1) ! WATER VELOCITY
1560 PRINT USING "15X,""Water Velocity               = "",2.00,""      (m/
s)"";Vw
1565: CORRECT OUTLET WATER TEMP. FOR THE MIXING CHAMBER EFFECT
1566 IF Itt=0 THEN
1568 IF Inn=2 THEN Tco=Tco-(-3.99E-4+2.75E-3*Vw+1.45E-3*Vw^2+8.16E-5*Vw^3)
1570 IF Inn=1 THEN Tco=Tco-(-6.44E-5+1.71E-3*Vw+4.45E-4*Vw^2+4.07E-5*Vw^3)
1573 IF Inn=0 AND Vw>.5 THEN Tco=Tco-(-2.73E-4+1.75E-4*Vw+9.35E-4*Vw^2-1.96E-5*
Vw^3)

```

```

1576 END IF
1577 IF Itt=4 THEN !TITANIUM TUBE
1578 IF Inn=0 AND Vw>.5 THEN Tco=Tco-(-4.62E-5-7.53E-4*Vw+1.80E-3*Vw^2-8.84E-5*
Vw^3)
1579 IF Inn=3 THEN Tco=Tco-(2.09E-4+9.74E-4*Vw+2.12E-3*Vw^2-3.31E-5*Vw^3)
1581 END IF
1584 IF Itt=1 THEN ! LPD KORODENSE TITANIUM TUBE
1585 IF Inn=0 AND Vw>.5 THEN Tco=Tco-(-3.39E-4+1.88E-3*Vw+6.01E-4*Vw^2+4.13E-5*
Vw^3)
1586 IF Inn=3 THEN Tco=Tco-(2.09E-4+9.20E-4*Vw+1.89E-3*Vw^2-2.27E-5*Vw^3)
1588 END IF
1589 IF Inn=3 THEN
1590 Tco=Tco-(2.524E-5-1.696E-3*Vw+7.11E-3*Vw^2-3.32E-3*Vw^3+8.555E-4*Vw^4-7.
37E-5*Vw^5)
1591 END IF
1593 T=(Tc1+Tco)*.5 !FILM TEMPERATURE
1594 PRINT Tc1
1595 PRINT Tco
1596 PRINT Inn
1597 COMPUTE THE ERROR IN WATER VELOCITY
1598 Dvw=Vw*SQR((Dmf/Mf)^2+(Drho/Rho)^2+(Da1/A1)^2)
1599 UNCERTAINTY IN THE REYNOLDS NUMBER
1600 Mw=FNW(T) ! WATER VISCOSITY
1605 Dmw=6.E-6 ! ERROR OF WATER VISCOSITY
1610 Re=(Rho*Vw*D1)/Mw
1615 Dre=Re*SQR((Drho/Rho)^2+(Dvw/Vw)^2+(Dd1/D1)^2+(Dmw/Mw)^2)
1620 UNCERTAINTY IN THE HEAT TRANSFERRED
1625 Cpw=FNCPW(T)
1630 Q=Mf*(Tco-Tc1)*Cpw
1635 Dcpw=8
1640 Dq=Q*SQR((Dmf/Mf)^2+((Dtco/(Tco-Tc1)))^2+((Dtc1/(Tco-Tc1)))^2+(Dcpw/Cpw)^2)
1645 UNCERTAINTY IN THE HEAT FLUX
1650 D1=.0005 ! ERROR IN TUBE LENGTH
1655 Ddo=.000025
1660 L=.13335 ! CONDENSING TUBE LENGTH
1665 Qp=Q/(PI*Do*L) ! HEAT FLUX
1670 PRINT USING "15X," "Heat Flux" = "2.3DE," (W/M^2)
"1Qp
1675 PRINT USING "15X," "Tube-metal thermal conduc. = "3D.D," (W/M
.K)" "1Kc
1680 PRINT USING "15X," "Pethkov-Popov constant= "2.4D"1C1
1685 Dqp=Qp*SQR((Dq/Q)^2+(Ddo/Do)^2+(D1/L)^2)
1690 Lmtd=(Tco-Tc1)/LOG((Ts-Tc1)/(Ts-Tco))
1695 Uo=Qp/Lmtd ! OVERALL HEAT TRANSFER COEF.
1700 A1=Dts*(Tc1-Tco)/((Ts-Tc1)*(Ts-Tco)*LOG((Ts-Tc1)/(Ts-Tco)))
1705 A2=Dtc1/((Ts-Tc1)*LOG((Ts-Tc1)/(Ts-Tco)))
1710 A3=Dtco/((Ts-Tco)*LOG((Ts-Tc1)/(Ts-Tco)))

```

```

1715 Dintd=Lntd*SQR(A1^2+A2^2+A3^2)
1720 Duo=Uo*SQR((Dqp/Qp)^2+(Dintd/Lntd)^2)
1725 M=Mw
1730 T1=(T+273.15)/273.15
1735 Kw=FNKw(T1)
1740 Ac=0. ! INTERCEPT FROM SIEDER PROGRAM
1745 L1=.060325 ! LENGTH OF UNFINNED LEFT PART OF TUBE
1750 L2=.034925 ! LENGTH OF UNFINNED RIGHT PART OF TUBE
1755 Pr=Cpw*Mw/Kw
1760 Muw=FNMuw(T)
1765 ! UNCERTAINTY OF INSIDE HEAT-TRANSFER COEFF.
1766 Cf=1.0
1768 IF Ih1=0 THEN
1775 H1=(Kw/D1)*(C1*Re^Rexp*Pr^.333*Cf+Ac)
1776 END IF
1777 IF Ih1=1 THEN
1778 Eps1=(1.82*LGT(Re)-1.64)^(-2)
1779 Ppk1=1.0+1.34*Eps1
1780 Ppk2=1.7+1.8*Pr^(-1/3)
1781 Pp1=(Eps1/8)*Re*Pr
1782 Pp2=(Ppk1+Ppk2*(Eps1/8)^.5*(Pr^(2/3)-1))
1783 H1=(Kw/D1)*(Pp1/Pp2)
1784 END IF
1786 Dt1=Q/(PI*D1*(L+L1*Fe1+L2*Fe2)*H1)
1787 Cfc=(Muw/FNMuw(T+Dt1))^.14
1790 IF ABS((Cfc-Cf)/Cfc)>.01 THEN
1795 Cf=(Cf+Cfc)*.5
1800 GOTO 1775
1805 END IF
1810 P1=PI*(D1+D1)
1815 B1=(D1-D1)*PI*(D1+D1)*.5
1820 M1=(H1*P1/(Kc*B1))^.5
1825 P2=PI*(D1+D2)
1830 B2=(D2-D1)*PI*(D1+D2)*.5
1835 M2=(H1*P2/(Kc*B2))^.5
1840 Fe1=FNTanh(M1*L1)/(M1*L1)
1845 Fe2=FNTanh(M2*L2)/(M2*L2)
1850 Dtc=Q/(PI*D1*(L+L1*Fe1+L2*Fe2)*H1)
1855 IF ABS((Dtc-Dt1)/Dtc)>.01 THEN 1775
1860 Dkw=.0010 ! ERROR IN WATER THERMAL CONDUCTIVITY
1865 IF Ifluid<2 THEN Dc1=.002 ! ERROR IN SIEDER-TATE COEFFICIENT
1866 IF Ifluid=0 AND Ds=0 THEN Dc1=.003
1867 IF Ifluid=2 THEN Dc1=.005
1870 Dpr=.05 ! ERROR IN PRANDTL NUMBER
1875 Dcf=8.E-6
1880 A4=.14*Dcf/Cf
1885 Dh1=H1*SQR((Dkw/Kw)^2+(Dd1/D1)^2+(.8*Dre/Re)^2+(.333*Dpr/Pr)^2+(Dc1/C1)^2+
A4)

```

```

1890! UNCERTAINTY OF OUTSIDE HEAT-TRANSFER COEFF.
1895  $R_w = D_o \cdot \log(D_o/D_1) / (2 \cdot K_c)$  ! WALL RESISTANCE
1900  $H_o = 1 / ((1/U_o) - (D_o \cdot L / (D_1 \cdot (L + L_1 \cdot F_{e1} + L_2 \cdot F_{e2}) \cdot H_1))) - R_w$ 
1905  $Drw = R_w \cdot \text{SQR}((D_{do}/D_o)^2 + (D_{kc}/K_c)^2 + (D_{do}/(D_o \cdot \log(D_o/D_1)))^2 + (D_{d1}/(D_1 \cdot \log(D_o/D_1)))^2)$ 
1910  $A5 = 1/U_o - R_w - (D_o \cdot L / (D_1 \cdot (L + L_1 \cdot F_{e1} + L_2 \cdot F_{e2}) \cdot H_1))$ 
1915  $A6 = D_{uo} / (U_o^2 \cdot A5)$ 
1920  $A7 = Drw / A5$ 
1925  $A8 = ((D_o / (D_1 \cdot H_1)) \cdot (D_{h1} / H_1)) / A5$ 
1930 PRINT
1935  $D_{ho} = H_o \cdot \text{SQR}(A6^2 + A7^2 + A8^2)$ 
1940! CALCULATE THE % UNCERTAINTY IN  $H_o$ 
1945  $Prho = D_{ho} \cdot 100 / H_o$ 
1950! CALCULATE THE % UNCERTAINTY IN REYNOLDS NUMBER
1955  $Prre = D_{re} \cdot 100 / Re$ 
1960! CALCULATE THE % UNCERTAINTY IN MASS FLOW RATE
1965  $Prmf = D_{mf} \cdot 100 / Mf$ 
1970! CALCULATE THE % UNCERTAINTY IN HEAT TRANSFER
1975  $Prqp = D_{qp} \cdot 100 / Qp$ 
1980! CALCULATE THE % UNCERTAINTY IN LMTD
1985  $Prlmt = D_{lmt} \cdot 100 / Lmt$ 
1990! CALCULATE THE % UNCERTAINTY IN  $R_w$ 
1995  $Prrw = Drw \cdot 100 / R_w$ 
2000! CALCULATE THE % UNCERTAINTY IN OVERALL HEAT TRANSFER COEF.
2005  $Pruc = D_{uc} \cdot 100 / U_o$ 
2010! CALCULATE THE % UNCERTAINTY IN INSIDE HEAT TRANSFER COEFF.
2015  $Prhi = D_{hi} \cdot 100 / H_1$ 
2020 PRINT
2025 PRINT USING "15X," "UNCERTAINTY ANALYSIS:"
2030 PRINT
2035 PRINT USING "15X," "VARIABLE" "PERCENT UNCERTAINTY"
2040 PRINT
2045 PRINT USING "15X," "Mass Flow Rate, Md" "2.20," "Prmf"
2050 PRINT USING "15X," "Reynolds Number, Re" "2.20," "Prre"
2055 PRINT USING "15X," "Heat Flux, q" "00.20," "Prqp"
2060 PRINT USING "15X," "Log-Mean-Tem Diff, LMTD" "00.20," "Prlmt"
2065 PRINT USING "15X," "Wall Resistance, Rw" "00.20," "Prrw"
2070 PRINT USING "15X," "Overall H.T.C., Uo" "00.20," "Pruc"
2075 PRINT USING "15X," "Water-Side H.T.C., H1" "30.20," "Prhi"
2080 PRINT USING "15X," "Vapor-Side H.T.C., Ho" "30.20," "Prho"
2085 END
2090 DEF FNMuw(T)
2095  $A = 247.8 / (T + 133.15)$ 
2100  $Muw = 2.4E-5 \cdot 10^A$ 
2105 RETURN Muw
2110 FNEND
2115 DEF FNTanh(X)

```

```

2120 P=EXP(X)
2125 Q=EXP(-X)
2130 Tanh=(P-Q)/(P+Q)
2135 RETURN Tanh
2140 FNEND
2145 DEF FNKw(T1)
2150 Kw=-.92247+T1*(2.8395-T1*(1.8007-T1*(.52577-.07344*T1)))
2155 RETURN Kw
2160 FNEND
2165 DEF FNMw(T)
2170 A=247.8/(T+133.15)
2175 Mw=2.4E-5*10^A
2180 RETURN Mw
2185 FNEND
2190 DEF FNRho(T)
2195 Rho=999.52946+T*(.01269-T*(5.482513E-3-T*.1234147E-5))
2200 RETURN Rho
2205 FNEND
2210 DEF FNCpw(T)
2215 Cpw=(4.21120858-T*(2.26826E-3-T*(4.42361E-5+2.71428E-7*T)))*1000
2220 RETURN Cpw
2225 FNEND
2230 DEF FNTvsv(Emf)
2235 COM /Cc/ C(5)
2240 T=C(0)
2245 FOR I=1 TO 5
2250 T=T+C(I)*Emf^I
2255 NEXT I
2260 RETURN T
2265 FNEND

```

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: AT013  
 Pressure Condition: Atmospheric (kPa)  
 Vapor Temperature = 99.862 (Deg C)  
 Water Flow Rate (%) = 80.00  
 Water Velocity = 4.26 (m/s)  
 Heat Flux = 1.225E+06 (W/m^2)  
 Tube-metal thermal conduc. = 390.8 (W/m.K)  
 Petukhov-Popov constant= 3.1616

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	0.82
Reynolds Number, Re	1.28
Heat Flux, q	.97
Log-Mean-Tem Diff, LMTD	.22
Wall Resistance, Rw	4.24
Overall H.T.C., Uo	.99
Water-Side H.T.C., Hi	1.13
Vapor-Side H.T.C., Ho	64.50

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: AT013  
 Pressure Condition: Atmospheric (kPa)  
 Vapor Temperature = 100.069 (Deg C)  
 Water Flow Rate (%) = 70.00  
 Water Velocity = 3.74 (m/s)  
 Heat Flux = 1.160E+06 (W/m^2)  
 Tube-metal thermal conduc. = 390.8 (W/m.K)  
 Petkhov-Popov constant= 3.1616

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	0.94
Reynolds Number, Re	1.37
Heat Flux, q	1.06
Log-Mean-Tem Diff, LMTD	.21
Wall Resistance, Rw	4.24
Overall H.T.C., Uo	1.08
Water-Side H.T.C., H1	1.19
Vapor-Side H.T.C., Ho	22.71

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: AT013  
 Pressure Condition: Atmospheric (kPa)  
 Vapor Temperature = 99.969 (Deg C)  
 Water Flow Rate (%) = 50.00  
 Water Velocity = 2.70 (m/s)  
 Heat Flux = 1.092E+06 (W/m^2)  
 Tube-metal thermal conduc. = 390.8 (W/m.K)  
 Petukhov-Popov constant= 3.1616

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	1.29
Reynolds Number, Re	1.62
Heat Flux, q	1.38
Log-Mean-Tem Diff, LMTD	.16
Wall Resistance, Rw	4.24
Overall H.T.C., Uo	1.39
Water-Side H.T.C., Hi	1.37
Vapor-Side H.T.C., Ho	8.11

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: AT013  
 Pressure Condition: Atmospheric (kPa)  
 Vapor Temperature = 100.014 (Deg C)  
 Water Flow Rate (%) = 20.00  
 Water Velocity = 1.15 (m/s)  
 Heat Flux = 7.864E+05 (W/m^2)  
 Tube-metal thermal conduc. = 390.8 (W/m.K)  
 Petukhov-Popov constant= 3.1616

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	3.05
Reynolds Number, Re	3.20
Heat Flux, q	3.09
Log-Mean-Tem Diff, LMTD	.09
Wall Resistance, Rw	4.24
Overall H.T.C., Uo	3.09
Water-Side H.T.C., Hi	2.60
Vapor-Side H.T.C., Ho	7.70

DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: AT061  
 Pressure Condition: Atmospheric (kPa)  
 Vapor Temperature = 99.994 (Deg C)  
 Water Flow Rate (%) = 80.00  
 Water Velocity = 4.27 (m/s)  
 Heat Flux = 7.277E+05 (W/m^2)  
 Tube-metal thermal conduc. = 55.3 (W/m.K)  
 Petukhov-Popov constant= 2.7938

UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	0.82
Reynolds Number, Re	1.25
Heat Flux, q	1.01
Log-Mean-Tem Diff, LMTD	.38
Wall Resistance, R <sub>w</sub>	3.78
Overall H.T.C., U <sub>o</sub>	1.08
Water-Side H.T.C., H <sub>i</sub>	1.09
Vapor-Side H.T.C., H <sub>o</sub>	4.98

DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: AT061  
 Pressure Condition: Atmospheric (kPa)  
 Vapor Temperature = 99.727 (Deg C)  
 Water Flow Rate (%) = 20.00  
 Water Velocity = 1.15 (m/s)  
 Heat Flux = 5.480E+05 (W/m^2)  
 Tube-metal thermal conduc. = 55.3 (W/m.K)  
 Petukhov-Popov constant= 2.7938

UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	3.02
Reynolds Number, Re	3.15
Heat Flux, q	3.06
Log-Mean-Tem Diff, LMTD	.14
Wall Resistance, Rw	3.78
Overall H.T.C., Uo	3.87
Water-Side H.T.C., Hi	2.55
Vapor-Side H.T.C., Ho	12.27

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: AT063  
 Pressure Condition: Atmospheric (kPa)  
 Vapor Temperature = 99.870 (Deg C)  
 Water Flow Rate (%) = 88.00  
 Water Velocity = 4.29 (m/s)  
 Heat Flux = 7.452E+05 (W/m^2)  
 Tube-metal thermal conduc. = 55.3 (W/m.K)  
 Patkhov-Popov constant= 2.5534

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	0.81
Reynolds Number, Re	1.20
Heat Flux, q	1.00
Log-Mean-Tem Diff, LMTD	.37
Wall Resistance, Rw	3.78
Overall H.T.C., Uo	1.67
Water-Side H.T.C., Hi	1.05
Vapor-Side H.T.C., Ho	4.76

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: AT063  
 Pressure Condition: Atmospheric (kPa)  
 Vapor Temperature = 100.099 (Deg C)  
 Water Flow Rate (%) = 70.00  
 Water Velocity = 3.77 (m/s)  
 Heat Flux = 7.313E+05 (W/m^2)  
 Tube-metal thermal conduc. = 55.3 (W/m.K)  
 Petukhov-Popov constant= 2.5534

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	0.93
Reynolds Number, Re	1.28
Heat Flux, q	1.08
Log-Mean-Tem Diff, LMTD	.33
Wall Resistance, Rw	3.78
Overall H.T.C., Uo	1.13
Water-Side H.T.C., H1	1.11
Vapor-Side H.T.C., Ho	6.31

DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: AT063  
 Pressure Condition: Atmospheric (kPa)  
 Vapor Temperature = 100.011 (Deg C)  
 Water Flow Rate (%) = 50.00  
 Water Velocity = 2.72 (m/s)  
 Heat Flux = 6.835E+05 (W/m^2)  
 Tube-metal thermal conduc. = 55.3 (W/m.K)  
 Petukhov-Popov constant= 2.5534

UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	1.28
Reynolds Number, Re	1.56
Heat Flux, q	1.39
Log-Mean-Tem Diff, LMTD	.26
Wall Resistance, Rw	3.78
Overall H.T.C., Uo	1.41
Water-Side H.T.C., Hi	1.32
Vapor-Side H.T.C., Ho	22.05

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: AT063  
 Pressure Condition: Atmospheric (kPa)  
 Vapor Temperature = 99.928 (Deg C)  
 Water Flow Rate (%) = 20.00  
 Water Velocity = 1.15 (m/s)  
 Heat Flux = 5.289E+05 (W/m^2)  
 Tube-metal thermal conduc. = 55.3 (W/m.K)  
 Petukhov-Popov constant= 2.5534

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	3.04
Reynolds Number, Re	3.17
Heat Flux, q	3.08
Log-Mean-Tem Diff, LMTD	.14
Wall Resistance, Rw	3.78
Overall H.T.C., Uo	3.08
Water-Side H.T.C., Hi	2.58
Vapor-Side H.T.C., Ho	13.12

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: AT094  
 Pressure Condition: Atmospheric (kPa)  
 Vapor Temperature = 99.986 (Deg C)  
 Water Flow Rate (%) = 80.00  
 Water Velocity = 4.29 (m/s)  
 Heat Flux = 5.103E+05 (W/m^2)  
 Tube-metal thermal conduc. = 14.3 (W/m.K)  
 Petkhov-Popov constant= 2.0961

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	0.81
Reynolds Number, Re	1.20
Heat Flux, q	1.08
Log-Mean-Tem Diff, LMTD	.54
Wall Resistance, Rw	5.87
Overall H.T.C., Uo	1.21
Water-Side H.T.C., H1	1.05
Vapor-Side H.T.C., Ho	8.37

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: AT094  
 Pressure Condition: Atmospheric (kPa)  
 Vapor Temperature = 99.924 (Deg C)  
 Water Flow Rate (%) = 50.00  
 Water Velocity = 2.72 (m/s)  
 Heat Flux = 4.813E+05 (W/m^2)  
 Tube-metal thermal conduc. = 14.3 (W/m.K)  
 Petkhov-Popov constant= 2.0961

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	1.28
Reynolds Number, Re	1.56
Heat Flux, q	1.41
Log-Mean-Tem Diff, LMTD	.36
Wall Resistance, Rw	5.87
Overall H.T.C., Uo	1.46
Water-Side H.T.C., Hi	1.32
Vapor-Side H.T.C., Ho	19.08

DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: AT094  
 Pressure Condition: Atmospheric (kPa)  
 Vapor Temperature = 99.808 (Deg C)  
 Water Flow Rate (%) = 20.00  
 Water Velocity = 1.15 (m/s)  
 Heat Flux = 3.840E+05 (W/m^2)  
 Tube-metal thermal conduc. = 14.3 (W/m.K)  
 Petukhov-Popov constant= 2.0961

UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	3.04
Reynolds Number, Re	3.16
Heat Flux, q	3.08
Log-Mean-Tem Diff, LMTD	.19
Wall Resistance, Rw	5.87
Overall H.T.C., Uo	3.08
Water-Side H.T.C., Hi	2.57
Vapor-Side H.T.C., Ho	23.75

DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: AT101  
 Pressure Condition: Atmospheric (kPa)  
 Vapor Temperature = 100.001 (Deg C)  
 Water Flow Rate (%) = 80.00  
 Water Velocity = 4.27 (m/s)  
 Heat Flux = 9.614E+05 (W/m^2)  
 Tube-metal thermal conduc. = 231.8 (W/m.K)  
 Petukhov-Popov constant= 2.3854

UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	0.82
Reynolds Number, Re	1.25
Heat Flux, q	.98
Log-Mean-Tem Diff, LMTD	.29
Wall Resistance, Rw	5.01
Overall H.T.C., Uo	1.02
Water-Side H.T.C., Hi	1.10
Vapor-Side H.T.C., Ho	7.43

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: AT101  
 Pressure Condition: Atmospheric (kPa)  
 Vapor Temperature = 100.146 (Deg C)  
 Water Flow Rate (%) = 50.00  
 Water Velocity = 2.72 (m/s)  
 Heat Flux = 8.834E+05 (W/m^2)  
 Tube-metal thermal conduc. = 231.8 (W/m.K)  
 Petukhov-Popov constant= 2.3854

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	1.28
Reynolds Number, Re	1.57
Heat Flux, q	1.38
Log-Mean-Tem Diff, LMTD	.20
Wall Resistance, Rw	5.01
Overall H.T.C., Uo	1.39
Water-Side H.T.C., Hi	1.33
Vapor-Side H.T.C., Ho	47.40

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: UT094  
 Pressure Condition: Vacuum (kPa)  
 Vapor Temperature = 48.927 (Deg C)  
 Water Flow Rate (%) = 50.00  
 Water Velocity = 2.75 (m/s)  
 Heat Flux = 1.512E+05 (W/m^2)  
 Tube-metal thermal conduc. = 14.3 (W/m.K)  
 Petukhov-Popov constant= 1.9238

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	1.27
Reynolds Number, Re	1.49
Heat Flux, q	1.78
Log-Mean-Tem Diff, LMTD	1.17
Wall Resistance, Rw	5.87
Overall H.T.C., Uo	2.13
Water-Side H.T.C., Hi	1.26
Vapor-Side H.T.C., Ho	12.04

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: VT094  
 Pressure Condition: Vacuum (kPa)  
 Vapor Temperature = 48.822 (Deg C)  
 Water Flow Rate (%) = 20.00  
 Water Velocity = 1.16 (m/s)  
 Heat Flux = 1.194E+05 (W/m^2)  
 Tube-metal thermal conduc. = 14.3 (W/m.K)  
 Petukhov-Popov constant= 1.9238

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	3.01
Reynolds Number, Re	3.11
Heat Flux, q	3.10
Log-Mean-Tem Diff, LMTD	.62
Wall Resistance, Rw	5.87
Overall H.T.C., Uo	3.17
Water-Side H.T.C., Hi	2.52
Vapor-Side H.T.C., Ho	60.75

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: VT094  
 Pressure Condition: Vacuum (kPa)  
 Vapor Temperature = 49.091 (Deg C)  
 Water Flow Rate (%) = 20.00  
 Water Velocity = 1.16 (m/s)  
 Heat Flux = 1.210E+05 (W/m^2)  
 Tube-metal thermal conduc. = 14.3 (W/m.K)  
 Petukhov-Popov constant= 1.9238

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	3.01
Reynolds Number, Re	3.11
Heat Flux, q	3.10
Log-Mean-Tem Diff, LMTD	.62
Wall Resistance, Rw	5.87
Overall H.T.C., Uo	3.16
Water-Side H.T.C., Hi	2.52
Vapor-Side H.T.C., Ho	61.42

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: UT103  
 Pressure Condition: Vacuum (kPa)  
 Vapor Temperature = 48.738 (Deg C)  
 Water Flow Rate (%) = 80.00  
 Water Velocity = 4.29 (m/s)  
 Heat Flux = 2.274E+05 (W/m^2)  
 Tube-metal thermal conduc. = 231.8 (W/m.K)  
 Petkhov-Popov constant= 2.0284

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	0.81
Reynolds Number, Re	1.20
Heat Flux, q	1.53
Log-Mean-Tem Diff, LMTD	1.21
Wall Resistance, Rw	5.01
Overall H.T.C., Uo	1.95
Water-Side H.T.C., Hi	1.06
Vapor-Side H.T.C., Ho	7.43

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: UT103  
 Pressure Condition: Vacuum (kPa)  
 Vapor Temperature = 48.628 (Deg C)  
 Water Flow Rate (%) = 50.00  
 Water Velocity = 2.72 (m/s)  
 Heat Flux = 2.074E+05 (W/m^2)  
 Tube-metal thermal conduc. = 231.8 (W/m.K)  
 Petukhov-Popov constant= 2.0284

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	1.28
Reynolds Number, Re	1.55
Heat Flux, q	1.60
Log-Mean-Tem Diff, LMTD	.84
Wall Resistance, Rw	5.01
Overall H.T.C., Uo	1.81
Water-Side H.T.C., Hi	1.32
Vapor-Side H.T.C., Ho	23.78

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: VT103  
 Pressure Condition: Vacuum (kPa)  
 Vapor Temperature = 48.637 (Deg C)  
 Water Flow Rate (%) = 20.00  
 Water Velocity = 1.14 (m/s)  
 Heat Flux = 1.244E+05 (W/m^2)  
 Tube-metal thermal conduc. = 231.8 (W/m.K)  
 Petukhov-Popov constant= 2.0284

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	3.05
Reynolds Number, Re	3.19
Heat Flux, q	3.14
Log-Mean-Tem Diff, LMTD	.59
Wall Resistance, Rw	5.01
Overall H.T.C., Uo	3.20
Water-Side H.T.C., Hi	2.59
Vapor-Side H.T.C., Ho	18.77

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: AT101  
 Pressure Condition: Atmospheric (kPa)  
 Vapor Temperature = 100.108 (Deg C)  
 Water Flow Rate (%) = 20.00  
 Water Velocity = 1.15 (m/s)  
 Heat Flux = 6.394E+05 (W/m^2)  
 Tube-metal thermal conduc. = 231.8 (W/m.K)  
 Petkhov-Popov constant= 2.3854

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	3.04
Reynolds Number, Re	3.18
Heat Flux, q	3.08
Log-Mean-Tem Diff, LMTD	.12
Wall Resistance, Rw	5.01
Overall H.T.C., Uo	3.08
Water-Side H.T.C., Hi	2.58
Vapor-Side H.T.C., Ho	10.78

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: UT011  
 Pressure Condition: Vacuum (kPa)  
 Vapor Temperature = 48.675 (Deg C)  
 Water Flow Rate (%) = 80.00  
 Water Velocity = 4.32 (m/s)  
 Heat Flux = 3.485E+05 (W/m^2)  
 Tube-metal thermal conduc. = 390.8 (W/m.K)  
 Petukhov-Popov constant= 2.9862

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	0.81
Reynolds Number, Re	1.14
Heat Flux, q	1.22
Log-Mean-Tem Diff, LMTD	.80
Wall Resistance, Rw	4.24
Overall H.T.C., Uo	1.46
Water-Side H.T.C., Hi	1.00
Vapor-Side H.T.C., Ho	10.92

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: UT011  
 Pressure Condition: Vacuum (kPa)  
 Vapor Temperature = 48.541 (Deg C)  
 Water Flow Rate (%) = 40.00  
 Water Velocity = 2.21 (m/s)  
 Heat Flux = 2.843E+05 (W/m^2)  
 Tube-metal thermal conduc. = 390.8 (W/m.K)  
 Petkhov-Popov constant= 2.9862

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	1.58
Reynolds Number, Re	1.77
Heat Flux, q	1.71
Log-Mean-Tem Diff, LMTD	.50
Wall Resistance, Rw	4.24
Overall H.T.C., Uo	1.79
Water-Side H.T.C., Hi	1.47
Vapor-Side H.T.C., Ho	15.03

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: VT063  
 Pressure Condition: Vacuum (kPa)  
 Vapor Temperature = 48.775 (Deg C)  
 Water Flow Rate (%) = 80.00  
 Water Velocity = 4.32 (m/s)  
 Heat Flux = 2.270E+05 (W/m^2)  
 Tube-metal thermal conduc. = 55.3 (W/m.K)  
 Petukhov-Popov constant= 2.4146

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	0.81
Reynolds Number, Re	1.14
Heat Flux, q	1.53
Log-Mean-Tem Diff, LMTD	1.22
Wall Resistance, Rw	3.78
Overall H.T.C., Uo	1.96
Water-Side H.T.C., H1	1.00
Vapor-Side H.T.C., Ho	6.33

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: UT063  
 Pressure Condition: Vacuum (kPa)  
 Vapor Temperature = 48.759 (Deg C)  
 Water Flow Rate (%) = 70.00  
 Water Velocity = 3.79 (m/s)  
 Heat Flux = 2.233E+05 (W/m^2)  
 Tube-metal thermal conduc. = 55.3 (W/m.K)  
 Petukhov-Popov constant= 2.4146

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	0.92
Reynolds Number, Re	1.23
Heat Flux, q	1.50
Log-Mean-Tem Diff, LMTD	1.09
Wall Resistance, Rw	3.78
Overall H.T.C., Uo	1.85
Water-Side H.T.C., H1	1.06
Vapor-Side H.T.C., Ho	7.19

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: VT063  
 Pressure Condition: Vacuum (kPa)  
 Vapor Temperature = 48.651 (Deg C)  
 Water Flow Rate (%) = 50.00  
 Water Velocity = 2.74 (m/s)  
 Heat Flux = 2.103E+05 (W/m^2)  
 Tube-metal thermal conduc. = 55.3 (W/m.K)  
 Petukhov-Popov constant= 2.4146

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	1.27
Reynolds Number, Re	1.51
Heat Flux, q	1.59
Log-Mean-Tem Diff, LMTD	.84
Wall Resistance, R <sub>w</sub>	3.78
Overall H.T.C., U <sub>o</sub>	1.80
Water-Side H.T.C., H <sub>i</sub>	1.28
Vapor-Side H.T.C., H <sub>o</sub>	15.43

DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: VT063  
 Pressure Condition: Vacuum (kPa)  
 Vapor Temperature = 48.855 (Deg C)  
 Water Flow Rate (%) = 20.00  
 Water Velocity = 1.16 (m/s)  
 Heat Flux = 1.615E+05 (W/m^2)  
 Tube-metal thermal conduc. = 55.3 (W/m.K)  
 Patkhov-Popov constant= 2.4146

UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	3.01
Reynolds Number, Re	3.12
Heat Flux, q	3.08
Log-Mean-Tem Diff, LMTD	.46
Wall Resistance, Rw	3.78
Overall H.T.C., Uo	3.12
Water-Side H.T.C., Hi	2.53
Vapor-Side H.T.C., Ho	16.40

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: VT091  
 Pressure Condition: Vacuum (kPa)  
 Vapor Temperature = 48.876 (Deg C)  
 Water Flow Rate (%) = 80.00  
 Water Velocity = 4.27 (m/s)  
 Heat Flux = 7.970E+04 (W/m^2)  
 Tube-metal thermal conduc. = 14.3 (W/m.K)  
 Patkhov-Popov constant= 1.9382

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	0.82
Reynolds Number, Re	1.24
Heat Flux, q	3.57
Log-Mean-Tem Diff, LMTD	3.44
Wall Resistance, Rw	5.87
Overall H.T.C., Uo	4.95
Water-Side H.T.C., H1	1.09
Vapor-Side H.T.C., Ho	10.64

# DATA FOR THE UNCERTAINTY ANALYSIS:

File Name: UT094  
 Pressure Condition: Vacuum (kPa)  
 Vapor Temperature = 48.892 (Deg C)  
 Water Flow Rate (%) = 80.00  
 Water Velocity = 4.33 (m/s)  
 Heat Flux = 1.471E+05 (W/m^2)  
 Tube-metal thermal conduc. = 14.3 (W/m.K)  
 Petkhov-Popov constant= 1.9238

## UNCERTAINTY ANALYSIS:

VARIABLE	PERCENT UNCERTAINTY
Mass Flow Rate, Md	0.80
Reynolds Number, Re	1.13
Heat Flux, q	2.11
Log-Mean-Tem Diff, LMTD	1.89
Wall Resistance, Rw	5.87
Overall H.T.C., Uo	2.83
Water-Side H.T.C., Hi	.99
Vapor-Side H.T.C., Ho	8.09

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